

Shattering a set of points

Definition: a **dichotomy** of a set S is a partition of S into two disjoint subsets.

Definition: a set of instances S is **shattered** by hypothesis space H if and only if for every dichotomy of S there exists some hypothesis in H consistent with this dichotomy.

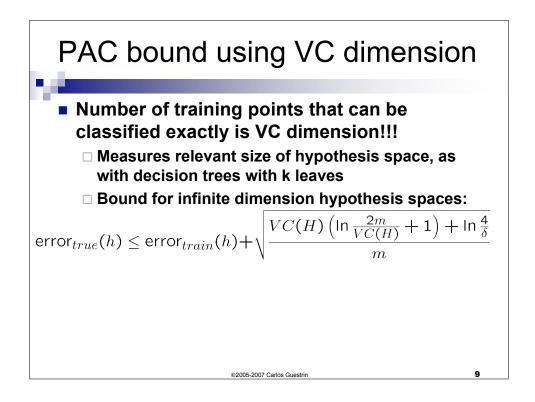
VC dimension

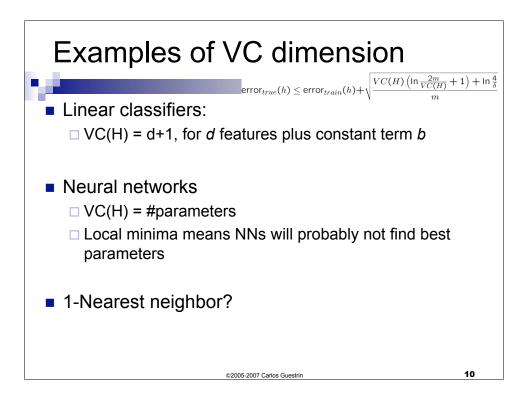
Definition: The Vapnik-Chervonenkis dimension, VC(H), of hypothesis space Hdefined over instance space X is the size of the largest finite subset of X shattered by H. If arbitrarily large finite sets of X can be shattered by H, then $VC(H) \equiv \infty$.

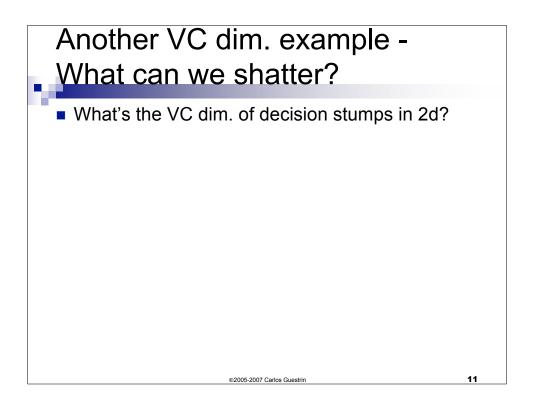
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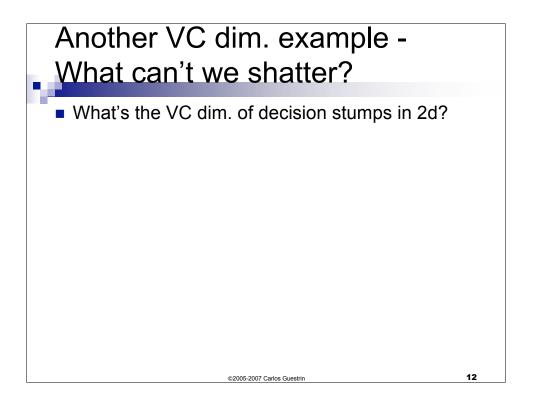
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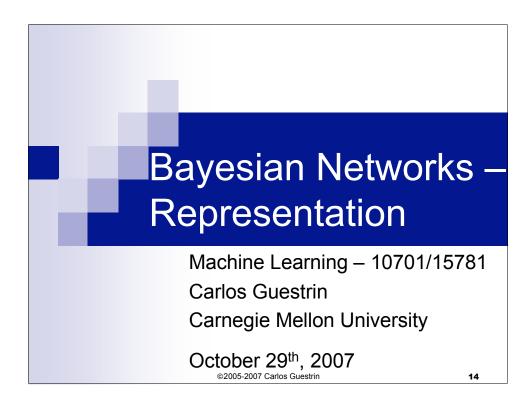


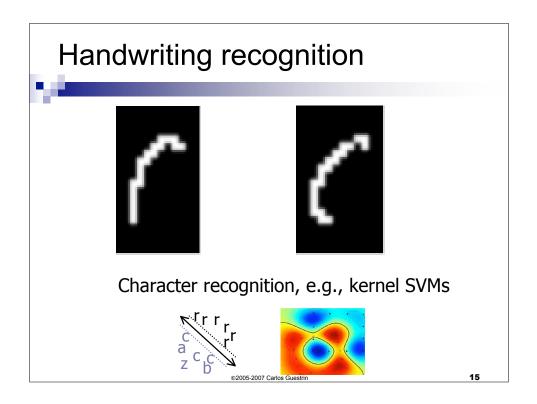


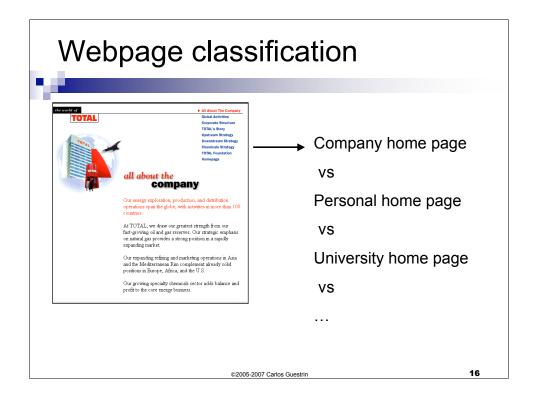


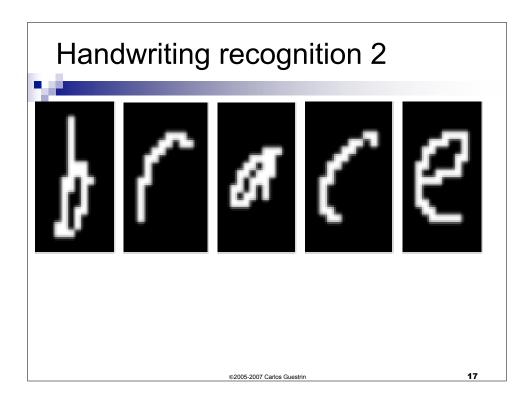


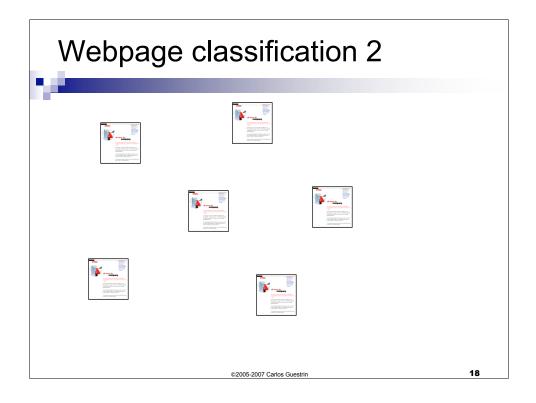


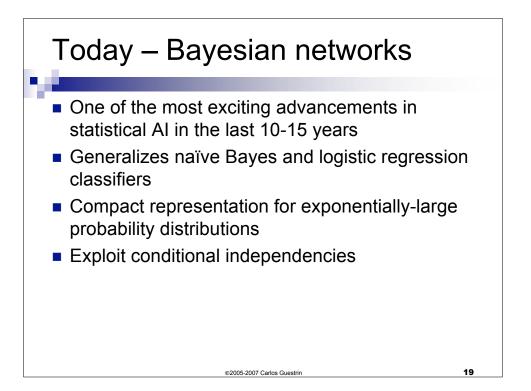


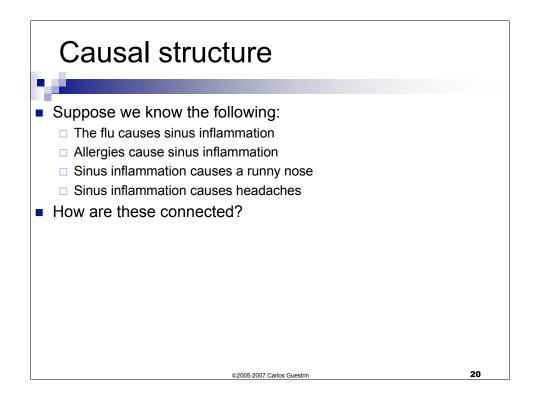


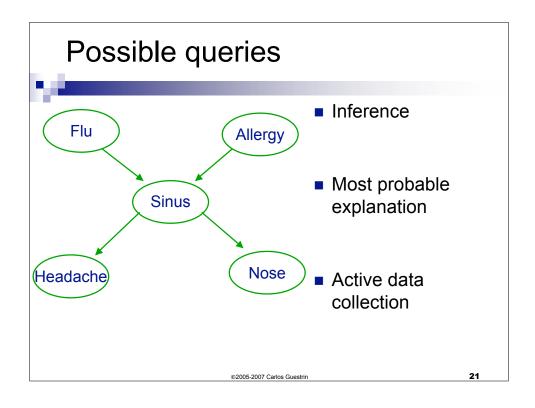


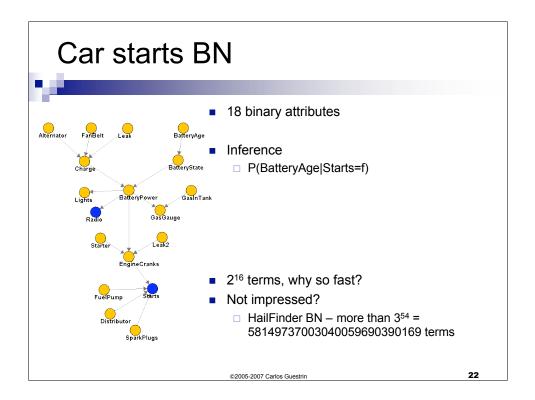


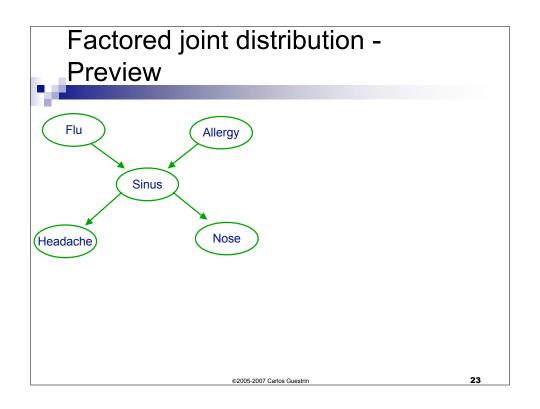


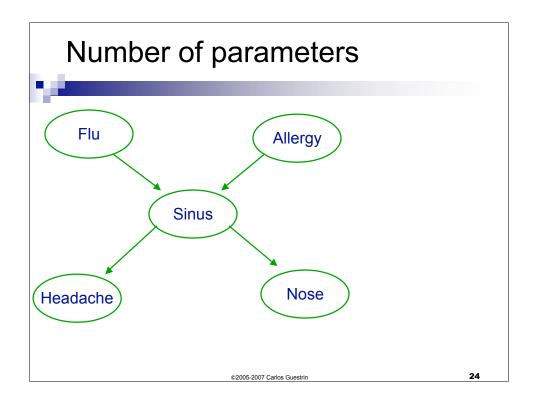


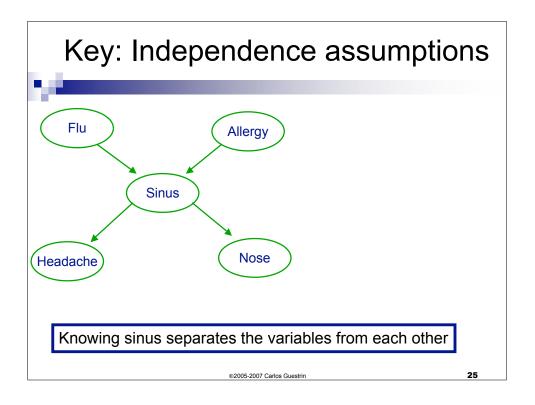


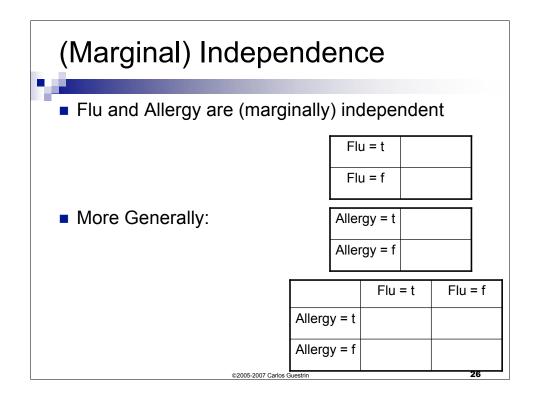


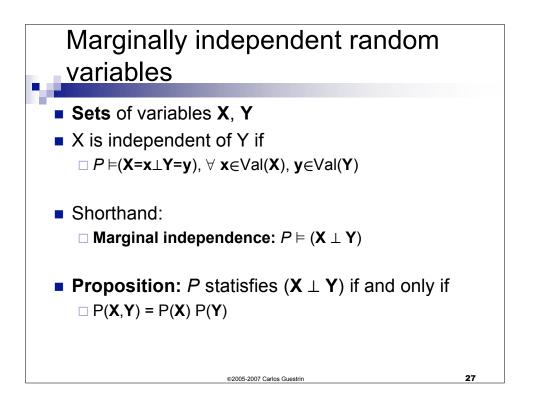


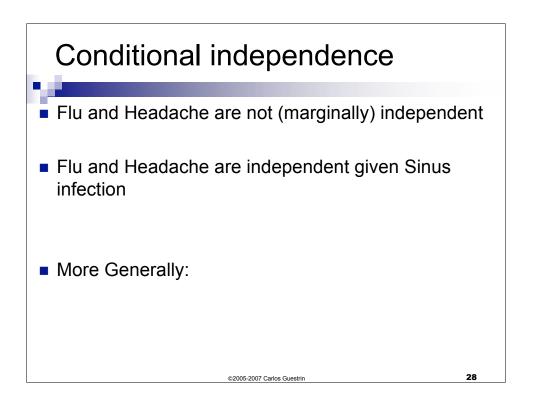


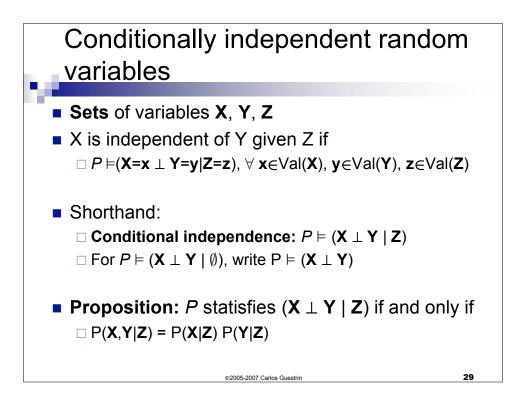


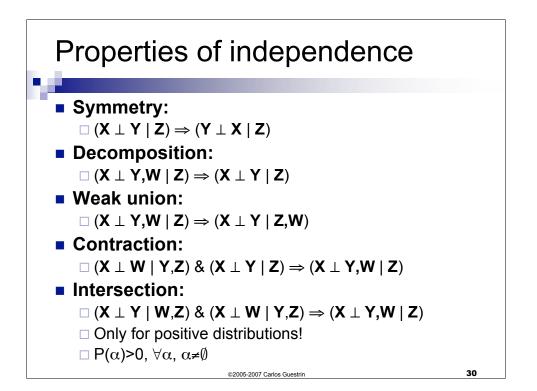


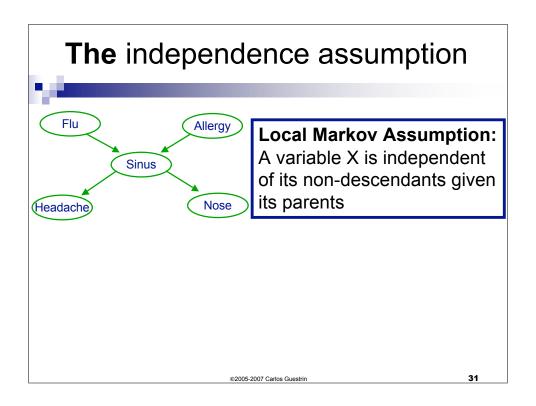


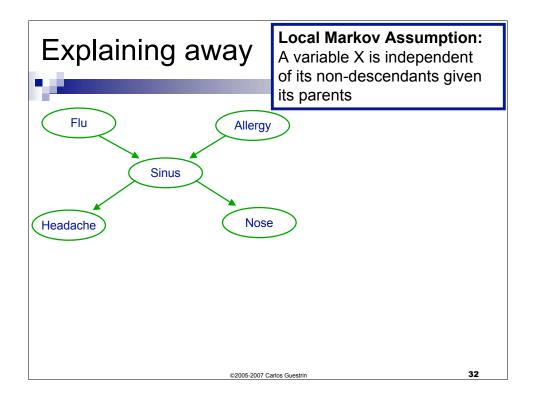


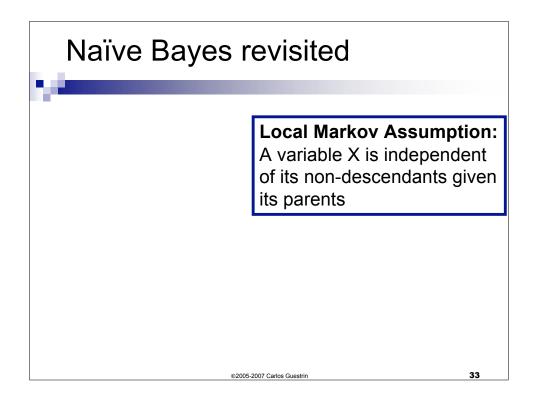


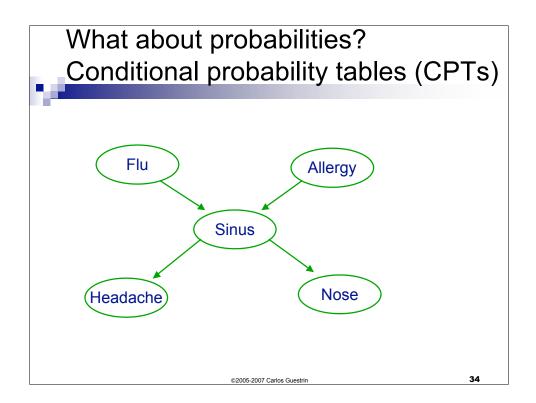


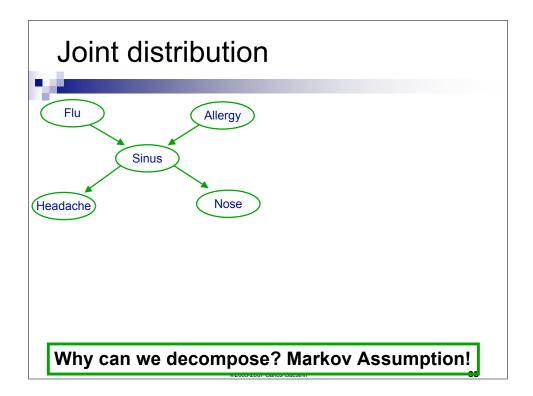


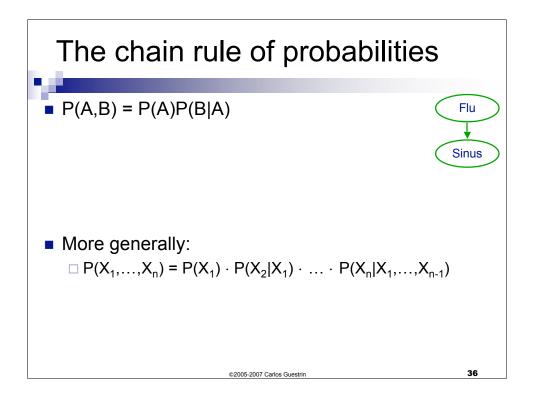


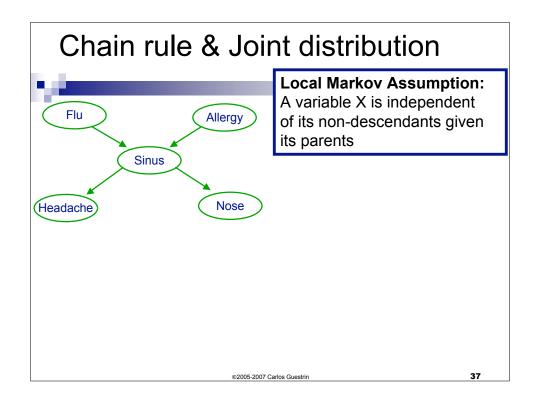


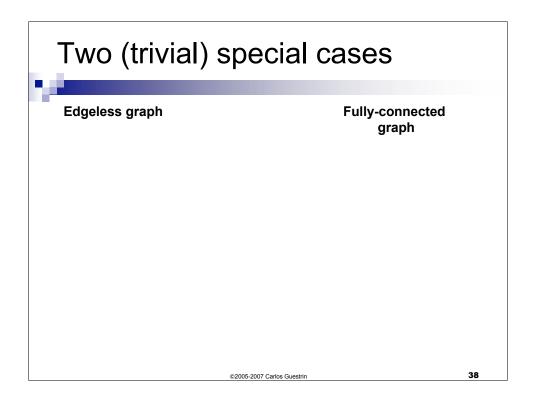


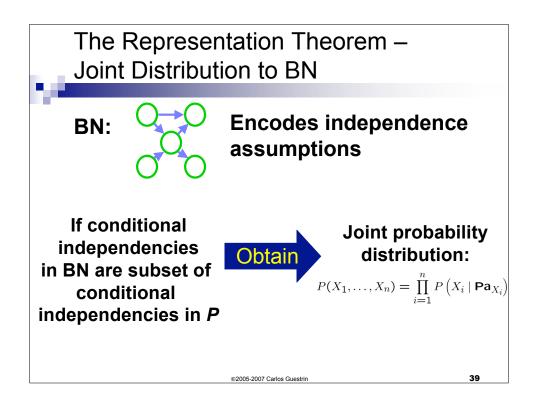


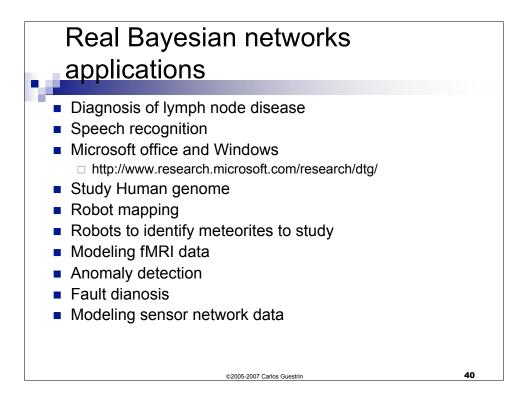


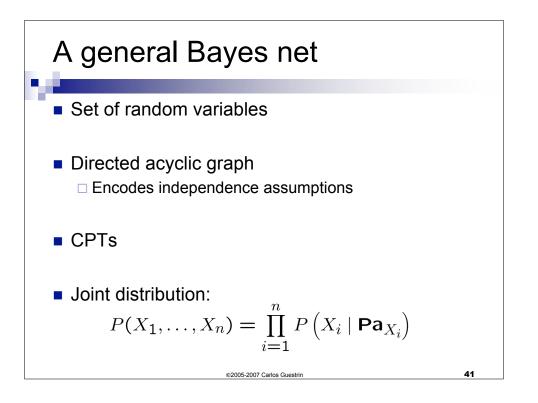


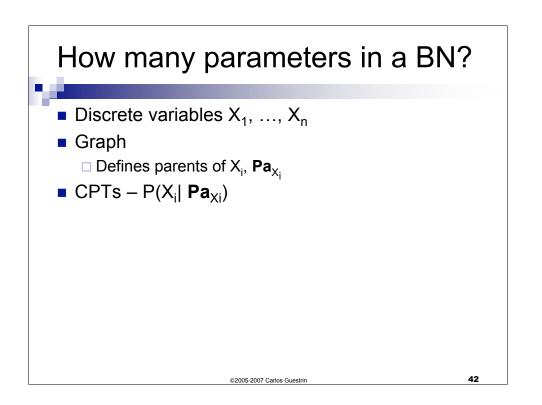


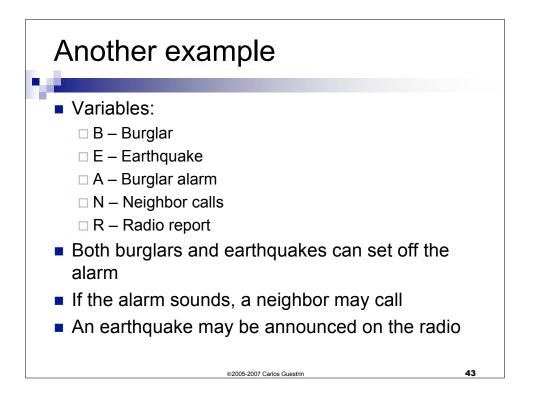


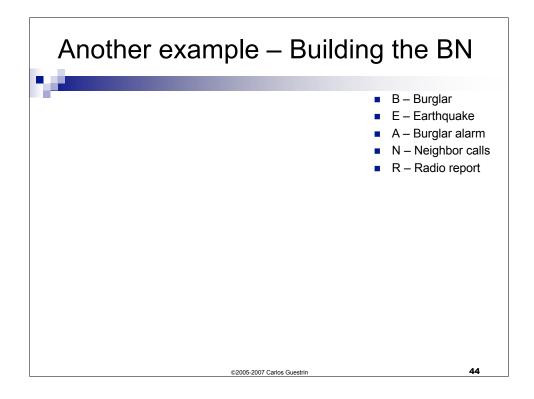


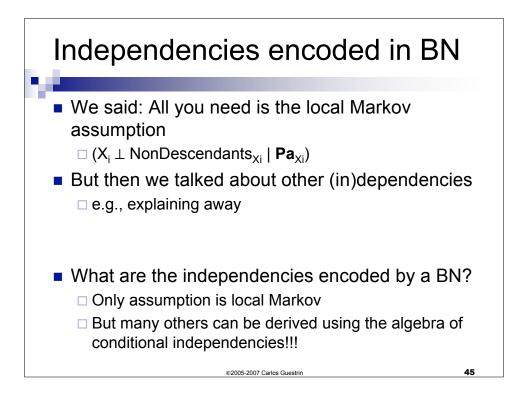


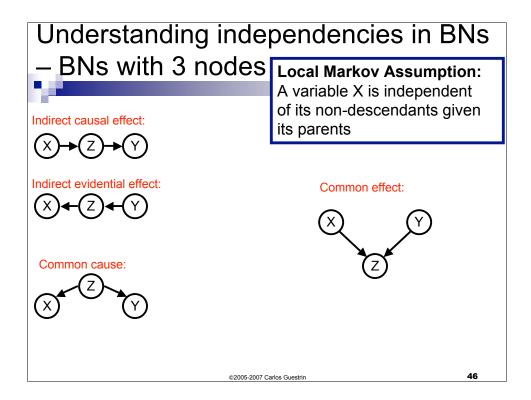


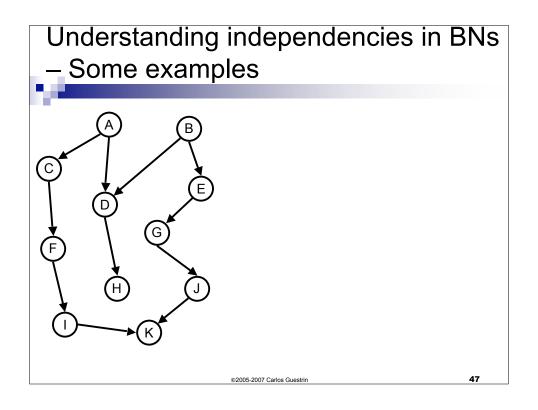


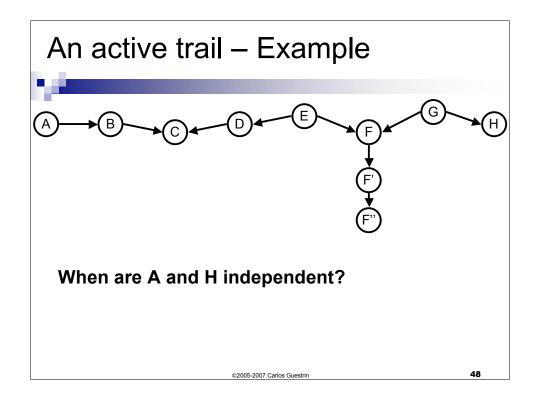


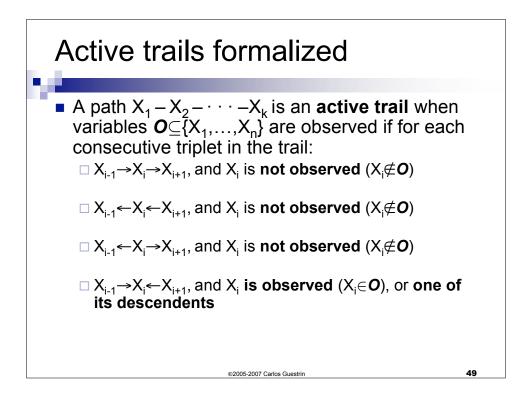


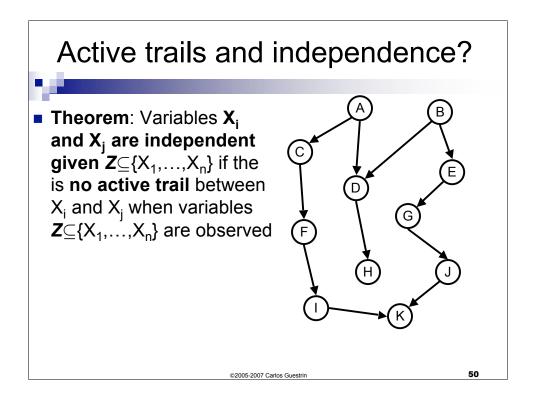


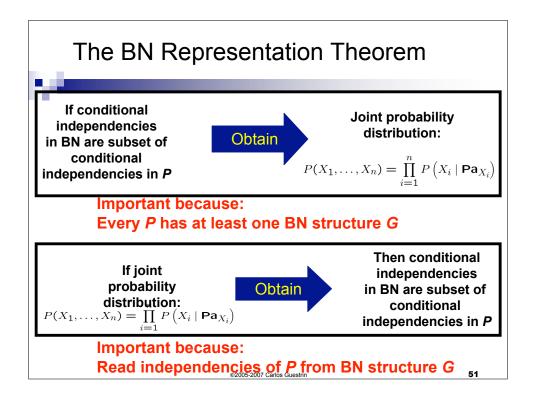


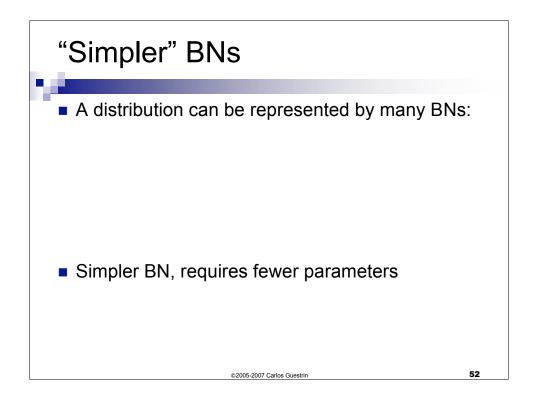












Learning Bayes nets		
	Known structure	Unknown structure
Fully observable data		
Missing data		
Data x ⁽¹⁾ x ^(m)	O→O O→O → + + + +	CPTs – P(X _i Pa _{Xi}) parameters ⁵³

