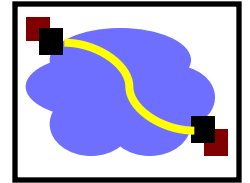


15-440 Distributed Systems

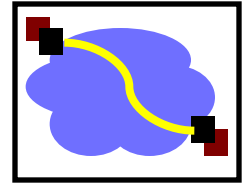
Lecture 9 – Time Synchronization

Today's Lecture



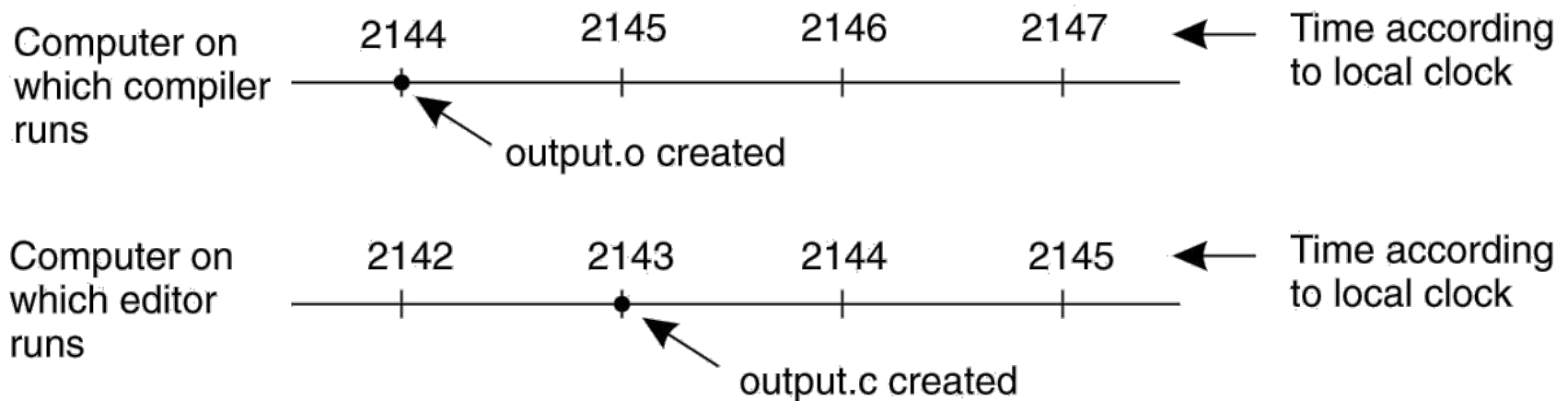
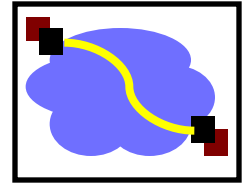
- Need for time synchronization
- Time synchronization techniques
- Lamport Clocks
- Vector Clocks

Why Global Timing?



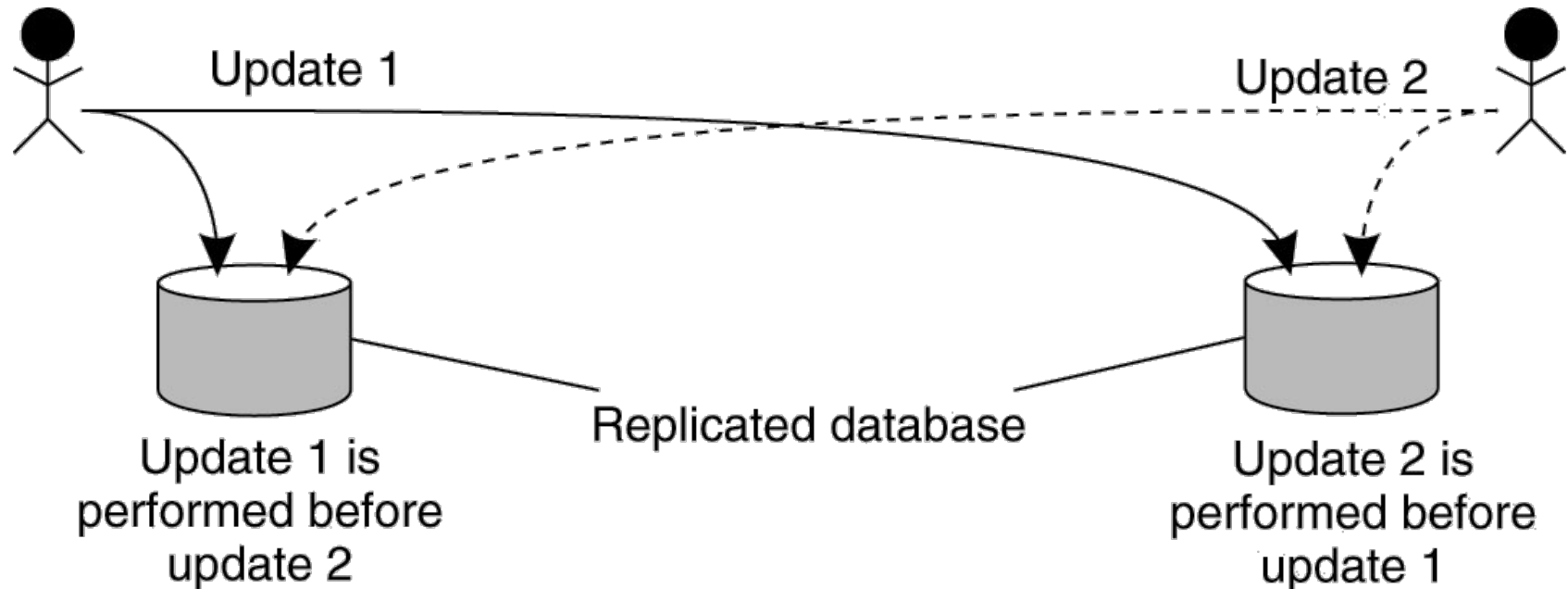
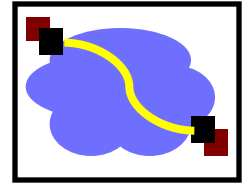
- Suppose there were a globally consistent time standard
- Would be handy
 - Who got last seat on airplane?
 - Who submitted final auction bid before deadline?
 - Did defense move before snap?

Impact of Clock Synchronization



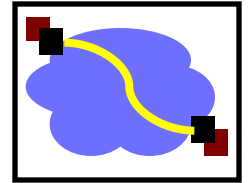
- When each machine has its own clock, an event that occurred after another event may nevertheless be assigned an earlier time.

Replicated Database Update



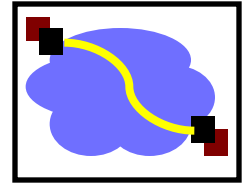
- Updating a replicated database and leaving it in an inconsistent state

Time Standards

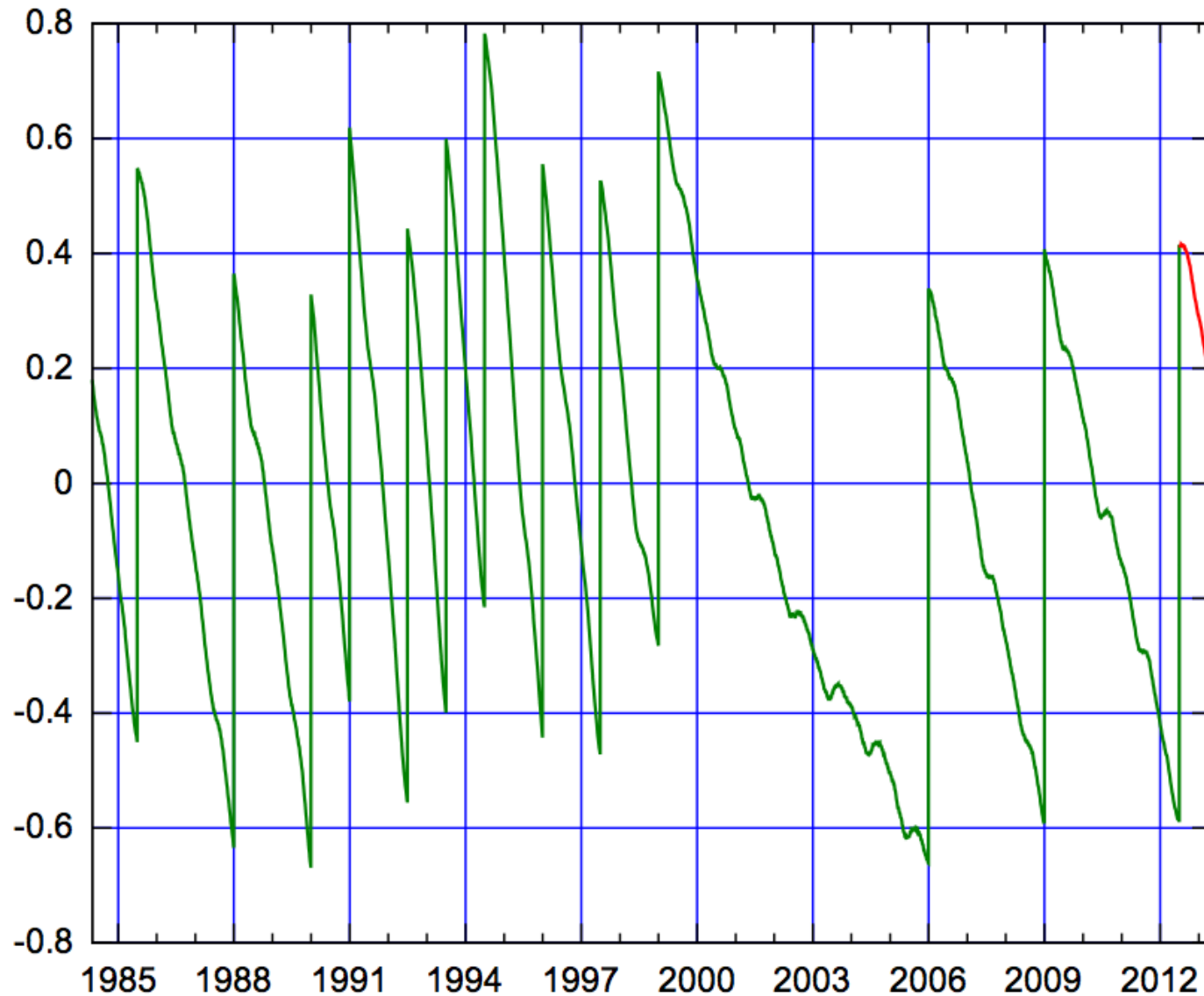


- UT1
 - Based on astronomical observations
 - “Greenwich Mean Time”
- TAI
 - Started Jan 1, 1958
 - Each second is 9,192,631,770 cycles of radiation emitted by Cesium atom
 - Has diverged from UT1 due to slowing of earth’s rotation
- UTC
 - TAI + leap seconds to be within 0.9s of UT1
 - Currently 35
 - Most recent: June 30, 2012

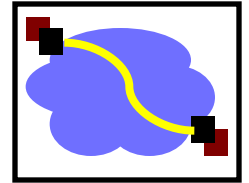
Comparing Time Standards



UT1 - UTC

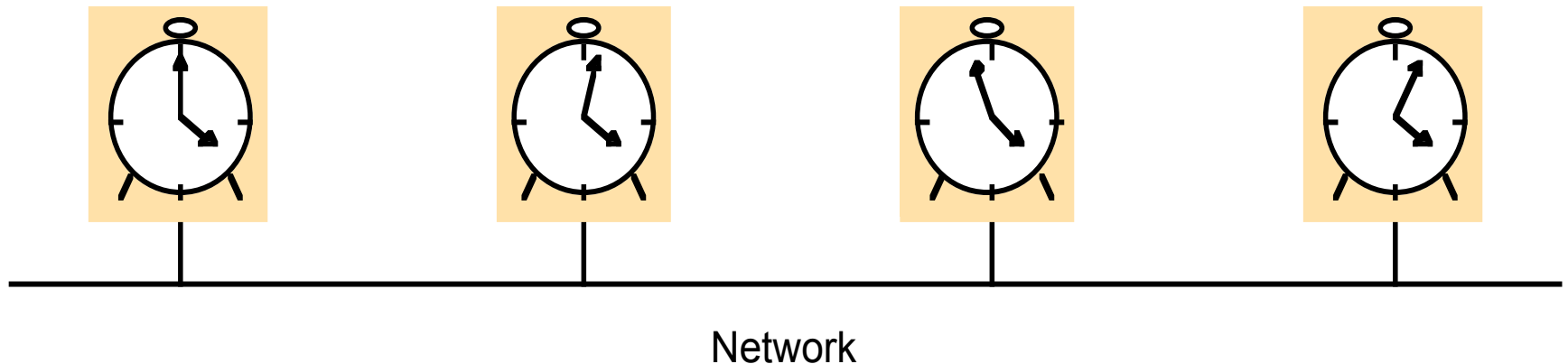
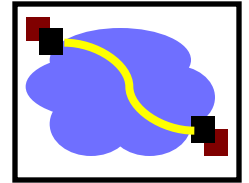


Coordinated Universal Time (UTC)



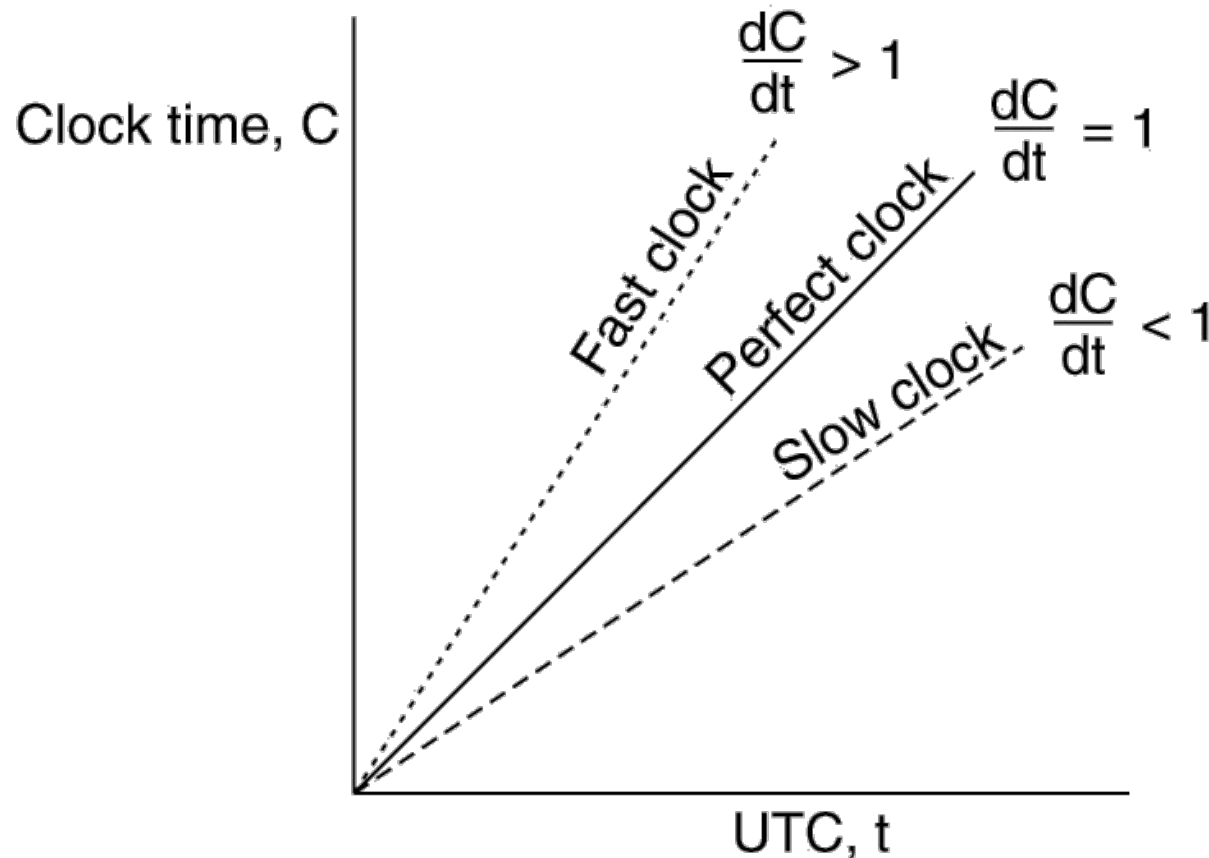
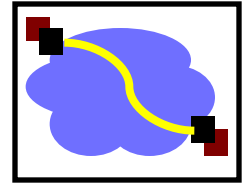
- Is broadcast from radio stations on land and satellite (e.g. GPS)
- Computers with receivers can synchronize their clocks with these timing signals
- Signals from land-based stations are accurate to about 0.1-10 millisecond
- Signals from GPS are accurate to about 1 microsecond
 - Why can't we put GPS receivers on all our computers?

Clocks in a Distributed System



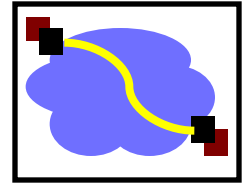
- Computer clocks are not generally in perfect agreement
 - **Skew**: the difference between the times on two clocks (at any instant)
- Computer clocks are subject to clock drift (they count time at different rates)
 - **Clock drift rate**: the difference per unit of time from some ideal reference clock
 - Ordinary quartz clocks drift by about 1 sec in 11-12 days. (10^{-6} secs/sec).
 - High precision quartz clocks drift rate is about 10^{-7} or 10^{-8} secs/sec

Clock Synchronization Algorithms



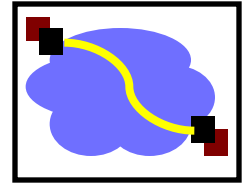
- The relation between clock time and UTC when clocks tick at different rates.

Today's Lecture

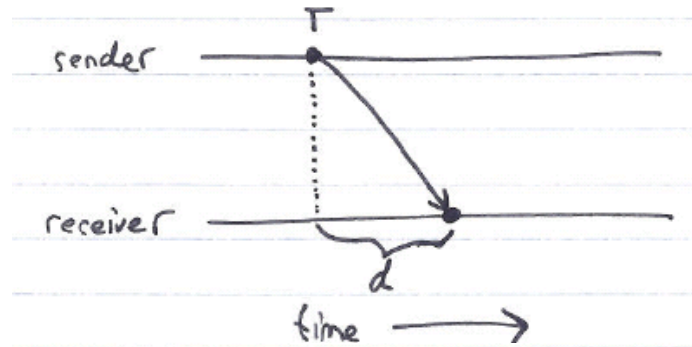


- Need for time synchronization
- Time synchronization techniques
- Lamport Clocks
- Vector Clocks

Perfect networks

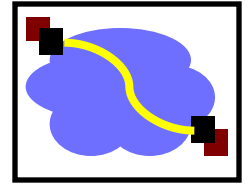


- Messages always arrive, with propagation delay exactly d

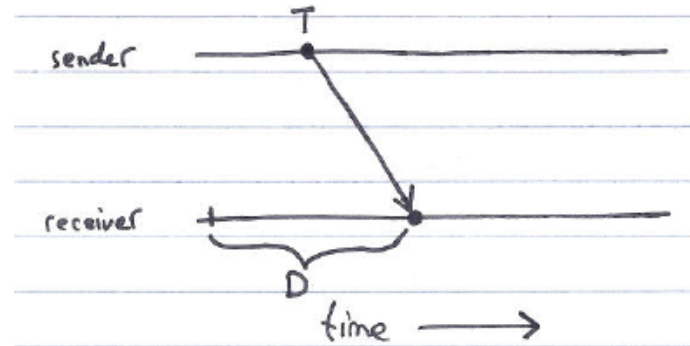


- Sender sends time T in a message
- Receiver sets clock to $T+d$
 - Synchronization is exact

Synchronous networks

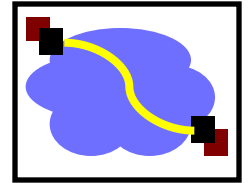


- Messages always arrive, with propagation delay *at most* D



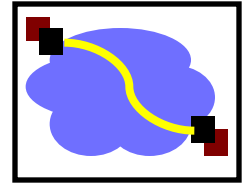
- Sender sends time T in a message
- Receiver sets clock to $T + D/2$
 - Synchronization error is at most $D/2$

Synchronization in the real world

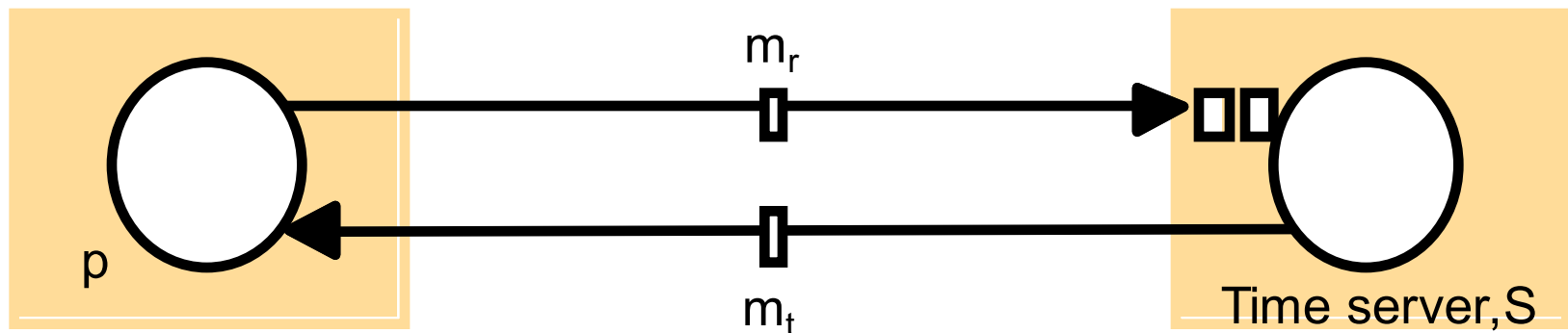


- Real networks are asynchronous
 - Message delays are arbitrary
- Real networks are unreliable
 - Messages don't always arrive

Cristian's Time Sync

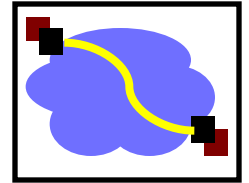


- A time server S receives signals from a UTC source
 - Process p requests time in m_r and receives t in m_t from S
 - p sets its clock to $t + RTT/2$
 - Accuracy $\pm (RTT/2 - min)$:
 - because the earliest time S puts t in message m_t is min after p sent m_r .
 - the latest time was min before m_t arrived at p
 - the time by S 's clock when m_t arrives is in the range $[t+min, t + RTT - min]$



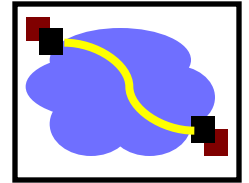
T_{round} is the round trip time recorded by p
 min is an estimated minimum round trip time

Berkeley algorithm

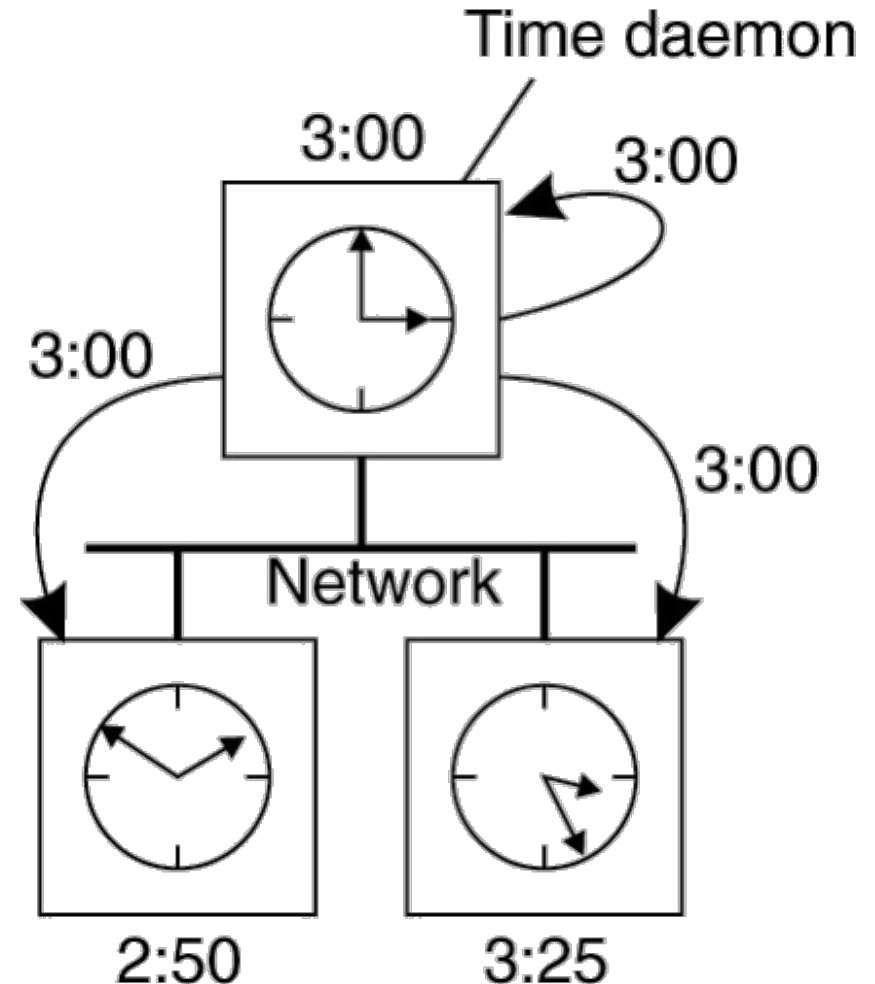


- Cristian's algorithm -
 - a single time server might fail, so they suggest the use of a group of synchronized servers
 - it does not deal with faulty servers
- Berkeley algorithm (also 1989)
 - An algorithm for internal synchronization of a group of computers
 - A *master* polls to collect clock values from the others (*slaves*)
 - The master uses round trip times to estimate the slaves' clock values
 - It takes an average (eliminating any above average round trip time or with faulty clocks)
 - It sends the required adjustment to the slaves (better than sending the time which depends on the round trip time)
 - Measurements
 - 15 computers, clock synchronization 20-25 millisecs drift rate $< 2 \times 10^{-5}$
 - If master fails, can elect a new master to take over (not in bounded time)

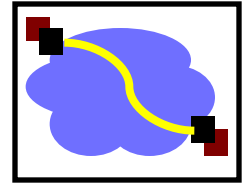
The Berkeley Algorithm (1)



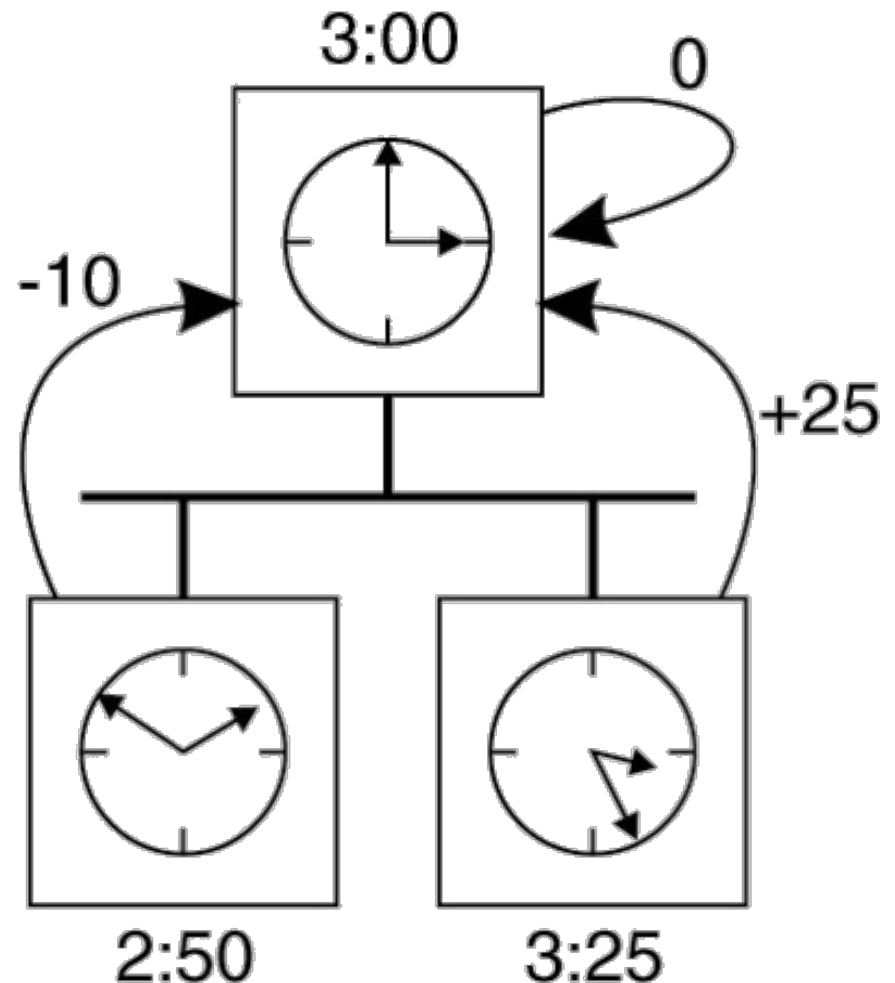
- The time daemon asks all the other machines for their clock values.



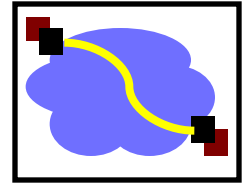
The Berkeley Algorithm (2)



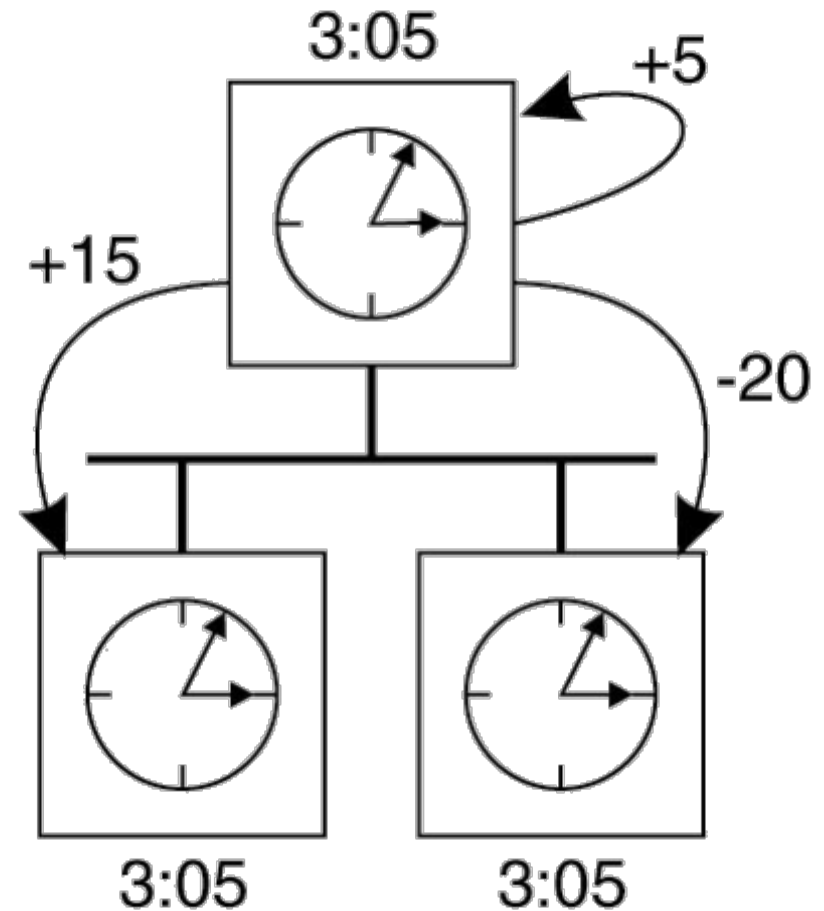
- The machines answer.



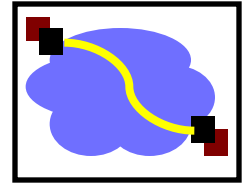
The Berkeley Algorithm (3)



- The time daemon tells everyone how to adjust their clock.



Network Time Protocol (NTP)



- A time service for the Internet - synchronizes clients to

Reliability of time source is maintained by the fact that the time source authenticates time source

Primary servers are connected to UTC

Secondary servers are synchronized to primary servers

Synchronization subnet - lowest level servers in users' computers

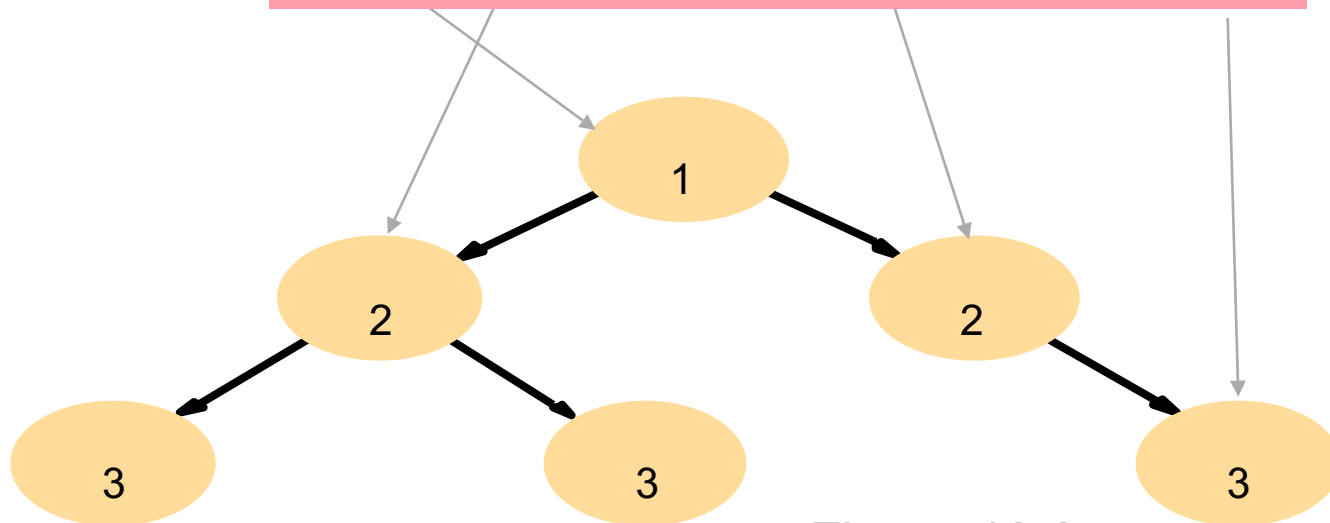
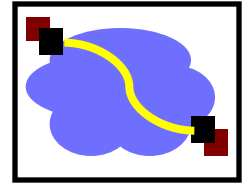


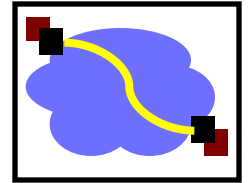
Figure 10.3

The Network Time Protocol (NTP)



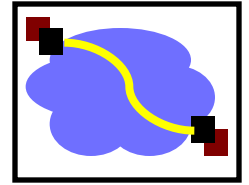
- Uses a hierarchy of time servers
 - Class 1 servers have highly-accurate clocks
 - connected directly to atomic clocks, etc.
 - Class 2 servers get time from only Class 1 and Class 2 servers
 - Class 3 servers get time from any server
- Synchronization similar to Cristian's alg.
 - Modified to use multiple one-way messages instead of immediate round-trip
- Accuracy: Local ~1ms, Global ~10ms

NTP Reference Clock Sources (1997 survey)



- In a survey of 36,479 peers, found 1,733 primary and backup external reference sources
- 231 radio/satellite/modem primary sources
 - 47 GPS satellite (worldwide), GOES satellite (western hemisphere)
 - 57 WWVB radio (US)
 - 17 WWV radio (US)
 - 63 DCF77 radio (Europe)
 - 6 MSF radio (UK)
 - 5 CHU radio (Canada)
 - 7 modem time service (NIST and USNO (US), PTB (Germany), NPL (UK))
 - 25 other (precision PPS sources, etc.)
- 1,502 local clock backup sources (used only if all other sources fail)
- For some reason or other, 88 of the 1,733 sources appeared down at the time of the survey

Udel Master Time Facility (MTF) (from January 2000)



Spectracom 8170 WWVB Receiver

Spectracom 8183 GPS Receiver

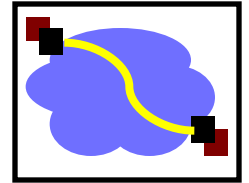
Spectracom 8170 WWVB Receiver

Spectracom 8183 GPS Receiver

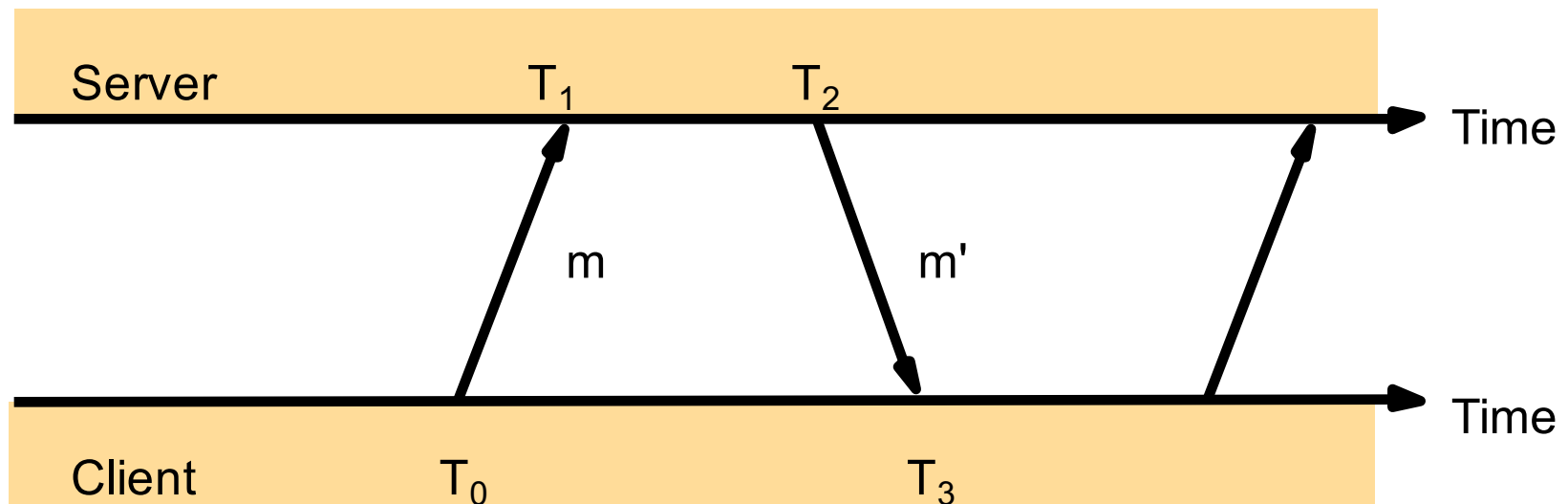
Hewlett Packard 105A Quartz
Frequency Standard

Hewlett Packard 5061A Cesium Beam
Frequency Standard

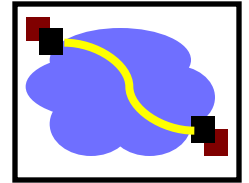
NTP Protocol



- All modes use UDP
- Each message bears timestamps of recent events:
 - Local times of Send and Receive of previous message
 - Local times of Send of current message
- Recipient notes the time of receipt T_3 (we have T_0 , T_1 , T_2 , T_3)

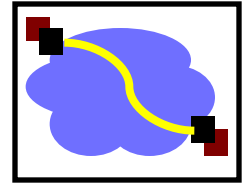


Accuracy of NTP



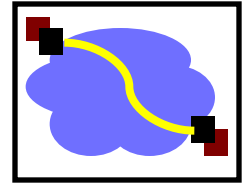
- Timestamps
 - t_0 is the client's timestamp of the request packet transmission,
 - t_1 is the server's timestamp of the request packet reception,
 - t_2 is the server's timestamp of the response packet transmission and
 - t_3 is the client's timestamp of the response packet reception.
- RTT = wait_time_client – server_proc_time
= $(t_3 - t_0) - (t_2 - t_1)$
- Offset = $((t_1 - t_0) + (t_2 - t_3))/2$
= $((\text{offset} + \text{delay}) + (\text{offset} - \text{delay}))/2$
- NTP servers filter pairs $\langle rtt_i, offset_i \rangle$, estimating reliability from variation, allowing them to select peers
- Accuracy of 10s of millisecs over Internet paths (1 on LANs)

How To Change Time



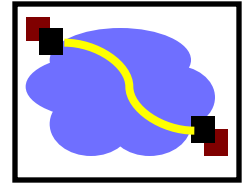
- Can't just change time
 - Why not?
- Change the update rate for the clock
 - Changes time in a more gradual fashion
 - Prevents inconsistent local timestamps

Today's Lecture



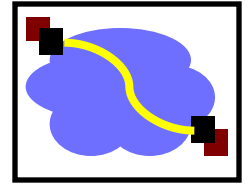
- Need for time synchronization
- Time synchronization techniques
- Lamport Clocks
- Vector Clocks

Logical time

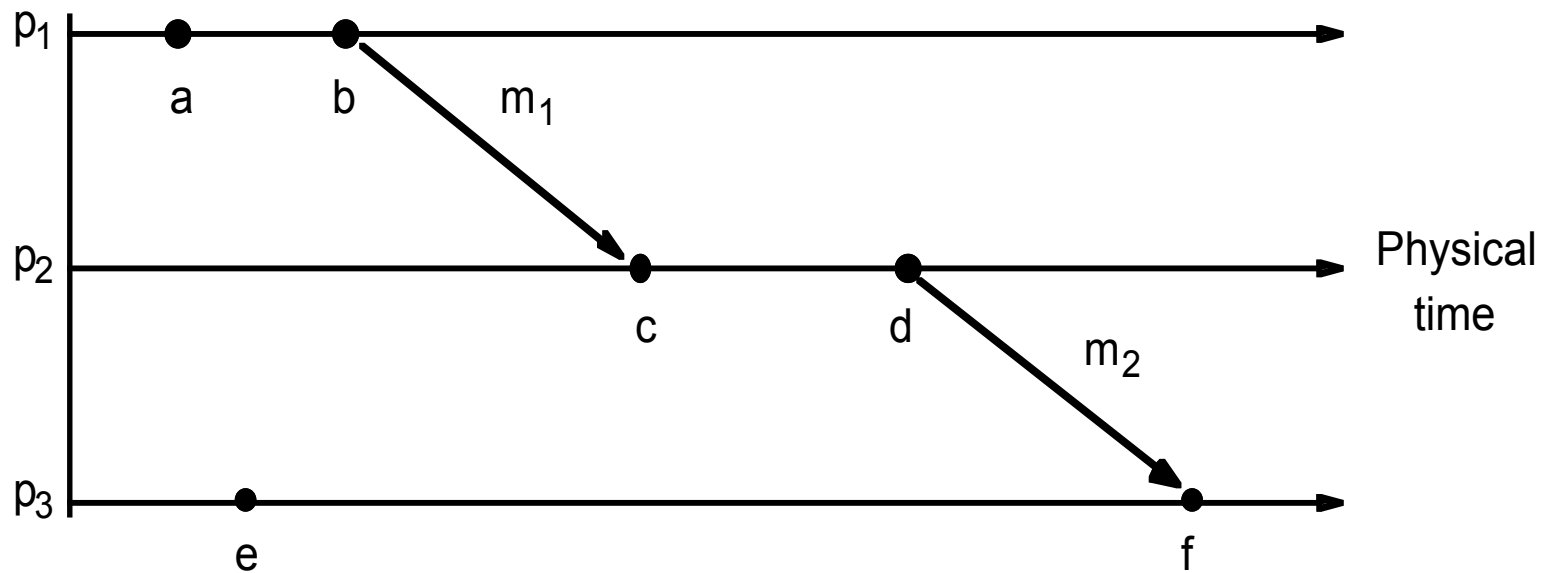


- Capture just the “happens before” relationship between events
 - Discard the infinitesimal granularity of time
 - Corresponds roughly to causality

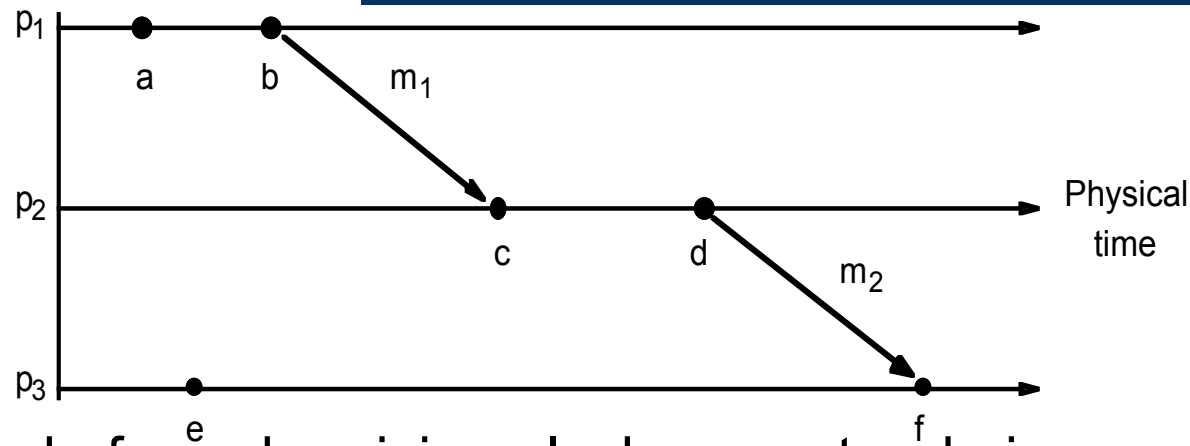
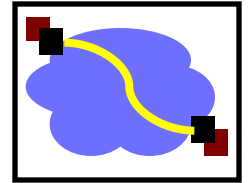
Logical time and logical clocks (Lamport 1978)



- Events at three processes

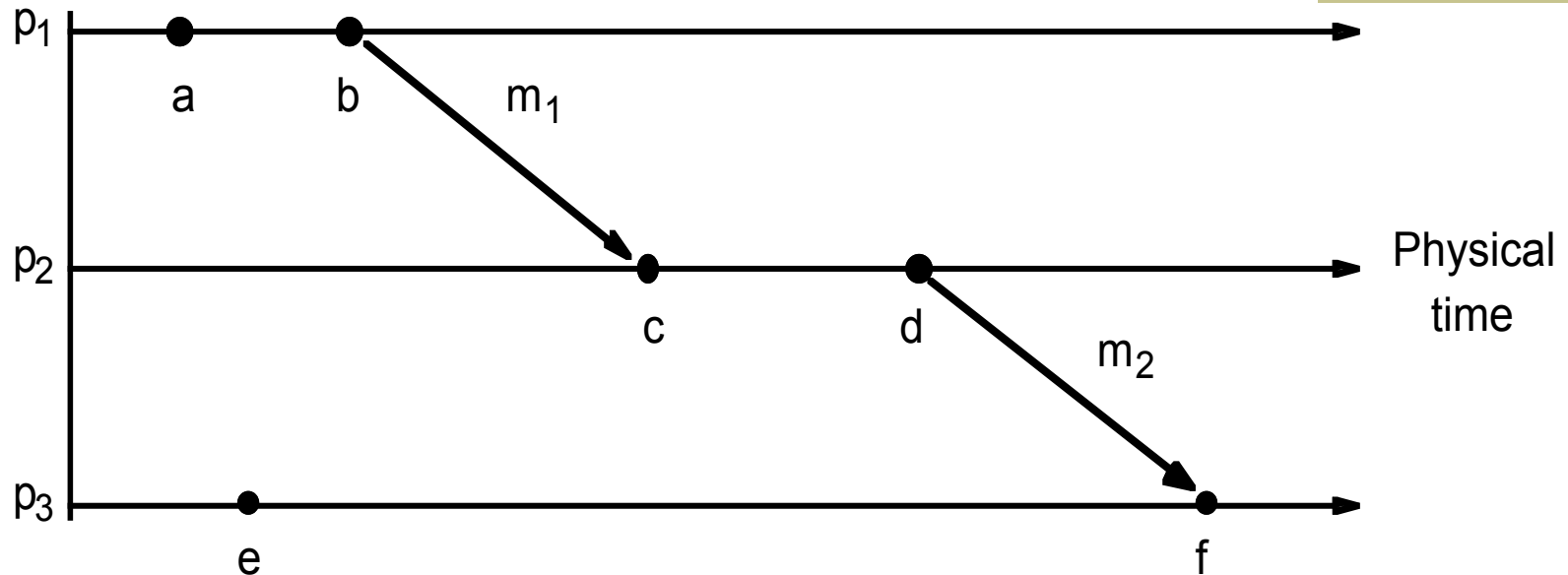
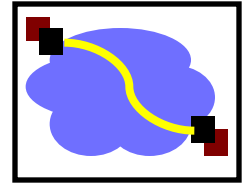


Logical time and logical clocks (Lamport 1978)



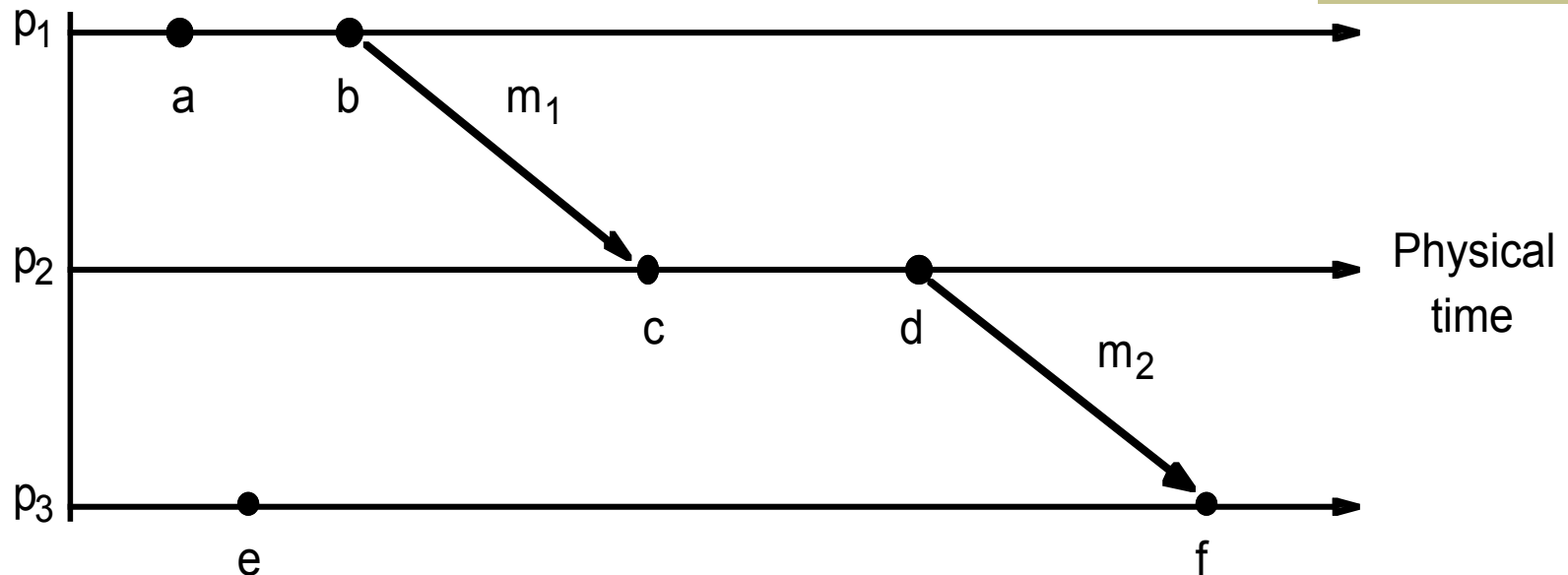
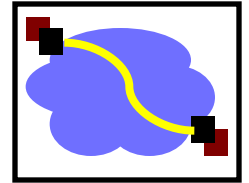
- Instead of synchronizing clocks, event ordering can be used
 1. If two events occurred at the same process p_i ($i = 1, 2, \dots, N$) then they occurred in the order observed by p_i , that is the definition of: " $\rightarrow_i$ "
 2. when a message, m is sent between two processes, $\text{send}(m)$ happens before $\text{receive}(m)$
 3. The happened before relation is transitive
- The happened before relation is the relation of causal ordering

Logical time and logical clocks (Lamport 1978)



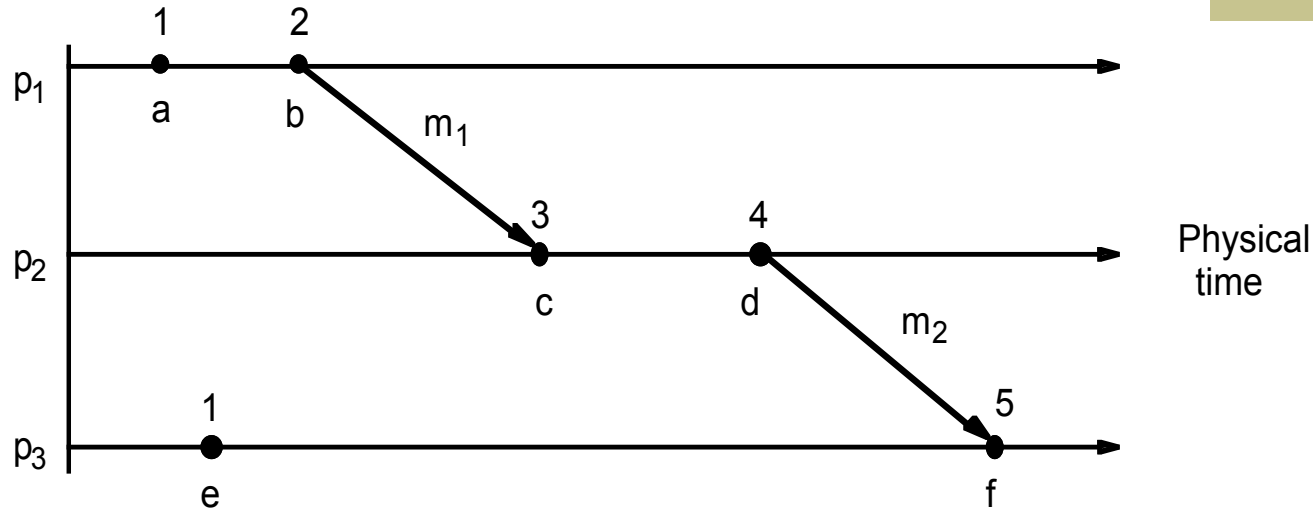
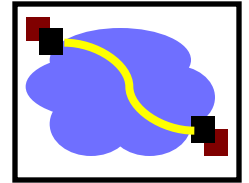
- $a \rightarrow b$ (at p_1) $c \rightarrow d$ (at p_2)
- $b \rightarrow c$ because of m_1
- also $d \rightarrow f$ because of m_2

Logical time and logical clocks (Lamport 1978)



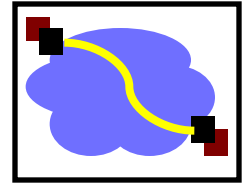
- Not all events are related by $\rightarrow$
- Consider a and e (different processes and no chain of messages to relate them)
 - they are not related by $\rightarrow$; they are said to be concurrent
 - written as $a \parallel e$

Lamport Clock (1)



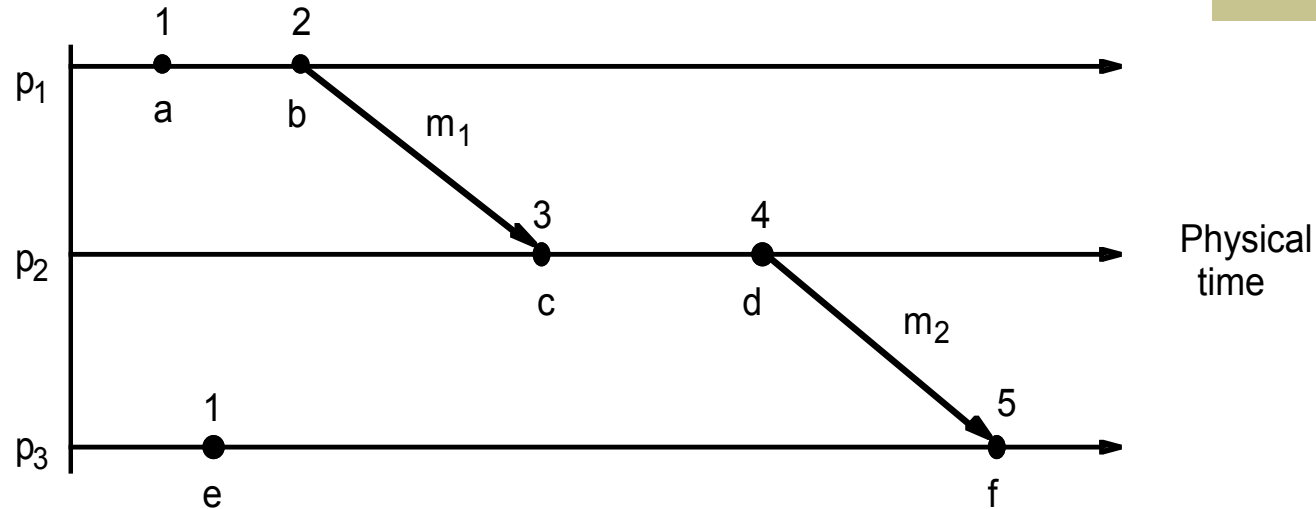
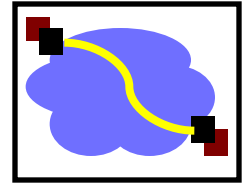
- A logical clock is a monotonically increasing software counter
 - It need not relate to a physical clock.
- Each process p_i has a logical clock, L_i which can be used to apply logical timestamps to events
 - Rule 1: L_i is incremented by 1 before each event at process p_i
 - Rule 2:
 - (a) when process p_i sends message m , it piggybacks $t = L_i$
 - (b) when p_j receives (m, t) it sets $L_j := \max(L_j, t)$ and applies rule 1 before timestamping the event *receive* (m)

Lamport's algorithm



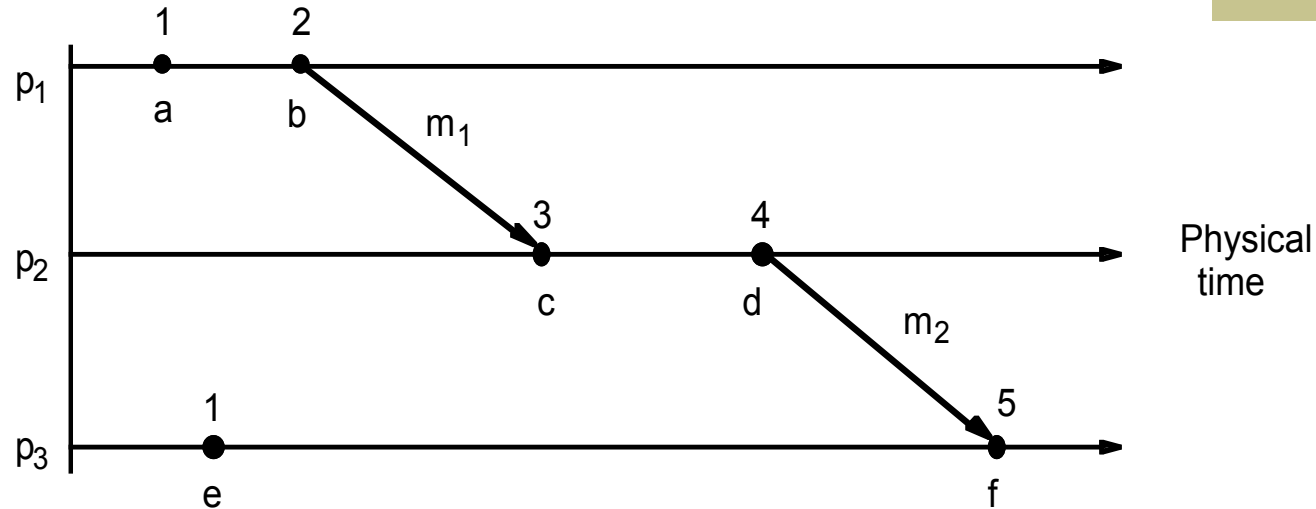
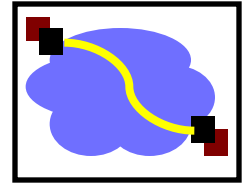
- Each process i keeps a local clock, L_i
- Three rules:
 1. At process i , increment L_i before each event
 2. To send a message m at process i , apply rule 1 and then include the current local time in the message:
i.e., $send(m, L_i)$
 3. To receive a message (m, t) at process j , set $L_j = \max(L_j, t)$ and then apply rule 1 before time-stamping the receive event
- The global time $L(e)$ of an event e is just its local time
 - For an event e at process i , $L(e) = L_i(e)$

Lamport Clock (1)



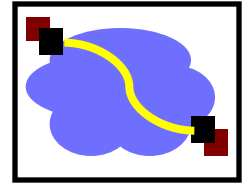
- each of p_1 , p_2 , p_3 has its logical clock initialised to zero,
- the clock values are those immediately after the event.
- e.g. 1 for a, 2 for b.
- for m_1 , 2 is piggybacked and c gets $\max(0, 2) + 1 = 3$

Lamport Clock (1)



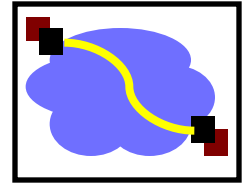
- $e \rightarrow e'$ implies $L(e) < L(e')$
- The converse is not true, that is $L(e) < L(e')$ does not imply $e \rightarrow e'$
 - e.g. $L(b) > L(e)$ but $b \parallel e$

Lamport logical clocks



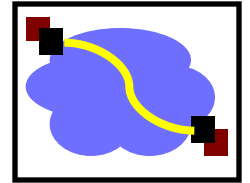
- Lamport clock L orders events consistent with logical “happens before” ordering
 - If $e \rightarrow e'$, then $L(e) < L(e')$
- But not the converse
 - $L(e) < L(e')$ does not imply $e \rightarrow e'$
- Similar rules for concurrency
 - $L(e) = L(e')$ implies $e \parallel e'$ (for distinct e, e')
 - $e \parallel e'$ does not imply $L(e) = L(e')$
 - i.e., Lamport clocks arbitrarily order some concurrent events

Total-order Lamport clocks



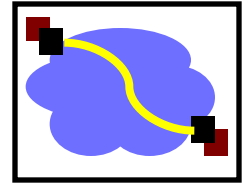
- Many systems require a total-ordering of events, not a partial-ordering
- Use Lamport's algorithm, but break ties using the process ID
 - $L(e) = M * L_i(e) + i$
 - M = maximum number of processes
 - i = process ID

Today's Lecture



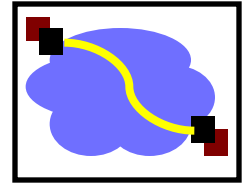
- Need for time synchronization
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Vector Clocks



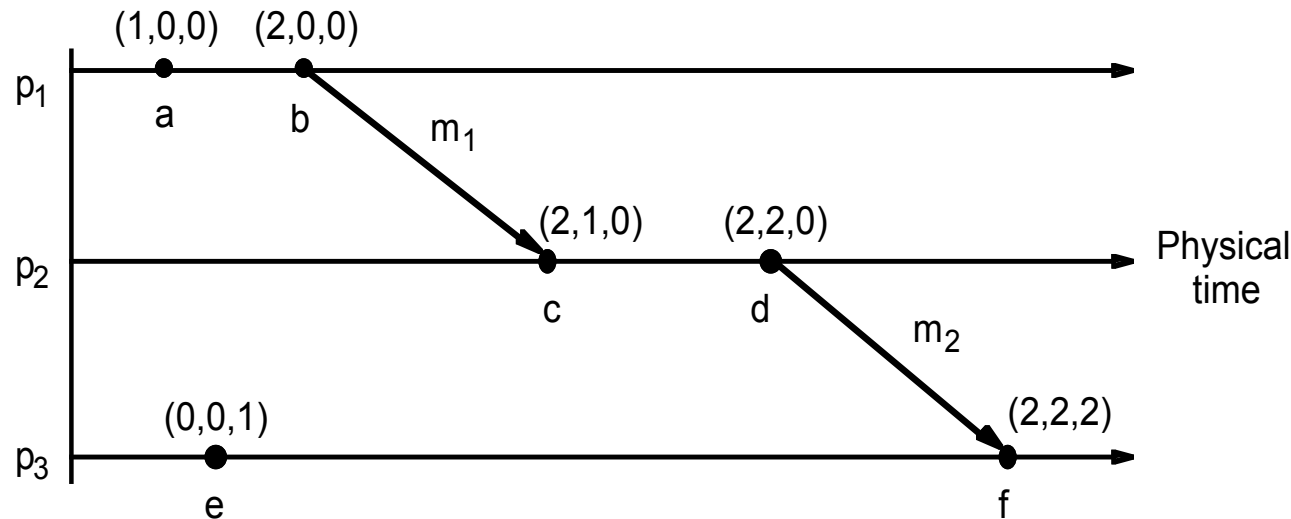
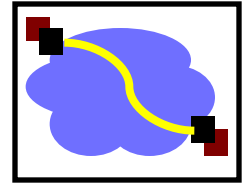
- Vector clocks overcome the shortcoming of Lamport logical clocks
 - $L(e) < L(e')$ does not imply e happened before e'
- Goal
 - Want ordering that matches causality
 - $V(e) < V(e')$ if and only if $e \rightarrow e'$
- Method
 - Label each event by vector $V(e) [c_1, c_2 \dots, c_n]$
 - $c_i = \#$ events in process i that causally precede e

Vector Clock Algorithm



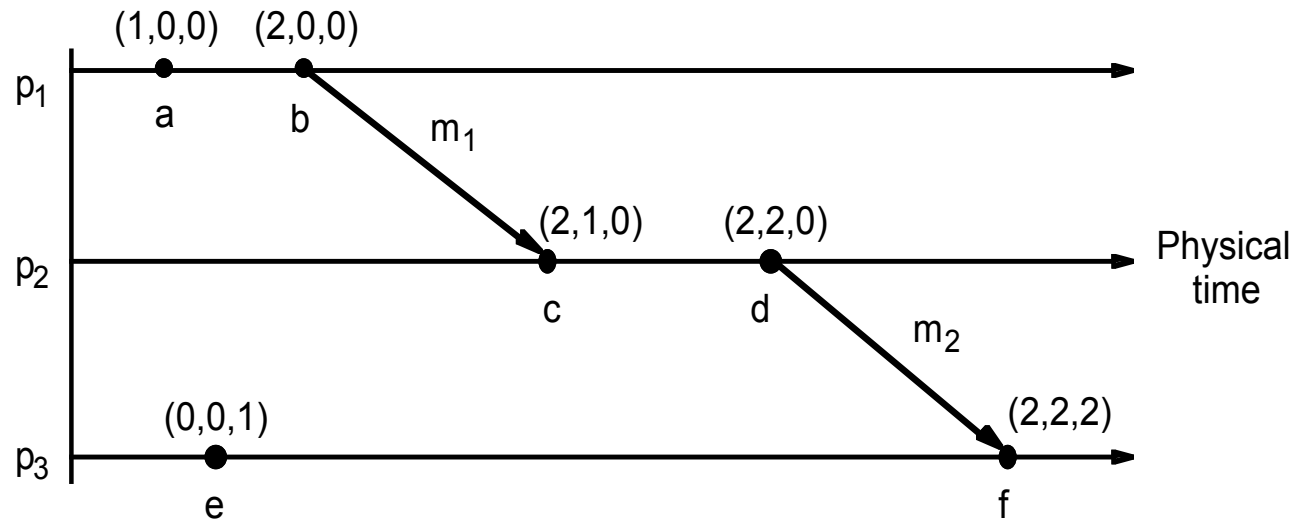
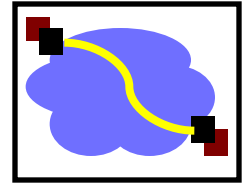
- Initially, all vectors $[0, 0, \dots, 0]$
- For event on process i , increment own c_i
- Label message sent with local vector
- When process j receives message with vector $[d_1, d_2, \dots, d_n]$:
 - Set local each local entry k to $\max(c_k, d_k)$
 - Increment value of c_j

Vector Clocks



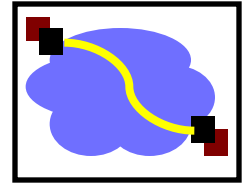
- At p_1
 - a occurs at $(1,0,0)$; b occurs at $(2,0,0)$
 - piggyback $(2,0,0)$ on m_1
- At p_2 on receipt of m_1 use $\max((0,0,0), (2,0,0)) = (2, 0, 0)$ and add 1 to own element = $(2,1,0)$
- Meaning of $=$, $\leq$, $\max$ etc for vector timestamps
 - compare elements pairwise

Vector Clocks



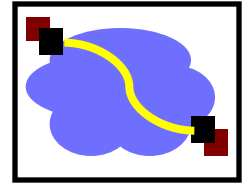
- Note that $e \rightarrow e'$ implies $V(e) < V(e')$. The converse is also true
- Can you see a pair of parallel events?
 - $c \parallel e$ (parallel) because neither $V(c) \leq V(e)$ nor $V(e) \leq V(c)$

Clock Sync Important Lessons



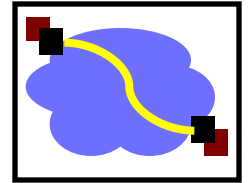
- Clocks on different systems will always behave differently
 - Skew and drift between clocks
- Time disagreement between machines can result in undesirable behavior
- Two paths to solution: synchronize clocks or ensure consistent clocks

Clock Sync Important Lessons



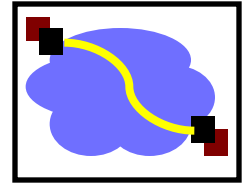
- Clock synchronization
 - Rely on a time-stamped network messages
 - Estimate delay for message transmission
 - Can synchronize to UTC or to local source
 - Clocks never exactly synchronized
 - Often inadequate for distributed systems
 - might need totally-ordered events
 - might need millionth-of-a-second precision
- Logical Clocks
 - Encode causality relationship
 - Lamport clocks provide only one-way encoding
 - Vector clocks provide exact causality information

A baseball example

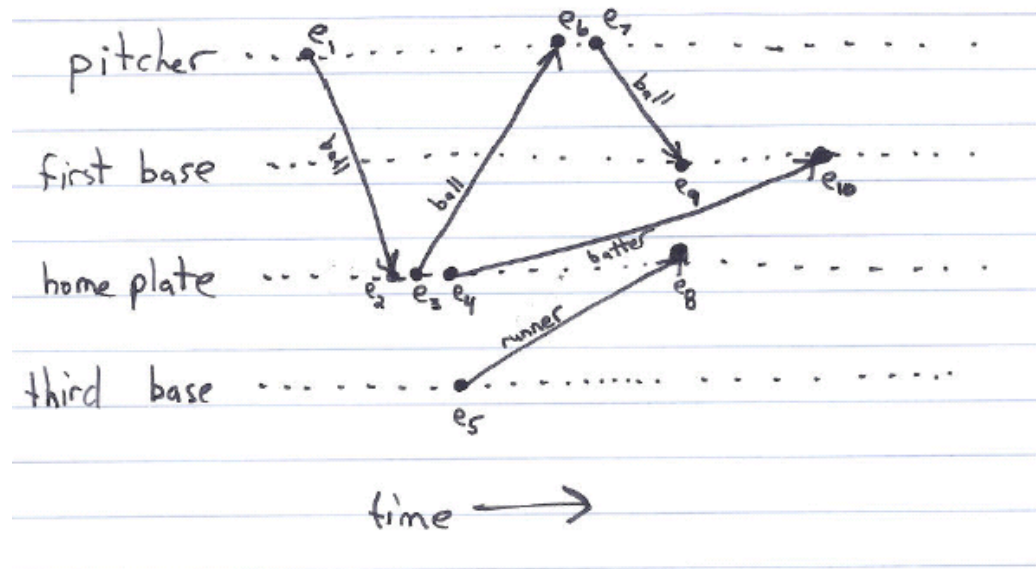


- Four locations: pitcher's mound, first base, home plate, and third base
- Ten events:
 - e_1 : pitcher throws ball to home
 - e_2 : ball arrives at home
 - e_3 : batter hits ball to pitcher
 - e_4 : batter runs to first base
 - e_5 : runner runs to home
 - e_6 : ball arrives at pitcher
 - e_7 : pitcher throws ball to first base
 - e_8 : runner arrives at home
 - e_9 : ball arrives at first base
 - e_{10} : batter arrives at first base

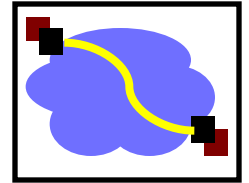
A baseball example



- Pitcher knows e_1 happens before e_6 , which happens before e_7
- Home plate umpire knows e_2 is before e_3 , which is before e_4 , which is before e_8 , ...
- Relationship between e_8 and e_9 is unclear

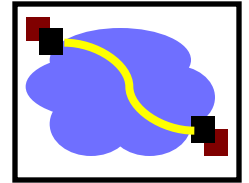


Ways to synchronize



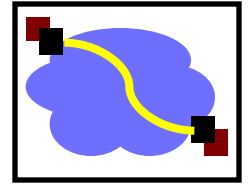
- Send message from first base to home?
 - Or to a central timekeeper
 - How long does this message take to arrive?
- Synchronize clocks before the game?
 - Clocks drift
 - million to one => 1 second in 11 days
- Synchronize continuously during the game?
 - GPS, pulsars, etc

The baseball example revisited



- $e_1 \rightarrow e_2$
 - by the message rule
- $e_1 \rightarrow e_{10}$, because
 - $e_1 \rightarrow e_2$, by the message rule
 - $e_2 \rightarrow e_4$, by local ordering at home plate
 - $e_4 \rightarrow e_{10}$, by the message rule
 - Repeated transitivity of the above relations
- $e_8 \parallel e_9$, because
 - No application of the $\rightarrow$ rules yields either $e_8 \rightarrow e_9$ or $e_9 \rightarrow e_8$

Lamport on the baseball example

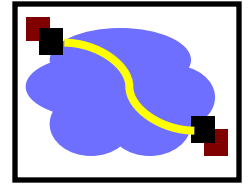


- Initializing each local clock to 0, we get

$L(e_1) = 1$	(pitcher throws ball to home)
$L(e_2) = 2$	(ball arrives at home)
$L(e_3) = 3$	(batter hits ball to pitcher)
$L(e_4) = 4$	(batter runs to first base)
$L(e_5) = 1$	(runner runs to home)
$L(e_6) = 4$	(ball arrives at pitcher)
$L(e_7) = 5$	(pitcher throws ball to first base)
$L(e_8) = 5$	(runner arrives at home)
$L(e_9) = 6$	(ball arrives at first base)
$L(e_{10}) = 7$	(batter arrives at first base)

- For our example, Lamport's algorithm says that the run scores!

Lamport on the baseball example

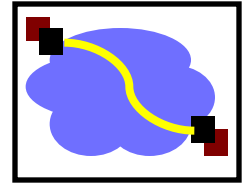


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$L(e_9) = 6$	(ball arrives at first base)
$L(e_{10}) = 7$	(batter arrives at first base)

- For our example, Lamport's algorithm says that the run scores!

Vector clocks on the baseball example



Event	Vector	Action
e ₁	[1,0,0,0]	pitcher throws ball to home
e ₂	[1,0,1,0]	ball arrives at home
e ₃	[1,0,2,0]	batter hits ball to pitcher
e ₄	[1,0,3,0]	batter runs to first base)
e ₅	[0,0,0,1]	runner runs to home
e ₆	[2,0,2,0]	ball arrives at pitcher
e ₇	[3,0,2,0]	pitcher throws ball to 1 st base
e ₈	[1,0,4,1]	runner arrives at home
e ₉	[3,1,2,0]	ball arrives at first base
e ₁₀	[3,2,3,0]	batter arrives at first base

- Vector: [p,f,h,t]