# Deep Learning IV Model Evaluation and Open Questions

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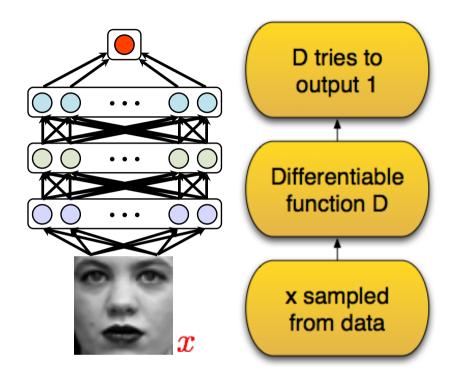


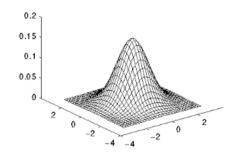
# Talk Roadmap

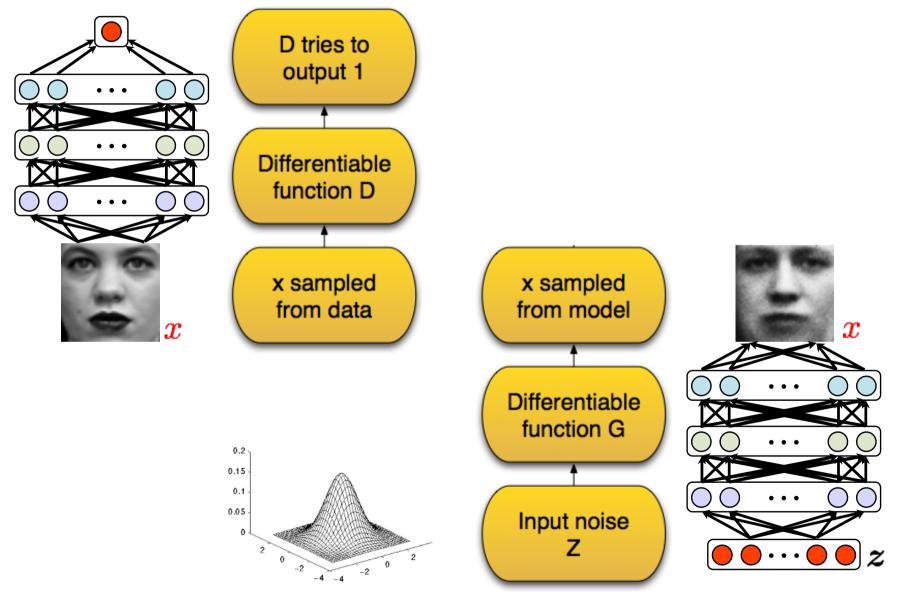
- Basic Building Blocks:
  - Sparse Coding
  - Autoencoders
- Deep Generative Models
  - Restricted Boltzmann Machines
  - Deep Belief Network, Deep Boltzmann Machines
  - Helmholtz Machines / Variational Autoencoders
- Generative Adversarial Networks
- Model Evaluation

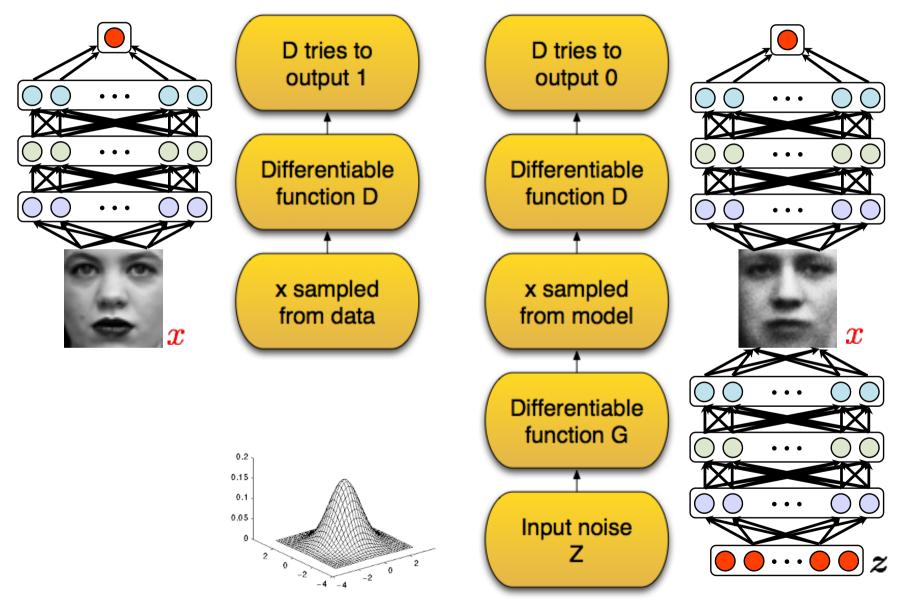
- There is no explicit definition of the density for p(x) Only need to be able to sample from it.
- No variational learning, no maximum-likelihood estimation, no MCMC. How?
- By playing a game!

- Set up a game between two players:
  - Discriminator D
  - Generator G
- Discriminator D tries to discriminate between:
  - A sample from the data distribution.
  - And a sample from the generator G.
- The Generator G attempts to "fool" D by generating samples that are hard for D to distinguish from the real data.



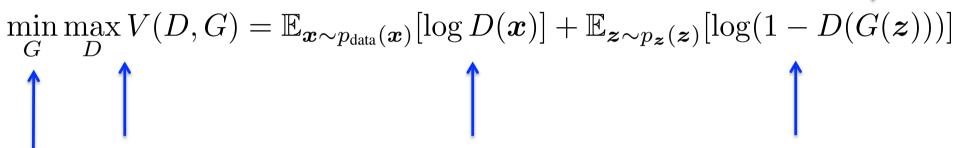






Minimax value function

Generator: generate samples that D would classify as real



Discriminator:

Pushes up

Discriminator: Classify data as being real

Discriminator: Classify generator samples as being fake

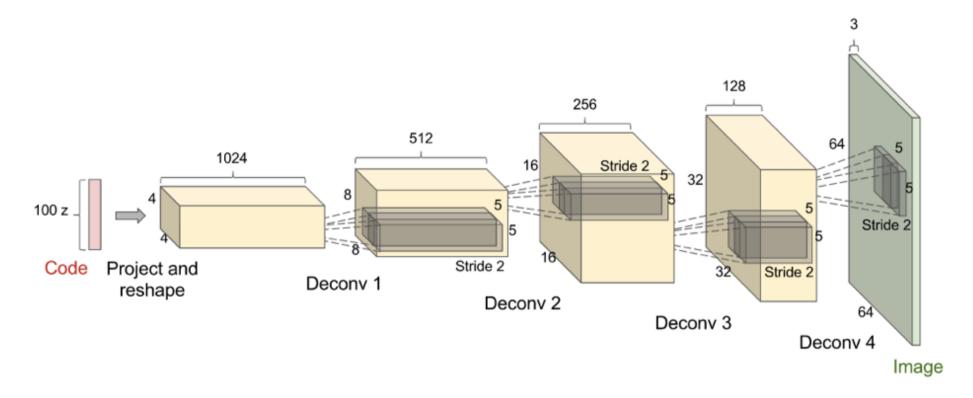
Generator:

Pushes down

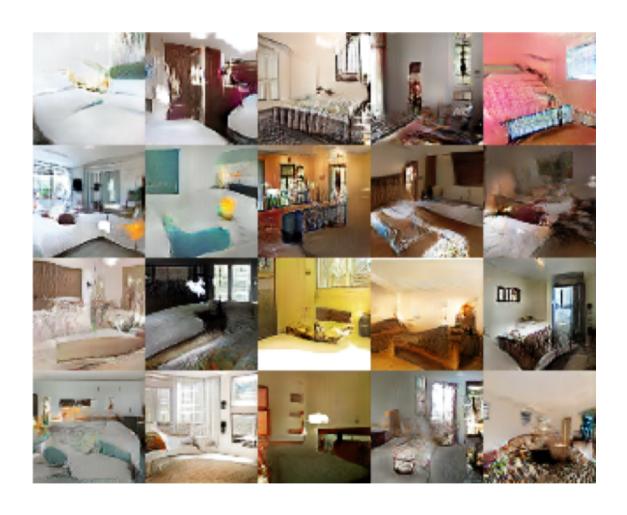
Optimal strategy for Discriminator is:

$$D(x) = \frac{p_{\text{data}}(x)}{p_{\text{data}}(x) + p_{\text{model}}(x)}$$

#### **DCGAN** Architecture

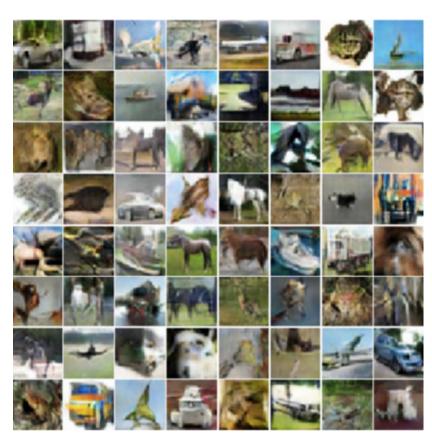


# LSUN Bedrooms: Samples



## **CIFAR**

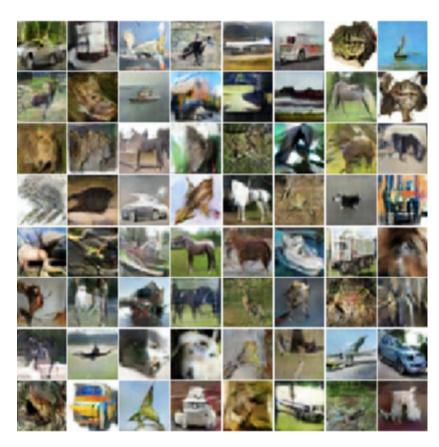




Training Samples

## **IMAGENET**





Training Samples

# ImageNet: Cherry-Picked Results



• Open Question: How can we quantitatively evaluate these models!

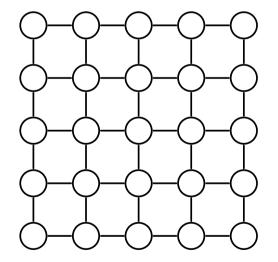
# Talk Roadmap

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- Model Evaluation

#### Markov Random Fields

**Graphical Models:** Powerful framework for representing dependency structure between random variables.

$$P_{\theta}(\mathbf{x}) = \frac{1}{\mathcal{Z}(\theta)} \exp\left(-E(\mathbf{x}; \theta)\right) = \frac{f_{\theta}(\mathbf{x})}{\mathcal{Z}(\theta)}$$

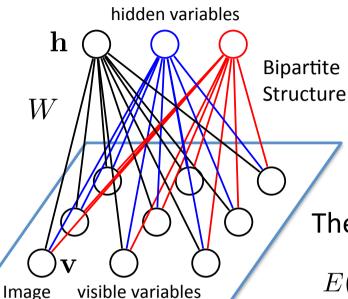


Partition function: difficult to compute

$$\mathcal{Z}(\theta) = \sum_{\mathbf{x}} \exp(-E(\mathbf{x}; \theta))$$

• **Goal**: Obtain good estimates of  $\mathcal{Z}(\theta)$ .

#### Restricted Boltzmann Machines



Stochastic binary visible variables  $\mathbf{v} \in \{0,1\}^D$  are connected to stochastic binary hidden variables  $\mathbf{h} \in \{0,1\}^F$ .

The energy of the joint configuration:

$$\begin{split} E(\mathbf{v},\mathbf{h};\theta) &= -\sum_{ij} W_{ij} v_i h_j - \sum_i b_i v_i - \sum_j a_j h_j \\ \theta &= \{W,a,b\} \text{ model parameters.} \end{split}$$

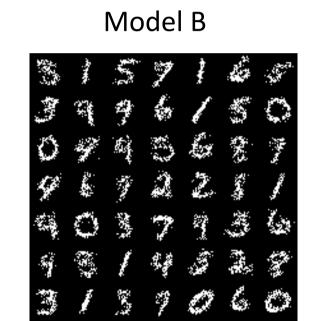
Probability of the joint configuration is given by the Boltzmann distribution:

$$P_{\theta}(\mathbf{v}) = \frac{1}{\mathcal{Z}(\theta)} \sum_{\mathbf{h}} \exp\left(-E(\mathbf{v}, \mathbf{h}; \theta)\right) = \underbrace{\frac{f_{\theta}(\mathbf{v})}{\mathcal{Z}(\theta)}}_{\text{Intractable}}.$$

Markov random fields, Boltzmann machines, log-linear models.

#### **Generative Model**

• Which model is a better generative model?

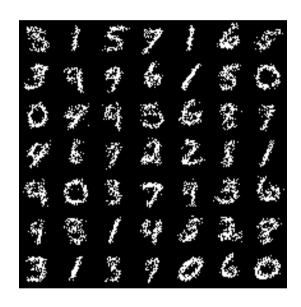


#### **Model Selection**

More generally, how can we choose between models?



**RBM** samples



Mixture of Bernoulli's

Compare  $P(\mathbf{x})$  on the validation set:  $P(\mathbf{x}) = f(\mathbf{x})/\mathcal{Z}$ .

Need an estimate of Partition Function  ${\mathcal Z}$ 

#### **Model Selection**

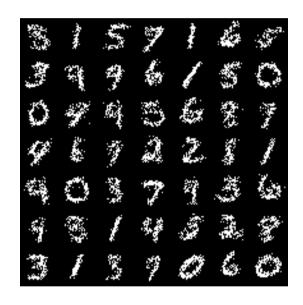
More generally, how can we choose between models?



**RBM** samples

MoB, test log-probability:

RBM, test log-probability:



Mixture of Bernoulli's

-137.64 nats/digit

-86.35 nats/digit

Difference of about 50 nats!

# Simple Importance Sampling

ullet Two distributions defined on  ${\mathcal X}$  with probability distribution

functions 
$$p_{\rm ini}({\bf x}) = f_{\rm ini}({\bf x})/{\cal Z}_0$$
 and  $p_{\rm tgt}({\bf x}) = f_{\rm tgt}({\bf x})/{\cal Z}_{\rm tgt}$ 

Proposal, easy to sample from distribution

Intractable, target distribution

Under mild conditions:

$$\mathcal{Z}_{\text{tgt}} = \sum_{\mathbf{x}} f_{\text{tgt}}(\mathbf{x}) = \sum_{\mathbf{x}} \frac{f_{\text{tgt}}(\mathbf{x})}{p_{\text{ini}}(\mathbf{x})} \times p_{\text{ini}}(\mathbf{x})$$

• Get unbiased estimate of using Monte Carlo approximation:

$$\mathcal{Z}_{\text{tgt}} \approx \frac{1}{M} \sum_{m=1}^{M} \frac{f_{\text{tgt}}(\mathbf{x}^{(m)})}{p_{\text{ini}}(\mathbf{x}^{(m)})} = \frac{1}{M} \sum_{m=1}^{M} w^{(m)} \qquad \mathbf{x}^{(m)} \sim p_{\text{ini}}$$

• In high-dimensional spaces, the variance will be high (or infinite).

## **Annealed Importance Sampling**

Consider a sequence of intermediate distributions:

$$p_0, p_1, ..., p_K$$
 with  $p_0 = p_{\mathrm{ini}}$  and  $p_K = p_{\mathrm{tgt}}$ .

• One general way is to use **geometric averages**:

$$p_{\beta}(\mathbf{x}) = f_{\beta}(\mathbf{x})/\mathcal{Z}_{\beta} = f_{\text{ini}}(\mathbf{x})^{1-\beta} f_{\text{tgt}}(\mathbf{x})^{\beta}/\mathcal{Z}_{\beta}$$

with  $0 = \beta_0 < \beta_1 < ... < \beta_K = 1$  chosen by the user.

• If  $p_{ini}$  is the uniform distribution, then:

$$p_{\beta}(\mathbf{x}) = f_{\text{tgt}}(\mathbf{x})^{\beta} / \mathcal{Z}_{\beta}$$

hence the term annealing.

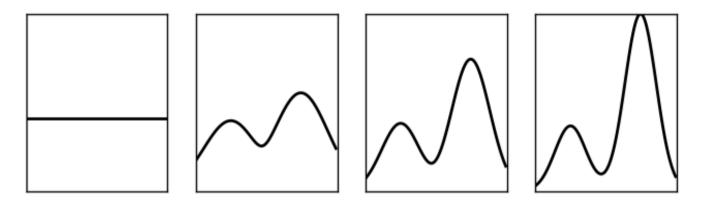
inverse temperature

Annealing by Averaging Moments, Grosse et al., NIPS, 2013

(Neal, Statistics and Computing, 2001)

## Annealed Importance Sampling

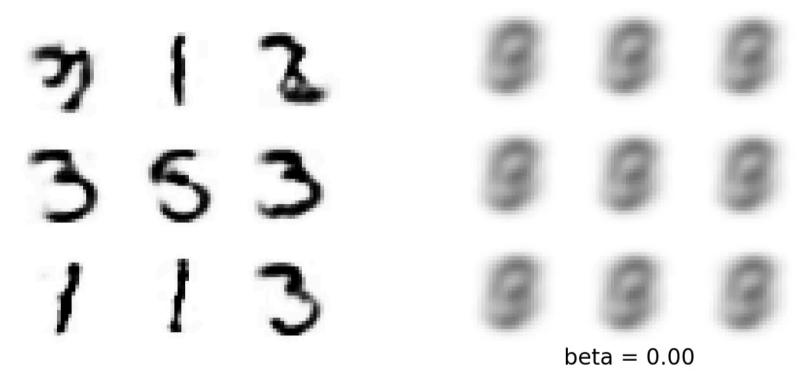
Move gradually from hotter distribution to colder distribution:



• Need to define transition operator  $T_k(\mathbf{x'}|\mathbf{x})$  that leaves  $p_k$  invariant (e.g. Gibbs sampling) – Easy to implement!

## RBMs with Geometric Averages

• Restricted Boltzmann Machines trained on MNIST.



Samples from target distribution

AIS with geometric averages

#### Problems with Undirected Models

- AIS provides an unbiased estimator:  $\mathbb{E}[\hat{\mathcal{Z}}_{tgt}] = \mathcal{Z}_{tgt}$ . In general, we are interested in estimating  $\log \mathcal{Z}_{tgt}$
- By Jensen's inequality:

$$\mathbb{E}[\log \hat{\mathcal{Z}}_{tgt}] \leq \log \mathbb{E}[\hat{\mathcal{Z}}_{tgt}] = \log \mathcal{Z}_{tgt}$$

ullet By Markov's inequality: very unlikely to overestimate  $\log \mathcal{Z}_{
m tgt}$ 

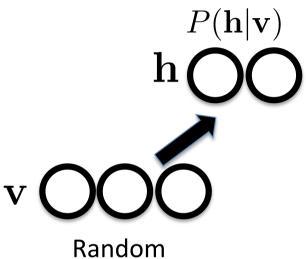
$$\Pr(\log \hat{\mathcal{Z}}_{tgt} > \log \mathcal{Z}_{tgt} + b) \le e^{-b}$$

Stochastic lower bound!

• Compute log-probability on the test set:

$$(\log p(\mathbf{x}) = \log f(\mathbf{x}) - (\log \mathcal{Z}_{\text{tgt}})$$
overestimate underestimate





$$P(\mathbf{h}|\mathbf{v}) = \prod_{j} P(h_{j}|\mathbf{v}) \ P(h_{j} = 1|\mathbf{v}) = \frac{1}{1 + \exp(-\sum_{i} W_{ij}v_{i} - a_{j})}$$

$$\mathbf{P}(\mathbf{h}|\mathbf{v})$$

$$\mathbf{v} \bigcirc \mathbf{O} \bigcirc \mathbf{O} \bigcirc \mathbf{O}$$

$$\mathbf{v} \bigcirc \mathbf{O} \bigcirc \mathbf{O} \bigcirc \mathbf{O}$$

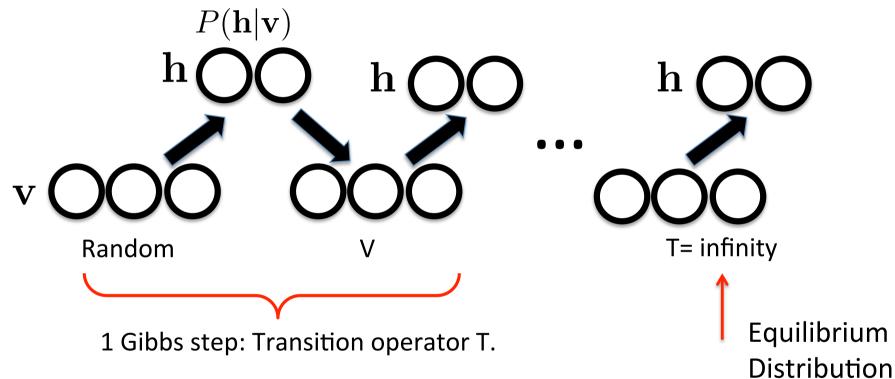
$$\mathbf{v} \bigcirc \mathbf{A} \bigcirc \mathbf{V}$$

$$P(\mathbf{h}|\mathbf{v}) = \prod_{j} P(h_{j}|\mathbf{v}) \quad P(h_{j} = 1|\mathbf{v}) = \frac{1}{1 + \exp(-\sum_{i} W_{ij} v_{i} - a_{j})}$$
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$$\begin{array}{c|c} P(\mathbf{h}|\mathbf{v}) \\ \mathbf{h} \bigcirc O \\ \mathbf{v} \bigcirc O \bigcirc O \\ \\ \text{Random} \end{array}$$

$$P(\mathbf{h}|\mathbf{v}) = \prod_{j} P(h_{j}|\mathbf{v}) \quad P(h_{j} = 1|\mathbf{v}) = \frac{1}{1 + \exp(-\sum_{i} W_{ij} v_{i} - a_{j})}$$
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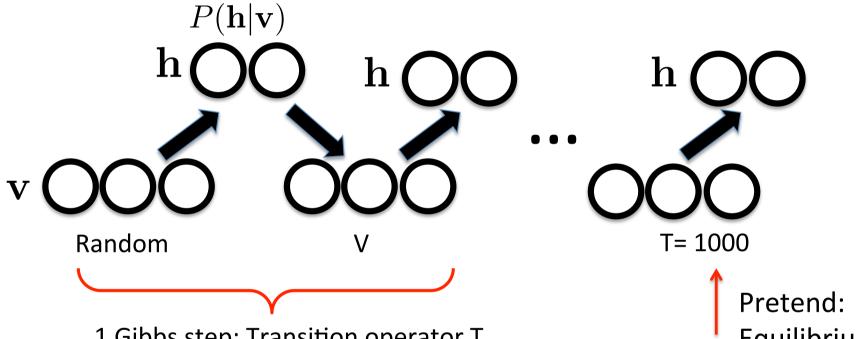
Run Markov chain (alternating Gibbs Sampling):



 $P(\mathbf{h}|\mathbf{v}) = \prod_{j} P(h_j|\mathbf{v}) \quad P(h_j = 1|\mathbf{v}) = \frac{1}{1 + \exp(-\sum_{i} W_{ij} v_i - a_j)}$ 

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Run Markov chain (alternating Gibbs Sampling):

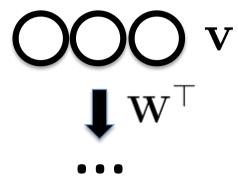


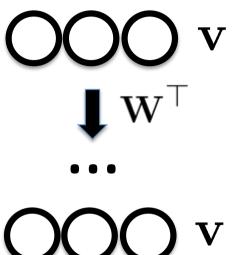
1 Gibbs step: Transition operator T.

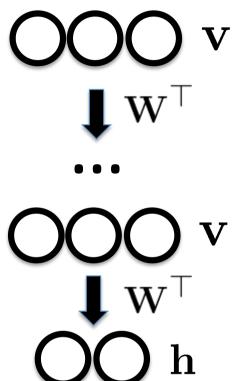
Equilibrium Distribution

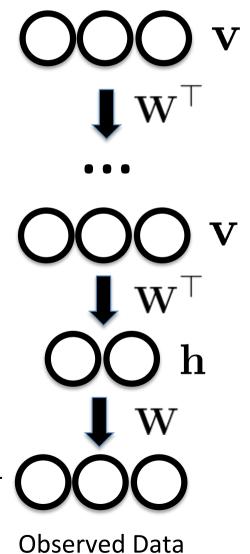
$$P(\mathbf{h}|\mathbf{v}) = \prod_{j} P(h_j|\mathbf{v}) \quad P(h_j = 1|\mathbf{v}) = \frac{1}{1 + \exp(-\sum_{i} W_{ij} v_i - a_j)}$$
$$P(\mathbf{v}|\mathbf{h}) = \prod_{i} P(v_i|\mathbf{h}) \quad P(v_i = 1|\mathbf{h}) = \frac{1}{1 + \exp(-\sum_{i} W_{ij} h_j - b_i)}$$





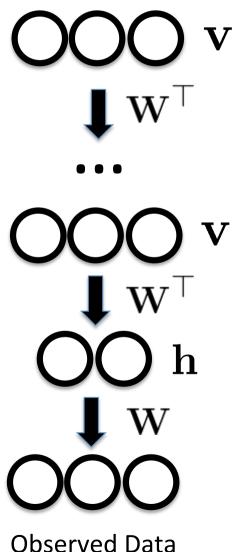






### Unrolled RBM as a Deep Generative Model

Random (uniform)

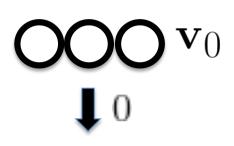


• If we use infinite number of layers, then:

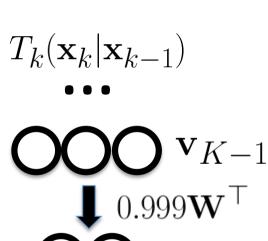
$$P_{gen}(\mathbf{v}) = P_{RBM}(\mathbf{v})$$

• Otherwise, deep generative model is just an approximation to an RBM.

### Reverse AIS Estimator (RAISE)



$$\bullet$$
 Let us consider  $\, {\bf x} = \{ {\bf v}, {\bf h} \} \,$  where v is observed and h is unobserved.



 Define the following generative process (sequence of AIS distributions):

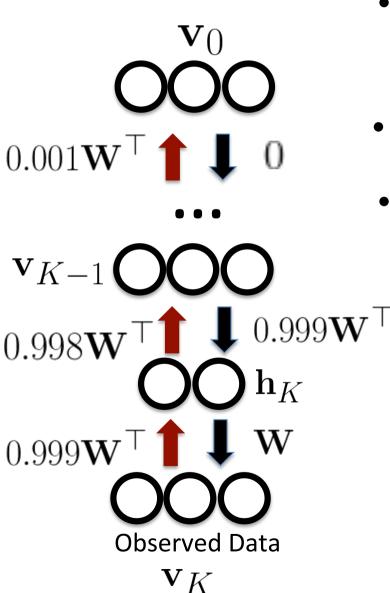
$$p_{\text{fwd}}(\mathbf{x}_{0:K}) = p_0(\mathbf{x}_0) \prod_{k=1}^{K} T_k(\mathbf{x}_k | \mathbf{x}_{k-1})$$

 Generative model, that we call the annealing model:

$$p_{\text{ann}}(\mathbf{v}_K) = \sum_{\mathbf{x}_{0:K-1}, \mathbf{h}_K} p_{\text{fwd}}(\mathbf{x}_{0:K-1}, \mathbf{h}_K, \mathbf{v}_K)$$

(Burda, Grosse, Salakhutdinov, AISTATS 2015)

### Reverse AIS Estimator (RAISE)



As K goes to infinity:

$$P_{\rm ann}(\mathbf{x}) = P_{\rm RBM}(\mathbf{x})$$

- ullet We would like to estimate  $p(\mathbf{v}_{test})$ .
- We use reverse chain as our proposal:

$$q_{\text{rev}}(\mathbf{x}_{0:K-1}, \mathbf{h}_K | \mathbf{v}_{\text{test}}) =$$

$$p_{\mathrm{tgt}}(\mathbf{h}_K|\mathbf{v}_{\mathrm{test}})\prod_{k=1}^K \tilde{T}_k(\mathbf{x}_{k-1}|\mathbf{x}_k)$$

Assume tractable, which is the case for RBMs

 Can be easily extended to non-tractable posteriors, e.g. DBMs, DBNs.

### Reverse AIS Estimator (RAISE)

We now have our generative model (theoretical construct):

$$p_{\text{fwd}}(\mathbf{x}_{0:K}) = p_0(\mathbf{x}_0) \prod_{k=1}^{K} T_k(\mathbf{x}_k | \mathbf{x}_{k-1})$$

• Proposal starts at the data and melts the distribution:

$$q_{\text{rev}}(\mathbf{x}_{0:K-1}, \mathbf{h}_K | \mathbf{v}_{\text{test}}) = p_{\text{tgt}}(\mathbf{h}_K | \mathbf{v}_{\text{test}}) \prod_{k=1}^{K} \tilde{T}_k(\mathbf{x}_{k-1} | \mathbf{x}_k)$$

• We then obtain:

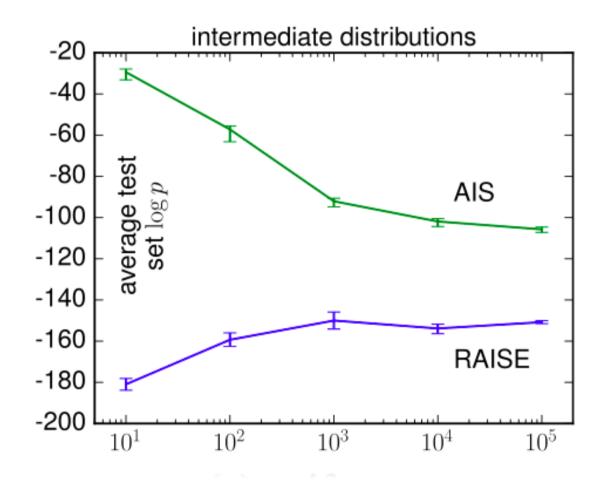
$$P_{\text{ann}}(\mathbf{v}_{\text{test}}) = \mathbb{E}_{q_{\text{rev}}} \left[ \frac{f_{\text{fwd}}}{q_{\text{rev}}} \right]$$

$$= \mathbb{E}_{q_{\text{rev}}} \left[ \frac{f_{\text{tgt}}(\mathbf{v}_{\text{test}})}{\mathcal{Z}_{0}} \prod_{k=1}^{K-1} \frac{f_{k}(\mathbf{x}_{k})}{f_{k+1}(\mathbf{x}_{k})} \right] = \mathbb{E}_{q_{\text{rev}}}[w]$$

• Tends to underestimate rather than overestimate log-probs!

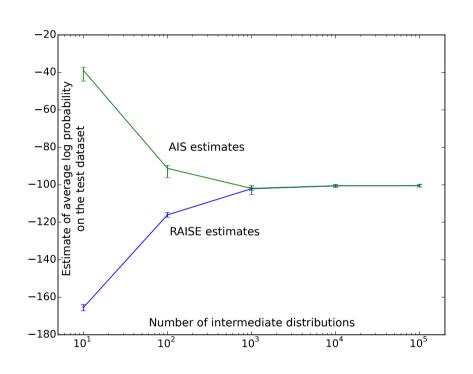
#### **MNIST**

- RBM with 500 hidden units trained on MNIST.
- Initial distribution is uniform: AIS is off by 20 nats!



### **Omniglot Dataset**

RBM with 500 hidden units trained on Omniglot.





### **MNIST** and Omniglot Results

				uniform	
Model	exact	CSL	RAISE	AIS	gap
mnistCD1-20	-164.50	-185.74	-165.33	-164.51	0.82
mnistPCD-20	-150.11	-152.13	-150.58	-150.04	0.54
mnistCD1-500	_	-566.91	-150.78	-106.52	44.26
mnistPCD-500	_	-138.76	-101.07	-99.99	1.08
mnistCD25-500	_	-145.26	-88.51	-86.42	2.09
omniPCD-1000	_	-144.25	-100.47	-100.45	0.02
		•	•		

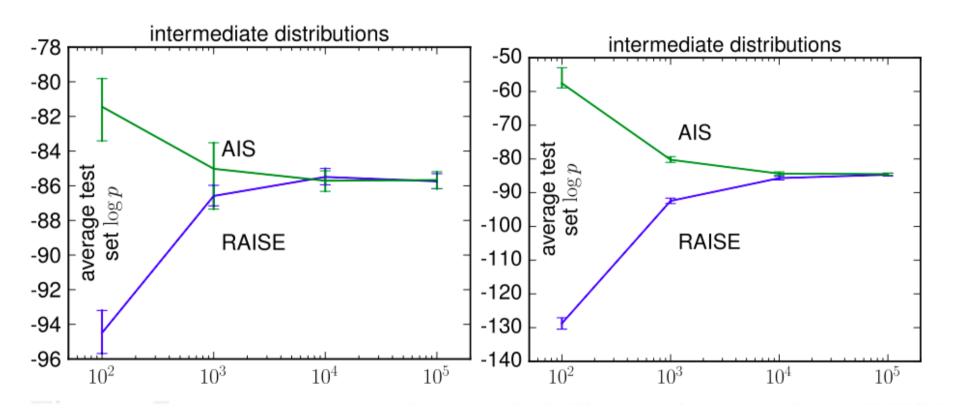
- RAISE errs on the side of underestimating the log-likelihood.
- Note that the gap is very small.
- CSL: Conservative Sampling-based Log-likelihood (CSL) estimator of Bengio et. al.

Bengio, Yao, Cho. Bounding the test loglikelihood of generative models, 2013

### **DBMs** and **DBNs**

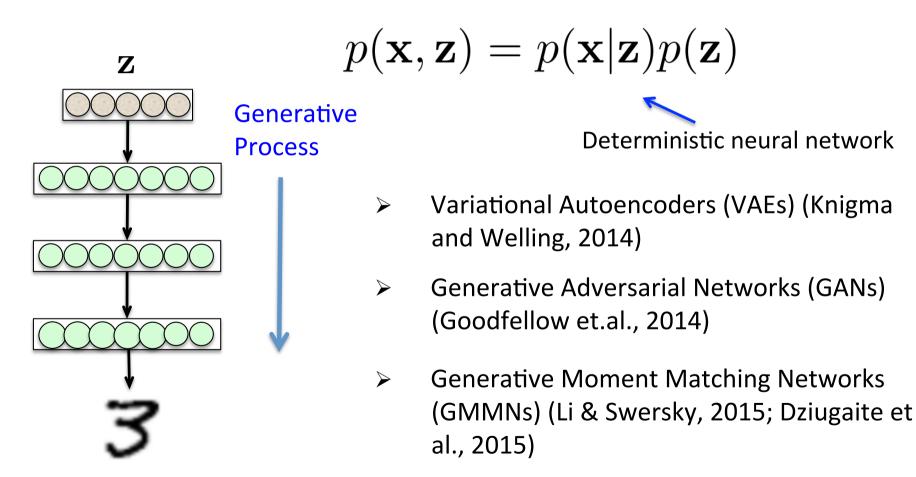
Deep Boltzmann Machine

Deep Believe Network



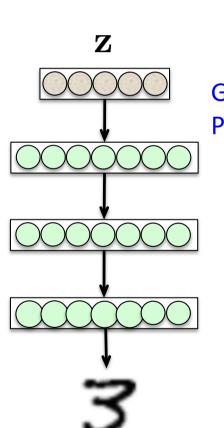
### **Decoder-Based Models**

• Decoder-Based Models: Transform samples from some simple distribution (e.g. normal) to the data manifold:



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• Decoder-Based Models: Transform samples from some simple distribution (e.g. normal) to the data manifold:



$$p(\mathbf{x}, \mathbf{z}) = p(\mathbf{x}|\mathbf{z})p(\mathbf{z})$$

Generative Process

Deterministic neural network

- Variational Autoencoders (VAEs) (Knigma and Welling, 2014)
- Generative Adversarial Networks (GANs) (Goodfellow et.al., 2014)

AIS can be used to properly evaluate decoder-based models

(Wu, Burda, Salakhutdinov, Grosse, 2016)

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### Talk Roadmap

Part 1: Supervised Learning: Deep Networks

- Definition of Neural Networks
- Training Neural Networks
- Recent Optimization / Regularization Techniques

Part 2: Unsupervised Learning: Learning Deep Generative Models

Part 3: Open Research Problems

# (Some) Open Problems

 Unsupervised Learning / Transfer Learning / One-Shot Learning

Reasoning, Attention, and Memory

Natural Language Understanding

Deep Reinforcement Learning

# (Some) Open Problems

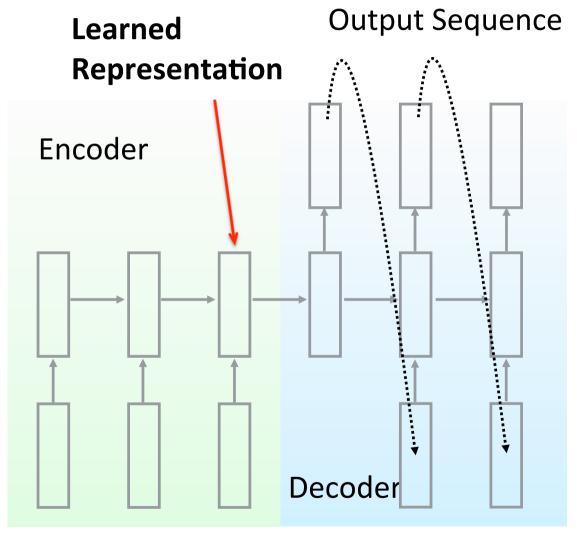
 Unsupervised Learning / Transfer Learning / One-Shot Learning

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### Sequence to Sequence Learning

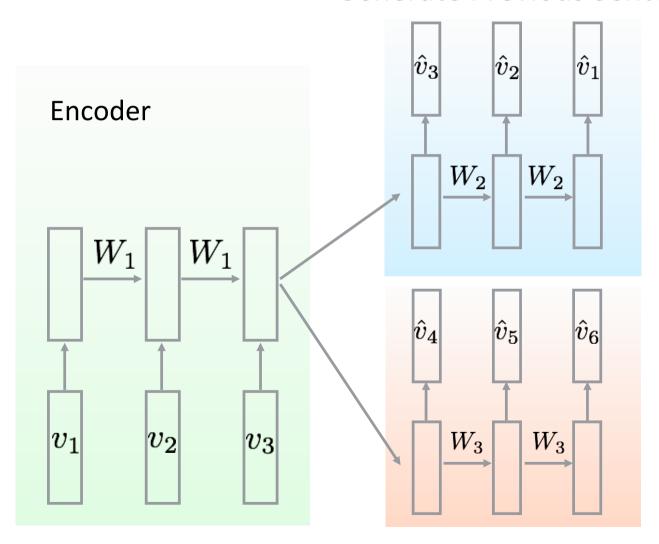


Input Sequence

 RNN Encoder-Decoders for Machine Translation (Sutskever et al. 2014; Cho et al. 2014; Kalchbrenner et al. 2013, Srivastava et.al., 2015)

# Skip-Thought Model

**Generate Previous Sentence** 



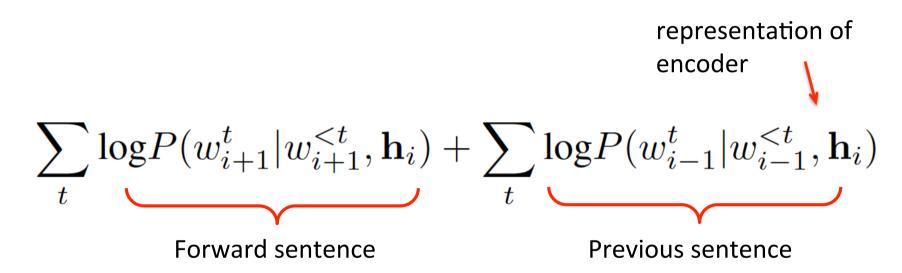
Sentence

**Generate Forward Sentence** 

(Kiros et al., NIPS 2015)

### Learning Objective

 Objective: The sum of the log-probabilities for the next and previous sentences conditioned on the encoder representation:



Data: Book-11K corpus:

# of books	# of sentences	# of words	# of unique words
11,038	74,004,228	984,846,357	1,316,420

### Semantic Relatedness

_	Method	r	ρ	MSE
SemEval 2014 sub- missions	Illinois-LH [18] UNAL-NLP [19] Meaning Factory [20] ECNU [21]	0.7993 0.8070 0.8268 0.8414	0.7538 0.7489 0.7721 -	0.3692 0.3550 0.3224
Results reported by Tai et.al.	Mean vectors [22] DT-RNN [23] SDT-RNN [23] LSTM [22] Bidirectional LSTM [22] Dependency Tree-LSTM [22]	0.7577 0.7923 0.7900 0.8528 0.8567 <b>0.8676</b>	0.6738 0.7319 0.7304 0.7911 0.7966 <b>0.8083</b>	0.4557 0.3822 0.3848 0.2831 0.2736 <b>0.2532</b>
Ours	uni-skip bi-skip combine-skip combine-skip+COCO	0.8477 0.8405 0.8584 0.8655	0.7780 0.7696 0.7916 0.7995	0.2872 0.2995 0.2687 0.2561

• Our models outperform all previous systems from the SemEval 2014 competition.

### Semantic Relatedness Recurrent Neural Network

• How similar the two sentences are on the scale 1 to 5?

**Ground Truth 5.0** 

Prediction 4.9

A man is driving a car.

A car is being driven by a man.

**Ground Truth 2.9** 

Prediction 3.5

A girl is looking at a woman in costume.

A girl in costume looks like a woman.

**Ground Truth 2.6** 

Prediction 4.4

A person is performing tricks on a motorcycle

The performer is tricking a person on a motorcycle

### Paraphrase Detection

• Microsoft Research Paraphrase Corpus: For two sentences one must predict whether or not they are paraphrases.

	Method	Acc	<b>F</b> 1
Recursive Auto-	feats [24] RAE+DP [24]	73.2 72.6	
encoders	RAE+feats [24]	74.2 76.8	83.6
Best	RAE+DP+feats [24] FHS [25]	75.0	82.7
published results	PE [26] WDDP [27]	76.1 75.6	82.7 83.0
	MTMETRICS [28] uni-skip	<b>77.4</b> 73.0	<b>84.1</b> 81.9
Ours	bi-skip combine-skip	71.2	81.2
	combine_ckin	73.0	82.0

# **Neural Story Telling**

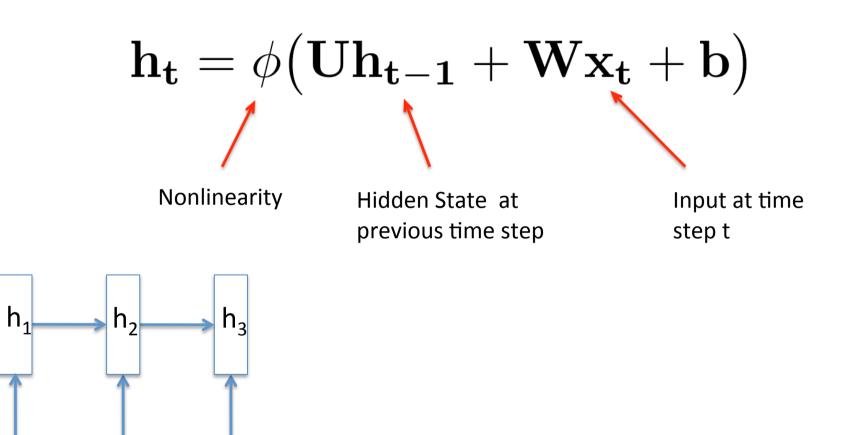


# Sample from the Generative Model (recurrent neural network):

She was in love with him for the first time in months, so she had no intention of escaping.

The sun had risen from the ocean, making her feel more alive than normal. She is beautiful, but the truth is that I do not know what to do. The sun was just starting to fade away, leaving people scattered around the Atlantic Ocean.

### Recurrent Neural Network



 $X_1$ 

### Multiplicative Integration

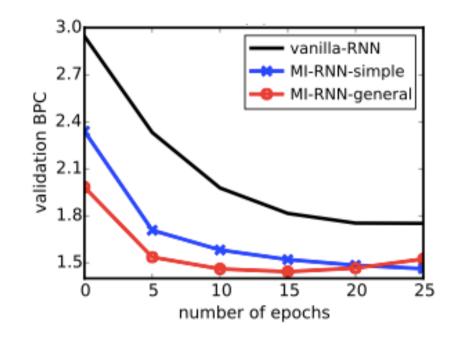
• Replace

$$\phi(\mathbf{Uh} + \mathbf{Wx} + \mathbf{b})$$

With

$$\phi(\mathbf{U}\mathbf{h}\odot\mathbf{W}\mathbf{x}+\mathbf{b})$$

Or more generally



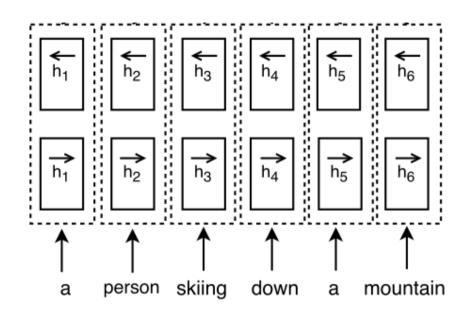
$$\phi(\alpha \odot \mathbf{Uh} \odot \mathbf{Wx} + \beta_1 \odot \mathbf{Uh} + \beta_2 \odot \mathbf{Wx} + \mathbf{b})$$

### "Who Did What" Dataset

- Document: Japanese prime minister Taro Aso said on Friday he would call for stronger monitoring of international finance at the G20 summit next week...... US treasury secretary Timothy Geithner has said president Barack Obama would discuss new global financial regulatory standards at the London summit.
- Query: US president Barack will push higher financial regulatory standards for across the globe at the upcoming G20 summit in London XXX said on Thursday
- Answer: Timothy Geithner

Onishi, Wang, Bansal, Gimpel, McAllester. Who did what: A large-scale person-centered cloze dataset. EMNLP, 2016.

# Representing Document/Query



 Forward RNN reads sentences from left to right:

$$\left[\overrightarrow{h}_{1},\overrightarrow{h}_{2},..,\overrightarrow{h}_{|D|}\right]$$

 Backward RNN reads sentences from right to left:

$$\left[\overleftarrow{h}_{1}, \overleftarrow{h}_{2}, ..., \overleftarrow{h}_{|D|}\right]$$

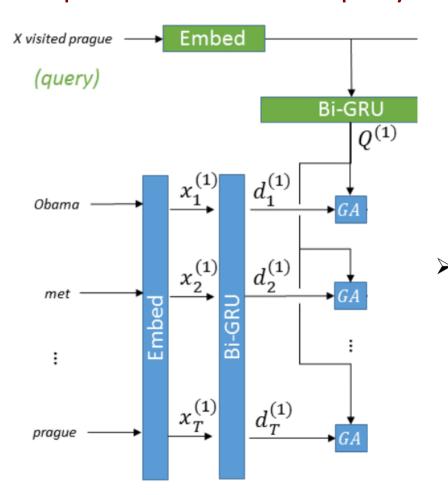
The hidden states are then concatenated:

$$\overrightarrow{GRU} = [h_1, h_2, ..., h_{|D|}], \quad h_i = [\overrightarrow{h}_i, \overleftarrow{h}_i]$$

• Use GRUs to encode a document and a query: 
$$D = \overset{\longleftrightarrow}{\mathrm{GRU}}_D(X) \quad Q = \overset{\longleftrightarrow}{\mathrm{GRU}}_Q(Y)$$

# Gated Attention (GA) Mechanism

• For each word in document D, we form a token-specific representation of the query Q:

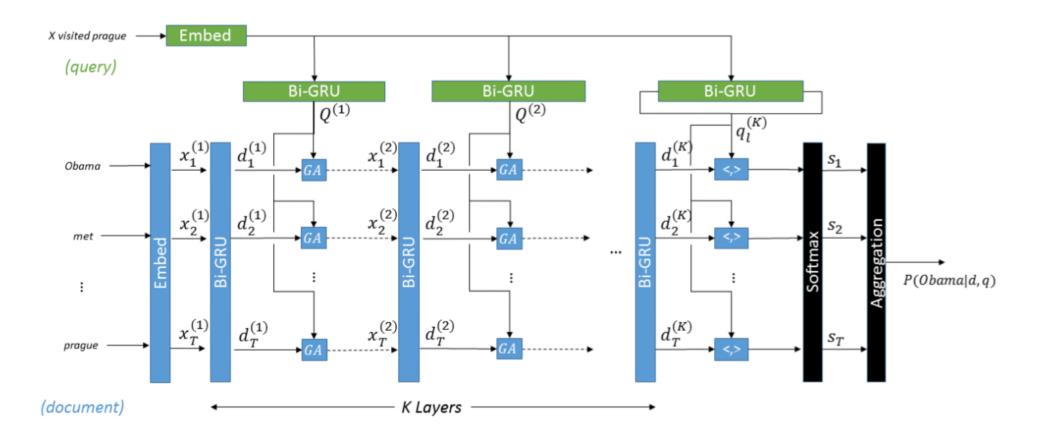


$$\alpha_i = \operatorname{softmax}(Q^{\top} d_i)$$
 $\tilde{q}_i = Q\alpha_i$ 
 $x_i = d_i \odot \tilde{q}_i$ 

use the element-wise multiplication operator to model the interactions between  $d_i$  and  $\widetilde{q}_i$ 

### Multi-hop Architecture

- Many QA tasks require reasoning over multiple sentences.
- Need to performs several passes over the context.



# Affect of Multiplicative Gating

• Performance of different gating functions on "Who did What" (WDW) dataset.

<b>Gating Function</b>	Accuracy				
	Val	Test			
Sum	62.9	62.1			
Concatenate	63.1	61.1			
Multiply	<b>67.8</b>	67.0			

Model	Stı	rict	Relaxed		
	Val	Test	Val	Test	
Human †	-	84.0	–	_	
Attentive Reader †	–	53.0	-	55.0	
AS Reader †	_	57.0	_	59.0	
Stanford AR †	_	64.0	_	65.0	
NSE †	66.5	66.2	67.0	66.7	
GA Reader †	l –	57.0	l –	60.0	
GA Reader	67.8	67.0	66.4	66.3	
GA Reader (+feature)	<b>70.1</b>	69.5	70.9	<b>70.6</b>	

Model	C	NN	Daily Mail		CBT-NE		CBT-CN	
1720aci	Val	Test	Val	Test	Val	Test	Val	Test
Humans (query) †	-	-	-	-	-	52.0	-	64.4
Humans (context + query) †	-	_	-	_	_	81.6	-	81.6
LSTMs (context + query) †	-	-	-	-	51.2	41.8	62.6	56.0
Deep LSTM Reader †	55.0	57.0	63.3	62.2	_	_	-	_
Attentive Reader †	61.6	63.0	70.5	69.0	_	_	-	_
Impatient Reader †	61.8	63.8	69.0	68.0	_	_	-	_
MemNets †	63.4	66.8	-	_	70.4	66.6	64.2	63.0
AS Reader †	68.6	69.5	75.0	73.9	73.8	68.6	68.8	63.4
DER Network †	71.3	72.9	-	_	_	_	-	_
Stanford AR (relabeling) †	73.8	73.6	77.6	76.6	_	_	-	_
Iterative Attentive Reader †	72.6	73.3	-	_	75.2	68.6	72.1	69.2
EpiReader †	73.4	74.0	-	_	75.3	69.7	71.5	67.4
AoA Reader †	73.1	74.4	-	_	77.8	72.0	72.2	69.4
ReasoNet †	72.9	74.7	77.6	76.6	_	_	-	_
NSE †		-	-	-	78.2	73.2	74.3	71.9
MemNets (ensemble) †	66.2	69.4	-	-	_	-	_	_
AS Reader (ensemble) †	73.9	75.4	78.7	77.7	76.2	71.0	71.1	68.9
Stanford AR (relabeling, ensemble) †	77.2	77.6	80.2	79.2	_	_	-	_
Iterative Attentive Reader (ensemble) †	75.2	76.1	-	_	76.9	72.0	74.1	71.0
EpiReader (ensemble) †	-	_	-	_	76.6	71.8	73.6	70.6
AS Reader (+BookTest) † ‡	-	_	-	_	80.5	76.2	83.2	80.8
AS Reader (+BookTest,ensemble) † ‡	-	-	_	-	82.3	78.4	85.7	83.7
GA Reader	73.0	73.8	76.7	75.7	74.9	69.0	69.0	63.9
GA Reader	77.9	77.9	81.5	80.9	74.9	70.8	71.8	69.0
GA Reader (+feature)	77.3	76.9	80.7	80.0	76.8	72.5	73.1	69.6

# (Some) Open Problems

 Unsupervised Learning / Transfer Learning / One-Shot Learning

 Reasoning and Natural Language Understanding

Deep Reinforcement Learning

# One-Shot Learning

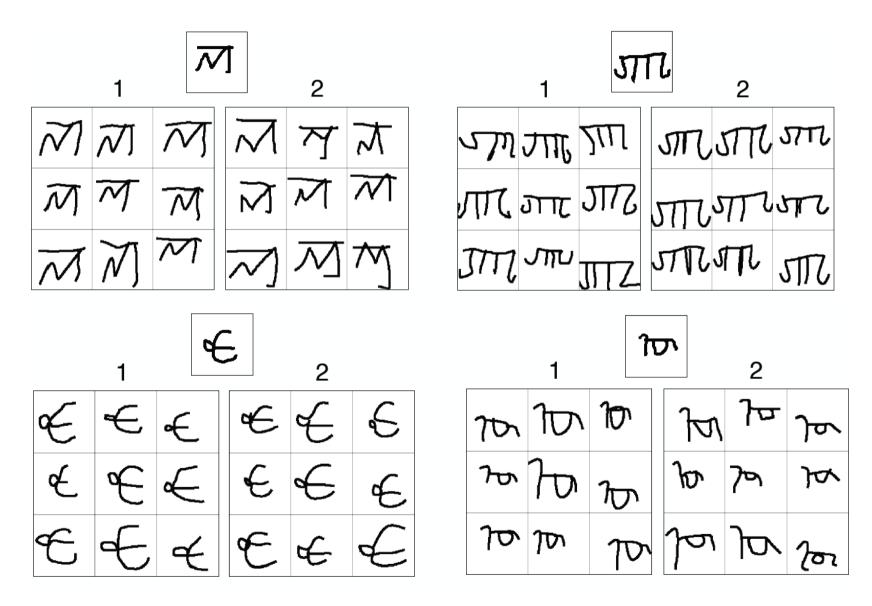


### One-Shot Learning



How can we learn a novel concept – a high dimensional statistical object – from few examples.

# One-Shot Learning: Humans vs. Machines



### Reinforcement Learning

- Can a single network play many games at once?
- Can we learn new games faster by using knowledge about the previous games?

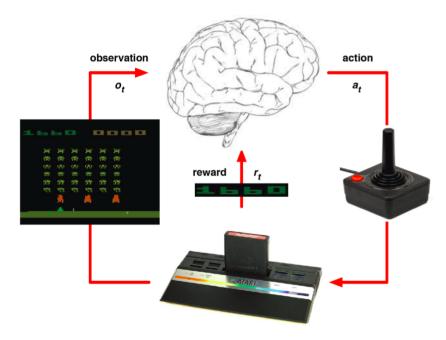


Figure credit: Nando de Freitas

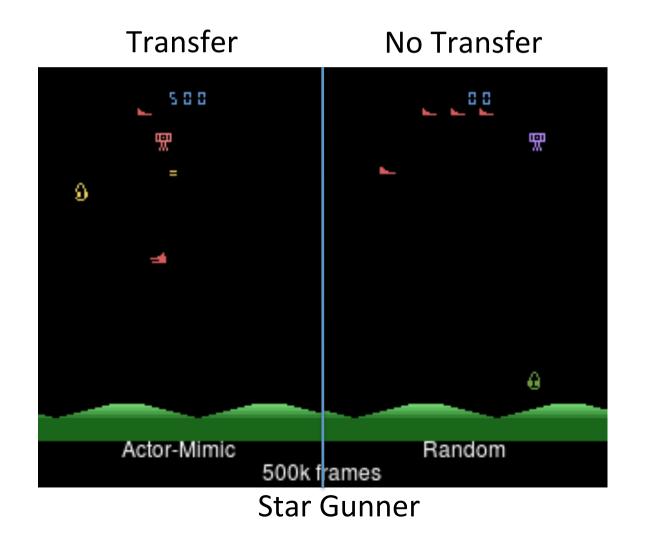
### Actor-Mimic Net in Action

• The multitask network can match expert performance on 8 games (we are extending this to more games).



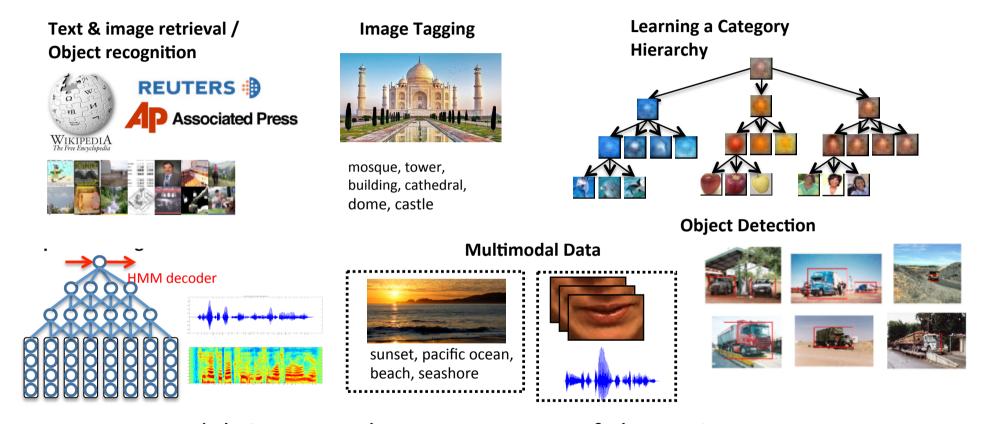
### Transfer Learning

• Can the network learn new games faster by leveraging knowledge about the previous games it learned.



### Summary

Efficient learning algorithms for Deep Unsupervised Models



- Deep models improve the current state-of-the art in many application domains:
  - Object recognition and detection, text and image retrieval, handwritten character and speech recognition, and others.

# Thank you