

15-213 Recitation 5 - 2/19/01

Outline

- Structured Data:
structs / unions
- Alignment
- Floating Point

Reminders

- Lab 2: Wednesday, 11:59
- EXAM 1: Tuesday, 2/27
 - UC McConomy

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Office Hours:

Wednesday 12:30 – 2:30

Wean 3108

structs and unions

- Organize data
- **structs** store multiple elements, **unions** store a single element at a time
- Members of a **union** change how you look at data
- **unions** used for mutually exclusive data

Alignment

- Contiguous areas of memory
- Each block is *aligned*
 - Size is a multiple of a base value
 - “Base value” is the largest alignment of data types in structure
- Why?
 - Efficient load/store from memory
 - Virtual Memory paging
- This applies to any variable type

Structure of a struct

- Find largest alignment
 - Size of structure must be a multiple of this
- For each element **e** (top to bottom):
 - Find alignment of **e**
 - Starting offset must be a multiple of this
 - Pad previous element with empty space until alignment matches
 - Allocate alignment worth of space to **e**
- Pad last element with empty space until alignment of structure matches
- Note this isn't optimal!

Structure of a union

- Find largest alignment
 - Size of structure must be a multiple of this
- Allocate this much space

Examples

```
struct one {  
    int i;  
    double d;  
    char c[2];  
}
```

```
union two {  
    int i;  
    double d;  
    char c[2];  
}
```

Floating Point

(Better known as “I’m going to kill the person that thought this up”)

- IEEE Floating Point
 - Standard notation
 - Tons of features we won’t look at
- Floating Point at a bit level:



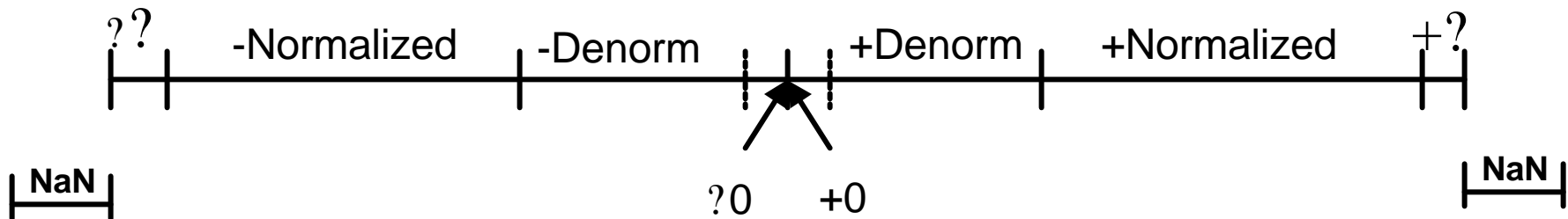
- **s** – sign bit (S)
 - **exp** – exponent (maps to E, has e bits)
 - **frac** – significand (maps to M, has f bits)
- Numerical Equivalent: $-1^s M 2^E$
 - “Normalized” and “Denormalized” encoding

“Normalized” Encoding

- $\text{exp} \neq 0$ and $\text{exp} \neq 111\dots 1$
 - If $\text{exp} = 111\dots 1$, it's ∞ or NaN
- $E = \text{exp} - B$
 - B is the “Bias”
 - Usually $2^{e-1} - 1$, but can be different
 - **exp**: Unsigned integer value $[1, 2^e - 1]$
- $M = 1. \{\text{frac}\}$
 - $\{\text{frac}\}$ are the bits of **frac**
 - **frac** is a fractional binary number
- Normalized Numbers have range $[2^{1-B}, 2^{B+1})$
 - And their negatives

“Denormalized” Encoding

- $\text{exp} = 0$
- $E = -B+1$
- $M = 0. \{ \text{frac} \}$
- Denormalized Numbers have Range $[0, 2^{1-B})$
 - And their negatives



Examples

- 8 bit FP, 1 bit sign, 4 bit exponent, 3 bit significand, Bias of 7

Representation - > Number

0 0101 011	0.34375
0 0000 101	0.009765625
1 1011 110	-28.0