

# 18-452/18-750 Wireless Networks and Applications

## Lecture 8: LAN MAC Protocols Wireless versus Wired

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Fall Semester 2018

<http://www.cs.cmu.edu/~prs/wirelessF18/>

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1

## Outline

- Data link fundamentals
  - » And what changes in wireless
- Aloha
- Ethernet
- Wireless-specific challenges
- 802.11 and 802.15 wireless standards

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2

## Datalink Functions

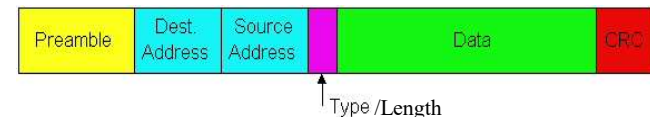
- **Framing:** encapsulating a packet into a bit stream.
  - » Add header, mark and detect frame boundaries, ...
- **Logical link control:** managing the transfer between the sender and receiver, e.g.
  - » Error detection and correction to deal with bit errors
  - » Flow control: avoid that the sender outruns the receiver
- **Media access:** controlling which device gets to send a frame next over a link
  - » Easy for point-to-point links; half versus full duplex
  - » Harder for multi-access links: who gets to send?

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3

## Framing

- Typical structure of a “wired” packet:
  - » Preamble: synchronize clocks sender and receiver
  - » Header: addresses, type field, length, etc.
  - » The data to be send, e.g., an IP packet
  - » Trailer: padding, CRC, ..



- How does wireless differ?
  - » Different transmit rates for different parts of packet
  - » Explicit multi-hop support
  - » Control information for physical layer
  - » Ensure robustness of the header

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4

## Error Control: Error Detection and Error Recovery

- **Detection: only detect errors**
  - » Make sure corrupted packets get thrown away, e.g. Ethernet
  - » Use of error detection codes, e.g. CRC
- **Recovery: also try to recover from lost or corrupted packets**
  - » Option 1: forward error correction (redundancy)
  - » Option 2: retransmissions
- **How does wireless differ?**
  - » Uses CRC to detect errors, similar to wired
  - » Error recovery is much more important because errors are more common and error behavior is very dynamic
  - » What approach is used?

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5

## Error Recovery in Wireless

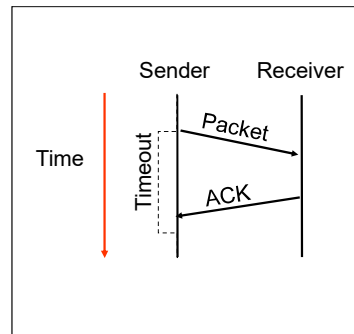
- **Use of redundancy:**
  - » Very common at physical layer – see PHY lectures
- **Use of Automatic Repeat Request (ARQ)**
  - » Use time outs to detect loss and retransmit
- **Many variants:**
  - » Stop and wait: one packet at a time
    - The most common at the datalink
  - » Sliding window: receiver tells sender how much to send
    - Many retransmission strategies: go-back-N, selective repeat, ...
- **When should what variant be used?**
  - » Noise versus bursty (strong) interference

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6

## Stop and Wait

- Simplest ARQ protocol
- Send a packet, stop and wait until acknowledgement arrives
- Will examine ARQ issues later in semester
- Limitations?
- What popular for the datalink?



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7

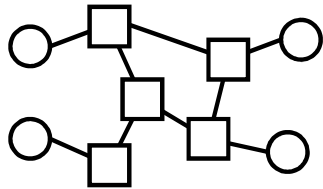
## Media Access Control

- How do we transfer packets between two hosts connected to the same network?
- Using point-to-point “links” with “switches” -- store-and-forward
  - » Very common in wired networks, at multiple layers
- **Multiple access networks**
  - » Multiple hosts are sharing the same transmission medium
  - » Need to control access to the medium
  - » Taking turn versus contention based protocols
- **What is different in wireless?**
  - » Is store and forward used?
  - » Is multiple access used?

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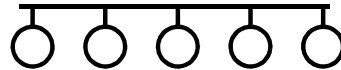
8

## Datalink Architectures



- Routing and packet forwarding.
- Point-to-Point error and flow control.

Switched ethernet, mesh and ad hoc networks



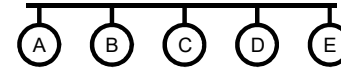
- Media access control.
- Scalability.

Traditional ethernet, Wifi, Aloha, ...

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9

## Multiple Access Networks

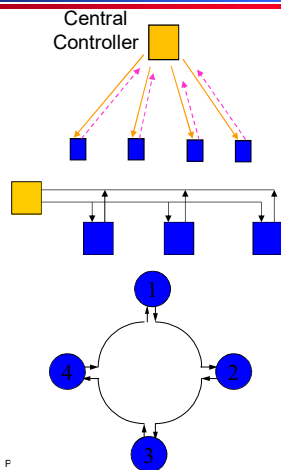


- Who gets to send a packet next?
- Scheduled access: explicit coordination ensures that only one node transmits
  - » Looks cleaner, more organized, but ...
  - » Coordination introduces overhead – requires communication (oops)
- Random access: no explicit coordination
  - » Potentially more efficient, but ...
  - » How does a node decide whether it can transmit?
  - » Collisions are unavoidable – also results in overhead
  - » How do you even detect a collision?

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10

## Scheduled Access MACs



- Polling: controller polls each nodes
- Reservation systems
  - » Central controller
  - » Distributed algorithm, e.g. using reservation bits in frame
- Token ring: token travels around ring and allows nodes to send one packet
  - » Distributer version of polling
  - » FDDI, ...

F

11

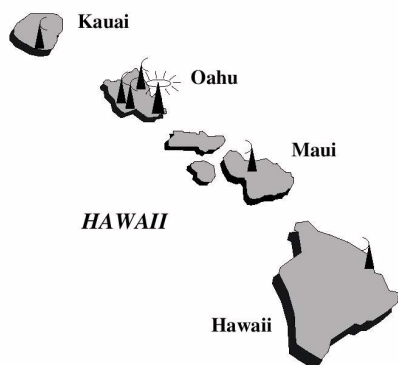
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12

## Why ALOHA



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13

## Pure ALOHA

- Developed in University of Hawaii in early 1970's.
- It does not get much simpler:
  1. A user transmits at will
  2. If two or more messages overlap in time, there is a collision – receiver cannot decode packets
  3. Receive waits for roundtrip time plus a fixed increment – lack of ACK = collision
  4. After a collision, colliding stations retransmit the packet, but **they stagger their attempts randomly** to reduce the chance of repeat collisions
  5. After several attempts, senders give up
- Although very simple, it is wasteful of bandwidth, attaining an efficiency of at most  $1/(2e) = 0.18$

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14

## Poisson Process Informal: memory less

- A Poisson process of “rate”  $\lambda > 0$  is a counting process  $a(t)$  which satisfies the following conditions:
  1. The process has independent increments in disjoint intervals
    - i.e.,  $a(t_1 + \Delta t) - a(t_1)$  is independent of  $a(t_2 + \delta t) - a(t_2)$  if  $[t_1, t_1 + \Delta t]$  and  $[t_2, t_2 + \delta t]$  are disjoint intervals
  2. The increments of the process are stationary.
    - i.e.,  $a(t_1 + \Delta t) - a(t_1)$  does not depend on  $t_1$
  3. The probability of exactly one event occurring in an infinitesimal interval  $\Delta t$  is  $P[a(\Delta t) = 1] \cong \lambda \Delta t$
  4. The probability that more than one event occurs in any infinitesimal interval  $\Delta t$  is  $P[a(\Delta t) > 1] \cong 0$
  5. The probability of zero events occurring in  $\Delta t$  is  $P[a(\Delta t) = 0] \cong 1 - \lambda \Delta t$

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15

15

## Poisson Distribution

- Above definitions lead to: Probability  $P(k)$  that there are exactly  $k$  events in interval of length  $T$  is,

$$P(k) = \frac{(\lambda T)^k e^{-\lambda T}}{k!}$$

- We call the above probability the “Poisson distribution” for arrival rate  $\lambda$
- Its mean and variance are:

$$E(k) = \lambda T$$

$$\sigma_k^2 = E(k^2) - E^2(k) = \lambda T$$

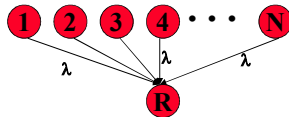
- Many nice properties, e.g. sum of a  $N$  independent Poisson processes is a Poisson process

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16

## Pure ALOHA: Model

- Let there be  $N$  stations contending for use of the channel.
- Each station transmits  $\lambda$  packets/sec on average based on a Poisson arrival process
- All messages transmitted are of the same fixed length,  $m$ , in units of time
- Let new traffic intensity be  $S \equiv N\lambda m$
- Since all new packets eventually get through, 'S' is also the network throughput

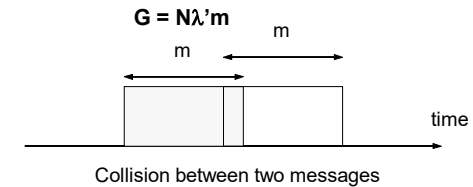


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17

## Pure Aloha: Vulnerability

- Simplification: assume the retransmitted messages are independent Poisson process as well
- The total rate of packets attempting transmission = newly generated packets + retransmitted ones =  $\lambda' > \lambda$
- The total traffic intensity (including retransmissions) is ,



- The "vulnerable period" in which a collision can occur for a given packet is  $2 \times m$  sec

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18

## Pure Aloha: Analysis

- Calculate the "Probability of no collision" two ways:

1. Probability that there is no arrival in interval  $2 \times m$ :

$$P(\text{no arrival in } 2 \times m \text{ sec}) = e^{-2N\lambda'm} = e^{-2G}$$

2. Since all new arrivals eventually get through, we have

$$\lambda/\lambda' = S/G = \text{Fraction of transmissions that are successful}$$

- So,  $S/G = \text{Probability of no collision} = P(\text{no arrival in } 2m \text{ sec})$

- Thus,

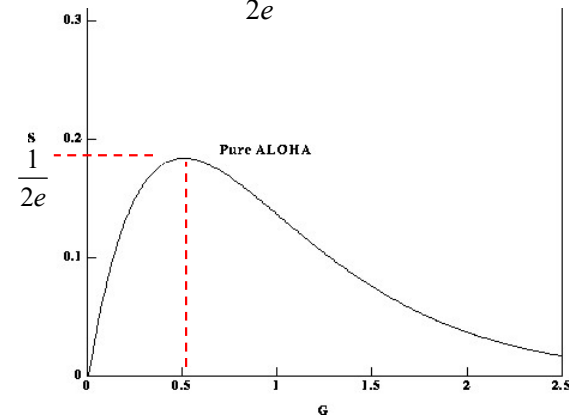
$$\begin{aligned} S/G &= e^{-2G} \\ S &= Ge^{-2G} \end{aligned} \longrightarrow \text{Maximum Throughput of Pure Aloha}$$

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19

## Analysis Conclusion

- $S$  is maximum at  $S = \frac{1}{2e}$  at  $G = 0.5$

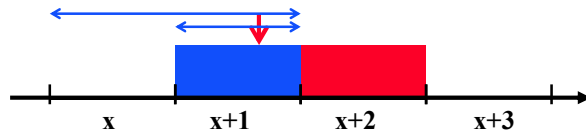


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20

## Slotted ALOHA

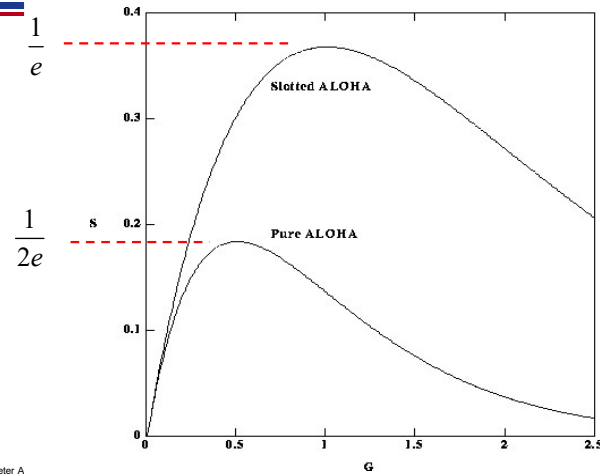
- Transmission can only start at the beginning of each slot of length  $T$
- Vulnerable period is reduced to  $T$ 
  - » Instead of  $2xT$  in Aloha
- Doubles maximum throughput.



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21

## Analysis Results Slotted ALOHA



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2

## Discussion of ALOHA

- Maximum throughput of ALOHA is very low  $1/(2e) = 18\%$ , but
  - » Has very low latency under light load
- Slotted Alohas has twice the performance of basic Aloha, but performance is still poor
  - » Slightly longer delay than pure Aloha
  - » Inefficient for variable sized packets!
  - » Must synchronize nodes
- Still, not bad for an absolutely minimal protocol!
  - » Good solution if load is low – used in some sensor networking technologies (cheap, simple)
- How do we go faster?

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23