

# *8th Annual Benefit Concert*



***Friday, December 1st***

***7:30 - 10:00 PM***

*(Doors open at 7:00 PM)*

*Pittsburgh Friends Meeting House*

*4836 Ellsworth Avenue, 15213*

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*An evening of music with*

***Smokestack Lightning***

*and special guests Raging Grannies, Chie Togami, Penny  
Anderson, Chuck Bowen and Sarah Bowen-Salio*

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***Donation: \$15 (\$6 students/unemployed)***

*Bake Sale & Refreshments*

*Benefit for Casa San Jose & Pittsburghers for Public Transit*

# Parameter Servers

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(slides courtesy of Aurick Qiao, Joseph Gonzalez, Wei Dai, and Jinliang Wei)

# Regret analysis for on-line optimization

# Slow Learners are Fast

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2009

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## Algorithm 1 Delayed Stochastic Gradient Descent

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**Input:** Feasible space  $X \subseteq \mathbb{R}^n$ , annealing schedule  $\eta_t$  and delay  $\tau \in \mathbb{N}$

Initialization: set  $x_1 \dots, x_\tau = 0$  and compute corresponding  $g_t = \nabla f_t(x_t)$ .

**for**  $t = \tau + 1$  **to**  $T + \tau$  **do**

    Obtain  $f_t$  and incur loss  $f_t(x_t)$

    Compute  $g_t := \nabla f_t(x_t)$

    Update  $x_{t+1} = \operatorname{argmin}_{x \in X} \|x - (x_t - \eta_t g_{t-\tau})\|$  (Gradient Step and Projection)

**end for**

---

## RECAP

$f$  is loss function,  $x$  is parameters

1. Take a gradient step:  $x' = x_t - \eta_t g_t$
2. If you've restricted the parameters to a subspace  $X$  (e.g., must be positive, ...) find the closest thing in  $X$  to  $x'$ :  $x_{t+1} = \operatorname{argmin}_x \operatorname{dist}(x - x')$
3. But... you might be using a "stale"  $g$  (from  $\tau$  steps ago)

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### Algorithm 1 Delayed Stochastic Gradient Descent

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    Compute  $g_t := \nabla f_t(x_t)$

    Update  $x_{t+1} = \operatorname{argmin}_x \operatorname{dist}(x - \eta_t g_{t-\tau})$  (Gradient Step)

**end for**

---

Regret: how much loss was incurred **during learning**, over and above the loss incurred with an optimal choice of  $x$

$$R[X] := \sum_{t=1}^T f_t(x_t) - f_t(x^*).$$

Special case:

- $f_t$  is 1 if a mistake was made, 0 otherwise
- $f_t(x^*) = 0$  for optimal  $x^*$

Regret = # mistakes made in learning

**Theorem:** you can find a learning rate so that the regret of delayed SGD is bounded by

$$R[X] \leq 4FL\sqrt{\tau T}$$

$T$  = # timesteps  
 $\tau$  = staleness  $> 0$

$$\max_{x, x' \in X} D(x \| x') \leq F^2$$

$$D(x \| x') := \frac{1}{2} \|x - x'\|^2$$

$$\|\nabla f_t(x)\| \leq L$$

**Theorem 8:** you can do better if you assume (1) examples are i.i.d. (2) the gradients are smooth, analogous to the assumption about  $L$ : Then you can show a bound on expected regret

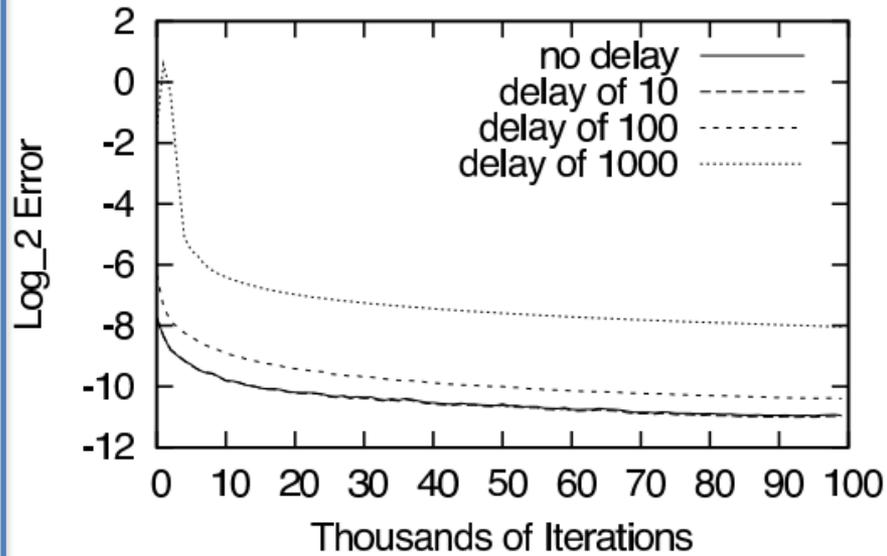
$$\mathbf{E}[R[X]] \leq \left[ 28.3F^2H + \frac{2}{3}FL + \frac{4}{3}F^2H \log T \right] \tau^2 + \frac{8}{3}FL\sqrt{T}.$$

dominant term

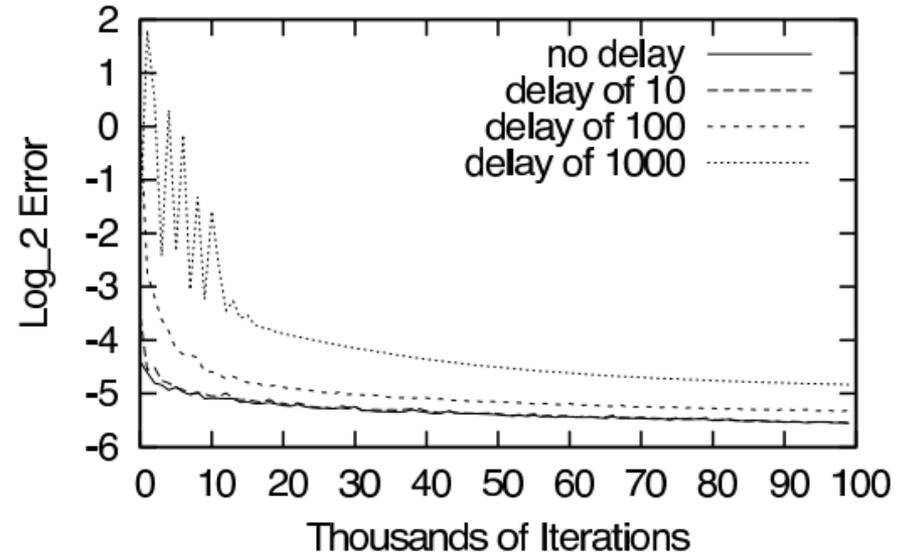
No-delay loss

# Experiments

Performance on TREC Data



Performance on Real Data

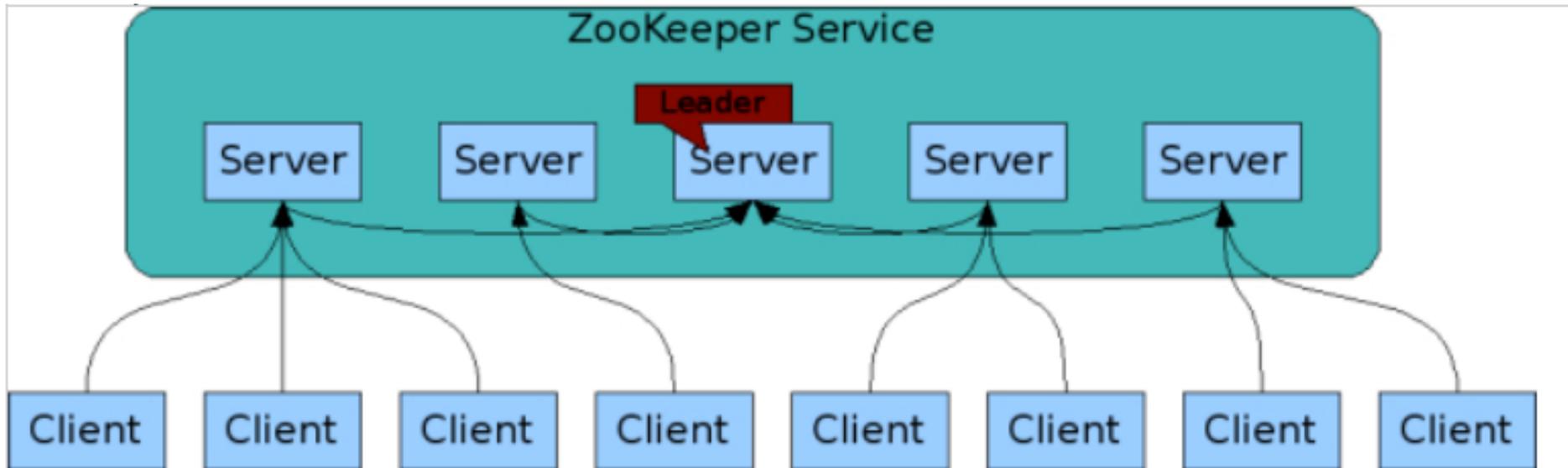


# Summary of “Slow Learners are Fast”

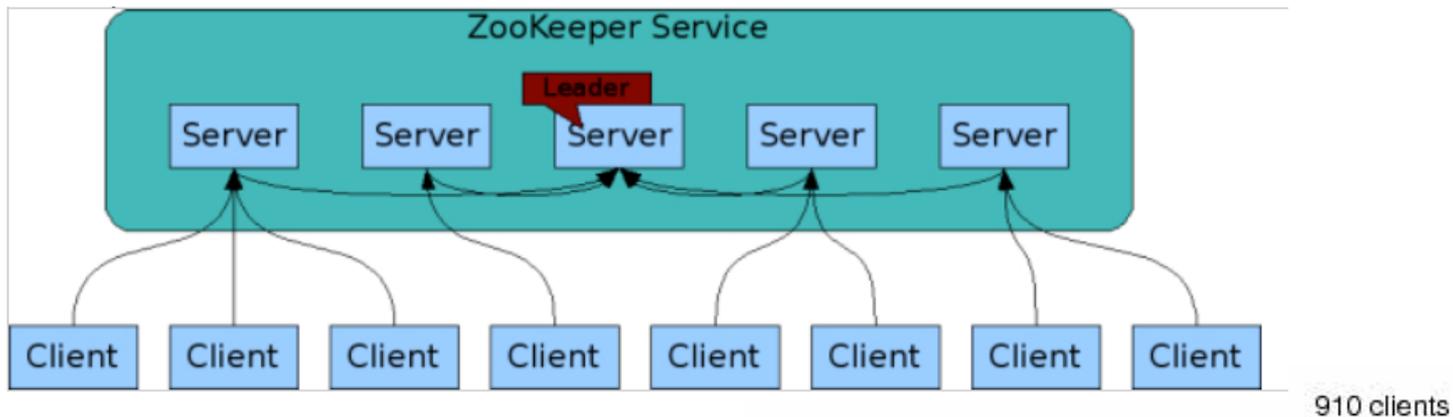
- Generalization of iterative parameter mixing
  - run multiple learners in parallel
  - conceptually they share the same weight/parameter vector BUT ...
- Learners share weights *imperfectly*
  - learners are *almost* synchronized
  - there’s a bound  $\tau$  on **how stale** the shared weights get
- Having to coordinate parallel processes with shared data is very common

# Background: Distributed Coordination Services

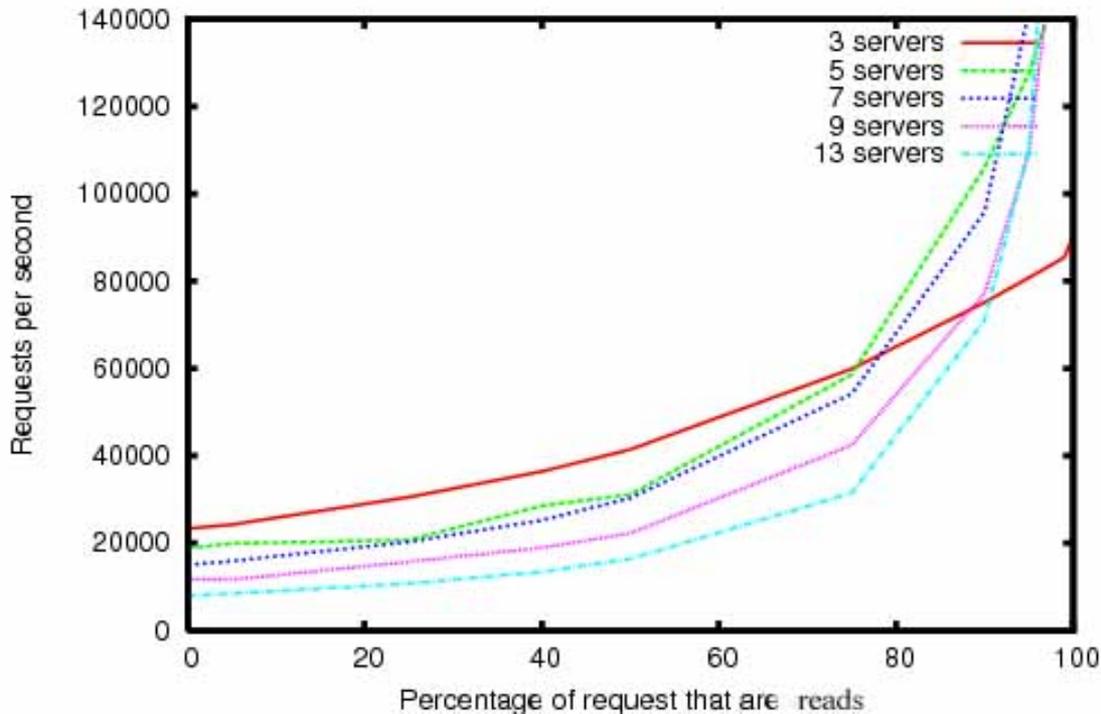
- Example: Apache ZooKeeper
- Distributed processes coordinate through shared “data registers” (aka *znodes*) which look a bit like a shared in-memory filesystem



# Background: Distributed Coordination Services



- Client:
  - create /w\_foo
  - set /w\_foo "bar"
  - get /w\_foo → "bar"
- Better with more reads than writes

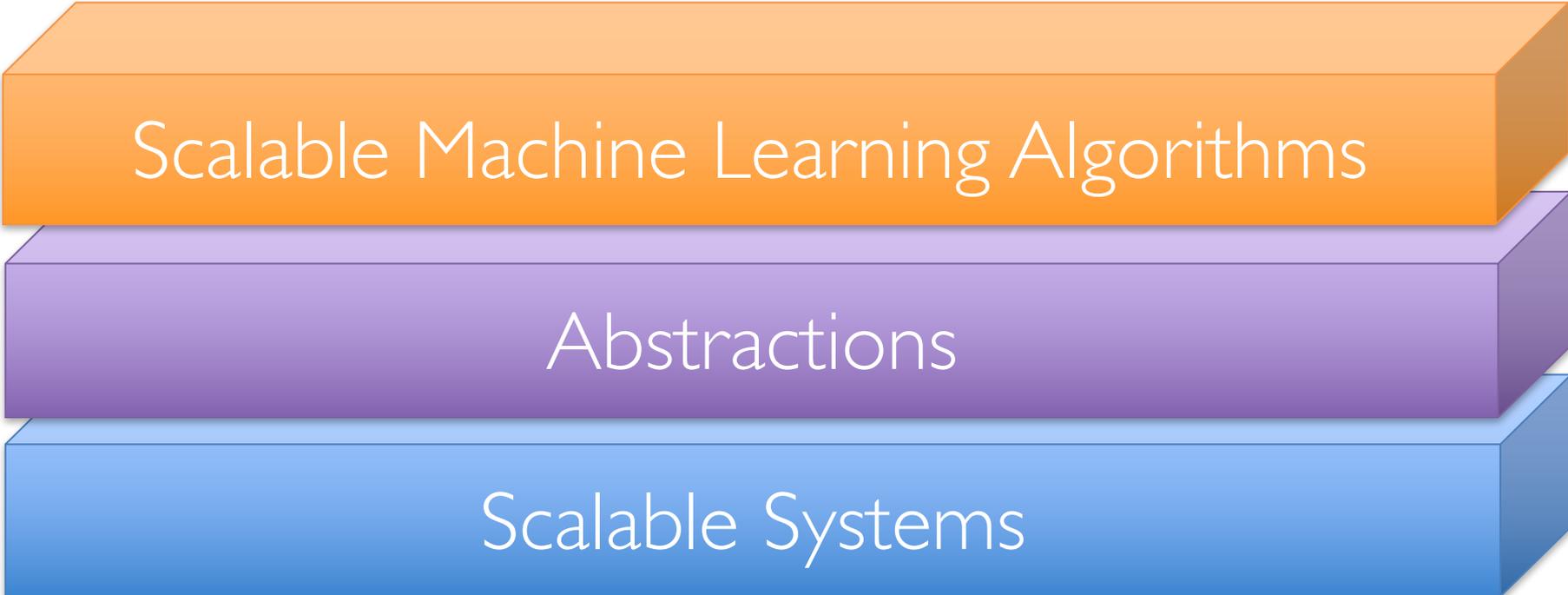


# Parameter Servers

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(slides courtesy of Aurick Qiao  
Joseph Gonzalez, Wei Dai, and Jinliang  
Wei)

# ML Systems



Scalable Machine Learning Algorithms

Abstractions

Scalable Systems

# ML Systems Landscape

Dataflow Systems



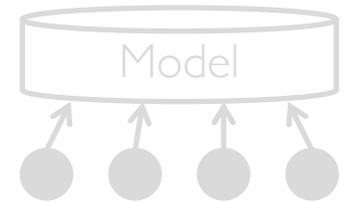
Hadoop,  
Spark

Graph Systems



GraphLab,  
Tensorflow

Shared Memory  
Systems



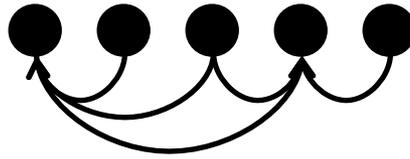
Bosen, DMTK,  
ParameterServer.org

# ML Systems Landscape

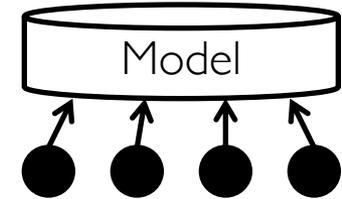
Dataflow Systems



Graph Systems



Shared Memory Systems



Algorithms

Hadoop,  
Spark

GraphLab,  
Tensorflow

Bosen, DMTK,  
ParameterServer.org

# ML Systems Landscape

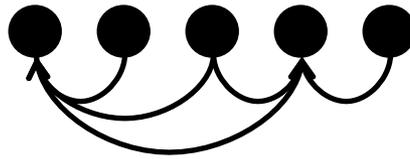
Dataflow Systems



Naïve Bayes,  
Rocchio

Hadoop,  
Spark

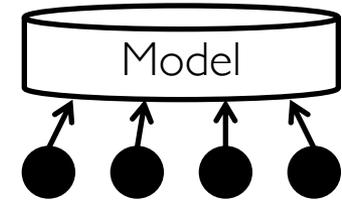
Graph Systems



Graph Algorithms,  
Graphical Models

GraphLab,  
Tensorflow

Shared Memory  
Systems



SGD, Sampling  
*[NIPS'09, NIPS'13]*

Bosen, DMTK,  
ParameterServer.org

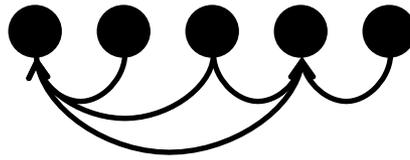
# ML Systems Landscape

Dataflow Systems



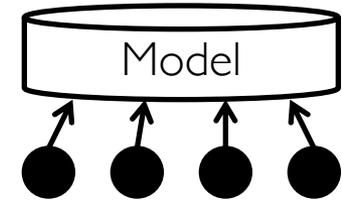
Naïve Bayes,  
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Graph Systems



Graph Algorithms,  
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Abstractions

Hadoop &  
Spark

GraphLab,  
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Bosen, DMTK,  
ParameterServer.org

# ML Systems Landscape

Dataflow Systems

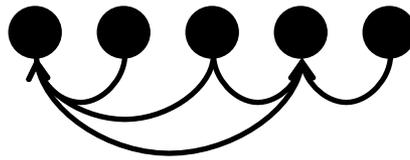


Naïve Bayes,  
Rocchio

PIG, GuineaPig,  
...

Hadoop &  
Spark

Graph Systems

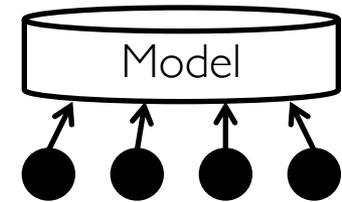


Graph Algorithms,  
Graphical Models

Vertex-Programs  
[UAI'10]

GraphLab,  
Tensorflow

Shared Memory  
Systems



SGD, Sampling  
[NIPS'09, NIPS'13]

Parameter Server  
[VLDB'10]

Bosen, DMTK,  
ParameterServer.org

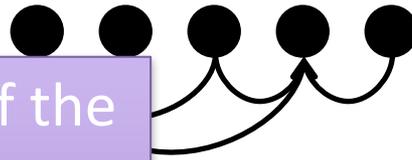
# ML Systems Landscape

Dataflow Systems

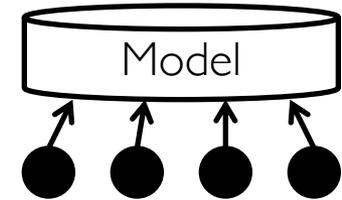


Simple case: Parameters of the ML system are stored in a **distributed** hash table that is accessible thru the **network**

Graph Systems



Shared Memory Systems



[NIPS'09, NIPS'13]

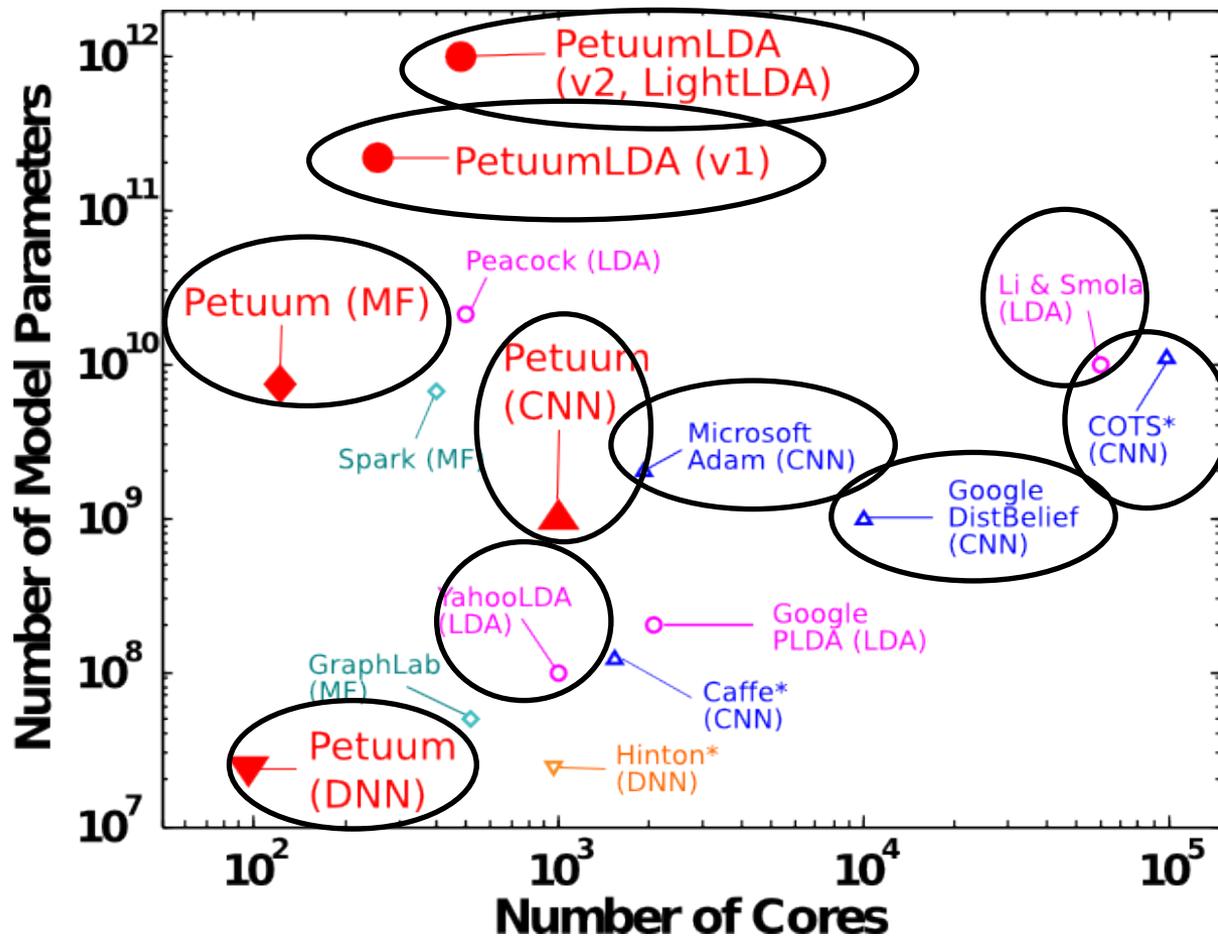
Param Servers used in Google, Yahoo, ....  
Academic work by Smola, Xing, ...

**Parameter Server**

[VLDB'10]

Petuum closes \$93 Million Series B round led by SoftBank with participation from previous investor Advantech Capital, becoming one of the highest funded early-stage Artificial Intelligence and Machine Learning startups

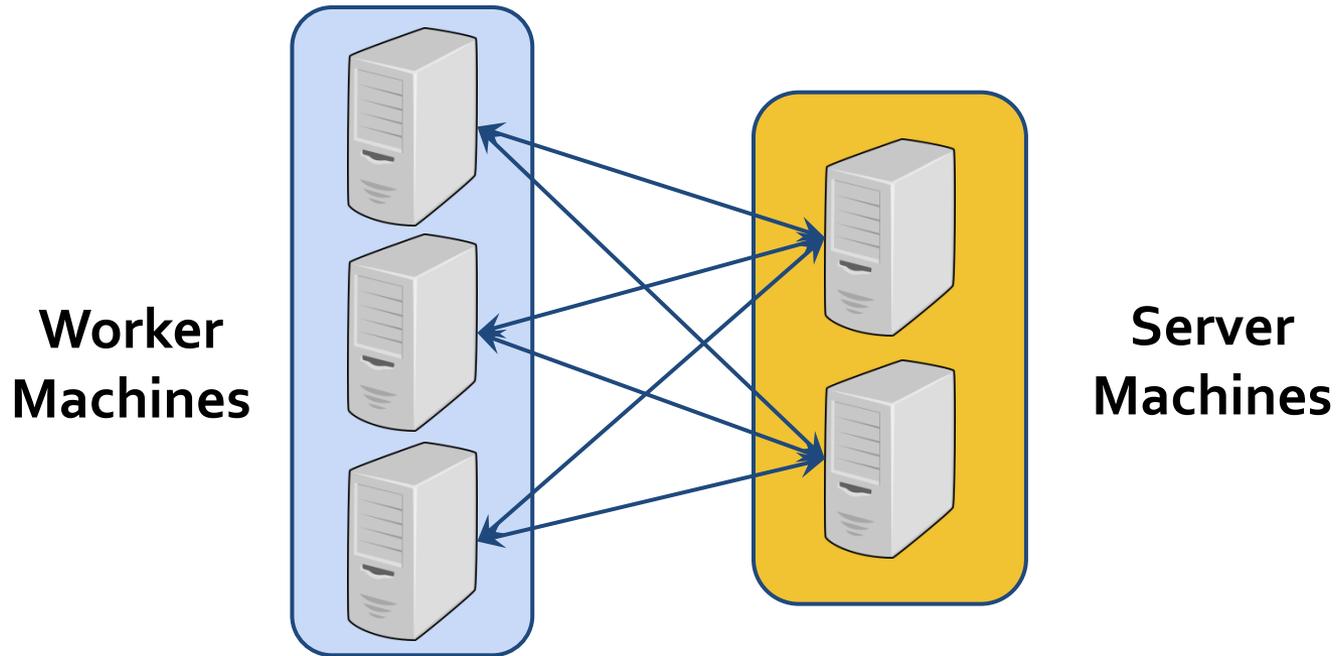
# Parameter Servers Are Flexible



LDA - Topic Model  
MF - Matrix Factorization  
CNN - Convolutional Neural Network  
DNN - Deep Neural Network  
\*GPU cores

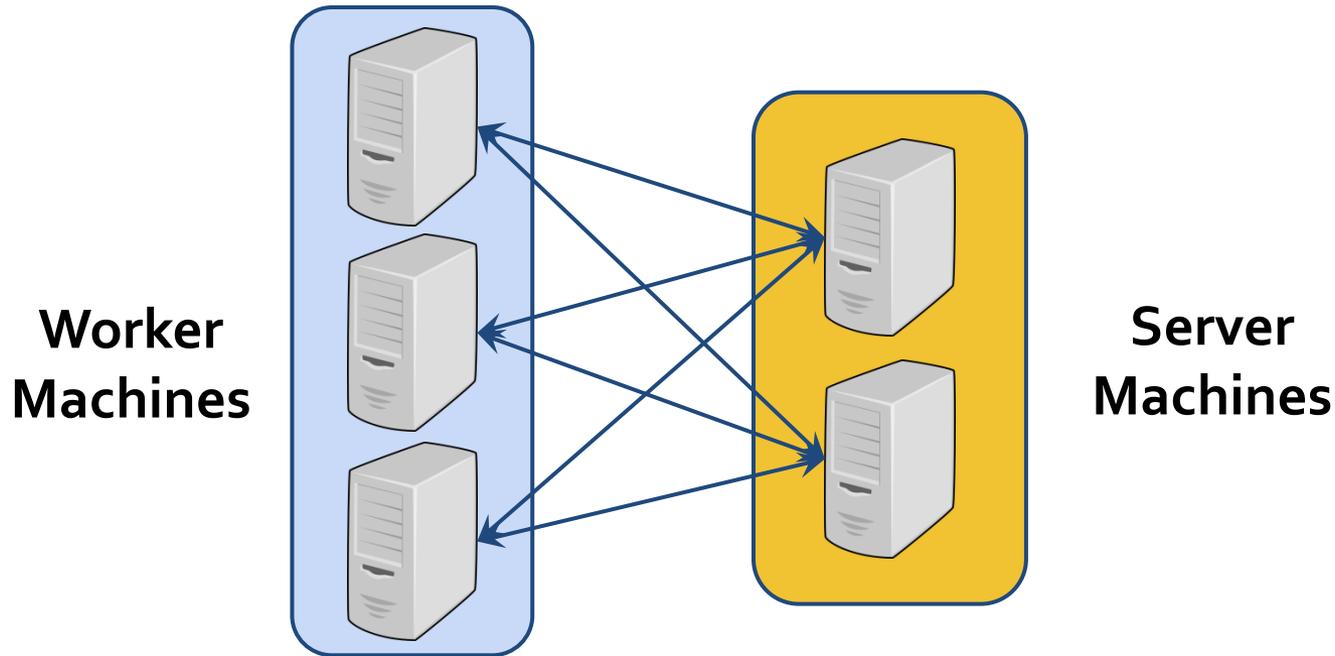
Implemented with Parameter Server

# Parameter Server (PS)



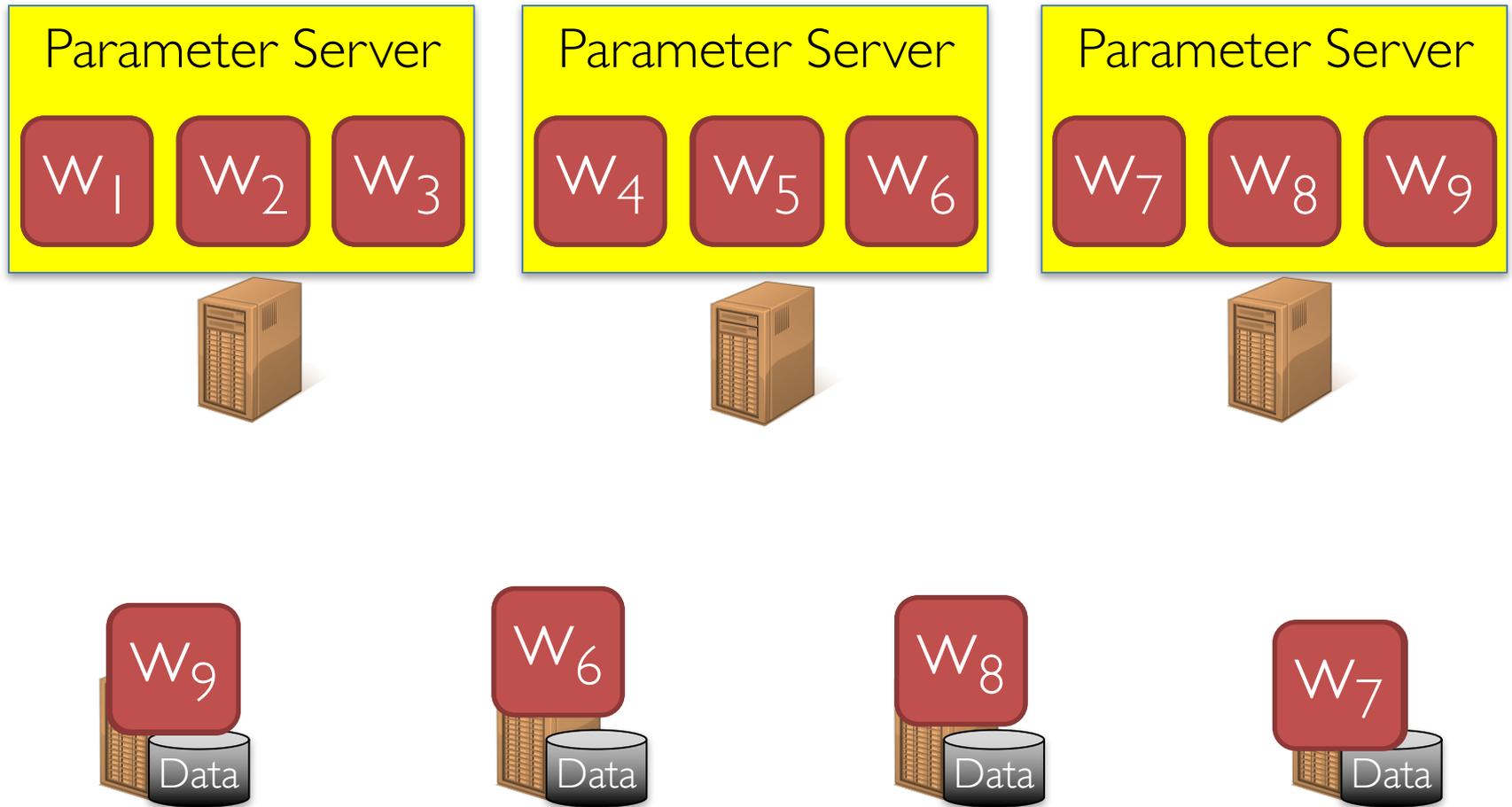
- Model parameters are stored on PS machines and accessed via key-value interface (distributed shared memory)
- **Extensions:** multiple keys (for a matrix); multiple "channels" (for multiple sparse vectors, multiple clients for same servers, ...)

# Parameter Server (PS)



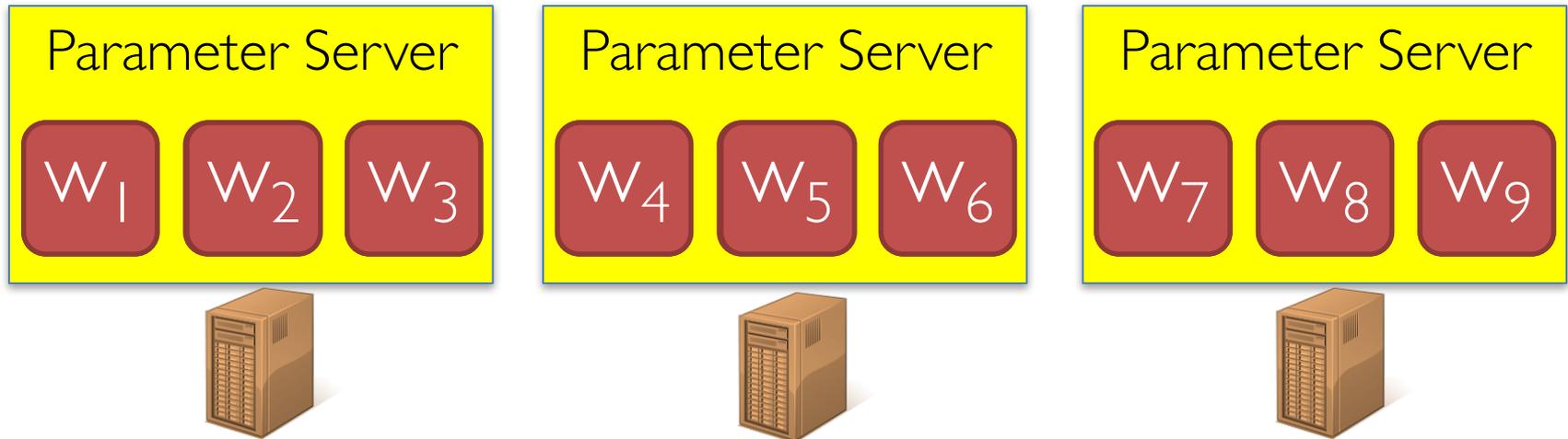
- **Extensions:** push/pull interface to send/receive most recent copy of (subset of) parameters, blocking is **optional**
- **Extension:** can block until push/pulls with clock  $< (t - \tau)$  complete

# Data parallel learning with PS



Split Data Across Machines

# Data parallel learning with PS



1. Different parts of the **model** on different servers.
2. Workers retrieve the part needed **as needed**



Split Data Across Machines

# Abstraction used for Data parallel learning with PS

Key-Value API for workers:

1. `get(key)` → value

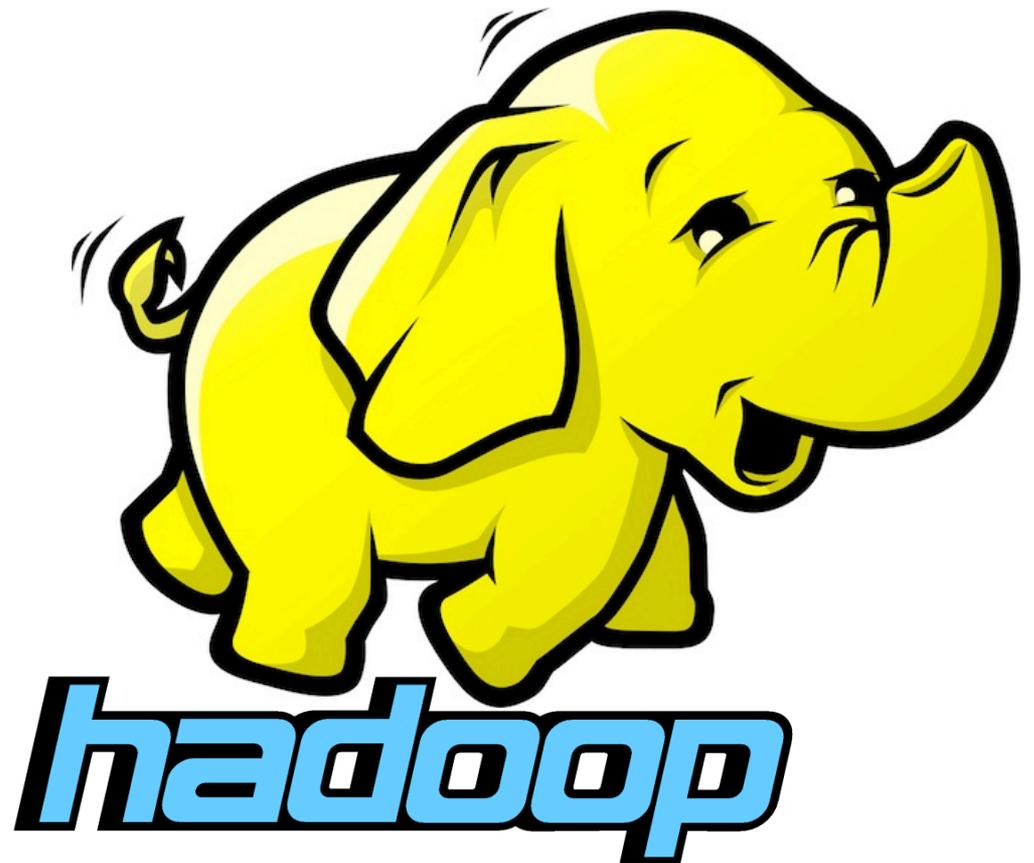
$$\delta_i \leftarrow f(x_i, \text{Model})$$

2. `add(key, delta)`

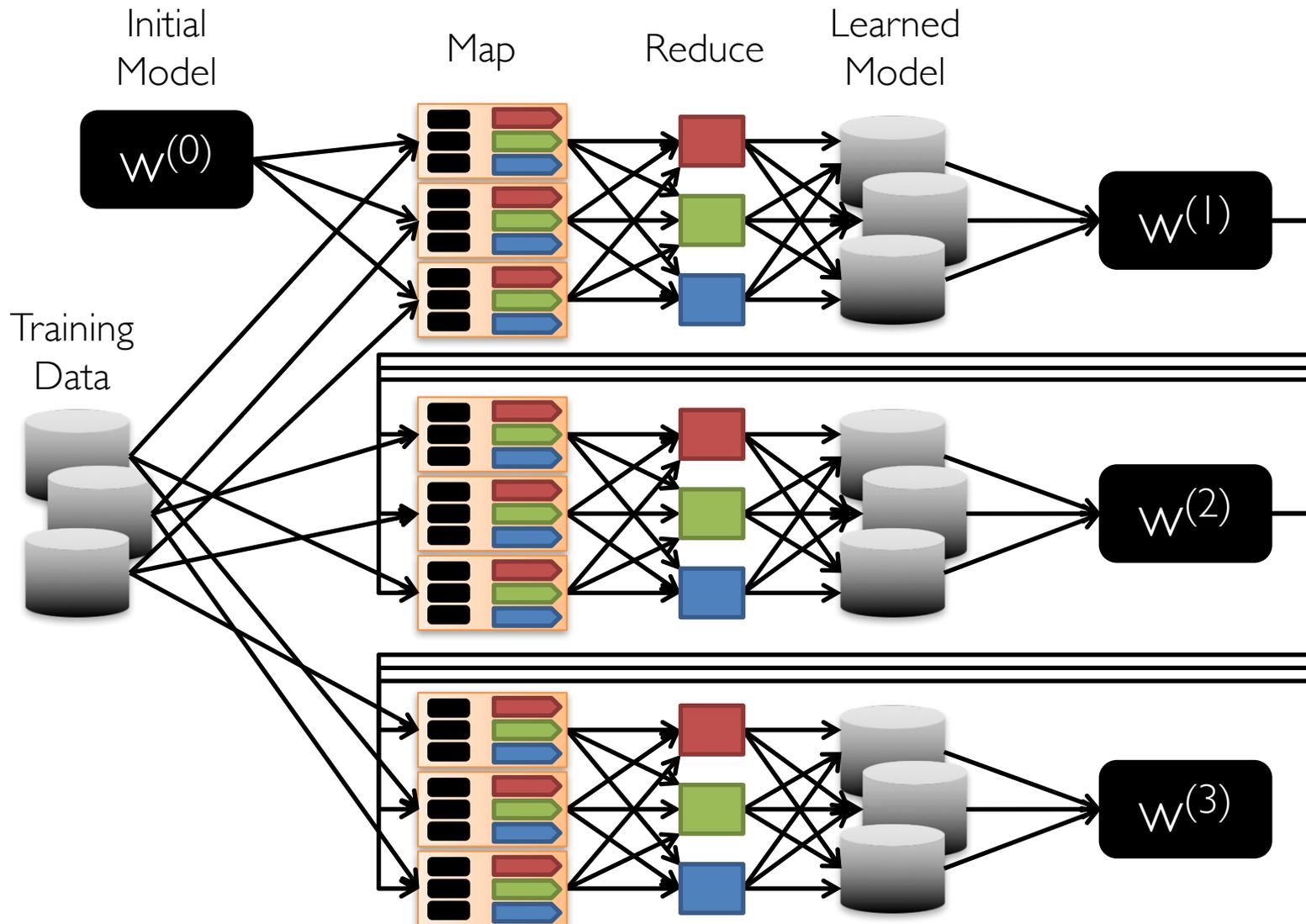
$$\text{Model} \leftarrow \text{Model} \oplus \delta_i$$

# PS vs Hadoop

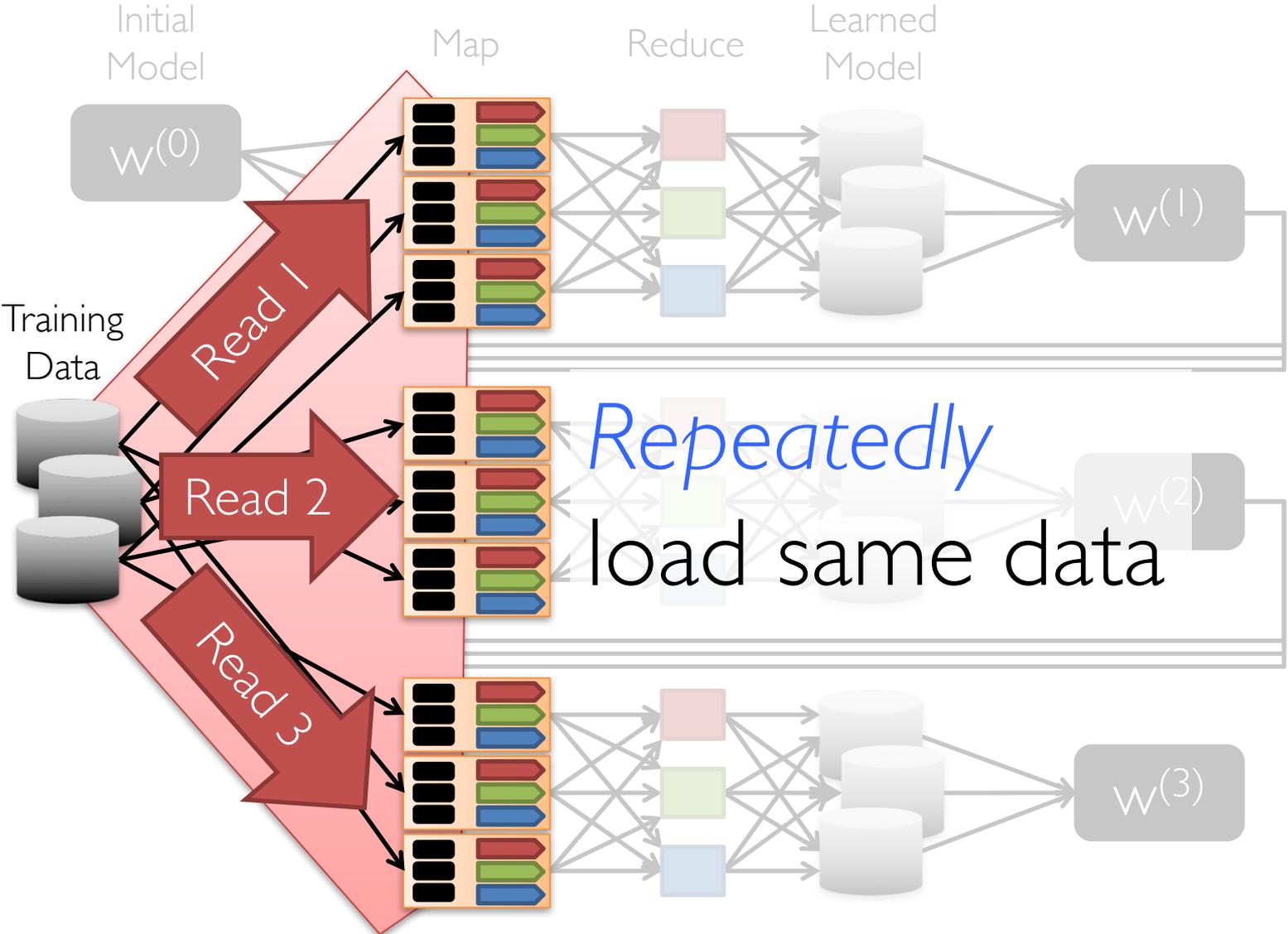
Map-Reduce



# Iteration in Map-Reduce (IPM)



# Cost of Iteration in Map-Reduce



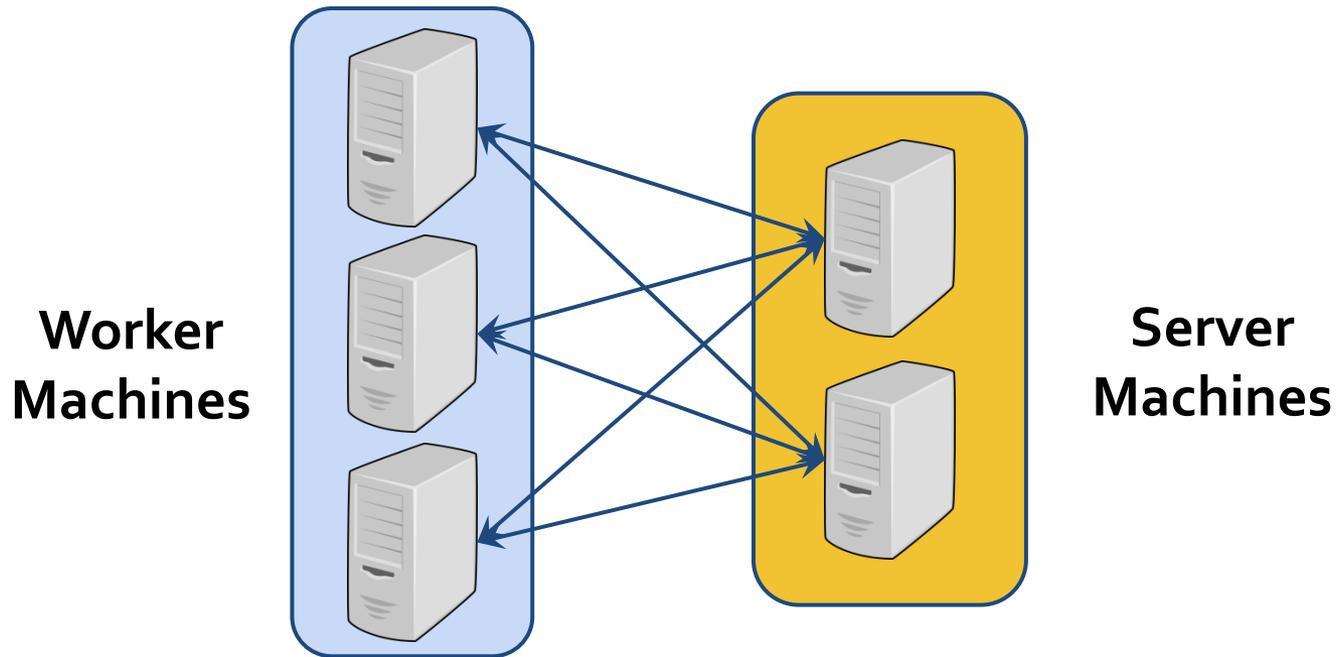


# Parameter Servers

Stale  
Synchronous  
Parallel  
Model

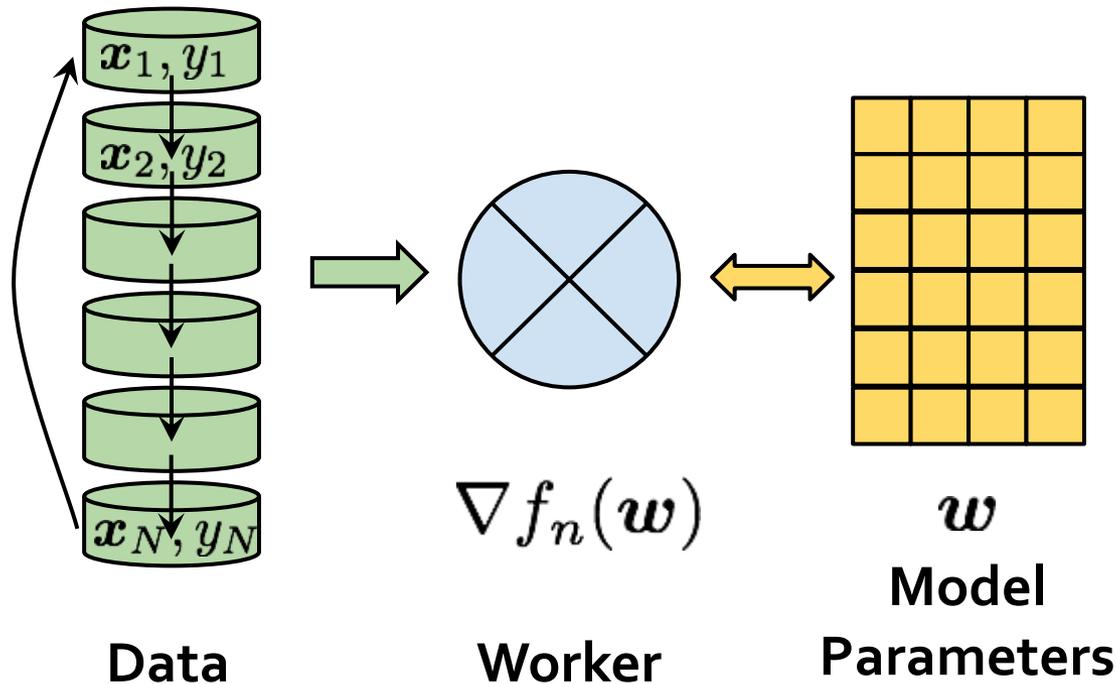
(slides courtesy of Aurick Qiao  
Joseph Gonzalez, Wei Dai, and Jinliang  
Wei)

# Parameter Server (PS)



- Model parameters are stored on PS machines and accessed via key-value interface (distributed shared memory)

# Iterative ML Algorithms



- Topic Model, matrix factorization, SVM, Deep Neural Network...

# Map-Reduce vs. Parameter Server

Data  
Model

Independent  
Records

Independent  
Data

Programming  
Abstraction

Map & Reduce

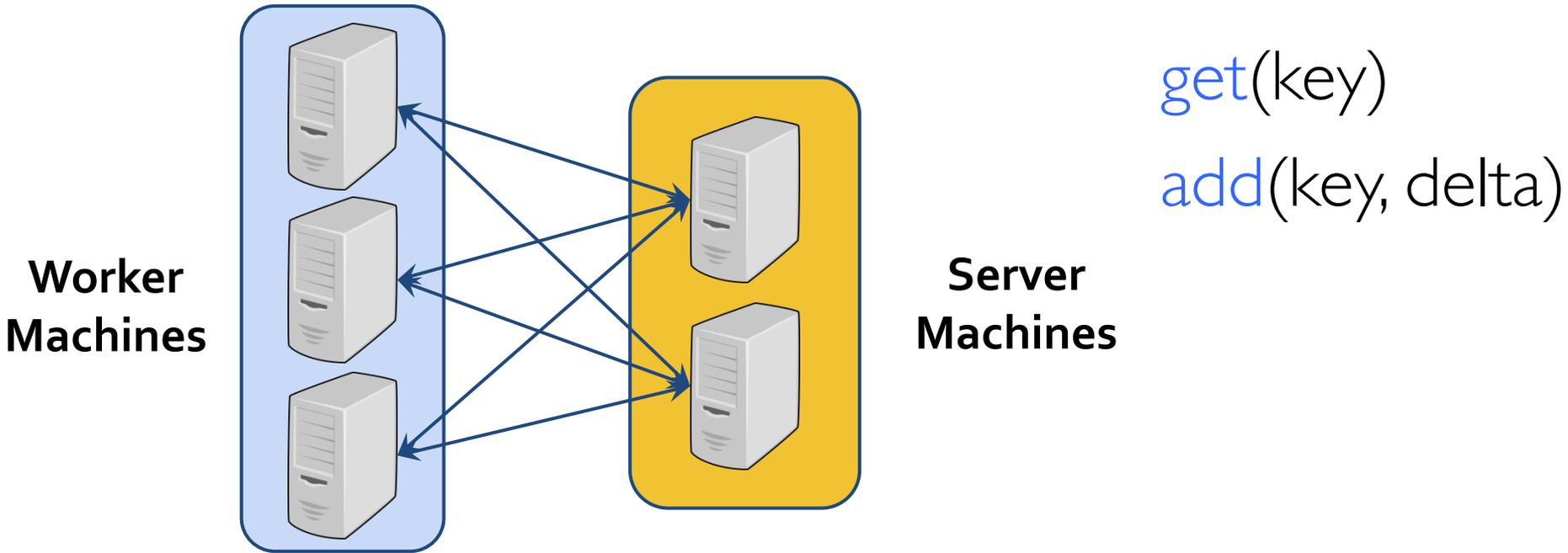
Key-Value Store  
(Distributed Shared  
Memory)

Execution  
Semantics

Bulk Synchronous  
Parallel (BSP)

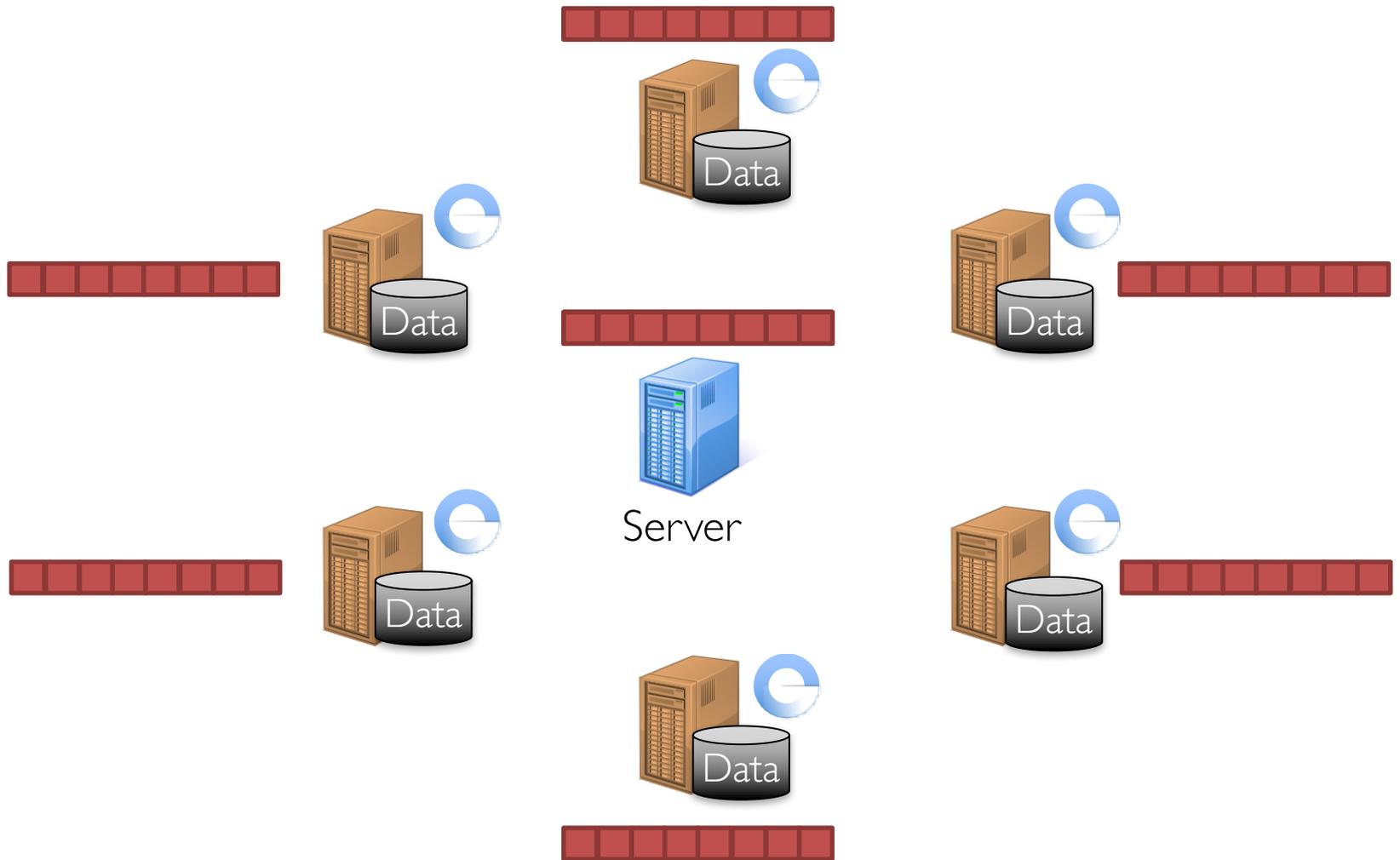
?

# The Problem: Networks Are Slow!



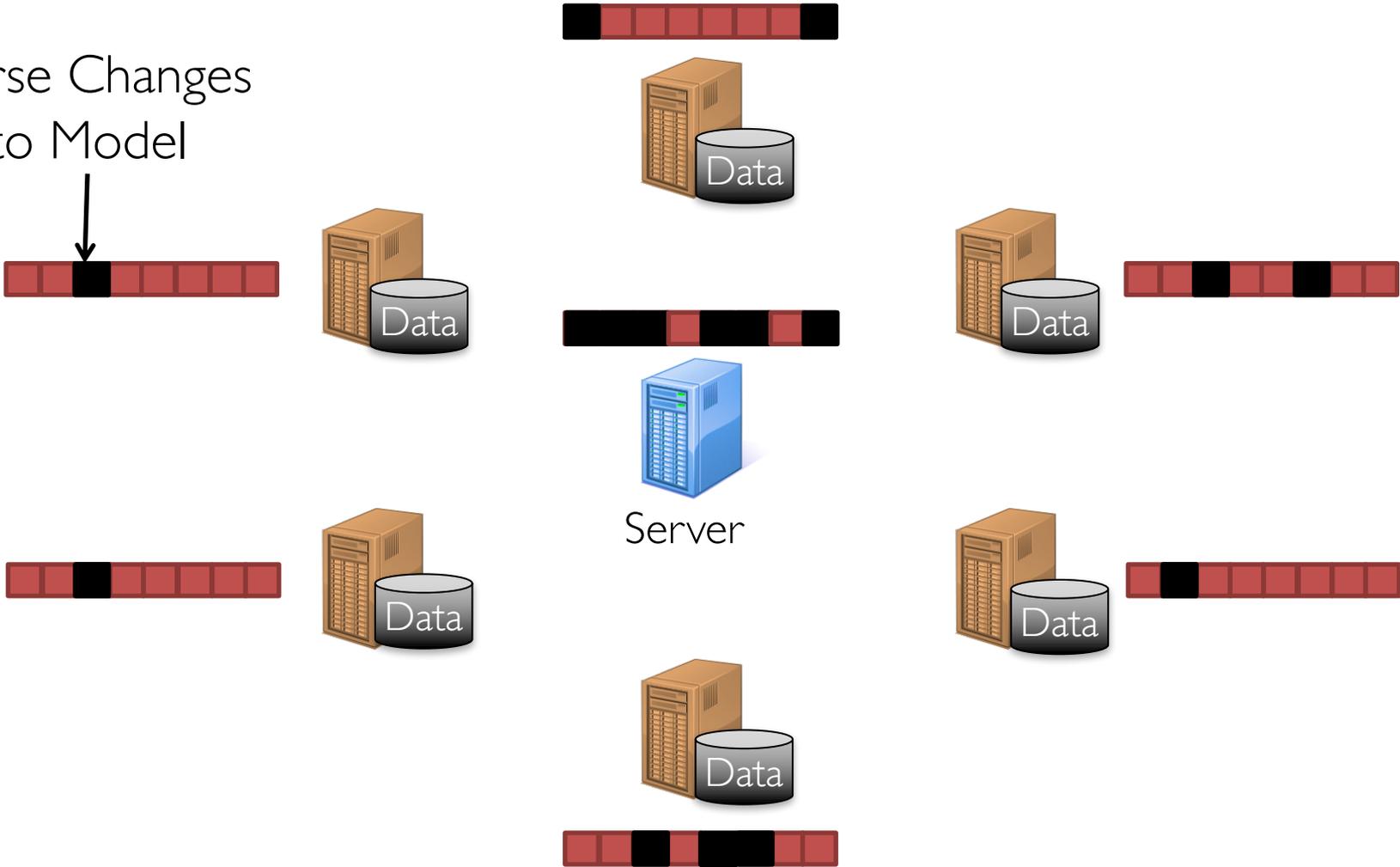
- Network is slow compared to local memory access
- We want to explore options for handling this....

# Solution I: Cache Synchronization



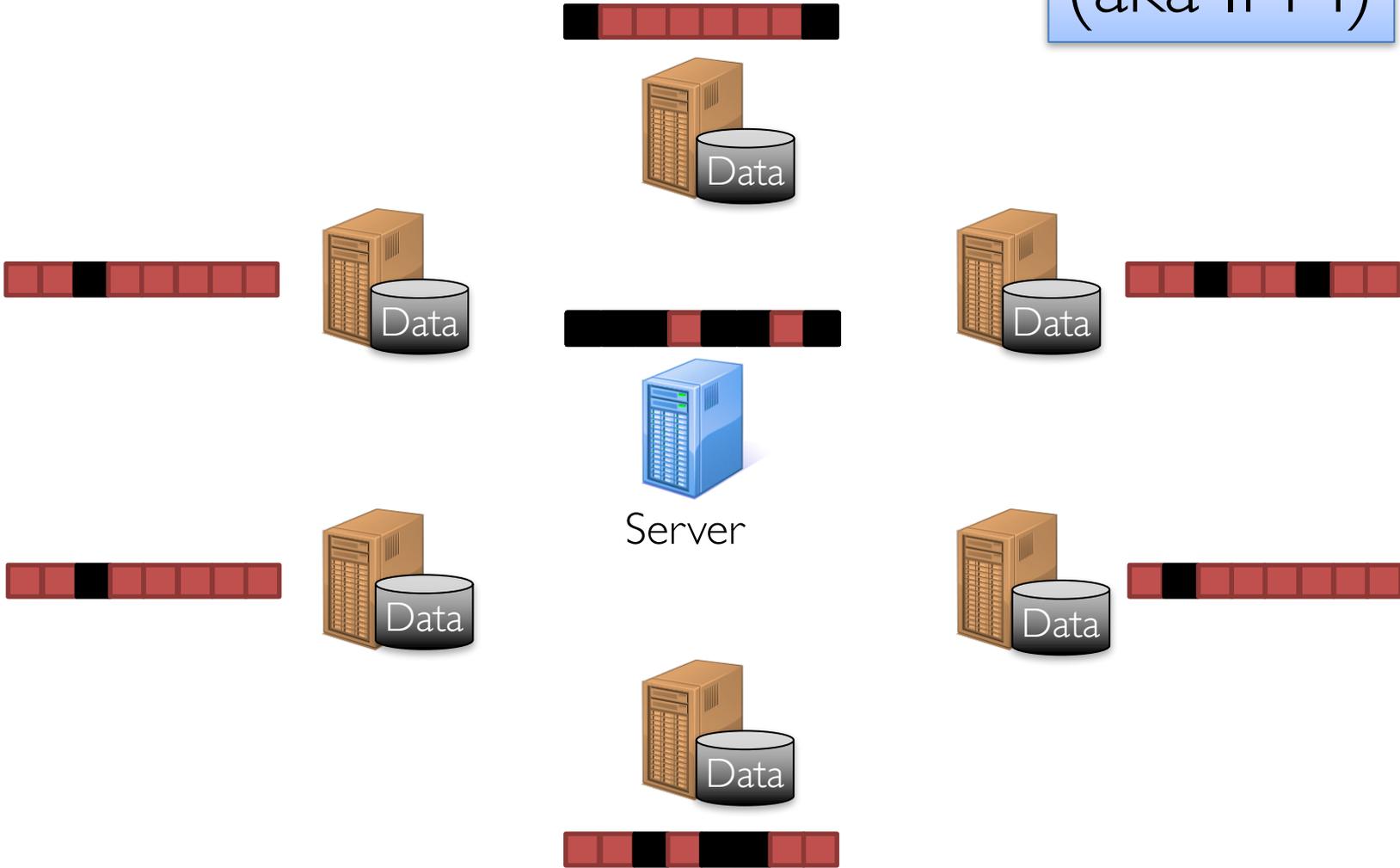
# Parameter Cache Synchronization

Sparse Changes  
to Model

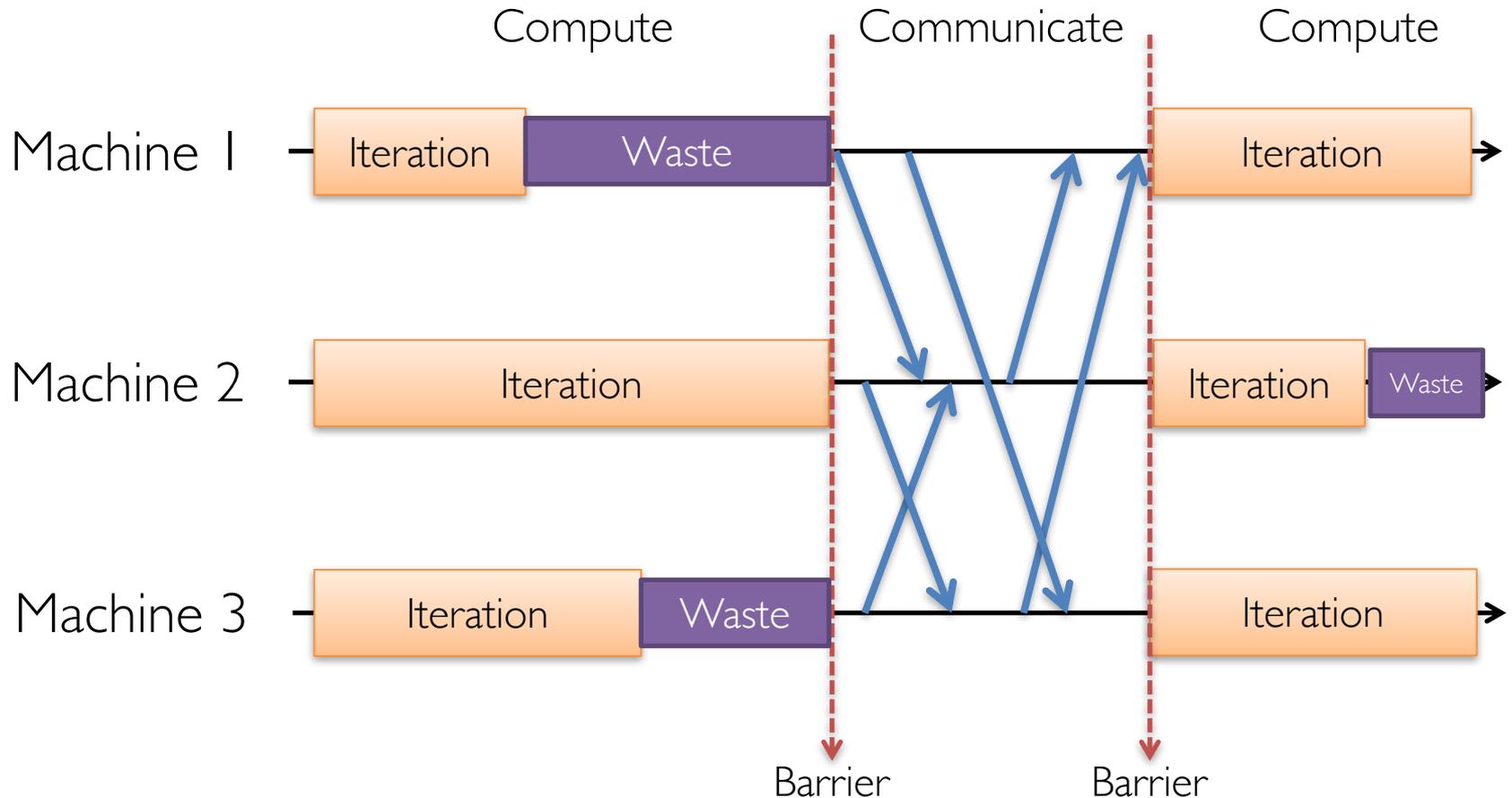


# Parameter Cache Synchronization

(aka IPM)

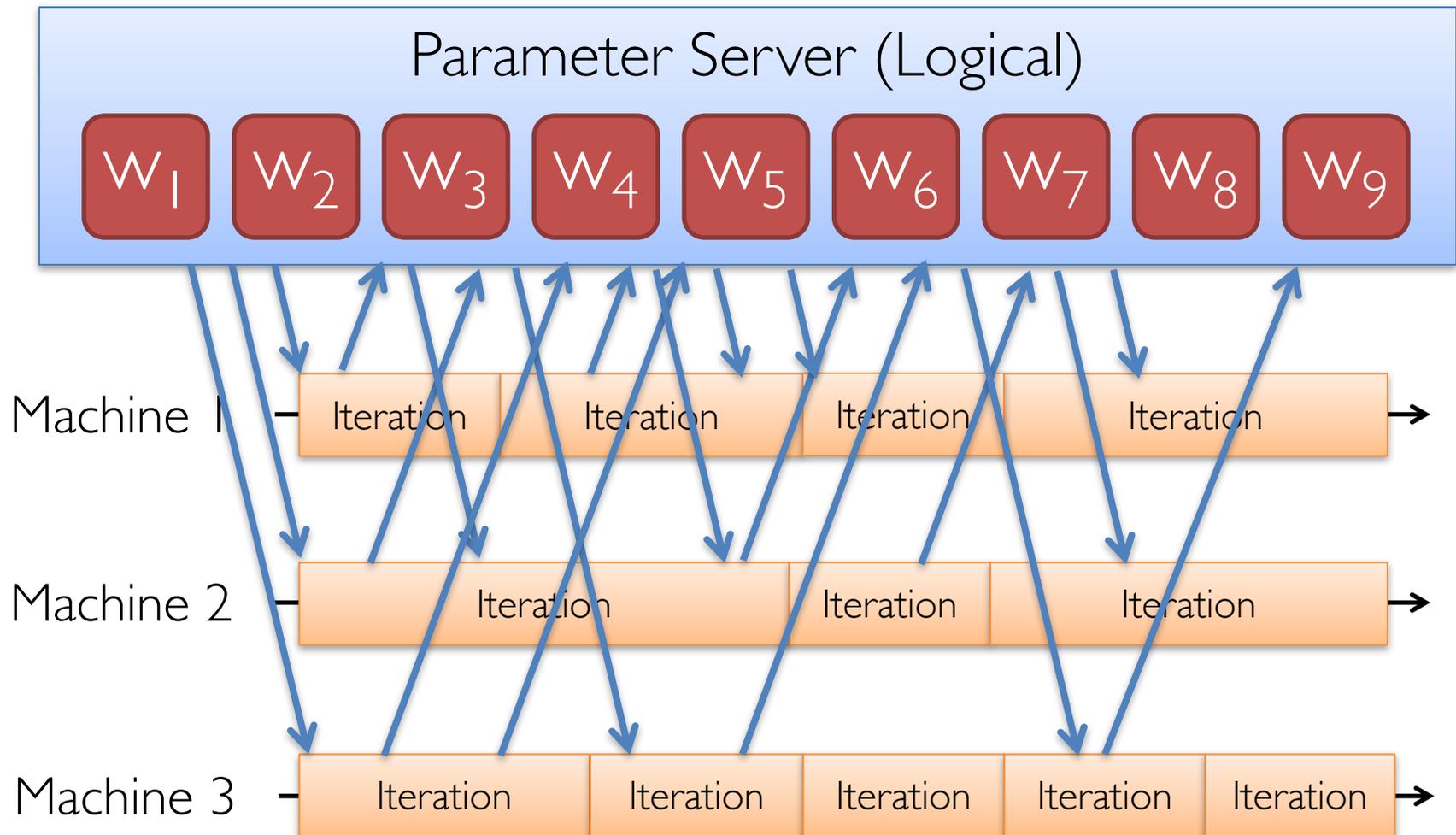


# Solution 2: Asynchronous Execution



Enable more frequent coordination on parameter values

# Asynchronous Execution



# Asynchronous Execution

Problem:

Async lacks theoretical guarantee as distributed environment can have arbitrary delays from network & stragglers

But....

$f$  is loss function,  $x$  is parameters

1. Take a gradient step:  $x' = x_t - \eta_t g_t$
2. If you've restricted the parameters to a subspace  $X$  (e.g., must be positive, ...) find the closest thing in  $X$  to  $x'$ :  $x_{t+1} = \operatorname{argmin}_X \operatorname{dist}(x - x')$
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Compute  $g_t := \nabla f_t(x_t)$

Update  $x_{t+1} = \operatorname{argmin}_{x \in X} \|x - (x_t - \eta_t g_{t-\tau})\|$  (Gradient Step and Projection)

**end for**

---

# Map-Reduce vs. Parameter Server

Data  
Model

Independent  
Records

Independent  
Data

Programming  
Abstraction

Map & Reduce

Key-Value Store  
(Distributed Shared  
Memory)

Execution  
Semantics

Bulk Synchronous  
Parallel (BSP)

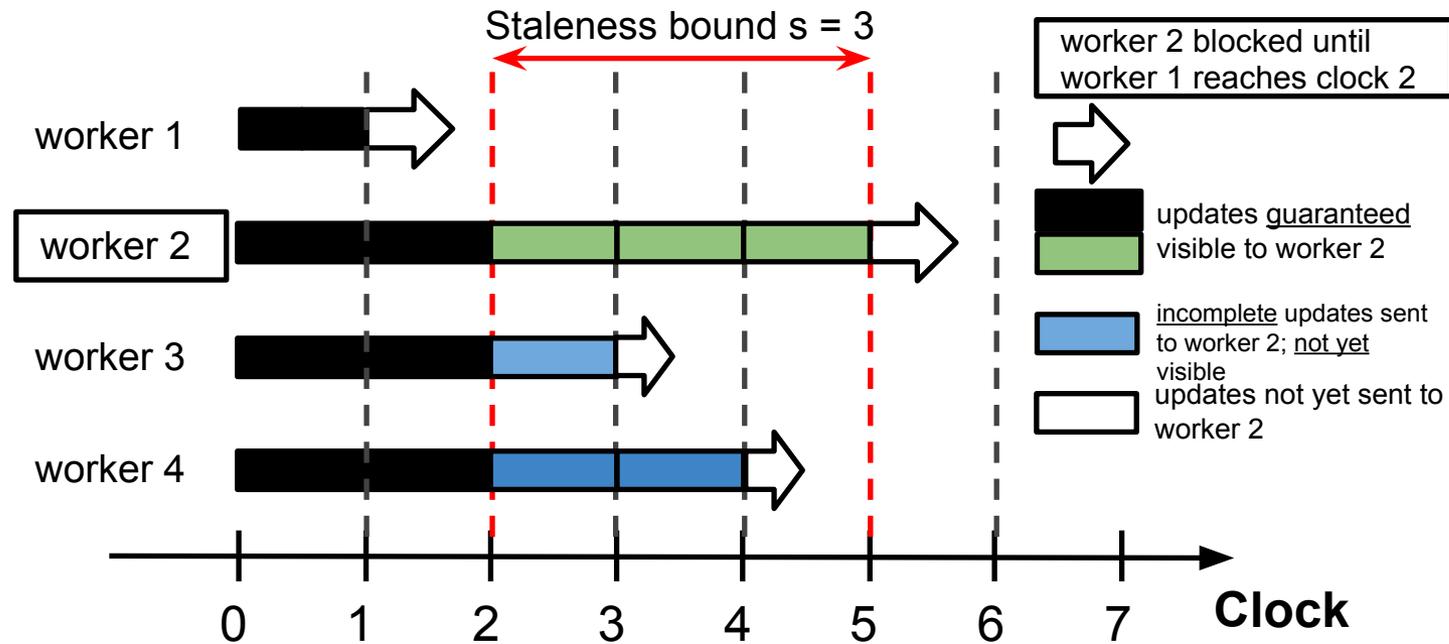
Bounded  
Asynchronous

Stale synchronous parallel (SSP):

- Global clock time  $t$
- Parameters workers “get” *can* be out of date
- but can’t be older than  $t - \tau$
- $\tau$  controls “staleness”
- aka stale synchronous parallel (SSP)

Bounded  
Asynchronous

# Stale Synchronous Parallel (SSP)

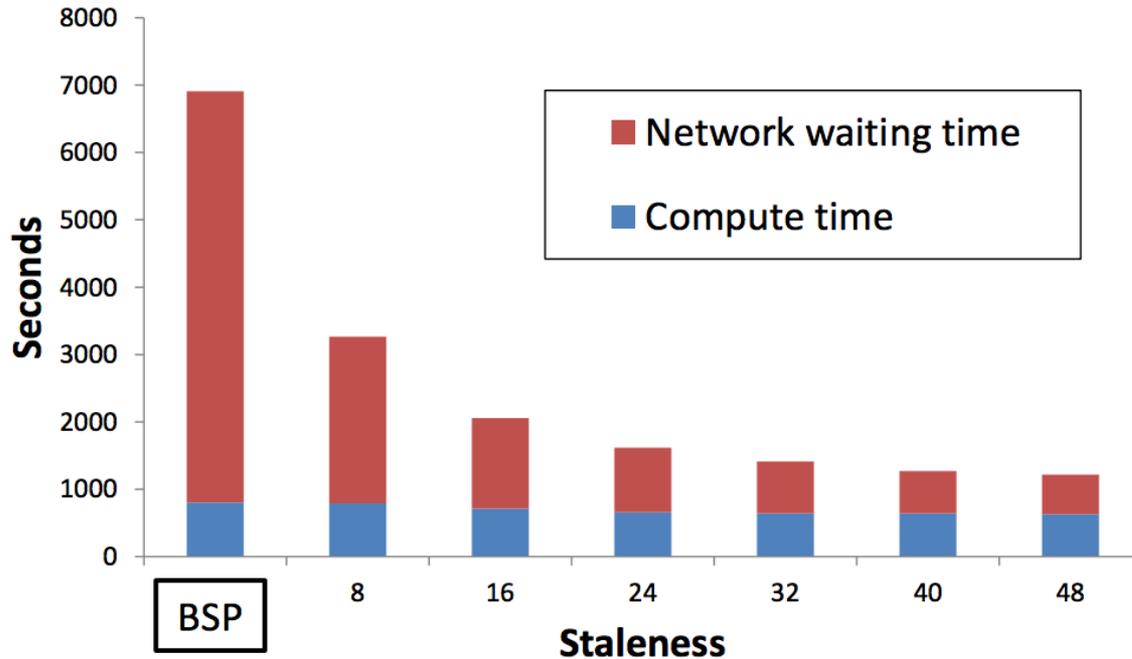


- Interpolate between BSP and Async and subsumes both
- Allow workers to **usually run at own pace**
- Fastest/slowest threads not allowed to drift  $>s$  clocks apart
- Efficiently implemented: Cache parameters

# Consistency Matters

## Time Breakdown: Compute vs Network

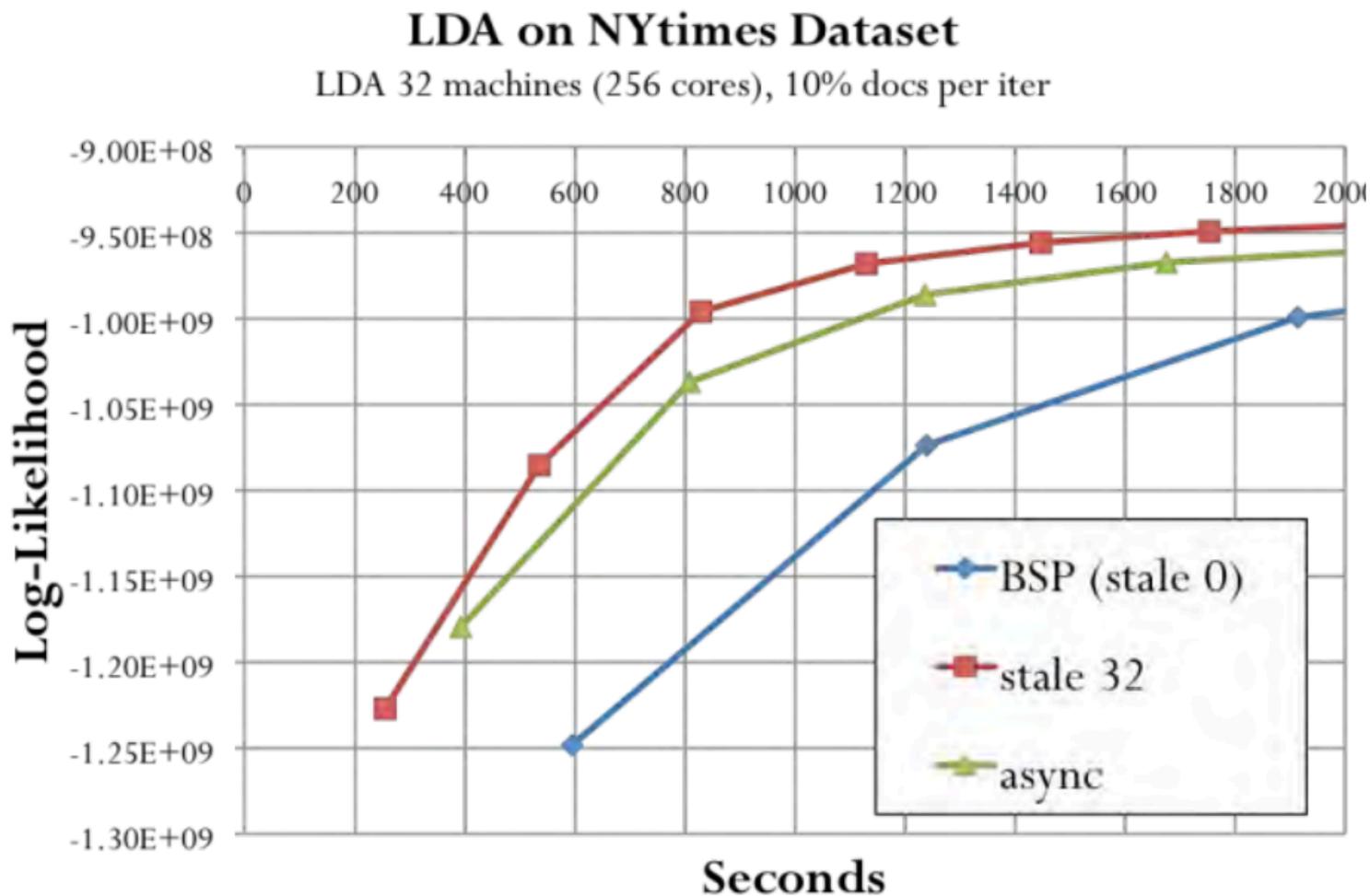
LDA 32 machines (256 cores), 10% data per iter



Strong consistency  $\longrightarrow$  Relaxed consistency

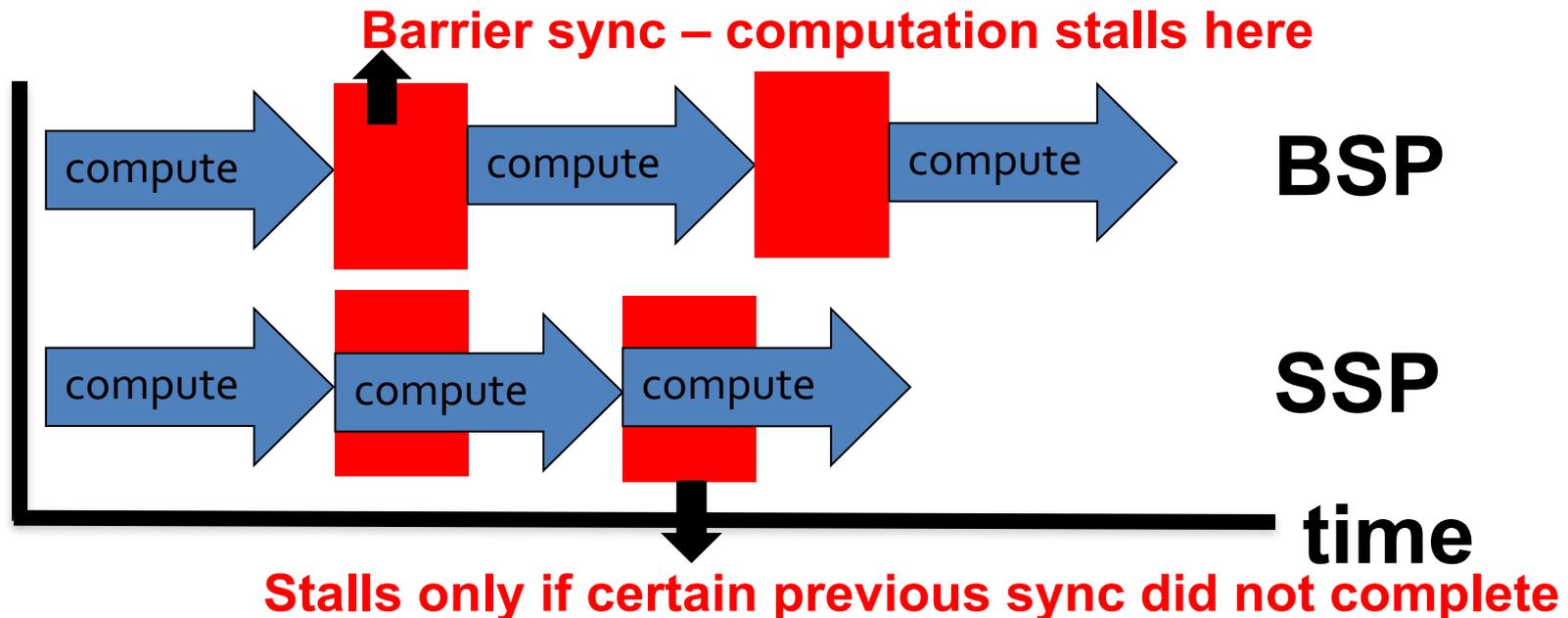
➤ Suitable delay (SSP) gives big speed-up

# Stale Synchronous Parallel (SSP)



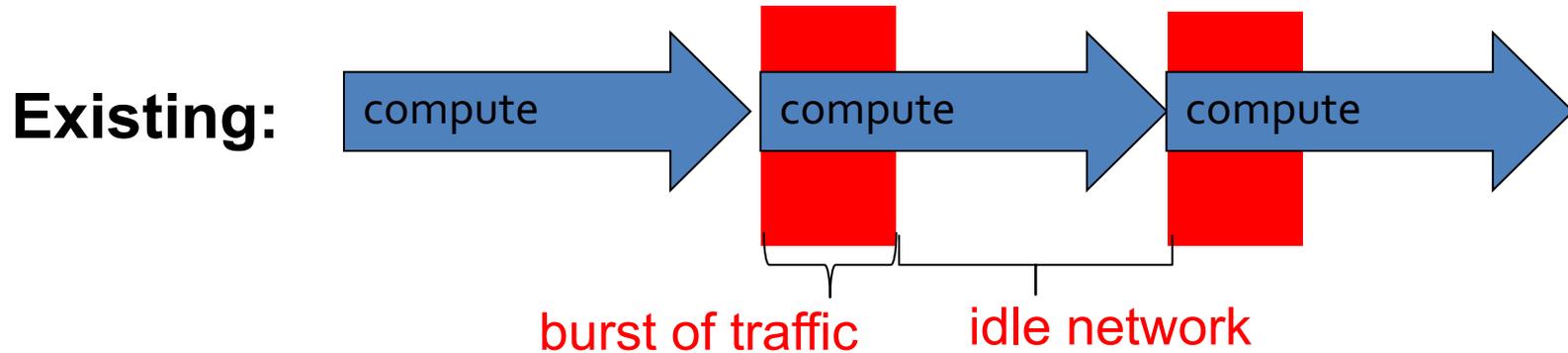
# Beyond the PS/SSP Abstraction...

# Managed Communications



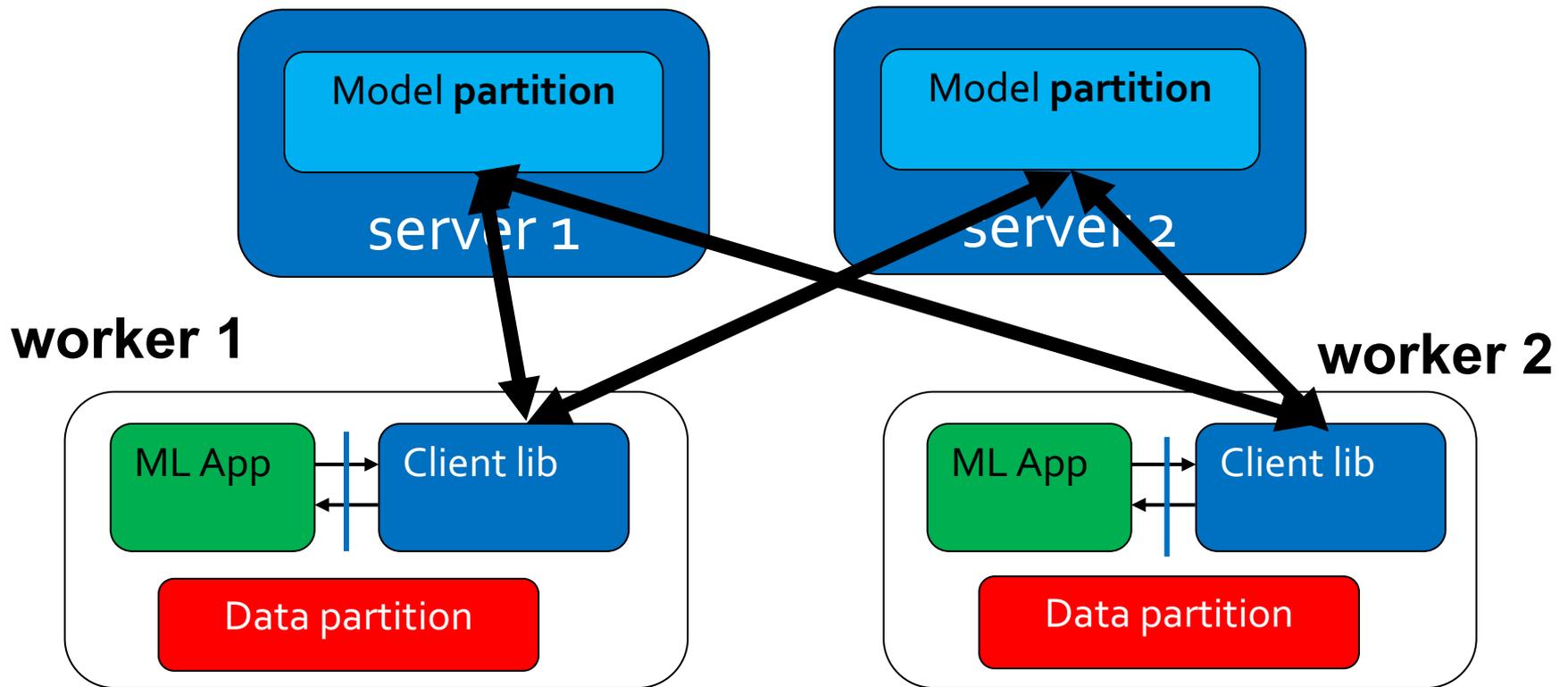
- BSP stalls during communication.
- SSP is able to overlap communication and computation...but **network** can be underused

# Network loads for PS/SSP



- How can we use network capacity better?
  - Maybe tell the system a little more about what the problem we're solving is so it can manage communication better

# Bosen: choosing model partition



- **Parameter Server [Power'10] [Ahmed'12] [Ho'13] [Li'14]**
- **Coherent shared memory abstraction for application**
- **Let the library worry about consistency, communication, etc**

# Ways to Manage Communication

---

- Model parameters are not equally important
  - E.g. Majority of the parameters may converge in a few iteration.
- Communicate the more important parameter values or updates
  - Magnitude of the changes indicates importance
- Magnitude-based prioritization strategies
  - Example: Relative-magnitude prioritization [Wei et al 2015]

We saw many of these ideas in the signal/collect paper



# Iterative ML Algorithms

$$A^{(t)} = F(A^{(t-1)}, \Delta_{\mathcal{L}}(A^{(t-1)}, D))$$

A: params  
at time  $t$

F: update

$\mathcal{L}$ : loss  
 $\Delta$ : grad

D: data

- Many ML algorithms are *iterative-convergent*
- Examples: Optimization, sampling methods
- Topic Model, matrix factorization, SVM, Deep Neural Network...

# Iterative ML with a Parameter

## Server: (1) Data Parallel

Good fit for PS/SSP abstraction

$$A^{(t)} = F(A^{(t-1)}, \sum_{p=1}^P \Delta(A^{(t-1)}, D_p))$$

Usually add  
here

Often add **locally**  
first

$\Delta$ : grad of  
 $\mathcal{L}$

D: data,  
shard  $p$

assume  
i.i.d

(~ combiner) Each worker assigned a data partition

- Model parameters are **shared** by workers
- Workers read and update the model parameters

## (2) Model parallel

Not clear how this fits with PS/SSP abstraction...

$$A^{(t)} = F \left( A^{(t-1)}, \{ \Delta(A^{(t-1)}, S_p^{(t-1)}(A^{(t-1)})) \}_{p=1}^P \right)$$

---

$S_p^{(t-1)}()$  outputs a set of indices  $\{j_1, j_2, \dots, \}$

ignore  $D$  as  
well as  $L$

$S_p$  is a scheduler for processor  
 $p$  that selects params for  $p$

# Parameter Server Scheduling

Optional scheduling interface

**which** params worker will access – largest updates, partition of graph, ....

1. `schedule(key)` → param keys svars

~ **signal: broadcast changes to PS**

2. `push(p=workerId, svars)` → changed key

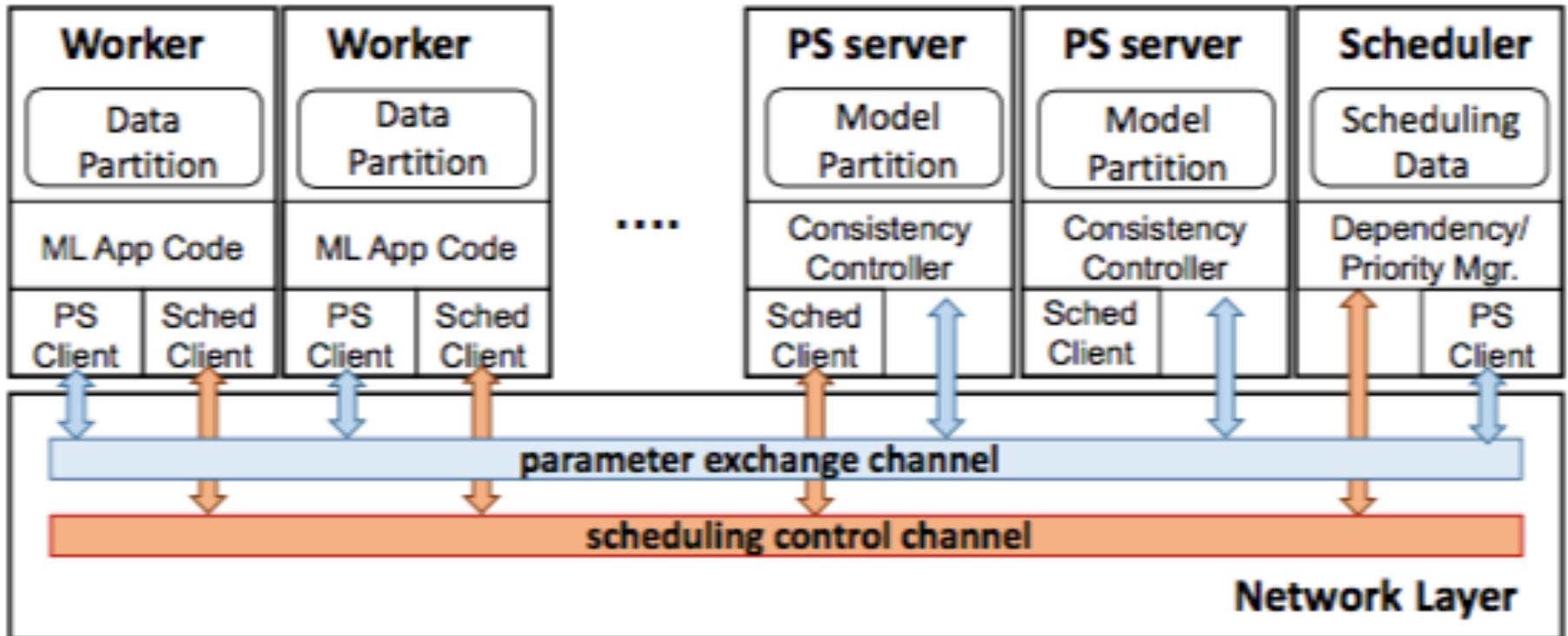
~ **collect: aggregate changes from PS**

3. `pull(svars, updates=(push1, ..., pushn))`

Worker machines

Scheduler machines

# Support for model-parallel programs



```
// Petuum Program Structure
```

centrally executed

```
schedule() {  
  // This is the (optional) scheduling function  
  // It is executed on the scheduler machines  
  A_local = PS.get(A) // Parameter server read  
  PS.inc(A,change) // Can write to PS here if needed  
  // Choose variables for push() and return  
  svars = my_scheduling(DATA,A_local)  
  return svars  
}
```

```
push(p = worker_id(), svars = schedule()) {  
  // This is the parallel update function  
  // It is executed on each of P worker machines  
  A_local = PS.get(A) // Parameter server read  
  // Perform computation and send return values to pull()  
  // Or just write directly to PS  
  change1 = my_update1(DATA,p,A_local)  
  change2 = my_update2(DATA,p,A_local)  
  PS.inc(A,change1) // Parameter server increment  
  return change2  
}
```

distributed

```
pull(svars = schedule(), updates = (push(1), ..., push(P)) ) {  
  // This is the (optional) aggregation function  
  // It is executed on the scheduler machines  
  A_local = PS.get(A) // Parameter server read  
  // Aggregate updates from push(1..P) and write to PS  
  my_aggregate(A_local,updates)  
  PS.put(A,change) // Parameter server overwrite  
}
```

centrally executed

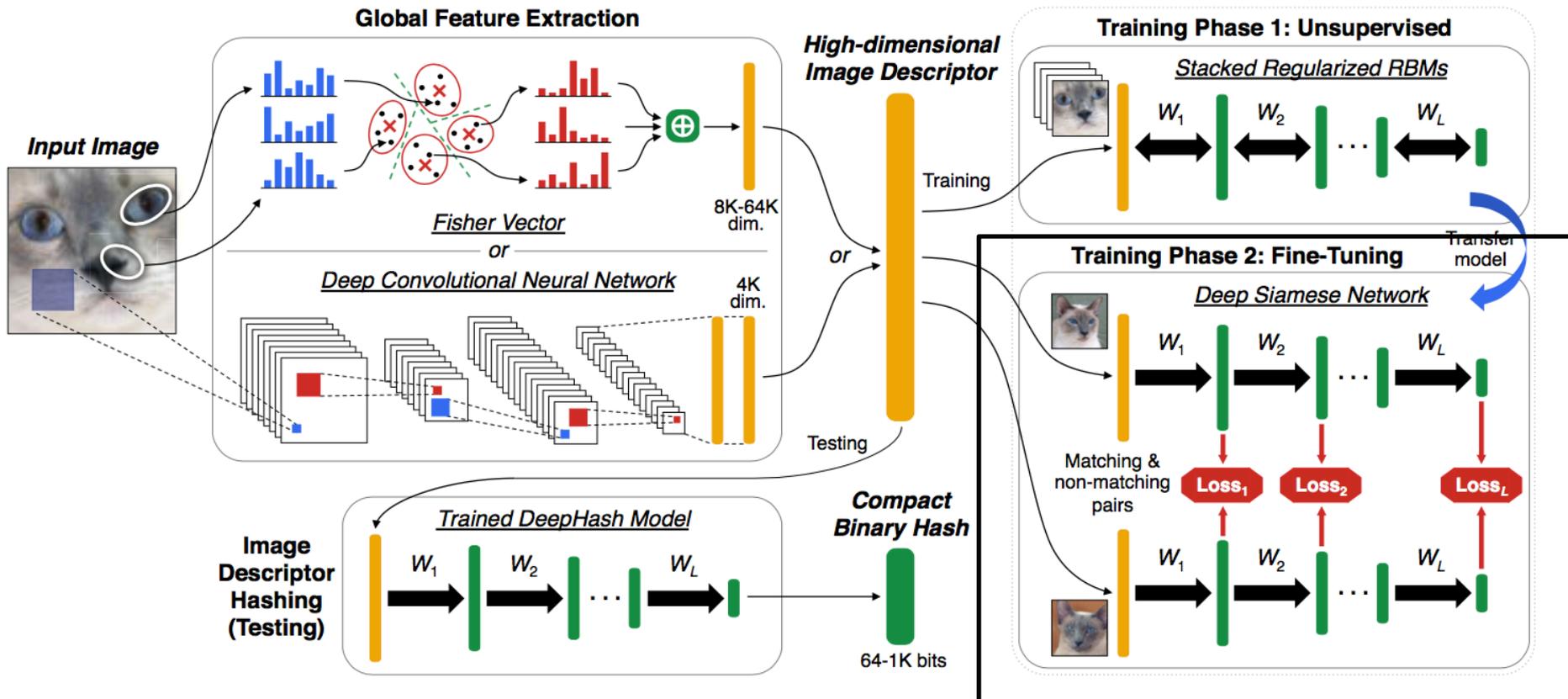
Similar to signal-collect:  
schedule() defines graph,  
workers **push** params to **scheduler**,  
scheduler **pulls** to aggregate,  
and makes params available via get() and inc()

# A Data Parallel Example

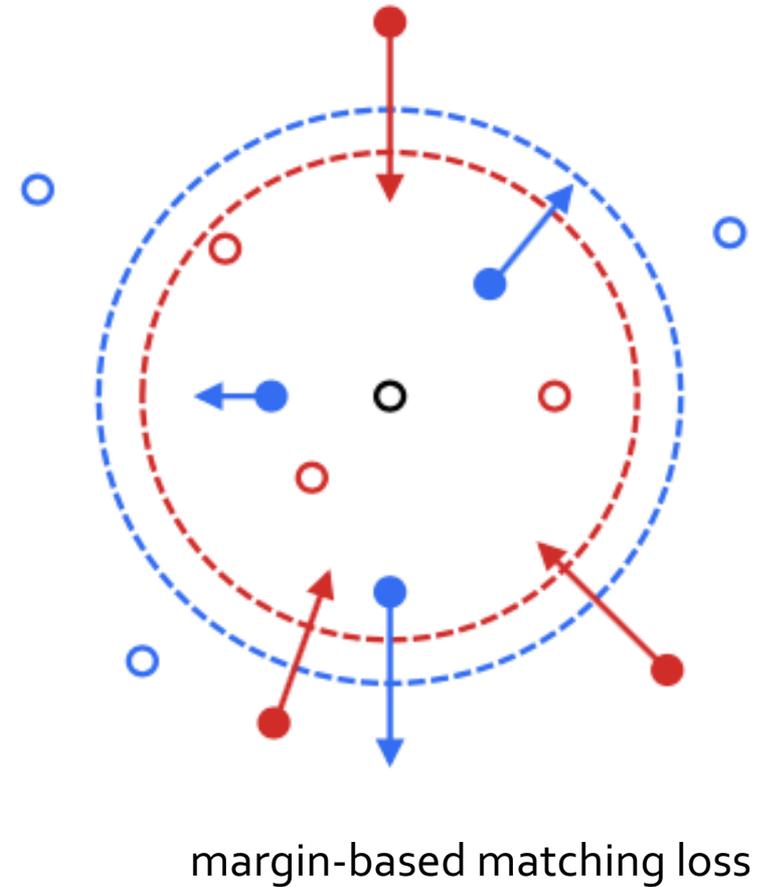
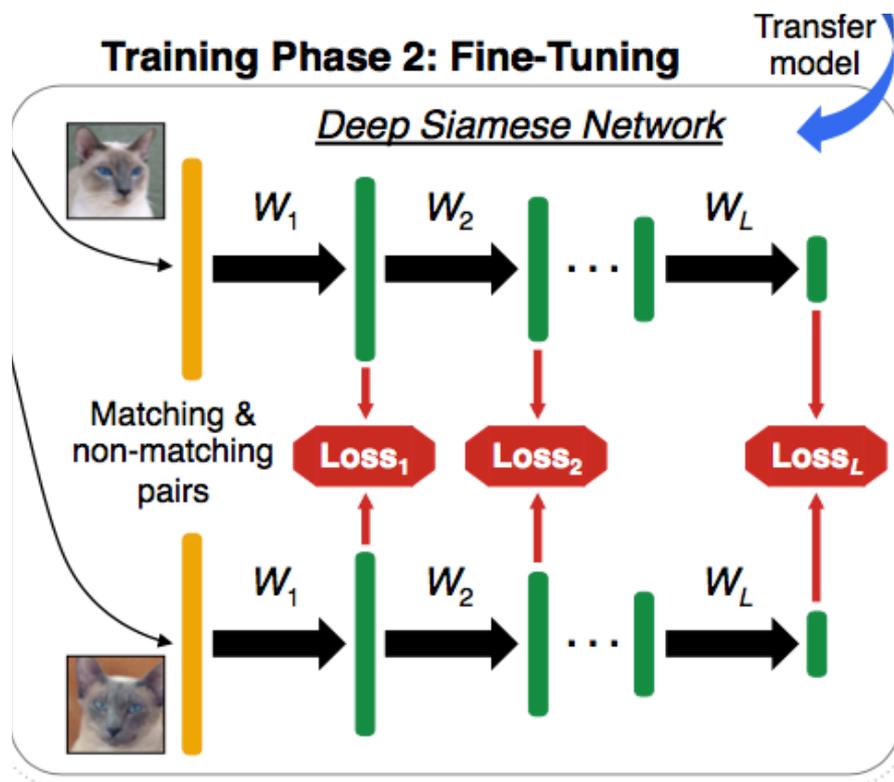
# DeepHash: Getting Regularization, Depth and Fine-Tuning Right

Jie Lin<sup>\*,1,3</sup>, Olivier Morère<sup>\*,1,2,3</sup>, Vijay Chandrasekhar<sup>1,3</sup>, Antoine Veillard<sup>2,3</sup>, Hanlin Goh<sup>1,3</sup>  
I2R<sup>1</sup>, UPMC<sup>2</sup>, IPAL<sup>3</sup>

ICMR 2017



# Training on matching vs non-matching pairs



# About: Distance metric learning

- Instance: pairs  $(x_1, x_2)$
- Label: similar or dissimilar
- Model: scale  $x_1$  and  $x_2$  with matrix  $L$ , try and minimize distance  $\|Lx_1 - Lx_2\|^2$  for similar pairs and  $\max(0, 1 - \|Lx_1 - Lx_2\|^2)$  for dissimilar pairs

$$\min_L \sum_{(x,y) \in \mathcal{S}} \|L(x - y)\|^2 \quad \text{using } x,y \text{ instead of } x_1, x_2$$
$$+ \lambda \sum_{(x,y) \in \mathcal{D}} \max(0, 1 - \|L(x - y)\|^2)$$

# Example: Data parallel SGD

```
// Data-Parallel Distance Metric Learning
```

```
schedule() { // Empty, do nothing }
```

```
push() {
```

```
  L_local = PS.get(L) // Bounded-async read from param server
```

```
  change = 0
```

```
  for c=1..C // Minibatch size C
```

```
    (x,y) = draw_similar_pair(DATA)
```

```
    (a,b) = draw_dissimilar_pair(DATA)
```

```
    change += DeltaL(L_local,x,y,a,b) // SGD from Eq 7
```

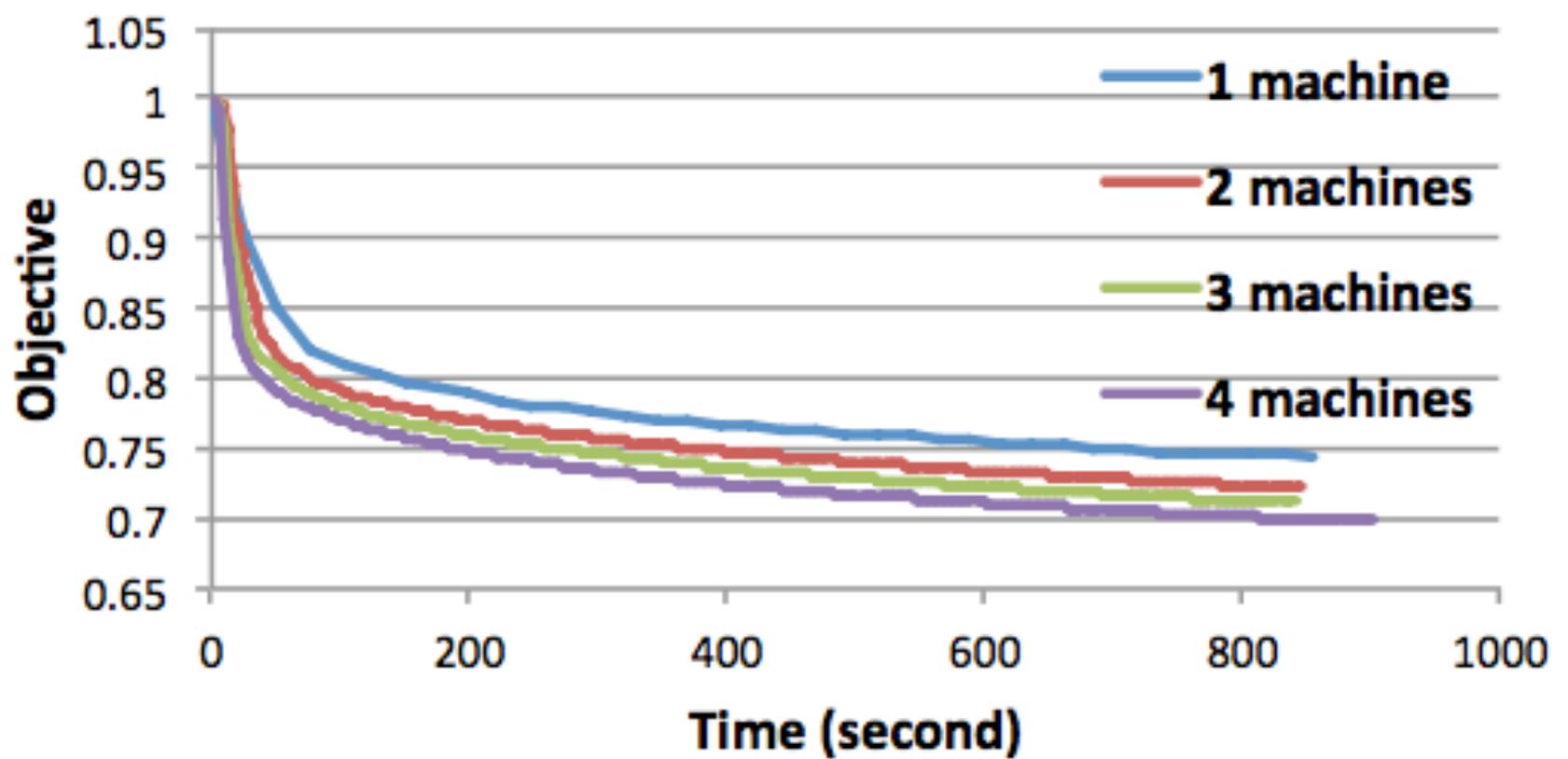
```
  PS.inc(L,change/C) // Add gradient to param server
```

```
}
```

```
pull() { // Empty, do nothing }
```

Could also get only keys I need

# Petuum Distance Metric Learning



# A Model Parallel Example: Lasso

# Regularized logistic regression

Replace log  
conditional likelihood  
LCL

$$\log P(Y = y|X = \mathbf{x}, \mathbf{w}) = \begin{cases} \log p & \text{if } y = 1 \\ \log(1 - p) & \text{if } y = 0 \end{cases}$$

with LCL + penalty  
for large weights, eg

$$LCL - \mu \sum_{j=1} (w^j)^2 = LCL - \mu \|\mathbf{w}\|_2$$

alternative penalty:

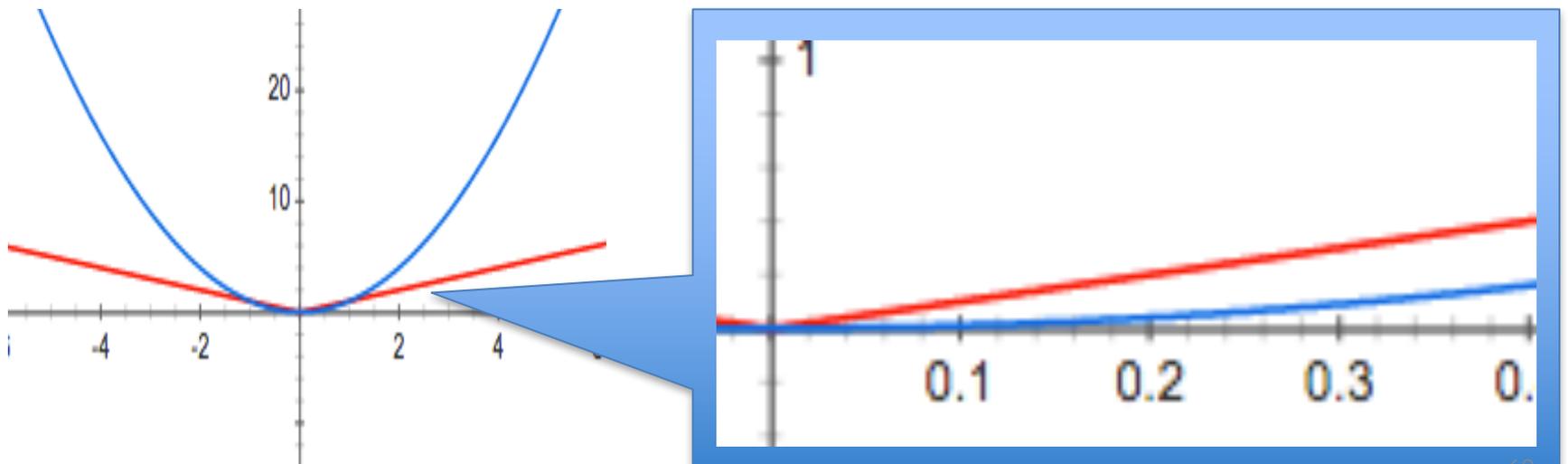
$$LCL - \mu \sum_{j=1} |w^j| = LCL - \mu \|\mathbf{w}\|_1$$

# Regularized logistic regression

$$LCL - \mu \sum_{i=1} (w^j)^2 = LCL - \mu \|\mathbf{w}\|_2 \quad \text{shallow grad near 0}$$

$$LCL - \mu \sum_{j=1} |w^j| = LCL - \mu \|\mathbf{w}\|_1 \quad \text{steep grad near 0}$$

L1-regularization pushes parameters to zero: **sparse**



# SGD

Repeat for  $t=1, \dots, T$

» For each example

- Compute gradient of regularized loss (for that example)
  - Move all parameters in that direction (a little)

# Coordinate descent

Repeat for  $t=1, \dots, T$

» For each parameter  $j$

- Compute gradient of regularized loss (for that parameter  $j$ )
  - Move that parameter  $j$  (a good way, sometimes to its minimal value relative to the others)

# Stochastic coordinate descent

Repeat for  $t=1, \dots, T$

» Pick **a random** parameter  $j$

- Compute gradient of regularized loss (for that parameter  $j$ )
  - Move that parameter  $j$  (a good way, sometimes to its minimal value relative to the others)

# Parallel stochastic coordinate descent (shotgun)

Repeat for  $t=1, \dots, T$

» Pick several coordinates  $j_1, \dots, j_p$  **in parallel**

- Compute gradient of regularized loss (for each parameter  $j_k$ )
  - Move each parameter  $j_k$

# Parallel coordinate descent (shotgun)

---

**Algorithm 2** Shotgun: Parallel SCD

---

Choose number of parallel updates  $P \geq 1$ .

Set  $\mathbf{x} = \mathbf{0} \in \mathbb{R}_+^{2d}$

**while** not converged **do**

    Choose random subset of  $P$  weights in  $\{1, \dots, 2d\}$ .

**In parallel** on  $P$  processors

        Get assigned weight  $j$ .

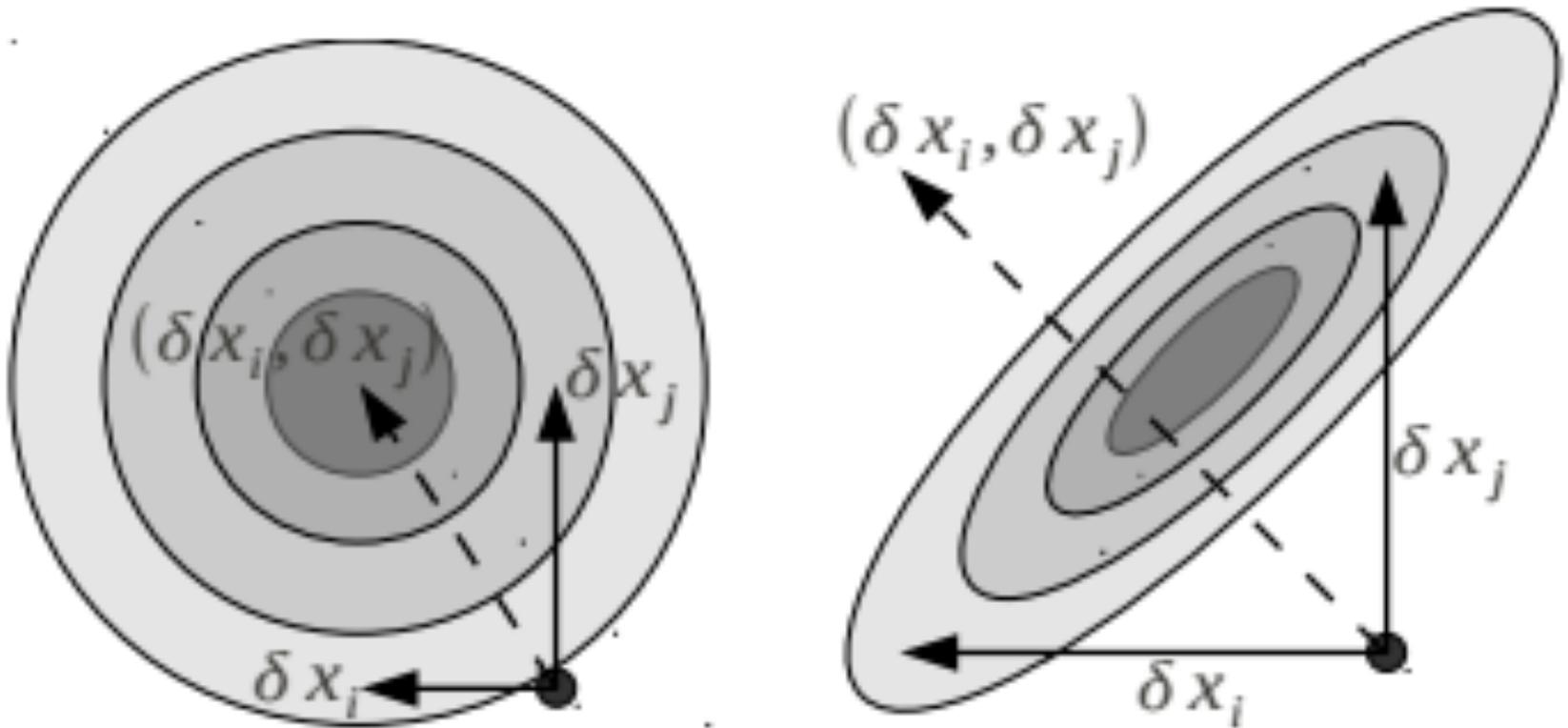
        Set  $\delta x_j \leftarrow \max\{-x_j, -(\nabla F(\mathbf{x}))_j/\beta\}$ .

        Update  $x_j \leftarrow x_j + \delta x_j$ .

**end while**

---

# Parallel coordinate descent (shotgun)



shotgun works best when you select uncorrelated parameters to process in parallel

# Example: Model parallel SGD

Basic ideas:

- Pick parameters stochastically
- Prefer large parameter values (i.e., ones that haven't converged)
- Prefer nearly-independent parameters

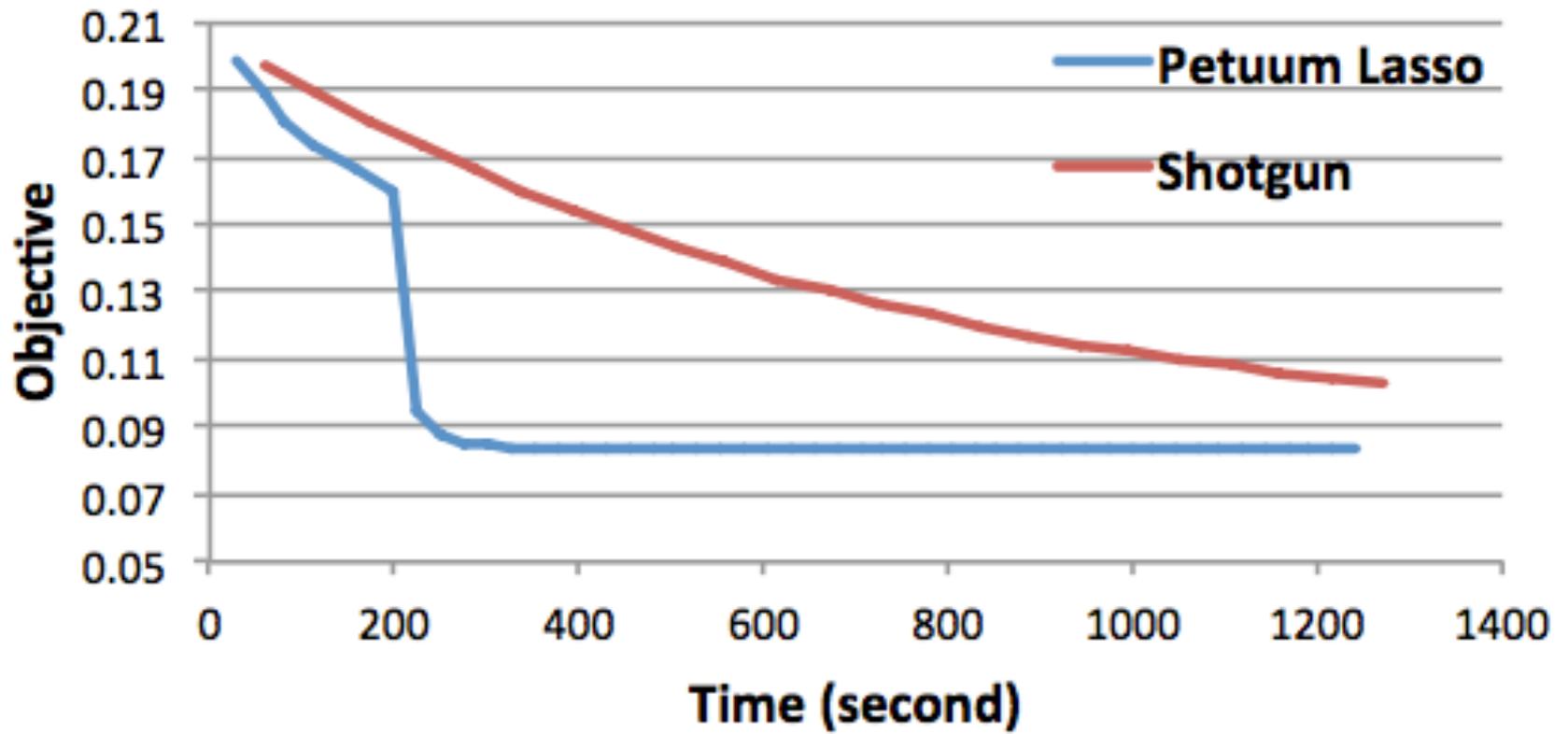
```
// Model-Parallel Lasso
```

```
schedule() {  
  for j=1..J      // Update priorities for all coeffs beta_j  
    c_j = square(beta_j) + eta // Magnitude prioritization  
    (s_1, ..., s_L') = random_draw(distribution(c_1, ..., c_J))  
    // Choose L<L' pairwise-independent beta_j  
    (j_1, ..., j_L) = correlation_check(s_1, ..., s_L')  
  return (j_1, ..., j_L)  
}
```

```
push(p = worker_id(), (j_1, ..., j_L) = schedule() ) {  
  // Partial computation for L chosen beta_j; calls PS.get(beta)  
  (z_p[j_1], ..., z_p[j_L]) = partial(DATA[p], j_1, ..., j_L)  
  return z_p  
}
```

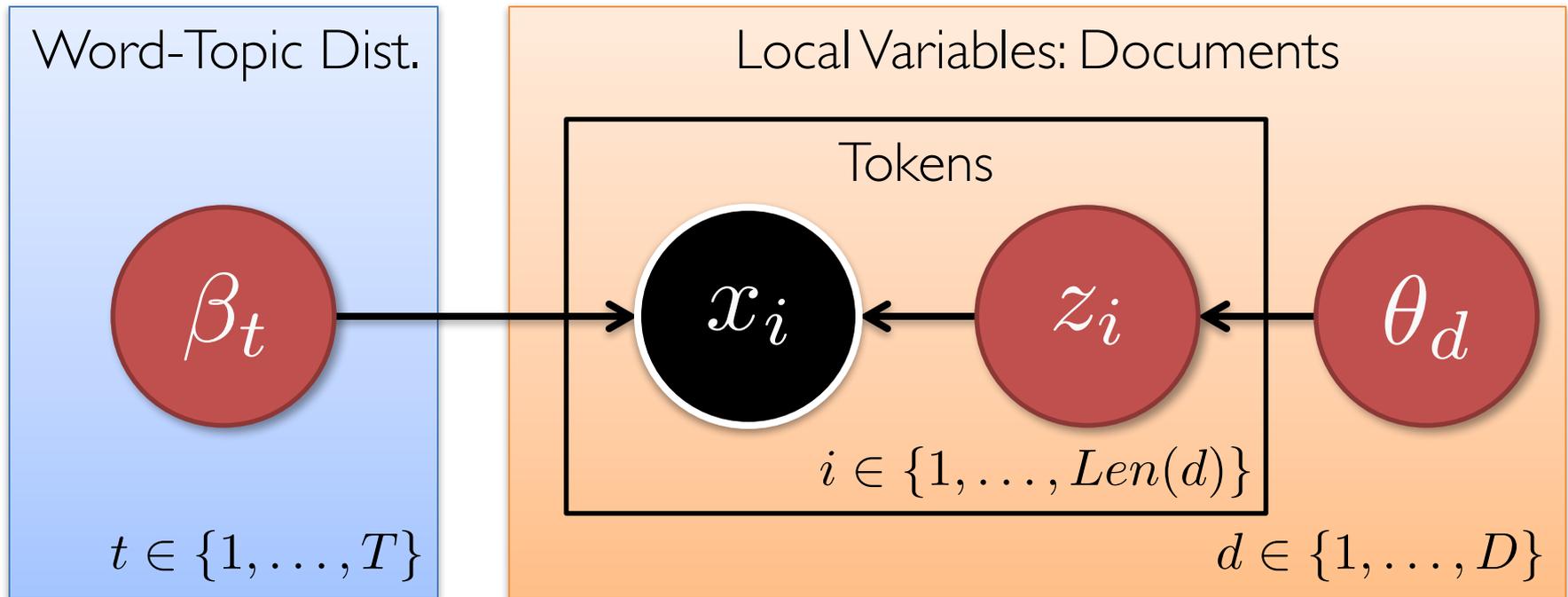
```
pull((j_1, ..., j_L) = schedule(),  
     (z_1, ..., z_P) = (push(1), ..., push(P)) ) {  
  for a=1..L    // Aggregate partial computation from P workers  
    newval = sum_threshold(z_1[j_a], ..., z_P[j_a])  
    PS.put(beta[j_a], newval) // Overwrite to parameter server  
}
```

# Lasso



Case Study:  
Topic Modeling with  
LDA

# Example: Topic Modeling with LDA



Maintained by the  
Parameter Server

Maintained by the  
Workers Nodes

# Gibbs Sampling for LDA

Word-Topic Dist'n

Brains:

Choose:

Direction:

Feet:

Head:

Shoes:

Steer:

Title: *Oh, The Places You'll Go!*

Doc-Topic Distribution  $\theta_d$

$z_1$   $z_2$   
You have brains in your head.

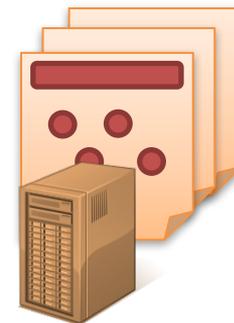
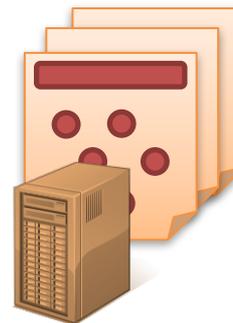
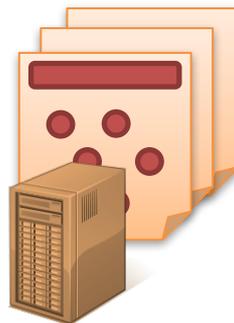
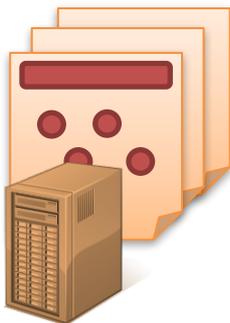
$z_3$   $z_4$   
You have feet in your shoes.

$z_5$   
You can steer yourself any

$z_6$   $z_7$   
direction you choose.

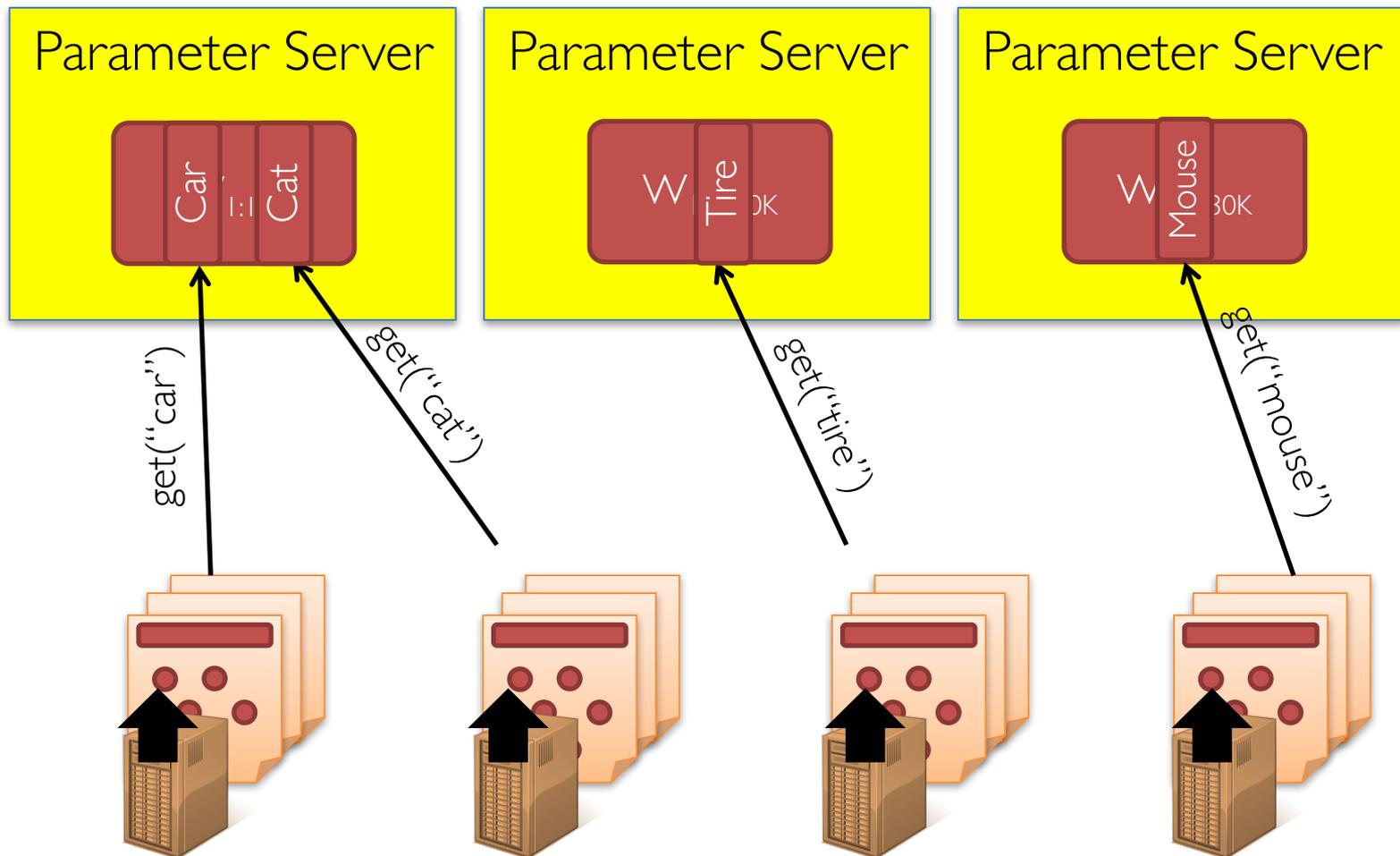
# Ex: Collapsed Gibbs Sampler for LDA

Partitioning the model and data



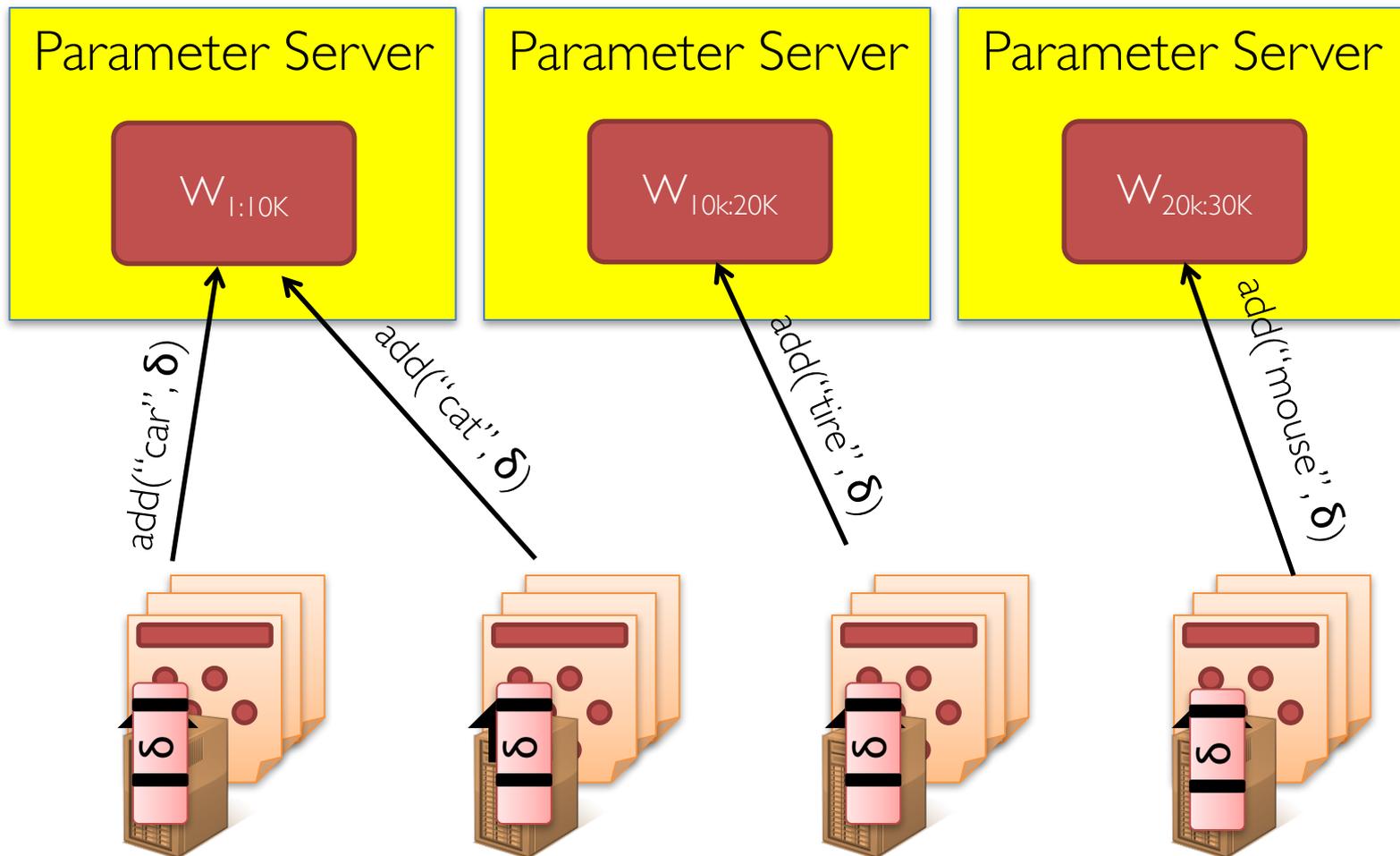
# Ex: Collapsed Gibbs Sampler for LDA

Get model parameters and compute update



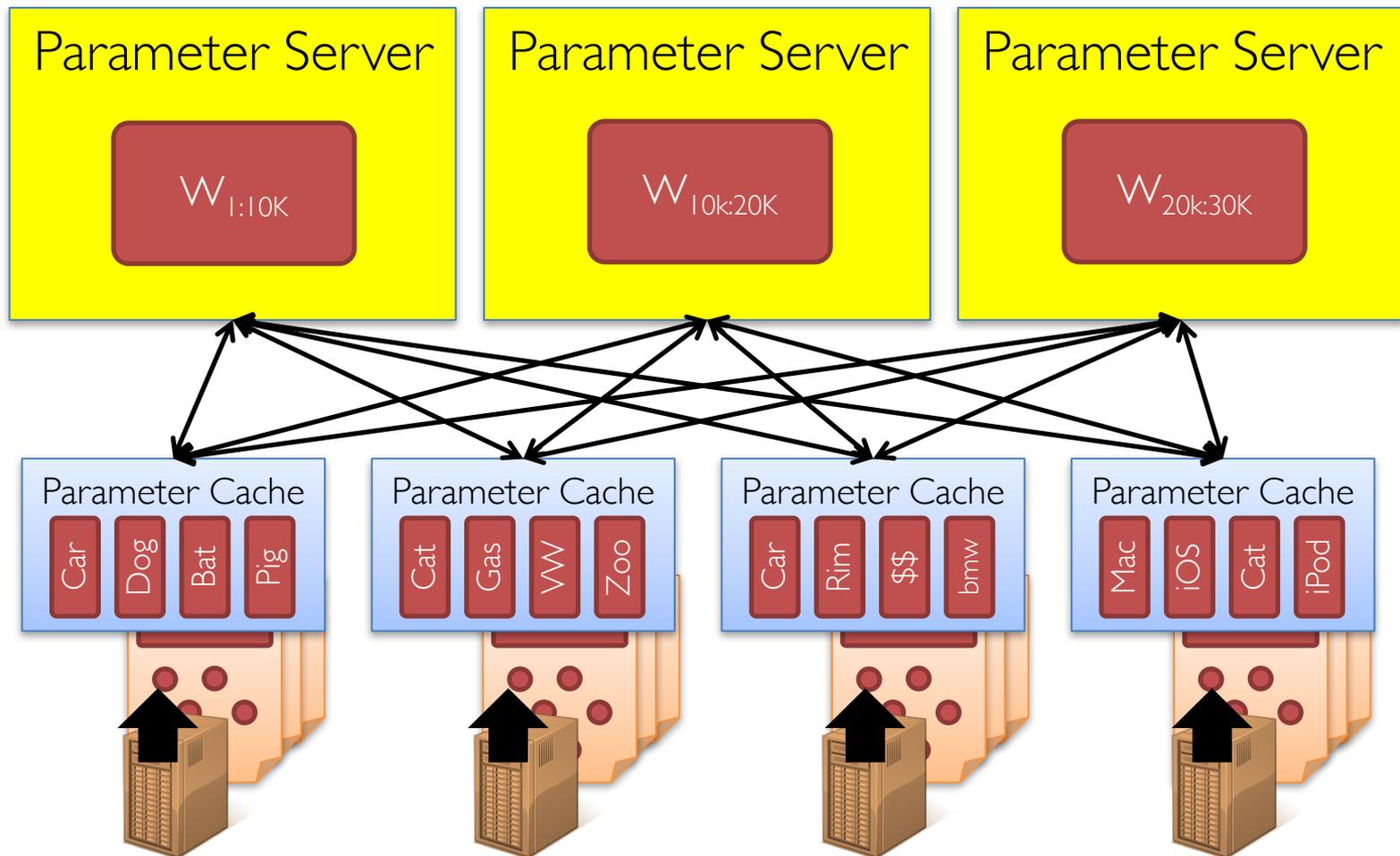
# Ex: Collapsed Gibbs Sampler for LDA

Send changes back to the parameter server

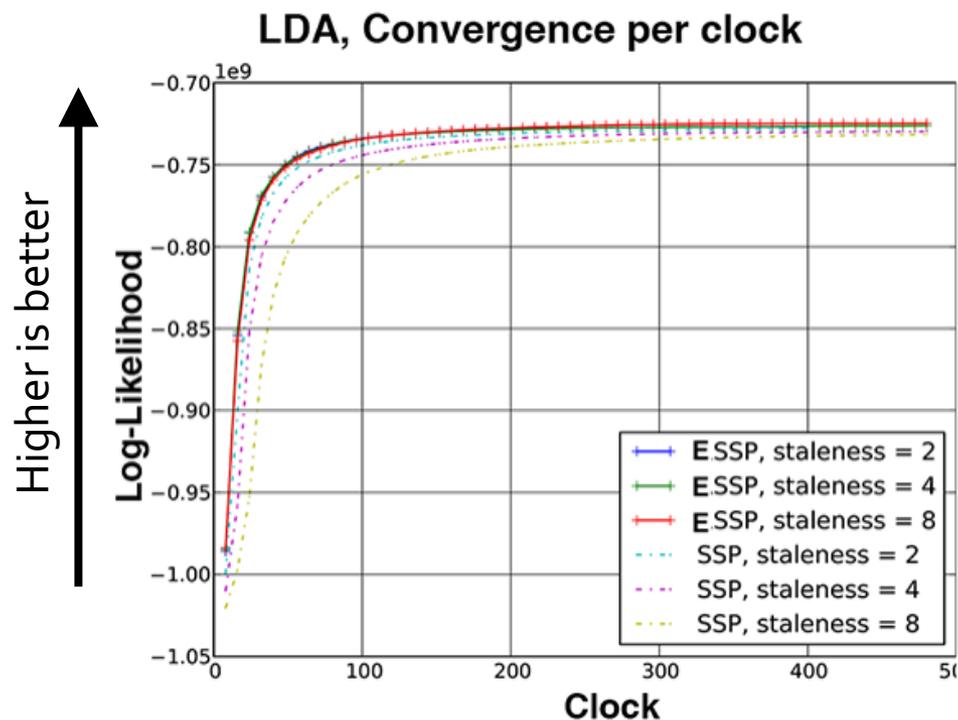


# Ex: Collapsed Gibbs Sampler for LDA

Adding a caching layer to collect updates

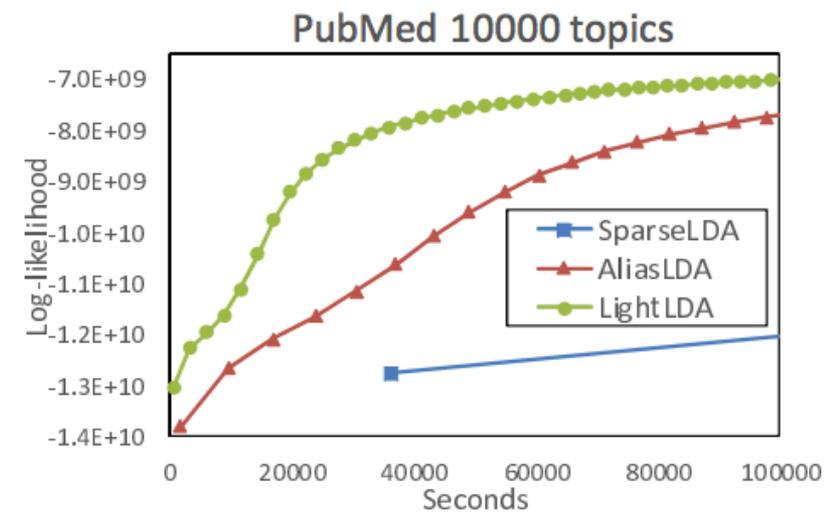
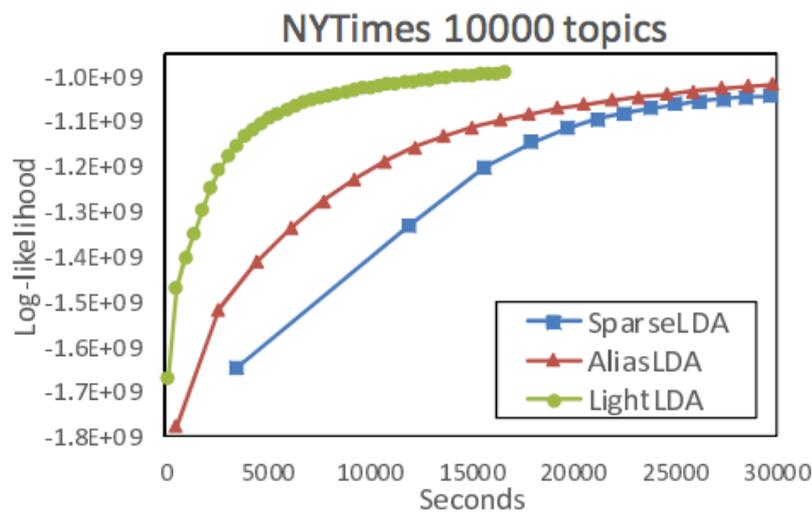
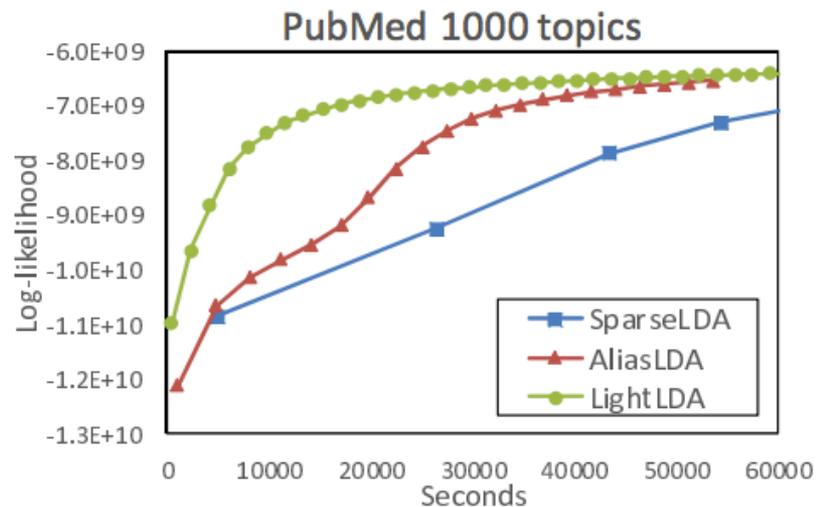
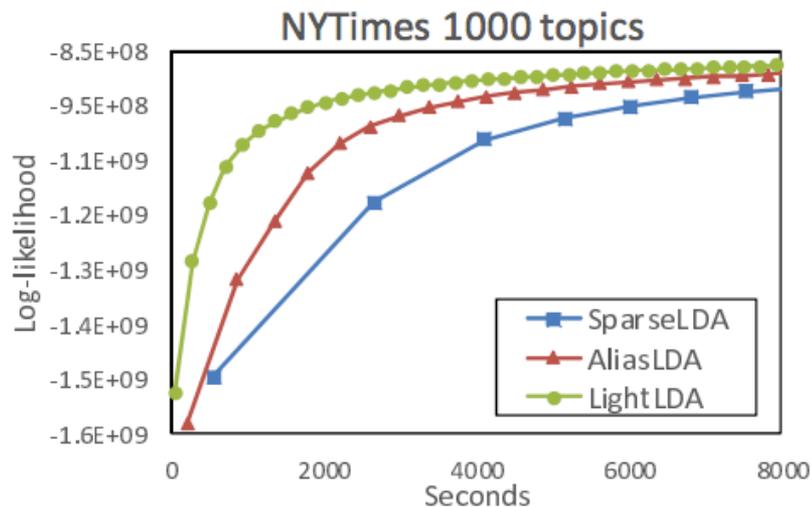


# Experiment: Topic Model (LDA)



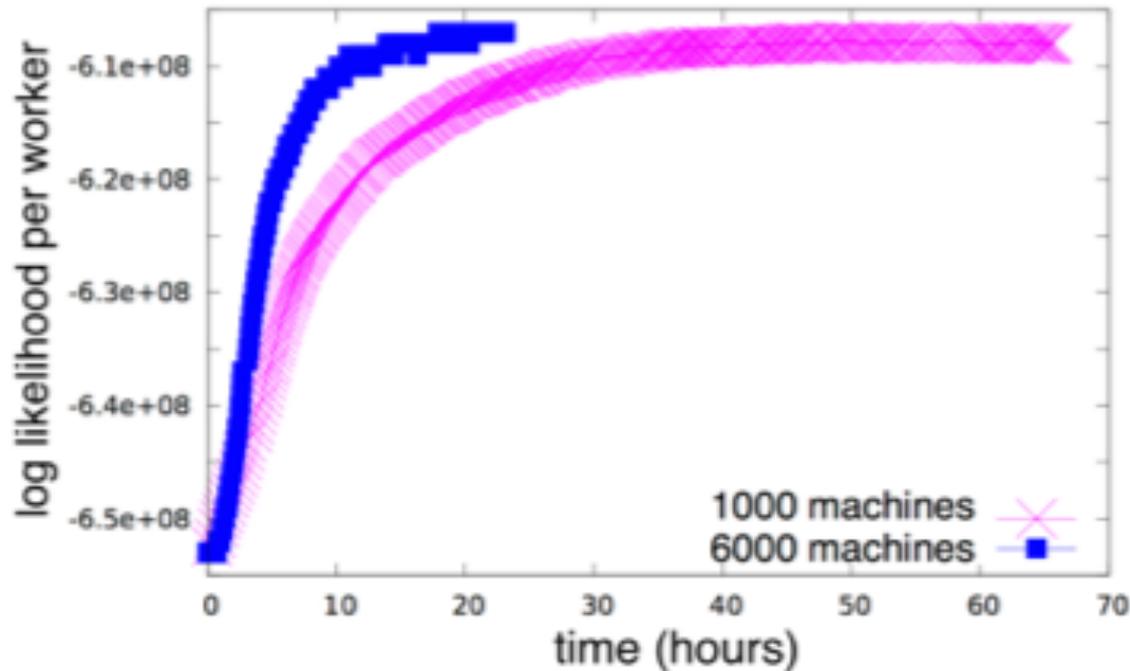
- Dataset: NYTimes (100m tokens, 100k vocabularies, 100 topics)
- Collapsed Gibbs sampling
- Compute Cluster: 8 nodes, each with 64 cores (512 cores total) and 128GB memory
- ESSP converges faster and robust to staleness  $s$

# LDA Samplers Comparison



[Yuan et al 2015]

# Big LDA on Parameter Server



- Collapsed Gibbs sampler
- Size: 50B tokens, 2000 topics, 5M vocabularies
- 1k~6k nodes

# LDA Scale Comparison

	YahooLDA (SparseLDA) [1]	Parameter Server (SparseLDA)[2]	Tencent Peacock (SparseLDA)[3]	AliasLDA [4]	PetuumLDA (LightLDA) [5]
# of words (dataset size)	20M documents	50B	4.5B	100M	200B
# of topics	1000	2000	100K	1024	1M
# of vocabularies	est. 100K[2]	5M	210K	100K	1M
Time to converge	N/A	20 hrs	6.6hrs/iterations	2 hrs	60 hrs
# of machines	400	6000 (60k cores)	500 cores	1 (1 core)	24 (480 cores)
Machine specs	N/A	10 cores, 128GB RAM	N/A	4 cores 12GB RAM	20 cores, 256GB RAM
Parameter Server					

[1] Ahmed, Amr, et al. "Scalable inference in latent variable models." *WSDM*, (2012).

[2] Li, Mu, et al. "Scaling distributed machine learning with the parameter server." *OSDI*. (2014).

[3] Wang, Yi, et al. "Towards Topic Modeling for Big Data." *arXiv:1405.4402* (2014).

[4] Li, Aaron Q., et al. "Reducing the sampling complexity of topic models." *KDD*, (2014).

[5] Yuan, Jinhui, et al. "LightLDA: Big Topic Models on Modest Compute Clusters" *arXiv:1412.1576* (2014).