

Introduction to Computer Systems

15-213/18-243, fall 2009

8th Lecture, Sep. 17th

Instructors:

Roger B. Dannenberg and Greg Ganger

Last Time

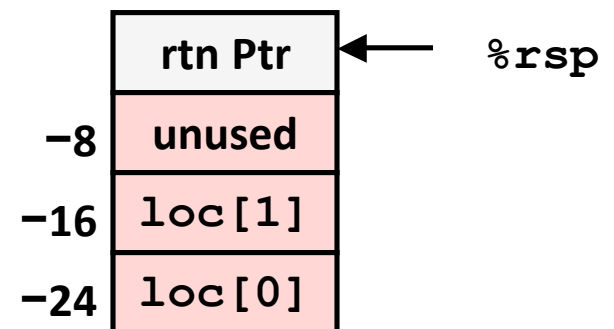
%rax	Return value
%rbx	Callee saved
%rcx	Argument #4
%rdx	Argument #3
%rsi	Argument #2
%rdi	Argument #1
%rsp	Stack pointer
%rbp	Callee saved

%r8	Argument #5
%r9	Argument #6
%r10	Callee saved
%r11	Used for linking
%r12	C: Callee saved
%r13	Callee saved
%r14	Callee saved
%r15	Callee saved

Last Time

■ Procedures (x86-64): Optimizations

- No base/frame pointer
- Passing arguments to functions through registers (if possible)
- Sometimes: Writing into the “red zone” (below stack pointer)

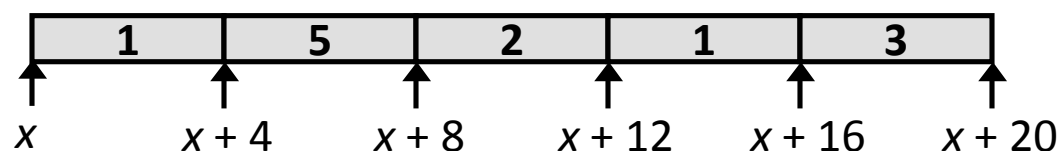


- Sometimes: Function call using `jmp` (instead of `call`)
- **Reason: Performance**
 - use stack as little as possible
 - while obeying rules (e.g., caller/callee save registers)

Last Time

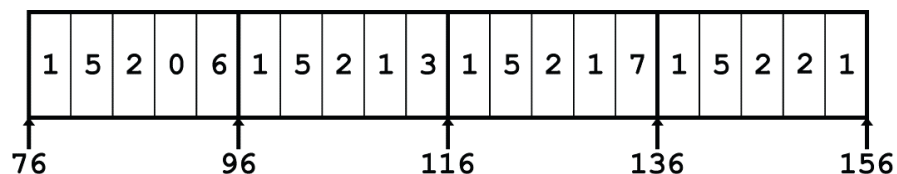
■ Arrays

```
int val[5];
```



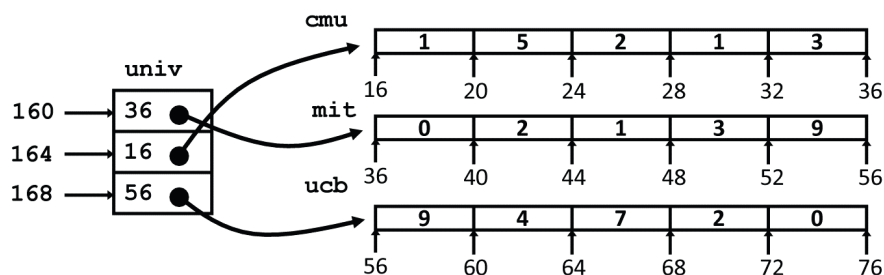
■ Nested

```
int pgh[4][5];
```



■ Multi-level

```
int *univ[3]
```



Dynamic Nested Arrays

■ Strength

- Can create matrix of any size

■ Programming

- Must do index computation explicitly

■ Performance

- Accessing single element costly
- Must do multiplication

```
int * new_var_matrix(int n)
{
    return (int *)
        calloc(sizeof(int), n*n);
}
```

```
int var_ele
(int *a, int i, int j, int n)
{
    return a[i*n+j];
}
```

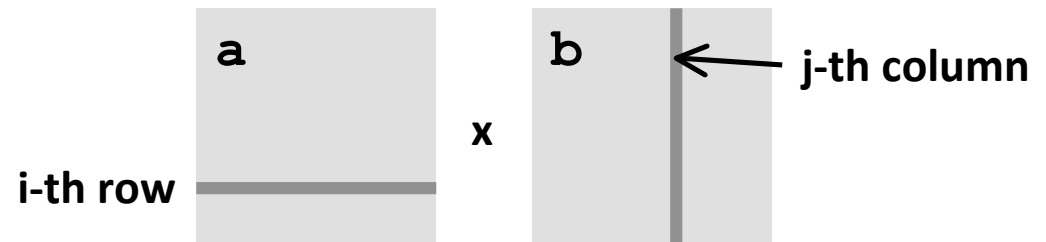
```
movl 12(%ebp),%eax      # i
movl 8(%ebp),%edx       # a
imull 20(%ebp),%eax     # n*i
addl 16(%ebp),%eax      # n*i+j
movl (%edx,%eax,4),%eax # Mem[a+4*(i*n+j)]
```

Dynamic Array Multiplication

■ Per iteration:

- Multiplies: 3
 - 2 for subscripts
 - 1 for data
- Adds: 4
 - 2 for array indexing
 - 1 for loop index
 - 1 for data

```
/* Compute element i,k of
   variable matrix product */
int var_prod_ele
(int *a, int *b,
 int i, int k, int n)
{
    int j;
    int result = 0;
    for (j = 0; j < n; j++)
        result +=
            a[i*n+j] * b[j*n+k];
    return result;
}
```



Optimizing Dynamic Array Multiplication

■ Optimizations

- Performed when set optimization level to `-O2`

■ Code Motion

- Expression `i*n` can be computed outside loop

■ Strength Reduction

- Incrementing `j` has effect of incrementing `j*n+k` by `n`

■ Operations count

- 4 adds, 1 mult

```
{
    int j;
    int result = 0;
    for (j = 0; j < n; j++)
        result +=
            a[i*n+j] * b[j*n+k];
    return result;
}
```

4 adds, 3 mults

```
{
    int j;
    int result = 0;
    int iTn = i*n;
    int jTnPk = k;
    for (j = 0; j < n; j++) {
        result +=
            a[iTn+j] * b[jTnPk];
        jTnPk += n;
    }
    return result;
}
```

4 adds, 1 mult

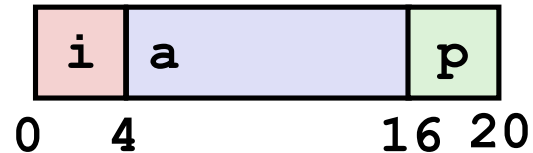
Today

- Structures
- Alignment
- Unions
- Floating point

Structures

```
struct rec {
    int i;
    int a[3];
    int *p;
};
```

Memory Layout



■ Concept

- Contiguously-allocated region of memory
- Refer to members within structure by names
- Members may be of different types

■ Accessing Structure Member

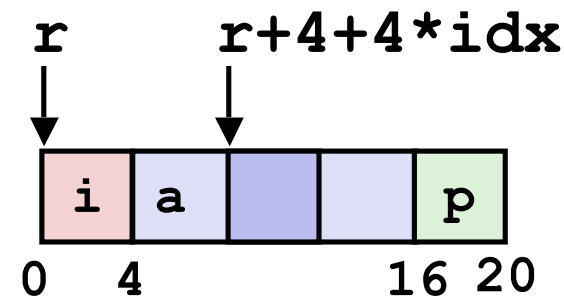
```
void
set_i(struct rec *r,
      int val)
{
    r->i = val;
}
```

IA32 Assembly

```
# %eax = val
# %edx = r
movl %eax, (%edx)    # Mem[r] = val
```

Generating Pointer to Structure Member

```
struct rec {
    int i;
    int a[3];
    int *p;
};
```



```
int *find_a
(struct rec *r, int idx)
{
    return &r->a[idx];
}
```

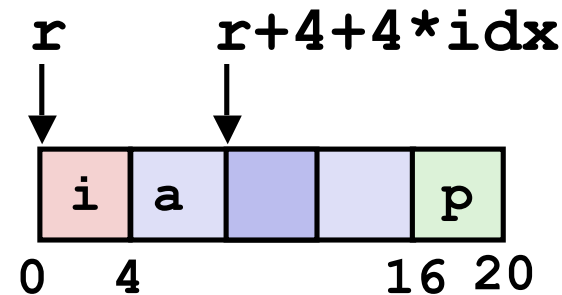
What does it do?

```
# %ecx = idx
# %edx = r
leal 0(,%ecx,4),%eax
leal 4(%eax,%edx),%eax
```

Will disappear
blackboard?

Generating Pointer to Structure Member

```
struct rec {
    int i;
    int a[3];
    int *p;
};
```



■ Generating Pointer to Array Element

- Offset of each structure member determined at compile time

```
int *find_a
(struct rec *r, int idx)
{
    return &r->a[idx];
}
```

```
# %ecx = idx
# %edx = r
leal 0(,%ecx,4),%eax    # 4*idx
leal 4(%eax,%edx),%eax  # r+4*idx+4
```

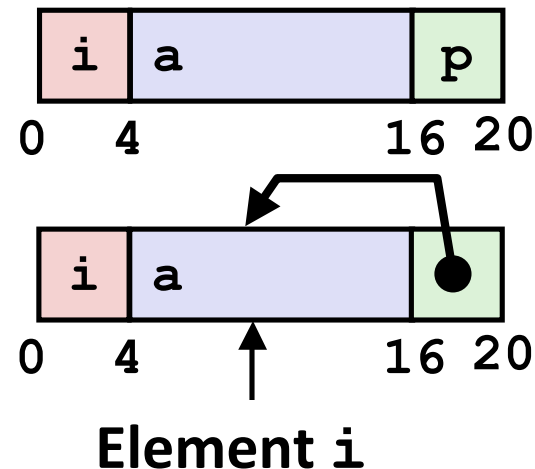
Structure Referencing (Cont.)

■ C Code

```
struct rec {
    int i;
    int a[3];
    int *p;
};
```

```
void
set_p(struct rec *r)
{
    r->p =
        &r->a[r->i];
}
```

What does it do?



```
# %edx = r
movl (%edx), %ecx      # r->i
leal 0(,%ecx,4), %eax   # 4*(r->i)
leal 4(%edx,%eax), %eax # r+4+4*(r->i)
movl %eax, 16(%edx)     # Update r->p
```

Today

- Structures
- **Alignment**
- Unions
- Floating point

Alignment

■ Aligned Data

- Primitive data type requires K bytes
- Address must be multiple of K
- Required on some machines; advised on IA32
 - treated differently by IA32 Linux, x86-64 Linux, and Windows!

■ Motivation for Aligning Data

- Memory accessed by (aligned) chunks of 4 or 8 bytes (system dependent)
 - Inefficient to load or store datum that spans quad word boundaries
 - Virtual memory very tricky when datum spans 2 pages

■ Compiler

- Inserts gaps in structure to ensure correct alignment of fields

Specific Cases of Alignment (IA32)

- **1 byte: `char`, ...**
 - no restrictions on address
- **2 bytes: `short`, ...**
 - lowest 1 bit of address must be 0_2
- **4 bytes: `int`, `float`, `char *`, ...**
 - lowest 2 bits of address must be 00_2
- **8 bytes: `double`, ...**
 - Windows (and most other OS's & instruction sets):
 - lowest 3 bits of address must be 000_2
 - Linux:
 - lowest 2 bits of address must be 00_2
 - i.e., treated the same as a 4-byte primitive data type
- **12 bytes: `long double`**
 - Windows, Linux:
 - lowest 2 bits of address must be 00_2
 - i.e., treated the same as a 4-byte primitive data type

Specific Cases of Alignment (x86-64)

- **1 byte: `char`, ...**
 - no restrictions on address
- **2 bytes: `short`, ...**
 - lowest 1 bit of address must be 0_2
- **4 bytes: `int`, `float`, ...**
 - lowest 2 bits of address must be 00_2
- **8 bytes: `double`, `char *`, ...**
 - Windows & Linux:
 - lowest 3 bits of address must be 000_2
- **16 bytes: `long double`**
 - Linux:
 - lowest 3 bits of address must be 000_2
 - i.e., treated the same as a 8-byte primitive data type

Satisfying Alignment with Structures

■ Within structure:

- Must satisfy element's alignment requirement

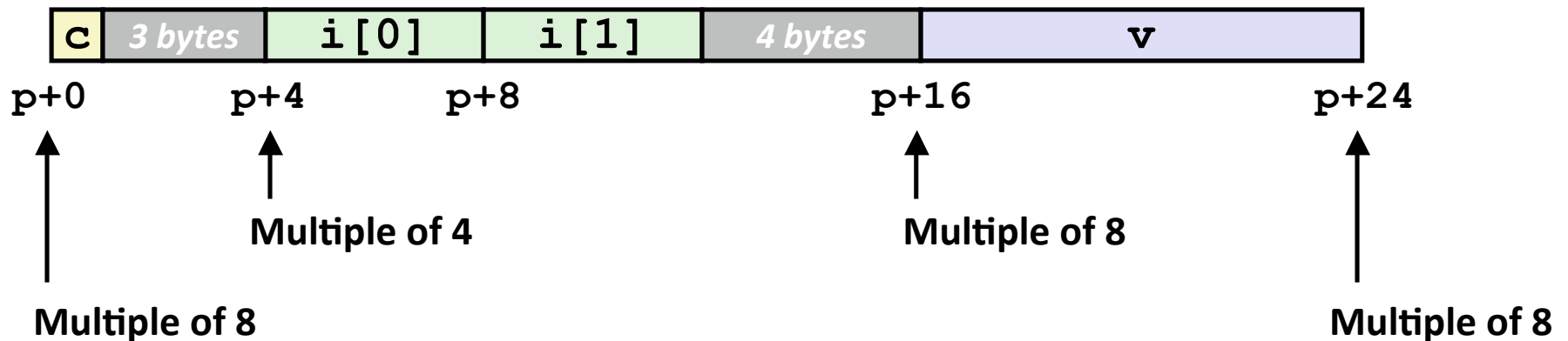
■ Overall structure placement

- Each structure has alignment requirement K
 - K = Largest alignment of any element
- Initial address & structure length must be multiples of K

```
struct S1 {  
    char c;  
    int i[2];  
    double v;  
} *p;
```

■ Example (under Windows or x86-64):

- K = 8, due to `double` element

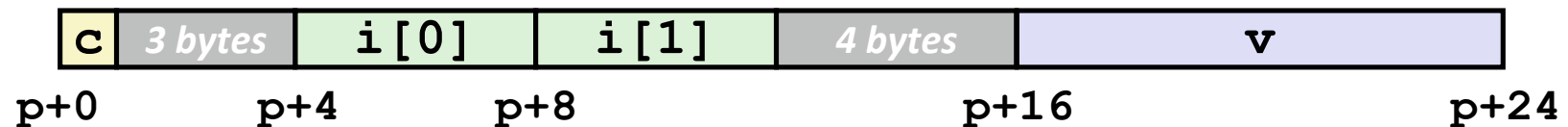


Different Alignment Conventions

■ x86-64 or IA32 Windows:

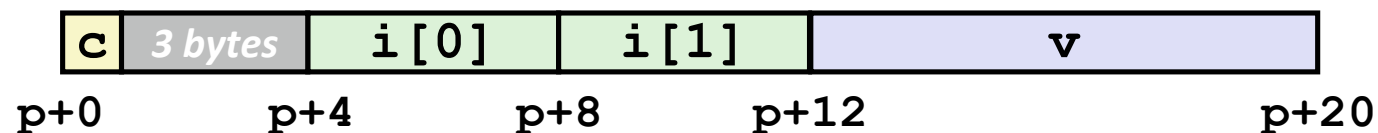
- $K = 8$, due to **double** element

```
struct S1 {
    char c;
    int i[2];
    double v;
} *p;
```



■ IA32 Linux

- $K = 4$; **double** treated like a 4-byte data type



Saving Space

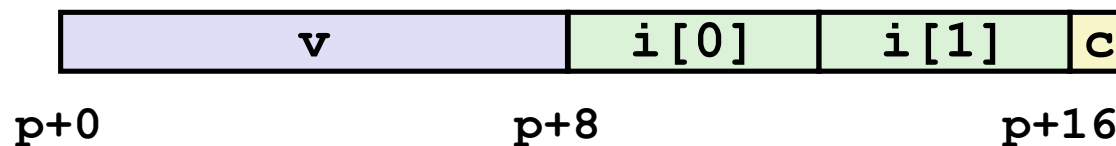
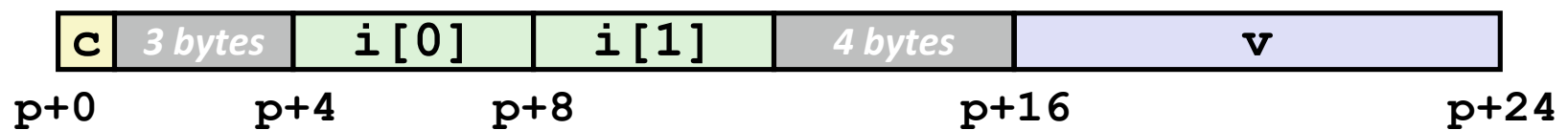
- Put large data types first

```
struct S1 {
  char c;
  int i[2];
  double v;
} *p;
```



```
struct S2 {
  double v;
  int i[2];
  char c;
} *p;
```

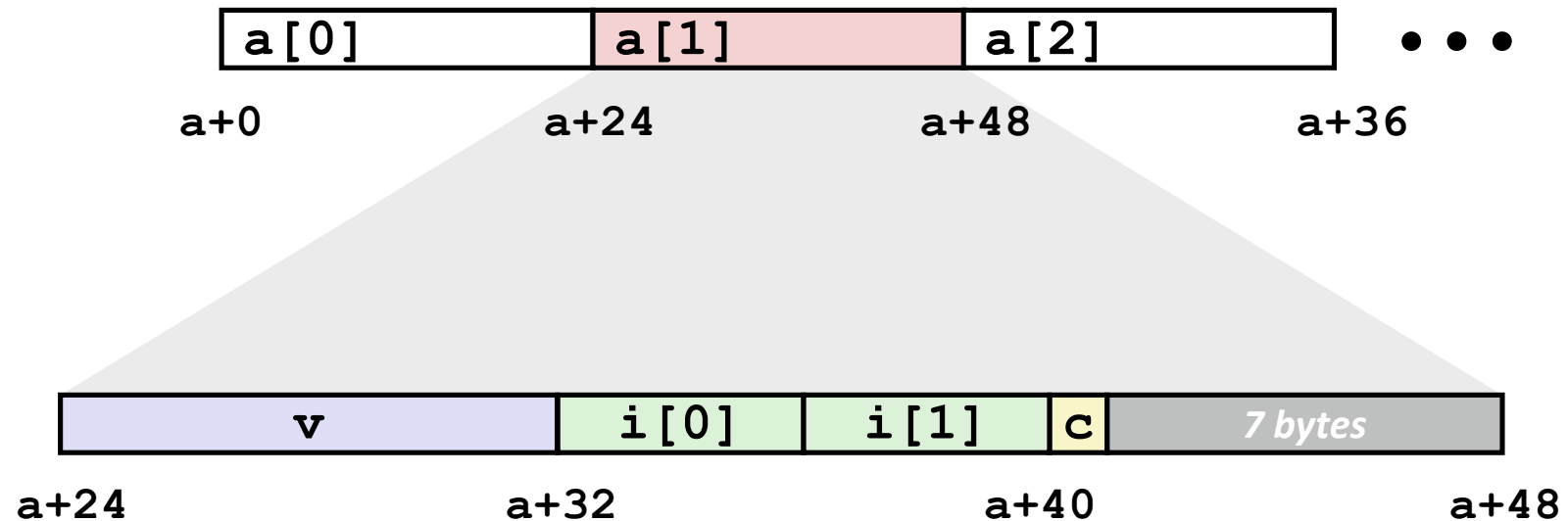
- Effect (example x86-64, both have $K=8$)



Arrays of Structures

- Satisfy alignment requirement for every element

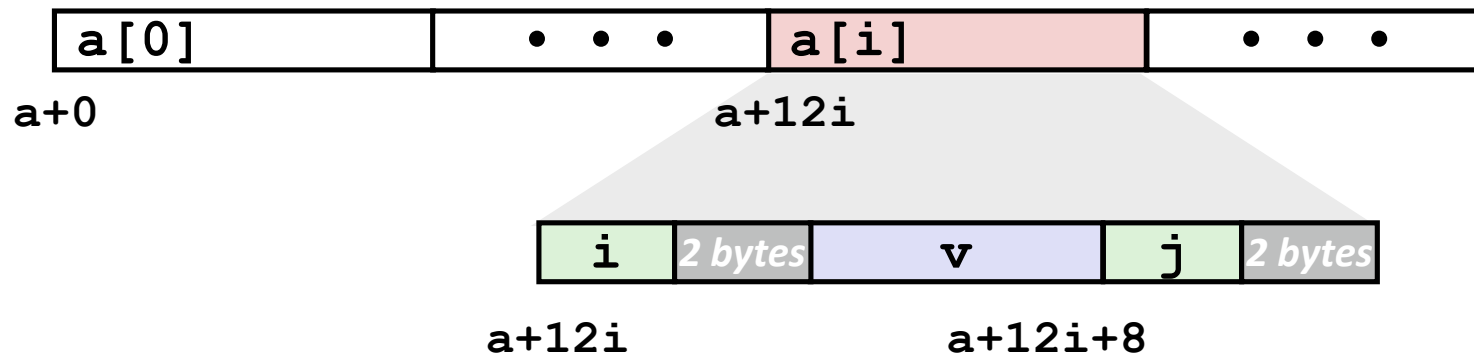
```
struct S2 {  
    double v;  
    int i[2];  
    char c;  
} a[10];
```



Accessing Array Elements

- Compute array offset $12i$
- Compute offset 8 with structure
- Assembler gives offset $a+8$
 - Resolved during linking

```
struct S3 {
    short i;
    float v;
    short j;
} a[10];
```



```
short get_j(int idx)
{
    return a[idx].j;
}
```

```
# %eax = idx
leal (%eax,%eax,2),%eax # 3*idx
movswl a+8(,%eax,4),%eax
```

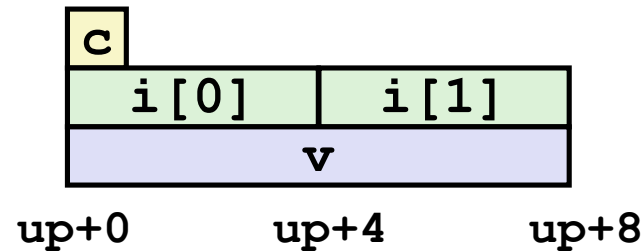
Today

- Structures
- Alignment
- **Unions**
- Floating point

Union Allocation

- Allocate according to largest element
- Can only use ones field at a time

```
union U1 {
    char c;
    int i[2];
    double v;
} *up;
```

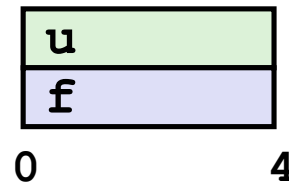


```
struct S1 {
    char c;
    int i[2];
    double v;
} *sp;
```



Using Union to Access Bit Patterns

```
typedef union {  
    float f;  
    unsigned u;  
} bit_float_t;
```



```
float bit2float(unsigned  
u) {  
    bit_float_t arg;  
    arg.u = u;  
    return arg.f;  
}
```

Same as (float) u ?

```
unsigned float2bit(float  
f) {  
    bit_float_t arg;  
    arg.f = f;  
    return arg.u;  
}
```

Same as (unsigned) f ?

Byte Ordering Revisited

■ Idea

- Short/long/quad words stored in memory as 2/4/8 consecutive bytes
- Which is most (least) significant?
- Can cause problems when exchanging binary data between machines

■ Big Endian

- Most significant byte has lowest address
- PowerPC, Sparc

■ Little Endian

- Least significant byte has lowest address
- Intel x86

Byte Ordering Example

```
union {  
    unsigned char c[8];  
    unsigned short s[4];  
    unsigned int i[2];  
    unsigned long l[1];  
} dw;
```

c[0]	c[1]	c[2]	c[3]	c[4]	c[5]	c[6]	c[7]
s[0]		s[1]		s[2]		s[3]	
i[0]				i[1]			
l[0]							

Byte Ordering Example (Cont).

```
int j;
for (j = 0; j < 8; j++)
    dw.c[j] = 0xf0 + j;

printf("Characters 0-7 ==
[0x%x,0x%x,0x%x,0x%x,0x%x,0x%x,0x%x,0x%x] \n",
    dw.c[0], dw.c[1], dw.c[2], dw.c[3],
    dw.c[4], dw.c[5], dw.c[6], dw.c[7]);

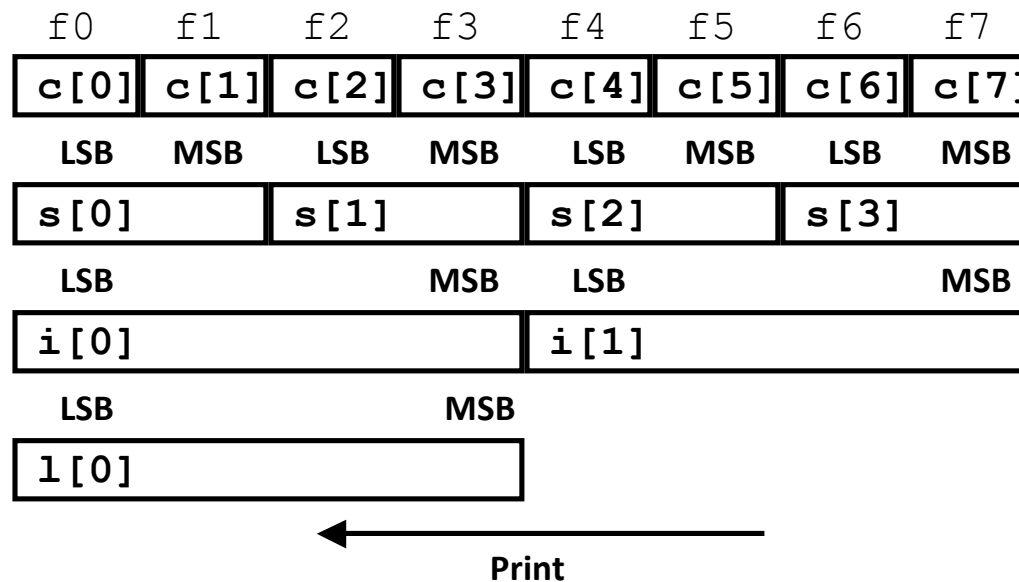
printf("Shorts 0-3 ==
[0x%x,0x%x,0x%x,0x%x] \n",
    dw.s[0], dw.s[1], dw.s[2], dw.s[3]);

printf("Ints 0-1 == [0x%x,0x%x] \n",
    dw.i[0], dw.i[1]);

printf("Long 0 == [0x%lx] \n",
    dw.l[0]);
```

Byte Ordering on IA32

Little Endian



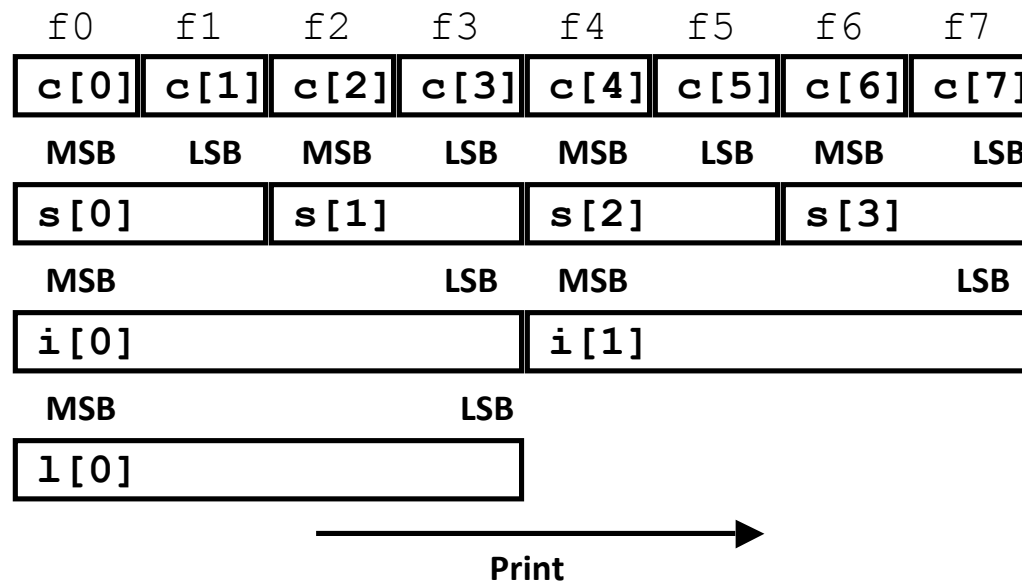
Output on IA32:

```

Characters 0-7 == [0xf0,0xf1,0xf2,0xf3,0xf4,0xf5,0xf6,0xf7]
Shorts     0-3 == [0xf1f0,0xf3f2,0xf5f4,0xf7f6]
Ints       0-1 == [0xf3f2f1f0,0xf7f6f5f4]
Long       0    == [0xf3f2f1f0]
  
```

Byte Ordering on Sun

Big Endian



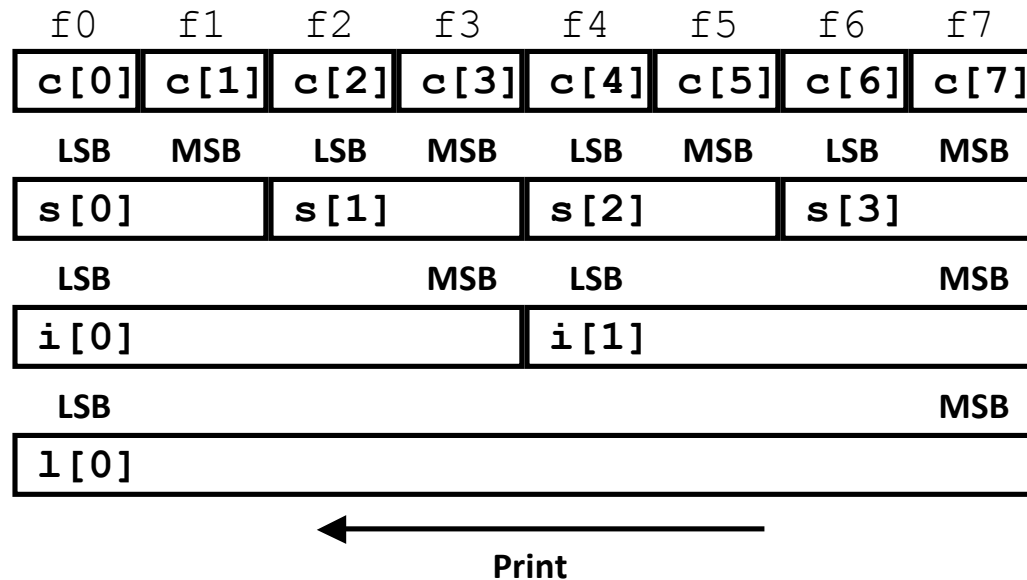
Output on Sun:

```

Characters  0-7 == [0xf0,0xf1,0xf2,0xf3,0xf4,0xf5,0xf6,0xf7]
Shorts      0-3 == [0xf0f1,0xf2f3,0xf4f5,0xf6f7]
Ints        0-1 == [0xf0f1f2f3,0xf4f5f6f7]
Long        0    == [0xf0f1f2f3]
  
```

Byte Ordering on x86-64

Little Endian



Output on x86-64:

```

Characters 0-7 == [0xf0,0xf1,0xf2,0xf3,0xf4,0xf5,0xf6,0xf7]
Shorts     0-3 == [0xf1f0,0xf3f2,0xf5f4,0xf7f6]
Ints       0-1 == [0xf3f2f1f0,0xf7f6f5f4]
Long       0    == [0xf7f6f5f4f3f2f1f0]
  
```

Summary

■ Arrays in C

- Contiguous allocation of memory
- Aligned to satisfy every element's alignment requirement
- Pointer to first element
- No bounds checking

■ Structures

- Allocate bytes in order declared
- Pad in middle and at end to satisfy alignment

■ Unions

- Overlay declarations
- Way to circumvent type system

Today

- Structures
- Alignment
- Unions
- **Floating point**
 - x87 (available with IA32, becoming obsolete)
 - SSE3 (available with x86-64)

IA32 Floating Point (x87)

■ History

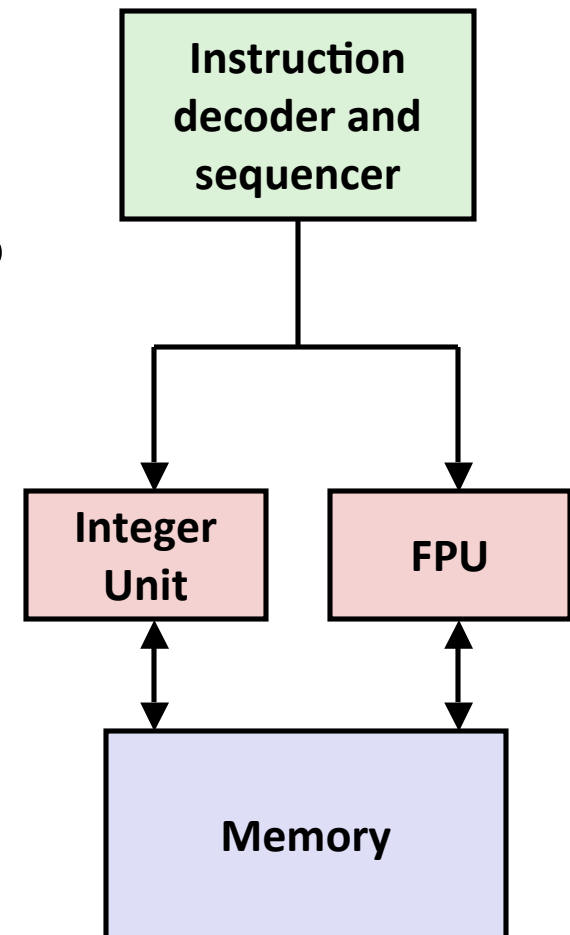
- 8086: first computer to implement IEEE FP
 - separate 8087 FPU (floating point unit)
- 486: merged FPU and Integer Unit onto one chip
- Becoming obsolete with x86-64

■ Summary

- Hardware to add, multiply, and divide
- Floating point data registers
- Various control & status registers

■ Floating Point Formats

- single precision (C `float`): 32 bits
- double precision (C `double`): 64 bits
- extended precision (C `long double`): 80 bits



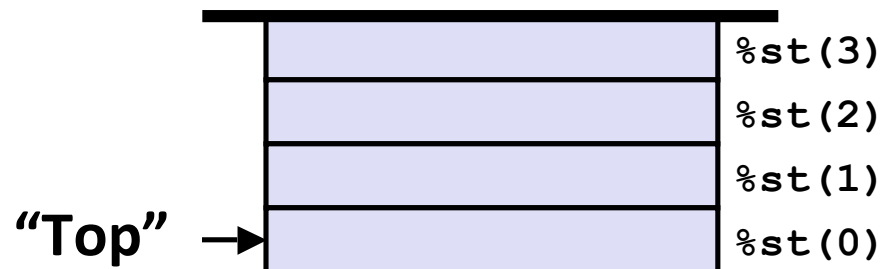
FPU Data Register Stack (x87)

- FPU register format (80 bit extended precision)



- FPU registers

- 8 registers `%st(0)` - `%st(7)`
- Logically form stack
- Top: `%st(0)`
- Bottom disappears (drops out) after too many pushes



FPU instructions (x87)

■ Large number of floating point instructions and formats

- ~50 basic instruction types
- load, store, add, multiply
- sin, cos, tan, arctan, and log
 - Often slower than math lib

■ Sample instructions:

<i>Instruction</i>	<i>Effect</i>	<i>Description</i>
<code>fldz</code>	<code>push 0.0</code>	Load zero
<code>flds Addr</code>	<code>push Mem[Addr]</code>	Load single precision real
<code>fmulb Addr</code>	<code>%st(0) ← %st(0) * M[Addr]</code>	Multiply
<code>faddp</code>	<code>%st(1) ← %st(0) + %st(1) ; pop</code>	Add and pop

FP Code Example (x87)

■ Compute inner product of two vectors

- Single precision arithmetic
- Common computation

```
float ipf (float x[],
          float y[],
          int n)
{
    int i;
    float result = 0.0;

    for (i = 0; i < n; i++)
        result += x[i]*y[i];
    return result;
}
```

```
pushl %ebp                # setup
movl %esp,%ebp
pushl %ebx

movl 8(%ebp),%ebx         # %ebx=&x
movl 12(%ebp),%ecx        # %ecx=&y
movl 16(%ebp),%edx        # %edx=n
fldz                     # push +0.0
xorl %eax,%eax           # i=0
cmpl %edx,%eax            # if i>=n done
jge .L3

.L5:
flds (%ebx,%eax,4)       # push x[i]
fmuls (%ecx,%eax,4)     # st(0)*=y[i]
faddp                   # st(1)+=st(0); pop
incl %eax                 # i++
cmpl %edx,%eax            # if i<n repeat
jl .L5

.L3:
movl -4(%ebp),%ebx        # finish
movl %ebp,%esp
popl %ebp
ret                        # st(0) = result
```

Inner Product Stack Trace

Initialization

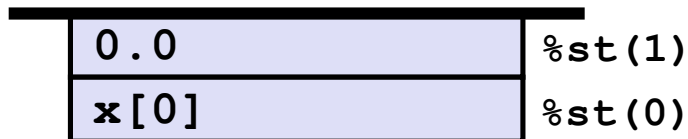
```
eax = i
ebx = *x
ecx = *y
```

1. fldz

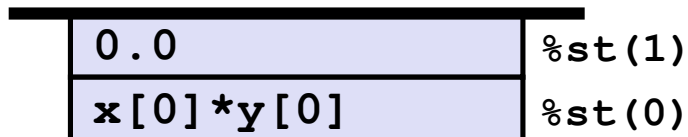


Iteration 0

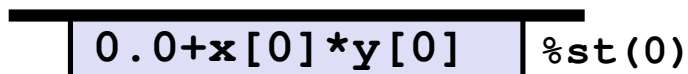
2. flds (%ebx,%eax,4)



3. fmuls (%ecx,%eax,4)

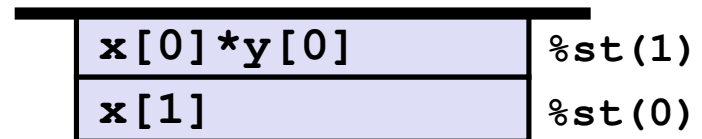


4. faddp

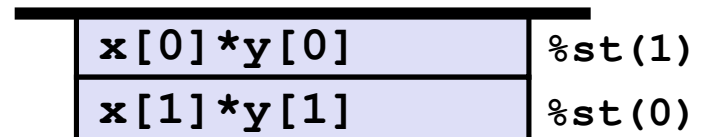


Iteration 1

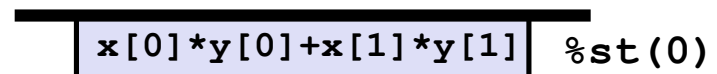
5. flds (%ebx,%eax,4)



6. fmuls (%ecx,%eax,4)



7. faddp



Today

- Structures
- Alignment
- Unions
- **Floating point**
 - x87 (available with IA32, becoming obsolete)
 - SSE3 (available with x86-64)

Vector Instructions: SSE Family

■ SIMD (single-instruction, multiple data) vector instructions

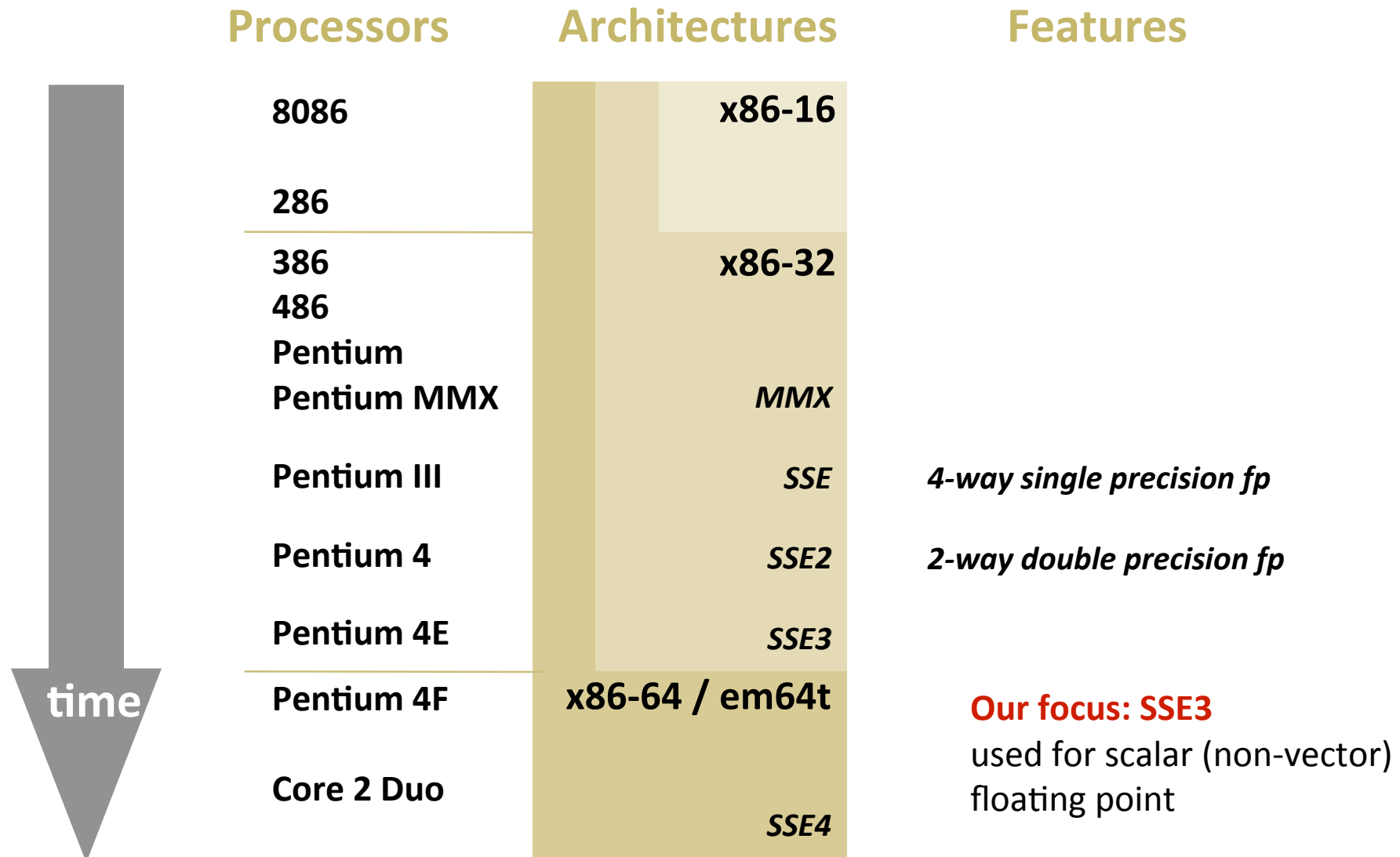
- New data types, registers, operations
- Parallel operation on small (length 2-8) vectors of integers or floats
- Example:



■ Floating point vector instructions

- Available with Intel's SSE (streaming SIMD extensions) family
- SSE starting with Pentium III: 4-way single precision
- SSE2 starting with Pentium 4: 2-way double precision
- **All x86-64 have SSE3 (superset of SSE2, SSE)**

Intel Architectures (Focus Floating Point)



SSE3 Registers

- All caller saved
- `%xmm0` for floating point return value

128 bit = 2 doubles = 4 singles

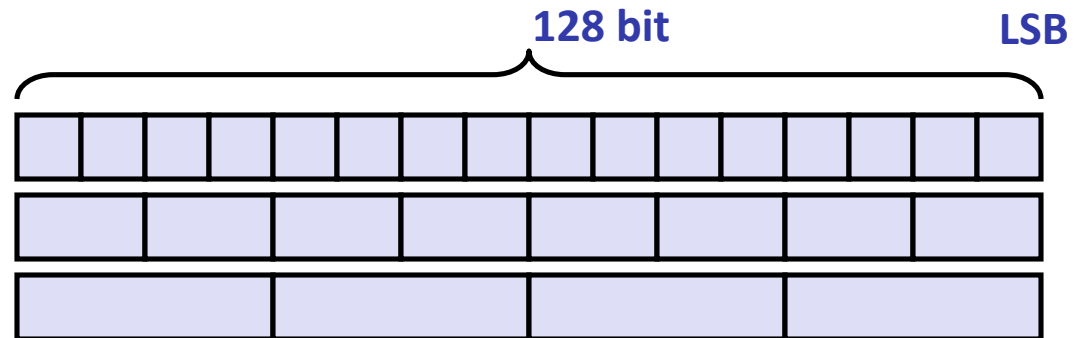
<code>%xmm0</code>	Argument #1	<code>%xmm8</code>
<code>%xmm1</code>	Argument #2	<code>%xmm9</code>
<code>%xmm2</code>	Argument #3	<code>%xmm10</code>
<code>%xmm3</code>	Argument #4	<code>%xmm11</code>
<code>%xmm4</code>	Argument #5	<code>%xmm12</code>
<code>%xmm5</code>	Argument #6	<code>%xmm13</code>
<code>%xmm6</code>	Argument #7	<code>%xmm14</code>
<code>%xmm7</code>	Argument #8	<code>%xmm15</code>

SSE3 Registers

■ Different data types and associated instructions

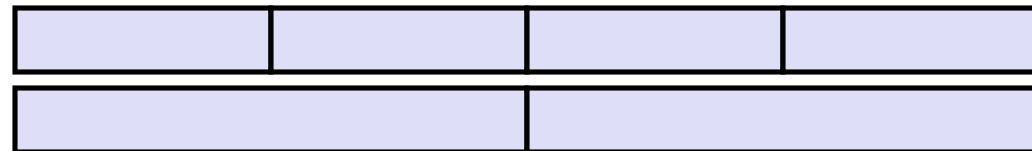
■ Integer vectors:

- 16-way byte
- 8-way 2 bytes
- 4-way 4 bytes



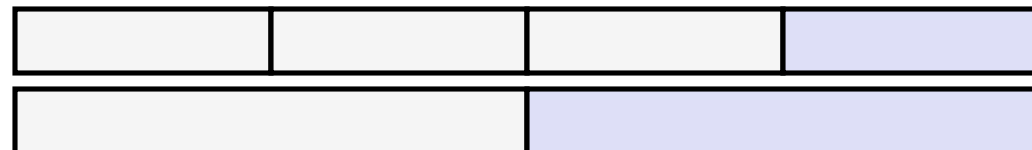
■ Floating point vectors:

- 4-way single
- 2-way double



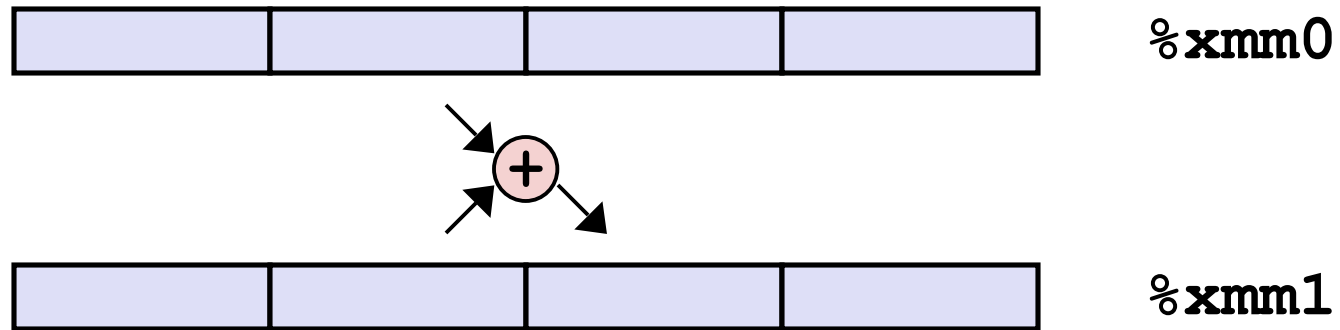
■ Floating point scalars:

- single
- double

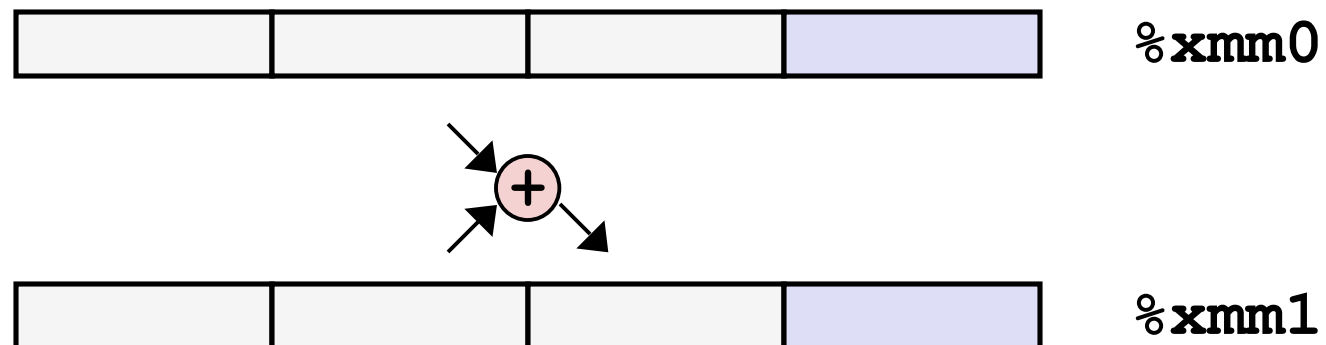


SSE3 Instructions: Examples

- Single precision **4-way vector add**: `addps %xmm0, %xmm1`



- Single precision **scalar add**: `addss %xmm0, %xmm1`



SSE3 Instruction Names

packed (vector)
↓
addps
↑
single precision

addpd
↑
double precision

single slot (scalar)
↓
addss

addsd

this course

SSE3 Basic Instructions

■ Moves

<i>Single</i>	<i>Double</i>	<i>Effect</i>
<code>movss</code>	<code>movsd</code>	$D \leftarrow S$

- Usual operand form: `reg → reg`, `reg → mem`, `mem → reg`

■ Arithmetic

<i>Single</i>	<i>Double</i>	<i>Effect</i>
<code>addss</code>	<code>addsd</code>	$D \leftarrow D + S$
<code>subss</code>	<code>subsd</code>	$D \leftarrow D - S$
<code>mulss</code>	<code>mulsd</code>	$D \leftarrow D \times S$
<code>divss</code>	<code>divsd</code>	$D \leftarrow D / S$
<code>maxss</code>	<code>maxsd</code>	$D \leftarrow \max(D, S)$
<code>minss</code>	<code>minsd</code>	$D \leftarrow \min(D, S)$
<code>sqrtps</code>	<code>sqrtsd</code>	$D \leftarrow \sqrt{S}$

x86-64 FP Code Example

■ Compute inner product of two vectors

- Single precision arithmetic
- Uses SSE3 instructions

```
float ipf (float x[],
           float y[],
           int n) {
    int i;
    float result = 0.0;

    for (i = 0; i < n; i++)
        result += x[i]*y[i];
    return result;
}
```

ipf:

```

    xorps    %xmm1, %xmm1
    xorl     %ecx, %ecx
    jmp      .L8
.L10:
    movslq   %ecx,%rax
    incl     %ecx
    movss    (%rsi,%rax,4), %xmm0
    mulss    (%rdi,%rax,4), %xmm0
    addss    %xmm0, %xmm1
.L8:
    cmpl     %edx, %ecx
    jl       .L10
    movaps   %xmm1, %xmm0
    ret
```

Will disappear
Blackboard?

x86-64 FP Code Example

■ Compute inner product of two vectors

- Single precision arithmetic
- Uses SSE3 instructions

```
float ipf (float x[],
           float y[],
           int n) {
    int i;
    float result = 0.0;

    for (i = 0; i < n; i++)
        result += x[i]*y[i];
    return result;
}
```

ipf:

```

xorps    %xmm1, %xmm1    # result = 0.0
xorl     %ecx, %ecx      # i = 0
jmp      .L8             # goto middle
.L10:
movslq   %ecx,%rax       # icpy = i
incl     %ecx            # i++
movss    (%rsi,%rax,4), %xmm0 # t = y[icpy]
mulss    (%rdi,%rax,4), %xmm0 # t *= x[icpy]
addss    %xmm0, %xmm1     # result += t
.L8:
cml      %edx, %ecx       # i:n
jl       .L10            # if < goto loop
movaps   %xmm1, %xmm0     # return result
ret
```

SSE3 Conversion Instructions

■ Conversions

- Same operand forms as moves

<i>Instruction</i>	<i>Description</i>
<code>cvtss2sd</code>	single $\rightarrow$ double
<code>cvtsd2ss</code>	double $\rightarrow$ single
<code>cvtsi2ss</code>	int $\rightarrow$ single
<code>cvtsi2sd</code>	int $\rightarrow$ double
<code>cvtsi2ssq</code>	quad int $\rightarrow$ single
<code>cvtsi2sdq</code>	quad int $\rightarrow$ double
<code>cvttss2si</code>	single $\rightarrow$ int (truncation)
<code>cvttsd2si</code>	double $\rightarrow$ int (truncation)
<code>cvttss2siq</code>	single $\rightarrow$ quad int (truncation)
<code>cvttss2siq</code>	double $\rightarrow$ quad int (truncation)

x86-64 FP Code Example

```
double funct(double a, float x, double b, int i)
{
    return a*x - b/i;
}
```

a %xmm0 double
x %xmm1 float
b %xmm2 double
i %edi int

funct:

```
    cvtss2sd %xmm1, %xmm1
    mulsd    %xmm0, %xmm1
    cvtsi2sd %edi, %xmm0
    divsd    %xmm0, %xmm2
    movsd    %xmm1, %xmm0
    subsd    %xmm2, %xmm0
```

ret

**Will disappear
Blackboard?**

x86-64 FP Code Example

```
double funct(double a, float x, double b, int i)
{
    return a*x - b/i;
}
```

```
a %xmm0 double
x %xmm1 float
b %xmm2 double
i %edi int
```

funct:

<code>cvtss2sd</code>	<code>%xmm1, %xmm1</code>	<code># %xmm1 = (double) x</code>
<code>mulsd</code>	<code>%xmm0, %xmm1</code>	<code># %xmm1 = a*x</code>
<code>cvtsi2sd</code>	<code>%edi, %xmm0</code>	<code># %xmm0 = (double) i</code>
<code>divsd</code>	<code>%xmm0, %xmm2</code>	<code># %xmm2 = b/i</code>
<code>movsd</code>	<code>%xmm1, %xmm0</code>	<code># %xmm0 = a*x</code>
<code>subsd</code>	<code>%xmm2, %xmm0</code>	<code># return a*x - b/i</code>

`ret`

Constants

```
double cel2fahr(double temp)
{
    return 1.8 * temp + 32.0;
}
```

■ Here: Constants in decimal format

- compiler decision
- hex more readable

Constant declarations

```
.LC2:
    .long 3435973837    # Low order four bytes of 1.8
    .long 1073532108    # High order four bytes of 1.8
.LC4:
    .long 0             # Low order four bytes of 32.0
    .long 1077936128    # High order four bytes of 32.0
```

Code

```
cel2fahr:
    mulsd .LC2(%rip), %xmm0    # Multiply by 1.8
    addsd .LC4(%rip), %xmm0    # Add 32.0
    ret
```

Checking Constant

■ Previous slide: Claim

.LC4:

```
.long 0                # Low order four bytes of 32.0  
.long 1077936128       # High order four bytes of 32.0
```

■ Convert to hex format:

.LC4:

```
.long 0x0              # Low order four bytes of 32.0  
.long 0x40400000       # High order four bytes of 32.0
```

■ Convert to double (blackboard?):

- Remember: $e = 11$ exponent bits, $\text{bias} = 2^{e-1} - 1 = 1023$

Comments

■ SSE3 floating point

- Uses lower $\frac{1}{2}$ (double) or $\frac{1}{4}$ (single) of vector
- Finally departure from awkward x87
- Assembly very similar to integer code

■ x87 still supported

- Even mixing with SSE3 possible
- Not recommended

■ For highest floating point performance

- Vectorization a must (but not in this course 😊)
- See next slide

Vector Instructions

- **Starting with version 4.1.1, gcc can autovectorize to some extent**
 - -O3 or -ftree-vectorize
 - No speed-up guaranteed
 - Very limited
 - icc as of now much better
 - Fish machines: gcc 3.4
- **For highest performance vectorize yourself using intrinsics**
 - Intrinsics = C interface to vector instructions
 - Learn in 18-645
- **Future**
 - Intel AVX announced: 4-way double, 8-way single