

A diagram showing a blue cloud-like shape. A yellow line connects two black squares, one on the left and one on the right. Each black square is accompanied by a red square, also connected by a yellow line.

# 15-441 Computer Networking

## Lecture 10: Intra-Domain Routing

## RIP (Routing Information Protocol) & OSPF (Open Shortest Path First)

## Ways to Compute Shortest Paths

- Centralized
  - Collect graph structure in one place
  - Use standard graph algorithm
  - Disseminate routing tables
- Link-state
  - Every node collects complete graph structure
  - Each computes shortest paths from it
  - Each generates own routing table
- Distance-vector
  - No one has copy of graph
  - Nodes construct their own tables iteratively
  - Each sends information about its table to neighbors

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## Outline

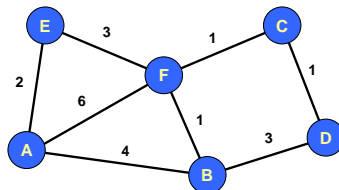
- Distance Vector
- Link State

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## Distance-Vector Method

Initial Table for A		
Dest	Cost	Next Hop
A	0	A
B	4	B
C	$\infty$	—
D	$\infty$	—
E	2	E
F	6	F

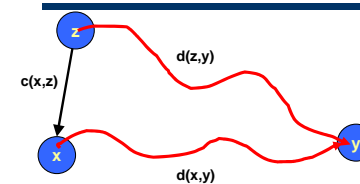


- Idea
  - At any time, have cost/next hop of best known path to destination
  - Use cost  $\infty$  when no path known
- Initially
  - Only have entries for directly connected nodes

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## Distance-Vector Update



- Update(x,y,z)
  - $d \leftarrow c(x,z) + d(z,y)$  # Cost of path from x to y with first hop z
  - if  $d < d(x,y)$ 
    - # Found better path
    - return d,z # Updated cost / next hop
  - else
    - return d(x,y), nexthop(x,y) # Existing cost / next hop

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## Algorithm

- Bellman-Ford algorithm
- Repeat
  - For every node x
    - For every neighbor z
      - For every destination y
        - $d(x,y) \leftarrow \text{Update}(x,y,z)$
- Until converge

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## Start

### Optimum 1-hop paths

Table for A			Table for B		
Dst	Cst	Hop	Dst	Cst	Hop
A	0	A	A	4	A
B	4	B	B	0	B
C	$\infty$	—	C	$\infty$	—
D	$\infty$	—	D	3	D
E	2	E	E	$\infty$	—
F	6	F	F	1	F

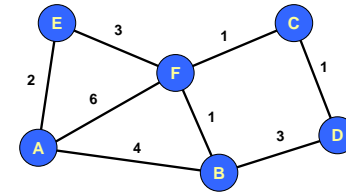


Table for C			Table for D			Table for E			Table for F		
Dst	Cst	Hop	Dst	Cst	Hop	Dst	Cst	Hop	Dst	Cst	Hop
A	$\infty$	—	A	$\infty$	—	A	2	A	A	6	A
B	$\infty$	—	B	3	B	B	$\infty$	—	B	1	B
C	0	C	C	1	C	C	$\infty$	—	C	1	C
D	1	D	D	0	D	D	$\infty$	—	D	$\infty$	—
E	$\infty$	—	E	$\infty$	—	E	0	E	E	3	E
F	1	F	F	$\infty$	—	F	3	F	F	0	F

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## Iteration #1

### Optimum 2-hop paths

Table for A			Table for B		
Dst	Cst	Hop	Dst	Cst	Hop
A	0	A	A	4	A
B	4	B	B	0	B
C	7	F	C	2	F
D	7	B	D	3	D
E	2	E	E	4	F
F	5	E	F	1	F

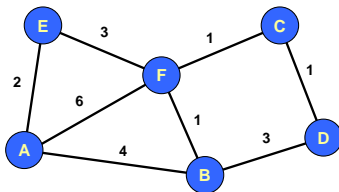


Table for C			Table for D			Table for E			Table for F		
Dst	Cst	Hop	Dst	Cst	Hop	Dst	Cst	Hop	Dst	Cst	Hop
A	7	F	A	7	B	A	2	A	A	5	B
B	2	F	B	3	B	B	4	F	B	1	B
C	0	C	C	1	C	C	4	F	C	1	C
D	1	D	D	0	D	D	$\infty$	—	D	2	C
E	4	F	E	$\infty$	—	E	0	E	E	3	E
F	1	F	F	2	C	F	3	F	F	0	F

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## Iteration #2

### Optimum 3-hop paths

Table for A			Table for B		
Dst	Cst	Hop	Dst	Cst	Hop
A	0	A	A	4	A
B	4	B	B	0	B
C	6	E	C	2	F
D	7	B	D	3	D
E	2	E	E	4	F
F	5	E	F	1	F

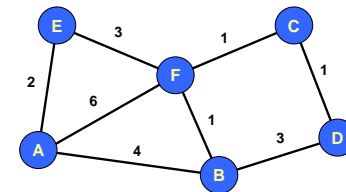


Table for C			Table for D			Table for E			Table for F		
Dst	Cst	Hop	Dst	Cst	Hop	Dst	Cst	Hop	Dst	Cst	Hop
A	6	F	A	7	B	A	2	A	A	5	B
B	2	F	B	3	B	B	4	F	B	1	B
C	0	C	C	1	C	C	4	F	C	1	C
D	1	D	D	0	D	D	5	F	D	2	C
E	4	F	E	5	C	E	0	E	E	3	E
F	1	F	F	2	C	F	3	F	F	0	F

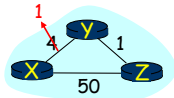
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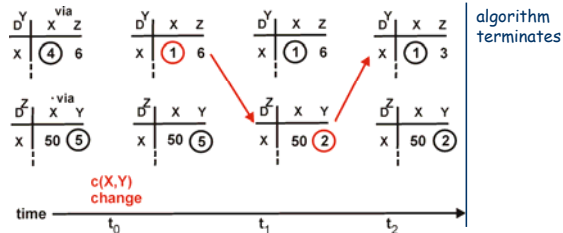
## Distance Vector: Link Cost Changes

### Link cost changes:

- Node detects local link cost change
- Updates distance table
- If cost change in least cost path, notify neighbors



"good news travels fast"



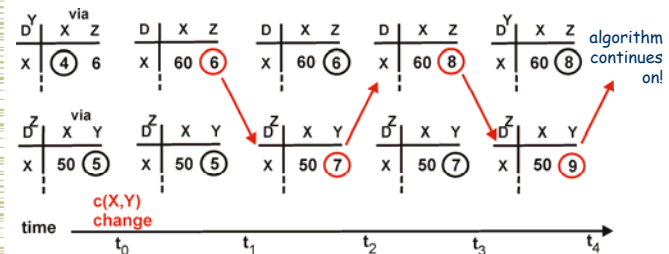
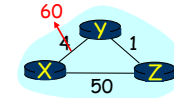
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## Distance Vector: Link Cost Changes

### Link cost changes:

- Good news travels fast
- Bad news travels slow - "count to infinity" problem!



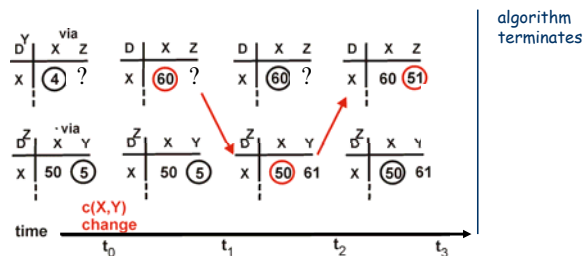
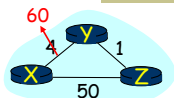
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## Distance Vector: Split Horizon

If Z routes through Y to get to X :

- Z does not advertise its route to X back to Y



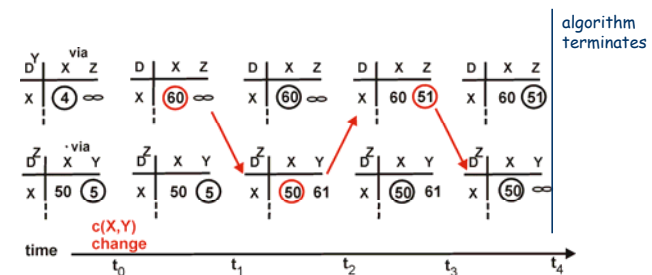
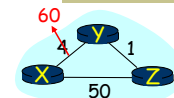
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## Distance Vector: Poison Reverse

If Z routes through Y to get to X :

- Z tells Y its (Z's) distance to X is infinite (so Y won't route to X via Z)
- Eliminates some possible timeouts with split horizon
- Will this completely solve count to infinity problem?



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## Poison Reverse Failures

Table for A			Table for B			Table for D			Table for F		
Dst	Cst	Hop	Dst	Cst	Hop	Dst	Cst	Hop	Dst	Cst	Hop
C	7	F	C	8	A	C	9	B	C	1	C

Table for A		
Dst	Cst	Hop
C	$\infty$	-

Forced Update

Forced Update

Table for F		
Dst	Cst	Hop
C	$\infty$	-

Table for A		
Dst	Cst	Hop
C	13	D

Better Route

Forced Update

Table for B		
Dst	Cst	Hop
C	14	A

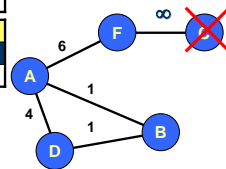
Forced Update

Table for D		
Dst	Cst	Hop
C	15	B

Table for A		
Dst	Cst	Hop
C	19	D

Forced Update

- Iterations don't converge
- "Count to infinity"
- Solution
  - Make "infinity" smaller
  - What is upper bound on maximum path length?



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## Routing Information Protocol (RIP)

- Earliest IP routing protocol (1982 BSD)
  - Current standard is version 2 (RFC 1723)
- Features
  - Every link has cost 1
  - "Infinity" = 16
    - Limits to networks where everything reachable within 15 hops
- Sending Updates
  - Every router listens for updates on UDP port 520
  - RIP message can contain entries for up to 25 table entries

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## RIP Updates

- Initial
  - When router first starts, asks for copy of table for every neighbor
  - Uses it to iteratively generate own table
- Periodic
  - Every 30 seconds, router sends copy of its table to each neighbor
  - Neighbors use to iteratively update their tables
- Triggered
  - When every entry changes, send copy of entry to neighbors
    - Except for one causing update (split horizon rule)
  - Neighbors use to update their tables

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## RIP Staleness / Oscillation Control

- Small Infinity
  - Count to infinity doesn't take very long
- Route Timer
  - Every route has timeout limit of 180 seconds
    - Reached when haven't received update from next hop for 6 periods
  - If not updated, set to infinity
  - Soft-state refresh → important concept!!!
- Behavior
  - When router or link fails, can take minutes to stabilize

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## Outline

- Distance Vector
- **Link State**

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## Link State Protocol Concept

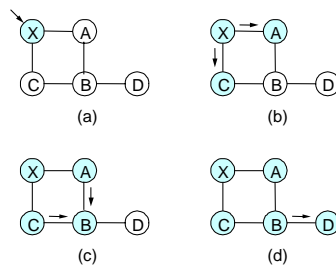
- Every node gets complete copy of graph
  - Every node “floods” network with data about its outgoing links
- Every node computes routes to every other node
  - Using single-source, shortest-path algorithm
- Process performed whenever needed
  - When connections die / reappear

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## Sending Link States by Flooding

- X Wants to Send Information
  - Sends on all outgoing links
- When Node Y Receives Information from Z
  - Send on all links other than Z



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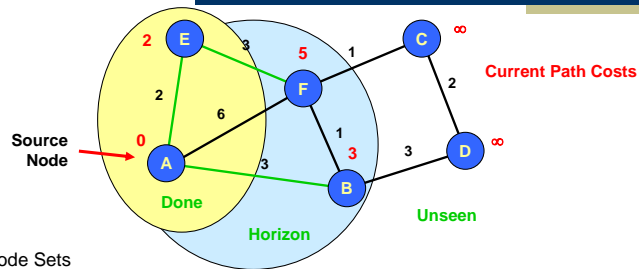
## Dijkstra's Algorithm

- Given
  - Graph with source node  $s$  and edge costs  $c(u,v)$
  - Determine least cost path from  $s$  to every node  $v$
- Shortest Path First Algorithm
  - Traverse graph in order of least cost from source

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## Dijkstra's Algorithm: Concept

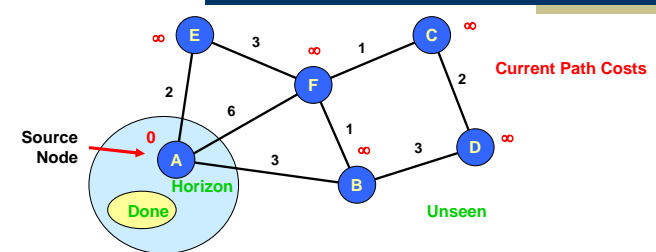


- Node Sets
  - Done
    - Already have least cost path to it
  - Horizon:
    - Reachable in 1 hop from node in Done
  - Unseen:
    - Cannot reach directly from node in Done
- Label
  - $d(v)$  = path cost
    - From s to v
- Path
  - Keep track of last link in path

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## Dijkstra's Algorithm: Initially

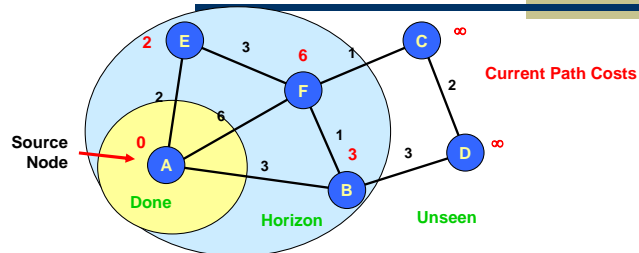


- No nodes done
- Source in horizon

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## Dijkstra's Algorithm: Initially

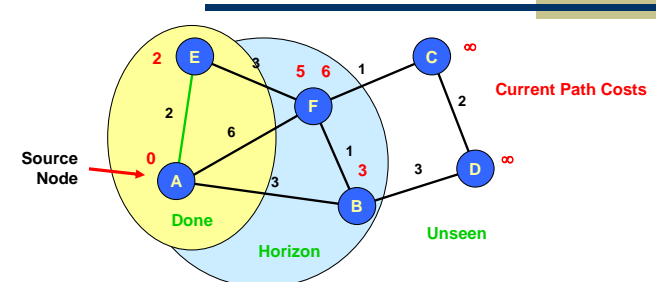


- $d(v)$  to node A shown in red
  - Only consider links from done nodes

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## Dijkstra's Algorithm

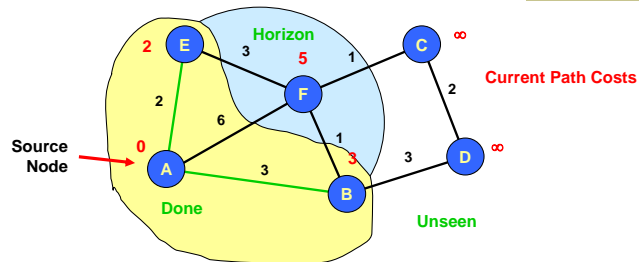


- Select node v in horizon with minimum  $d(v)$
- Add link used to add node to shortest path tree
- Update  $d(v)$  information

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## Dijkstra's Algorithm

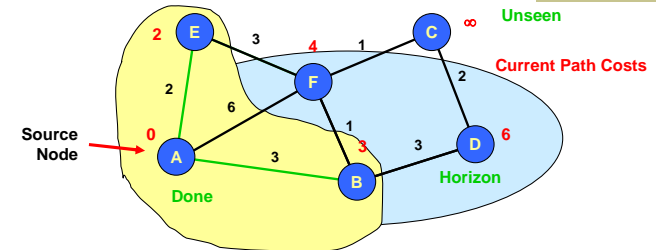


- Repeat...

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## Dijkstra's Algorithm

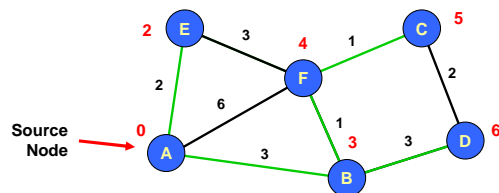


- Addition of node can add new nodes to horizon

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## Dijkstra's Algorithm



- Final tree shown in green

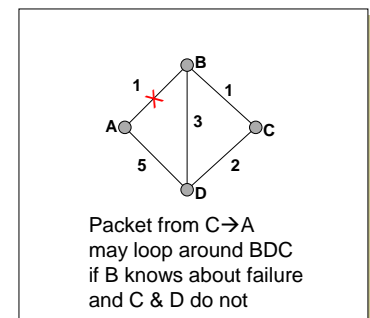
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## Link State Characteristics

- With consistent LSDBs\*, all nodes compute consistent loop-free paths
- Can still have transient loops

\*Link State Data Base



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## OSPF Routing Protocol



- Open
  - Open standard created by IETF
- Shortest-path first
  - Another name for Dijkstra's algorithm
- More prevalent than RIP

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## OSPF Reliable Flooding



- Transmit link state advertisements
  - Originating router
    - Typically, minimum IP address for router
  - Link ID
    - ID of router at other end of link
  - Metric
    - Cost of link
  - Link-state age
    - Incremented each second
    - Packet expires when reaches 3600
  - Sequence number
    - Incremented each time sending new link information

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## OSPF Flooding Operation



- Node X Receives LSA from Node Y
  - With Sequence Number  $q$
  - Looks for entry with same origin/link ID
- Cases
  - No entry present
    - Add entry, propagate to all neighbors other than Y
  - Entry present with sequence number  $p < q$ 
    - Update entry, propagate to all neighbors other than Y
  - Entry present with sequence number  $p > q$ 
    - Send entry back to Y
    - To tell Y that it has out-of-date information
  - Entry present with sequence number  $p = q$ 
    - Ignore it

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## Flooding Issues



- When should it be performed
  - Periodically
  - When status of link changes
    - Detected by connected node
- What happens when router goes down & back up
  - Sequence number reset to 0
    - Other routers may have entries with higher sequence numbers
  - Router will send out LSAs with number 0
  - Will get back LSAs with last valid sequence number  $p$
  - Router sets sequence number to  $p+1$  & resends

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## Adoption of OSPF



- RIP viewed as outmoded
  - Good when networks small and routers had limited memory & computational power
- OSPF Advantages
  - Fast convergence when configuration changes

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## Comparison of LS and DV Algorithms



### Message complexity

- LS: with  $n$  nodes,  $E$  links,  $O(nE)$  messages
- DV: exchange between neighbors only

### Space requirements:

- LS maintains entire topology
- DV maintains only neighbor state

### Speed of Convergence

- LS: Complex computation
  - But...can forward before computation
  - may have oscillations
- DV: convergence time varies
  - may be routing loops
  - count-to-infinity problem
  - (faster with triggered updates)

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## Comparison of LS and DV Algorithms



**Robustness:** what happens if router malfunctions?

### LS:

- node can advertise incorrect *link* cost
- each node computes only its *own* table

### DV:

- DV node can advertise incorrect *path* cost
- each node's table used by others
  - errors propagate thru network
- Other tradeoffs
  - Making LSP flood reliable

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## Next Lecture: BGP



- How to make routing scale to large networks
- How to connect together different ISPs

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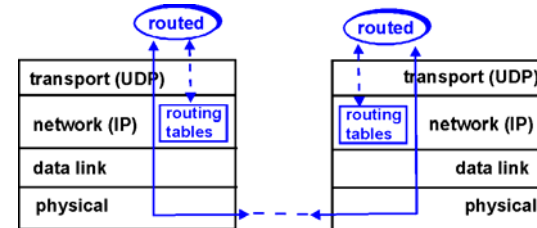
## EXTRA SLIDES

The rest of the slides are FYI



## RIP Table Processing

- RIP routing tables managed by **application-level** process called route-d (daemon)
- advertisements sent in UDP packets, periodically repeated



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## Dijkstra's Algorithm

### 1 Initialization:

- 2  $N = \{A\}$
- 3 for all nodes  $v$
- 4 if  $v$  adjacent to  $A$
- 5 then  $D(v) = c(A, v)$
- 6 else  $D(v) = \text{infinity}$

### 8 Loop

- 9 find  $w$  not in  $N$  such that  $D(w)$  is a minimum
- 10 add  $w$  to  $N$
- 11 update  $D(v)$  for all  $v$  adjacent to  $w$  and not in  $N$ :
- 12  $D(v) = \min(D(v), D(w) + c(w, v))$
- 13 /\* new cost to  $v$  is either old cost to  $v$  or known
- 14 shortest path cost to  $w$  plus cost from  $w$  to  $v$  \*/
- 15 **until all nodes in  $N$**

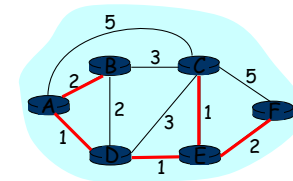
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## Dijkstra's algorithm: example

Step	start N	$D(B), p(B)$	$D(C), p(C)$	$D(D), p(D)$	$D(E), p(E)$	$D(F), p(F)$
→ 0	A	2, A	5, A	1, A	infinity	infinity
→ 1	AD	2, A	4, D		2, D	infinity
→ 2	ADE	2, A	3, E			4, E
→ 3	ADEB		3, E			4, E
→ 4	ADEBC					4, E
→ 5	ADEBCF					



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