

Feature-wise Bias Amplification

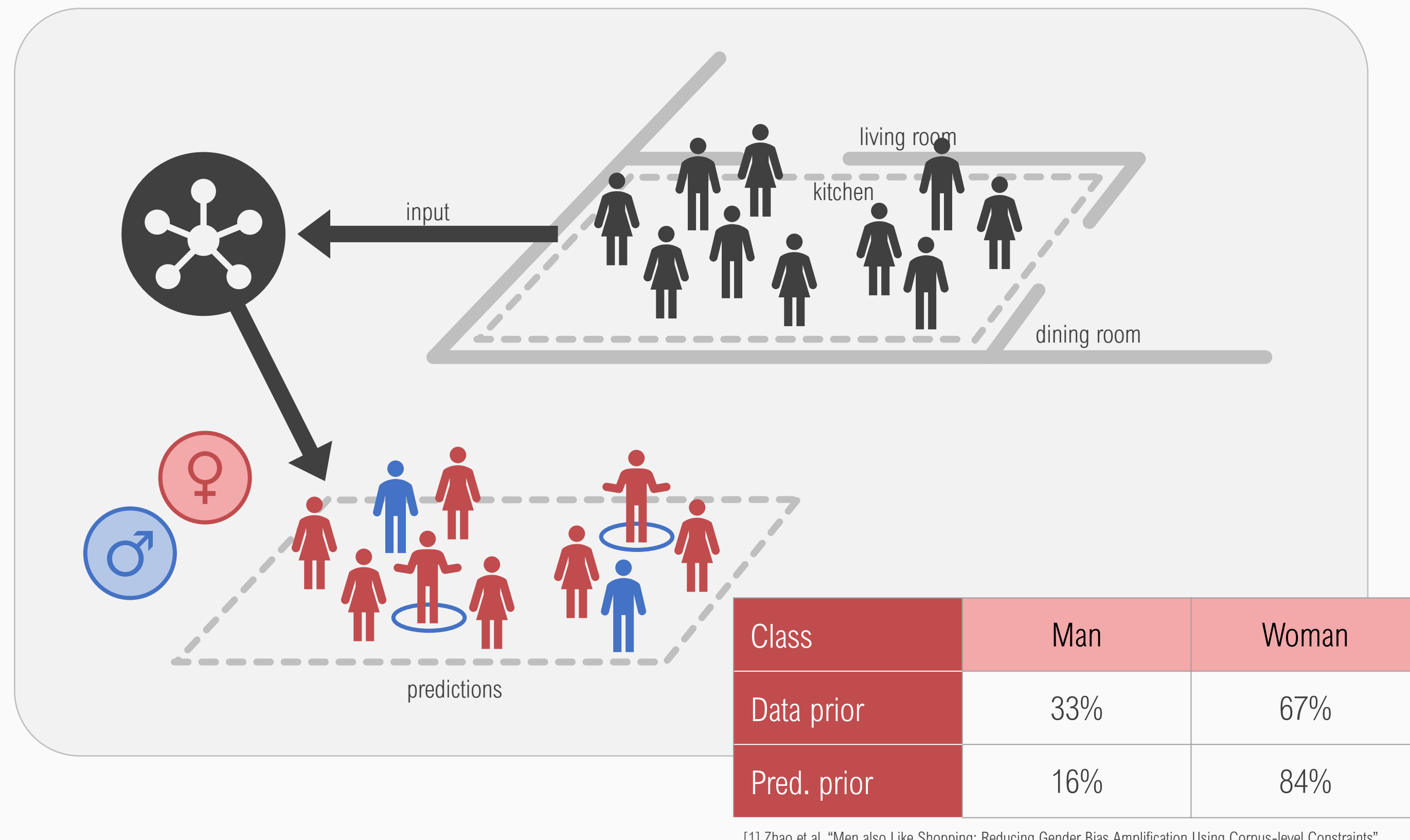
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What is Bias Amplification?

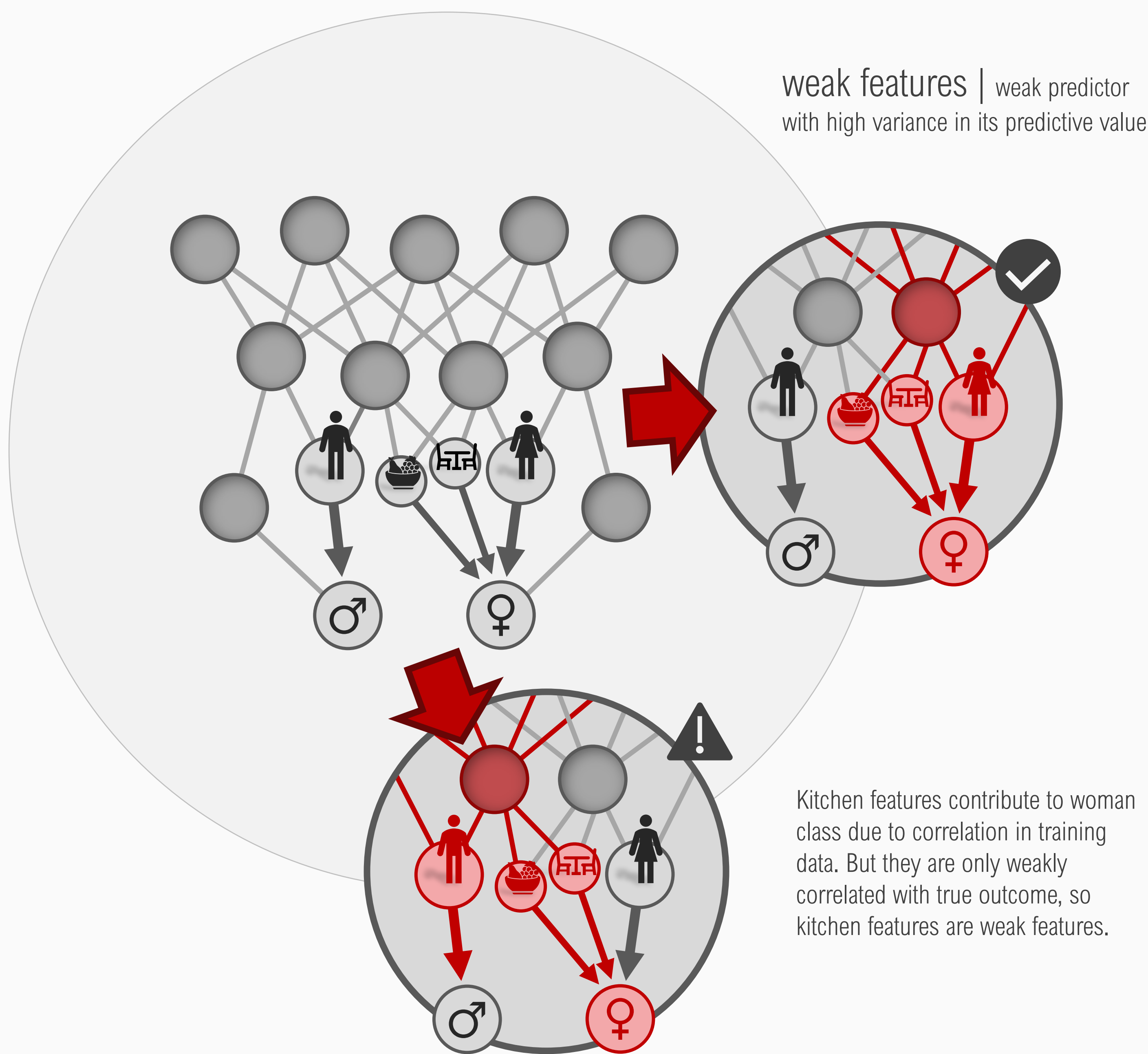
A model exhibits *bias amplification* if the prior distribution of the model's predictions does not match that of the data.



Bias Amplification | Let \mathcal{D} be a distribution over features, x , and labels, y . Let h_S be a binary classifier trained on $S \sim \mathcal{D}^n$. The *bias amplification* of h_S on \mathcal{D} is

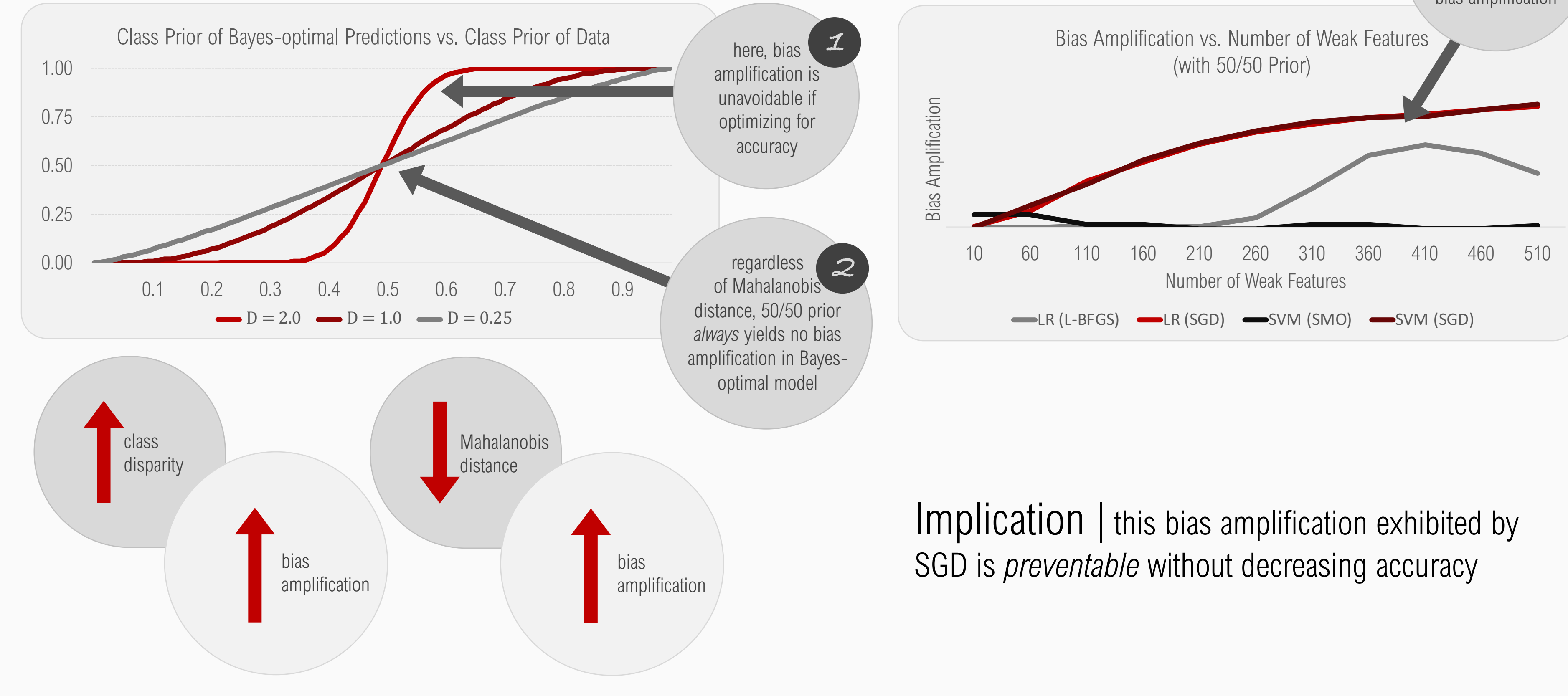
$$B_{\mathcal{D}}(h_S) = \mathbb{E}_{(x,y) \sim \mathcal{D}} [h_S(x) - y]$$

Hypothesis: Overreliance on Weak Features



SGD Amplifies Bias — Unnecessarily

In the setting of Gaussian naïve-Bayes data, the bias of the Bayes-optimal classifier is a function of the *Mahalanobis distance* between the classes and the class prior of the data.



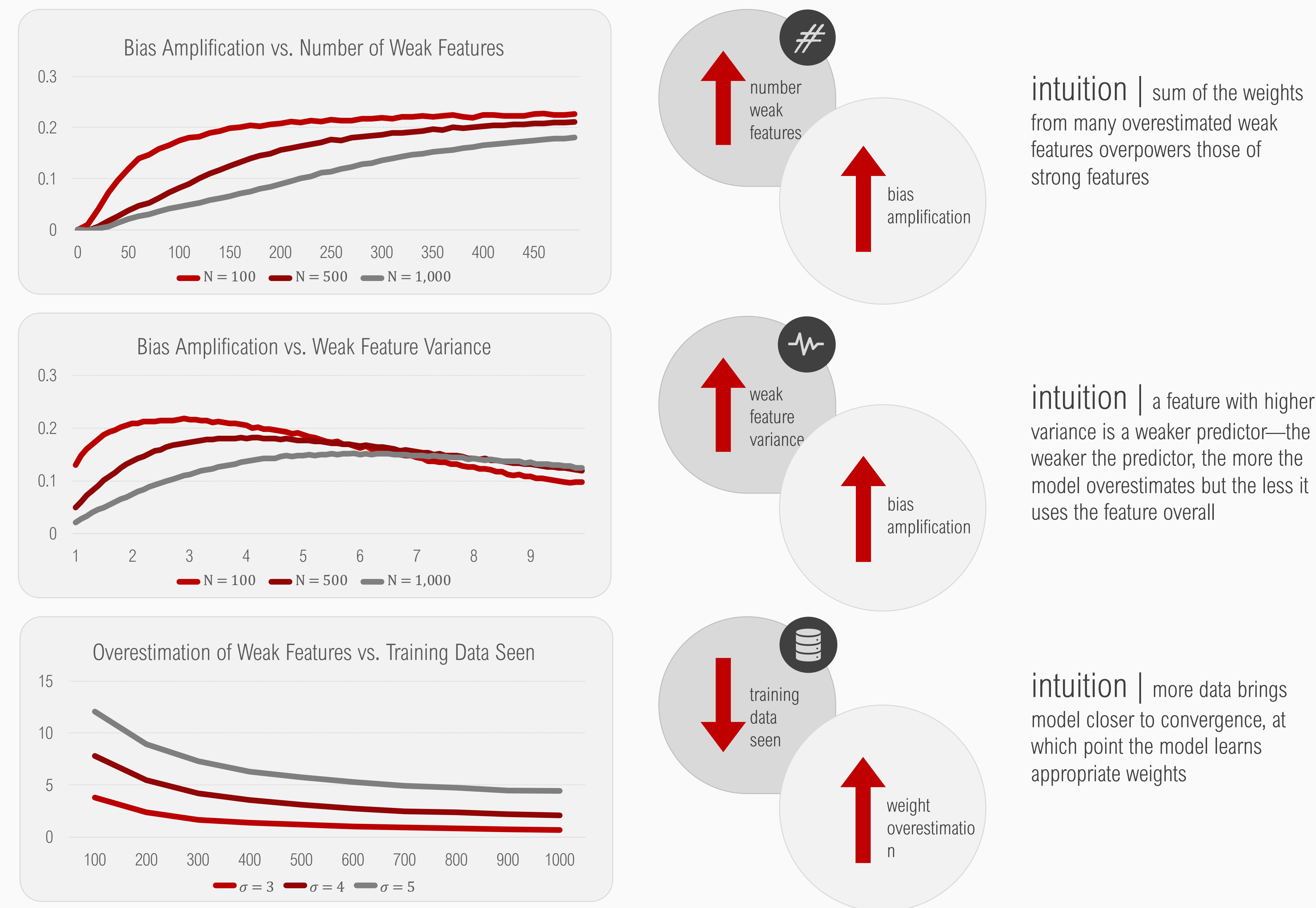
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manifestation | a model trained with SGD will *overestimate* the weak features for the task, and thus over-predict the class with more weak features

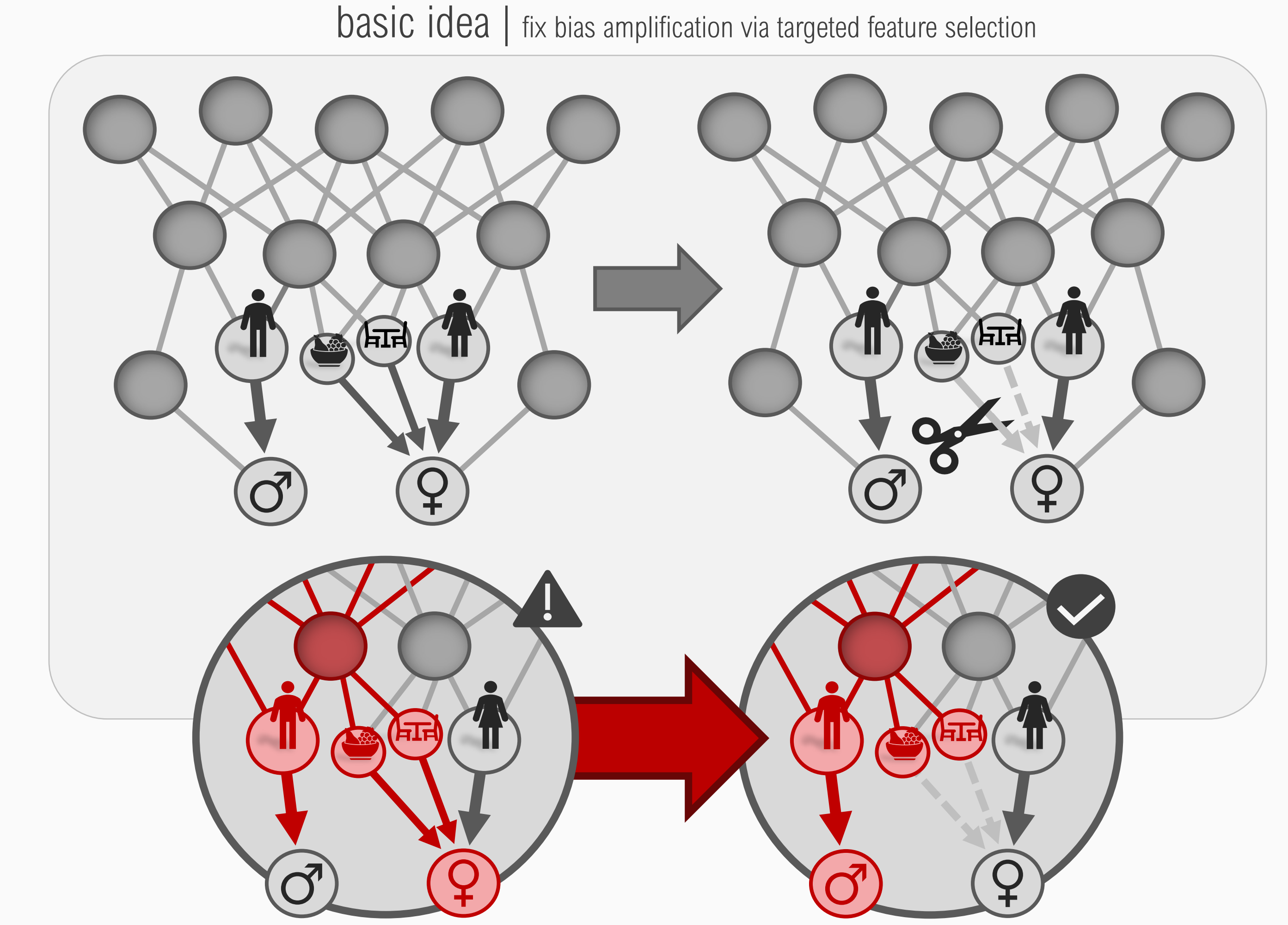
overestimation | putting undue weight (in linear models) or influence (in deep models) on a feature

three main factors

- # number of weak features
- ~ variance of weak features
- amount of training data



How do we Fix Bias Amplification?



Influence | Let $s = (g, h)$ be a slice of deep network, f , such that $f = g \circ h$, and let P be a distribution over internal points, $z = h(x)$. Then the *internal influence* of feature z_j on class, y , is

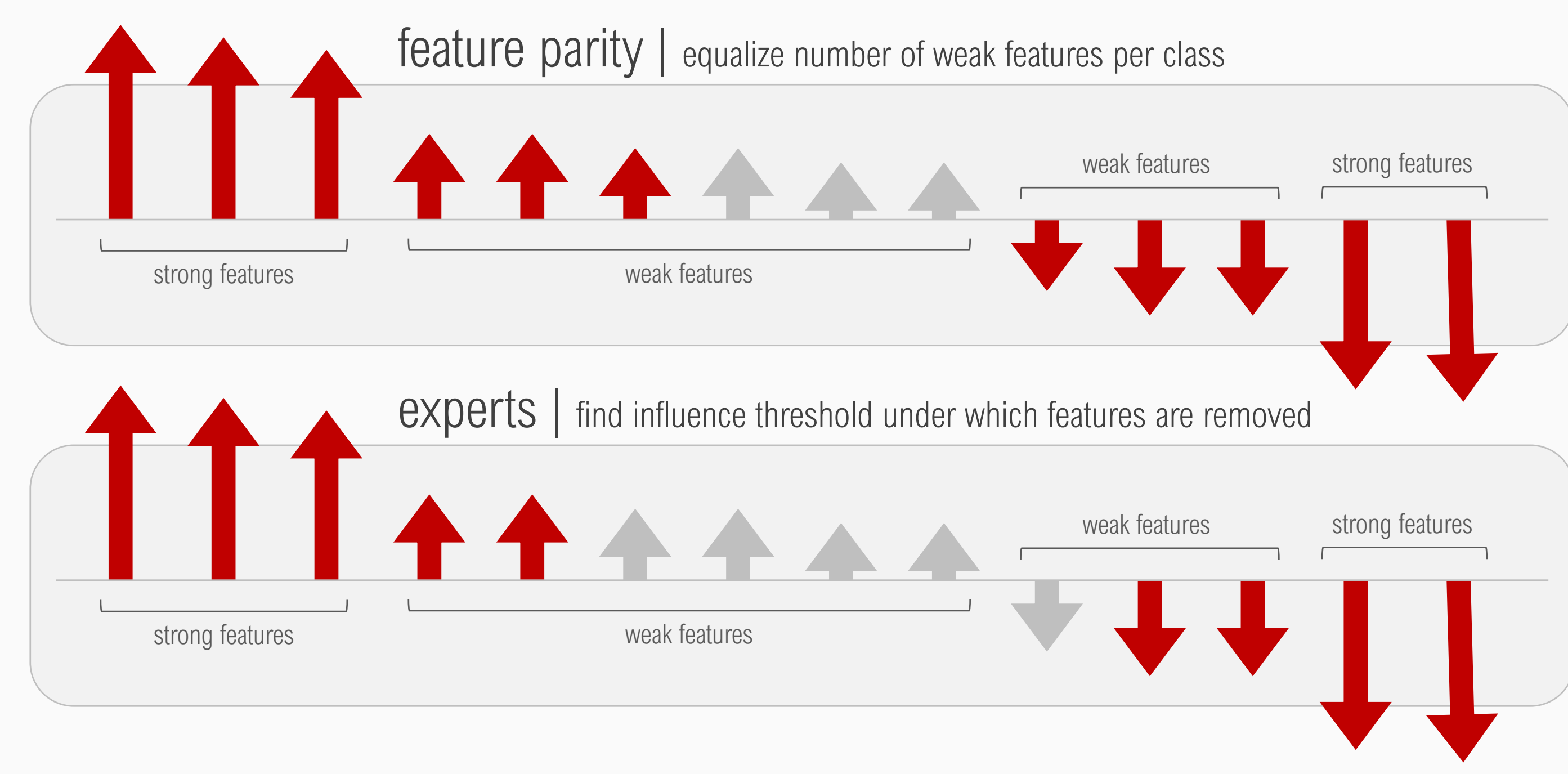
Experts | Let F_α be the set of the α most influential neurons towards class 1, let F_β be the set of the β most influential neurons towards class 0, and let \mathcal{L}_S be the 0-1 loss on training set S . Then the *expert binary classifier* is $g_{\beta^*}^\alpha$, where

$$\chi_j^y(g \circ h, P) = \int_{z \in h(x)} \left[\frac{\partial g_y}{\partial z_j} \right]_z P(z) dz$$

$$m_{\beta^*}^\alpha = \mathbb{I}(j \in F_\alpha \cup F_\beta) \quad g_{\beta^*}^\alpha(z) = g(m_{\beta^*}^\alpha z)$$

$$\alpha^*, \beta^* = \operatorname{argmin}_{\alpha, \beta} |B_{\mathcal{D}}(g_{\beta^*}^\alpha)| \text{ subject to } \mathcal{L}_S(g_{\beta^*}^\alpha) \leq \mathcal{L}(g)$$

[2] Leino et al. "Influence-directed Explanations for Convolutional Neural Networks"



You Can Have Your High Accuracy and Low Bias, Too

