Model 010: Representing Negative Values in Binary

1. Non-negative -0

Negative - 1
2. 3: 011, -8: 11000

| Bits | Most Positive | Most Negative |
| :---: | :---: | :---: |
| 1 | 0 | -1 |
| 2 | 1 | -2 |
| 3 | 3 | -4 |
| 4 | 7 | -8 |

Model 1: Bit-Level Operations
1.

| Dec | Bin | X \& 0x1 |
| :--- | :--- | :--- |
| -2 | 1110 | 0000 |
| -1 | 1111 | 0001 |
| 0 | 0000 | 0000 |
| 1 | 0001 | 0001 |
| 2 | 0010 | 0000 |

2. The odd, non-zero numbers.
3. 

Model 2: Logical Operations

1. $(0 \times 3 \& \& 0 x C)->0 \times 1$ ( $0 \times 3$ \& $0 x C$ ) $->0 \times 0$
2. 

Model 3: Shifts, Multiplication and Division

1. 011b, 3 decimal
2. -1
3. $-2-1110$
>>1 either 1111 (-1) or 0111 (7)
4. $0 x A->0 \times 5$
5. rem $=x \& 0 x 1$;
$x=x \gg 1$;
Model 1: What if floating point?
6. 1.5213 e 4

Model 2: Binary Scientific Notation

1. $1.0111^{*} 2^{\wedge} 4$
$1.0111^{*} 2^{\wedge} 2$
$1.0111^{*} 2^{\wedge 1}$
$1.0111^{*} 2^{\wedge} 0$
2. 1

## Model 3: IEEE Notation

1. The sign bit. The number is negative.
2. 0111b
3. With no bias, the smallest value with exponent $0 \times 1$ would be 2 , which is greater than 1 .
4. $E=\exp -127=0 \times 1, \exp =128$

Model 4: Extreme Exponents

1. 1.0000
2. No
3. Two, one positive and one negative
4. 0.0001

Model 5: Addition

1. $1.0011^{*} 2^{\wedge} 4$
2. 4 bits
3. 

Model 6: Simple Floating-point

1. $15.5(01101111), 0(00000000)$
2. $7,0 \mathrm{~b} 111$
3. $0 \times 5 \mathrm{C}+0 \times 43=7+2.375=9.375=0 \times 63(9.5)$
4. $0 \times 5 \mathrm{C} * 0 \times 43=7$ * $2.375=16.625=0 \times 70(+$ inf $)$

Model I: Bit Puzzle

1. (assume unsigned arg)
unsigned sign = arg >> 31;
unsigned exp $=(\arg \gg) \&$;
unsigned frac = arg \& ;
2. 
3. 
4. 

Model R: Review

1. Yes. $2^{\wedge} 24$
2. Does not terminate.
