# A SINGLE-PORT NON-PARAMETRIC MODEL OF TURN-TAKING IN MULTI-PARTY CONVERSATION

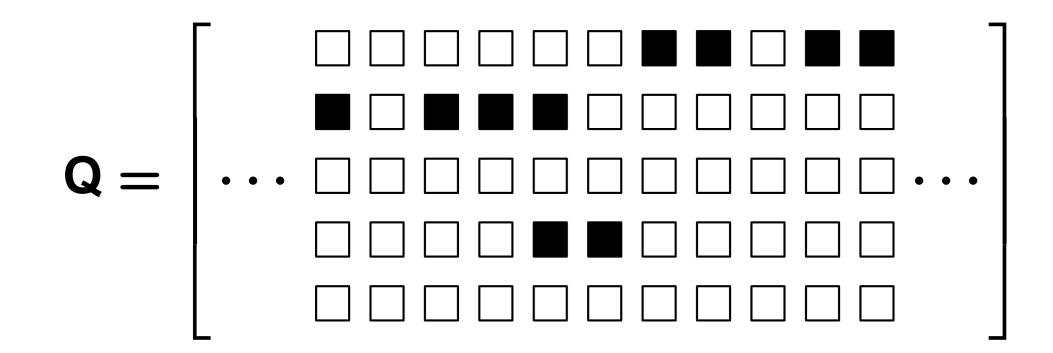


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Goals

Develop a conditionally independent (aka "single-port") stochastic turn-taking model Θ for *K*-party conversation.

Θ provides the likelihood of a conversation's speech/non-speech chronogram, Q:



#### **Prior Model Limitations**

Markov models of 1st order which are in existence fall into two broad categories:

- ► Conditionally independent, for two-party conversation.
- ► Conditionally **dependent**, for *K*-party conversation.

As a result:

- 1. Cannot easily predict/evaluate individual behavior in the context of a given group.
- 2. Do not know how less-recent history conditions the future.
- 3. Do not know how history conditions the more-distant future.

#### Conclusions

- I. The proposed conditionally independent SPEDO model is at least as good a K-party chronogram density estimator as the existing conditionally dependent MPEDO model.
- 2. The 1st-order form of the model is more compact than its MPEDO counterpart.
- 3. Overt evidence that participants in *K*-party conversation influence one anothers' decisions to speak.
- 4. Longer conditioning histories help: this refutes 2-party findings in the literature.
- 5. Distant futures are predictable, but only poorly.

#### Impact

- I. Can now easily infer a model for any individual from the many conversations which that individual attended.
- II. Can now easily compare the behavior of individuals in disparate conversational settings.
- III. Can now easily synthesize anticipated emergent group behavior from models of individuals who never previously formed a group.
- IV. Can now begin to evaluate the role of prosody in prediciting future individual behavior, with zero manual annotation of prosody.

## "Extended-Degree-of-Overlap" (EDO) Models

1. Factor in time, Markovian assumption of order m = 1:

in the multi-port (MPEDO) model

$$\doteq \cdots \times P \begin{pmatrix} 2 & 1 \\ 1 & \end{pmatrix} \times P \begin{pmatrix} 1 & 2 \\ 1 & \end{pmatrix} \times P \begin{pmatrix} 1 & 1 \\ 1 & \end{pmatrix} \times \cdots$$

2. In the conditionally independent single-port (SPEDO) model, factor each factor further:

3. The integer in the conditioning context is the *number* (degree) of interlocutors speaking simultaneously at instant t - 1. To reduce model size: cluster this number into  $K_{max}$  bins, with the  $K_{max}$ th bin containing all degrees  $\geq K_{max}$ .

# Evaluation: Perplexity as a Function of $K_{max}$

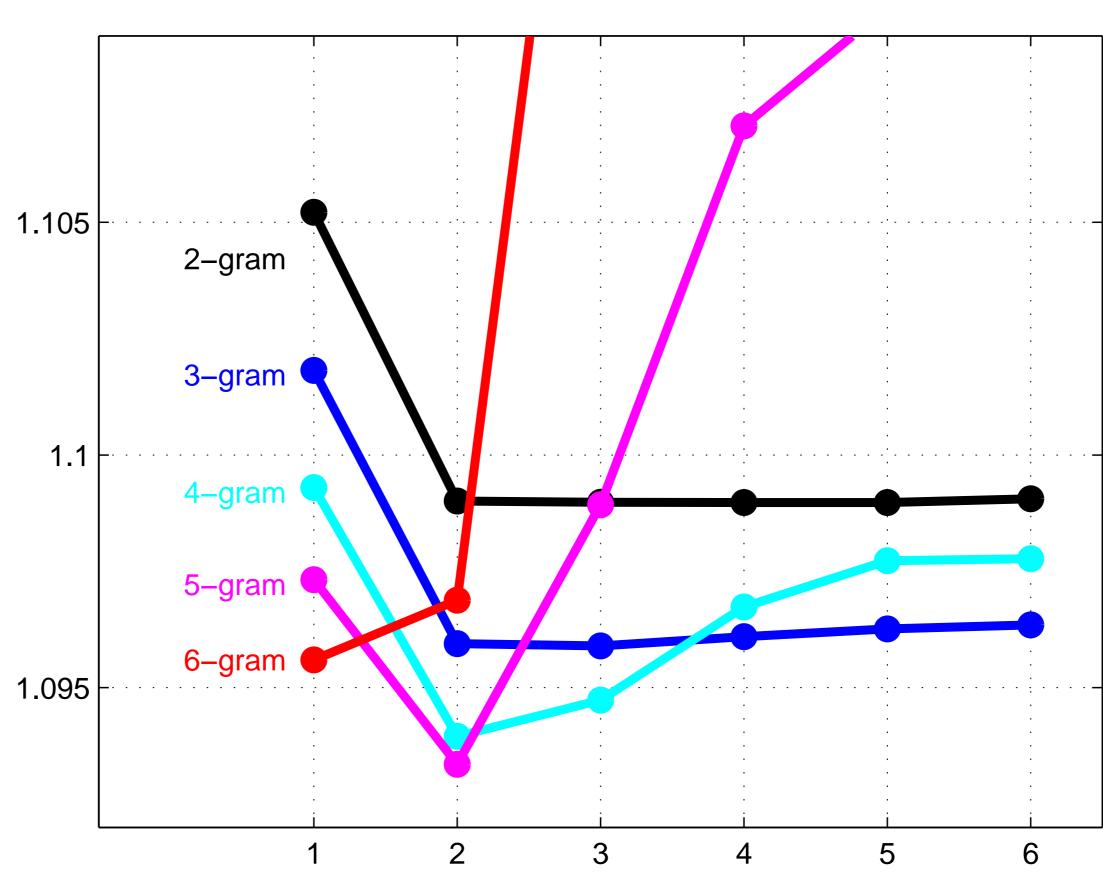
Using the ICSI Meeting Corpus:

- 75 meetings, each  $\approx$  60 minutes long
- 3–9 participants per meeting
- round-robin: for each meeting, train on all others
- score with duration- and K- normalized perplexity

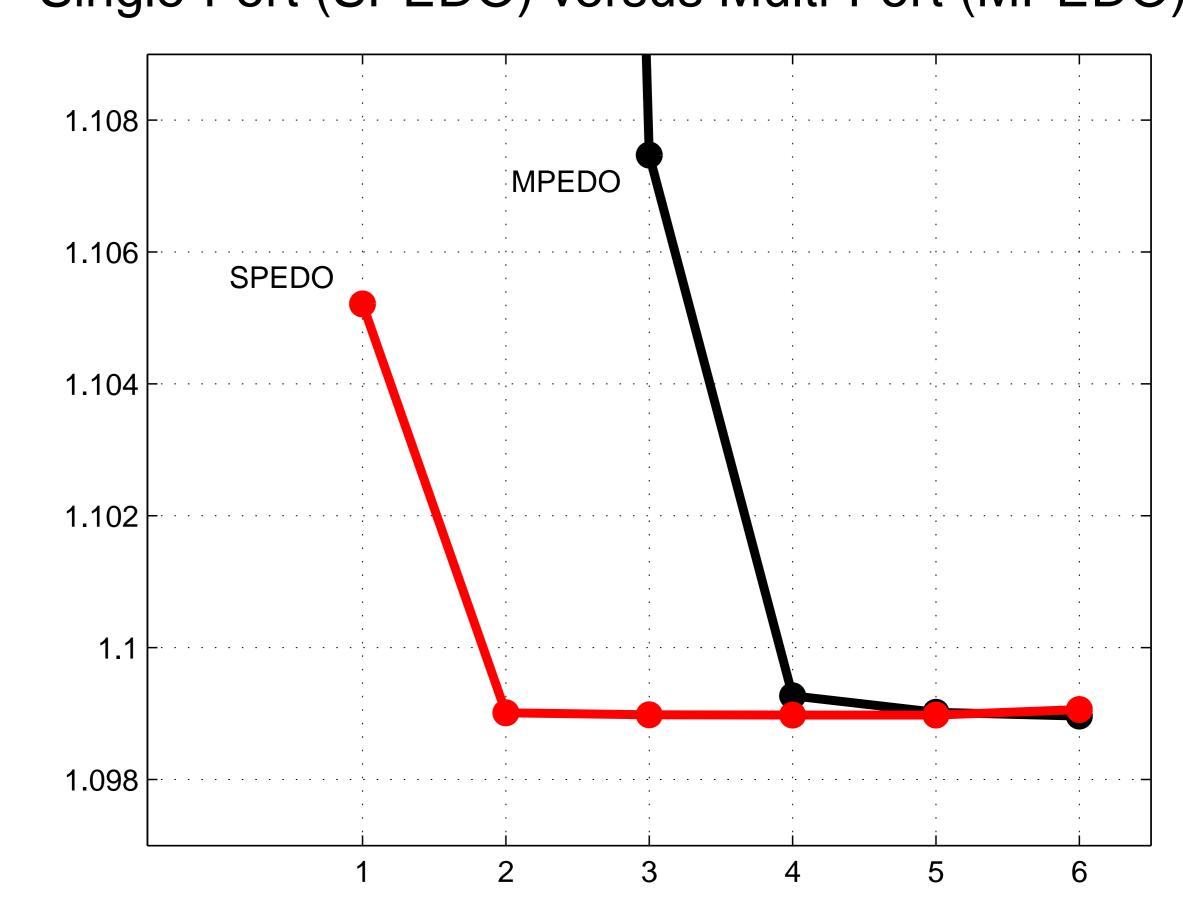
Model complexity controlled using:

- n, the order of the Markov assumption
- $K_{max}$ , the maximum allowed "degree-of-overlap"
  - 1: ignore interlocutors altogether
  - 2: distinguish among 0 or >**0** other talkers
- 3: distinguish among 0, 1 or >1 other talkers

## The Effect of Duration of Conditioning History



# Single-Port (SPEDO) versus Multi-Port (MPEDO)



#### The Predictability of "Distant" Futures

