

Announcements

Written Assignment 2 is due 3/8

Advanced Texturing

Bump Mapping
Displacement Mapping
Environment Mapping
Procedural Textures

Shirley Chapter 11

COMPUTER GRAPHICS

15-462

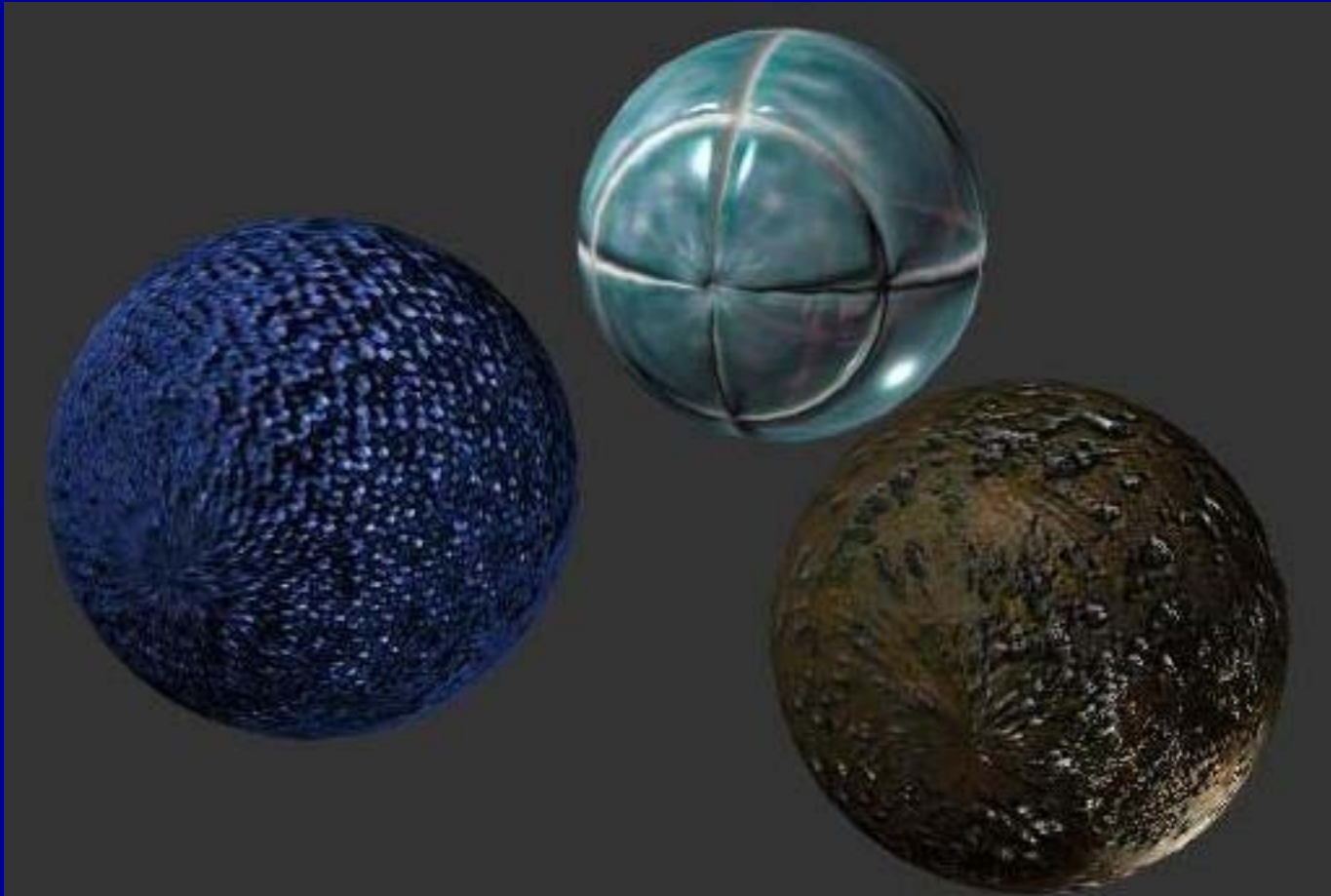
03/06/07

Uses for Texture Mapping (Heckbert 1986)

Use texture to affect a variety of parameters

- surface color (Catmull 1974) - color (radiance) of each point on surface
- surface reflectance - reflectance coefficients k_d , k_s , or n_{shiny}
- normal vector - bump mapping (Blinn 1978)
- geometry - displacement mapping
- transparency - transparency mapping (clouds) (Gardener 1985)
- light source radiance - environment mapping (Blinn 1978)

Fine Surface Detail

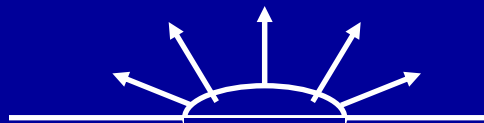


<http://www.siggraph.org/education/materials/HyperGraph/mapping/bumpmap.htm>

How can we model this level of detail?

Bump Mapping

- Basic texture mapping paints on to a smooth surface
- How do you make a surface look *rough*?
 - Option 1: model the surface with many small polygons
 - Option 2: perturb the normal vectors before the shading calculation



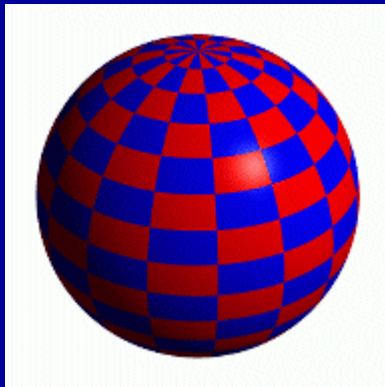
Real Bump



Fake Bump

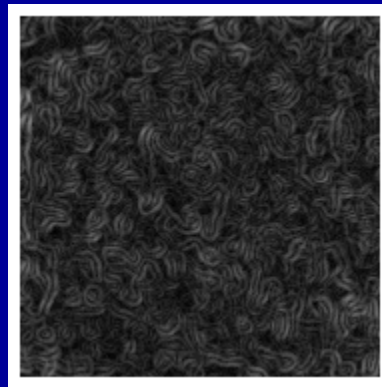


Flat Plane



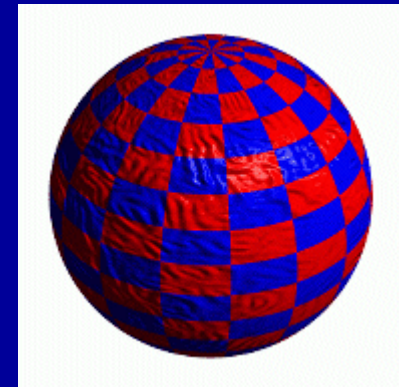
Sphere w/Diffuse Texture Map

+



Bump Map

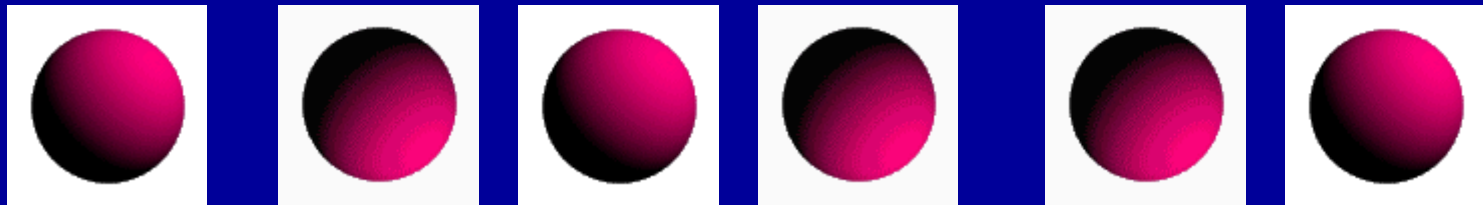
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Sphere w/Diffuse Texture + Bump Map

Why Does this Work?

- Which spots bulge out, and which are indented?



- The human visual system is hard-coded to expect light to come from above (the sun)

Implementing Bump Mapping

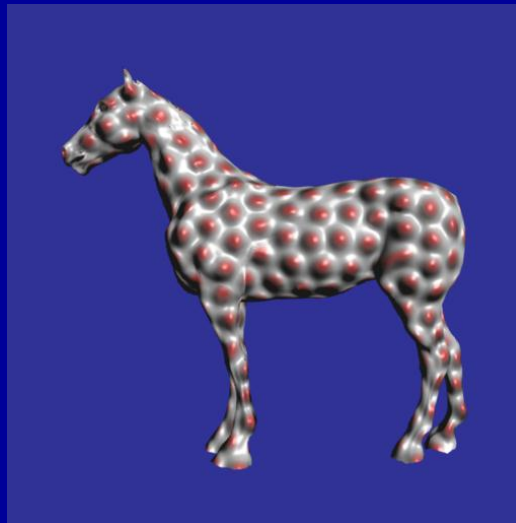
- At each point, displace the normal by some amount to change lighting
- Displacements stored in bump-map (texture image)



blackboard

Bump Mapping is a Hack

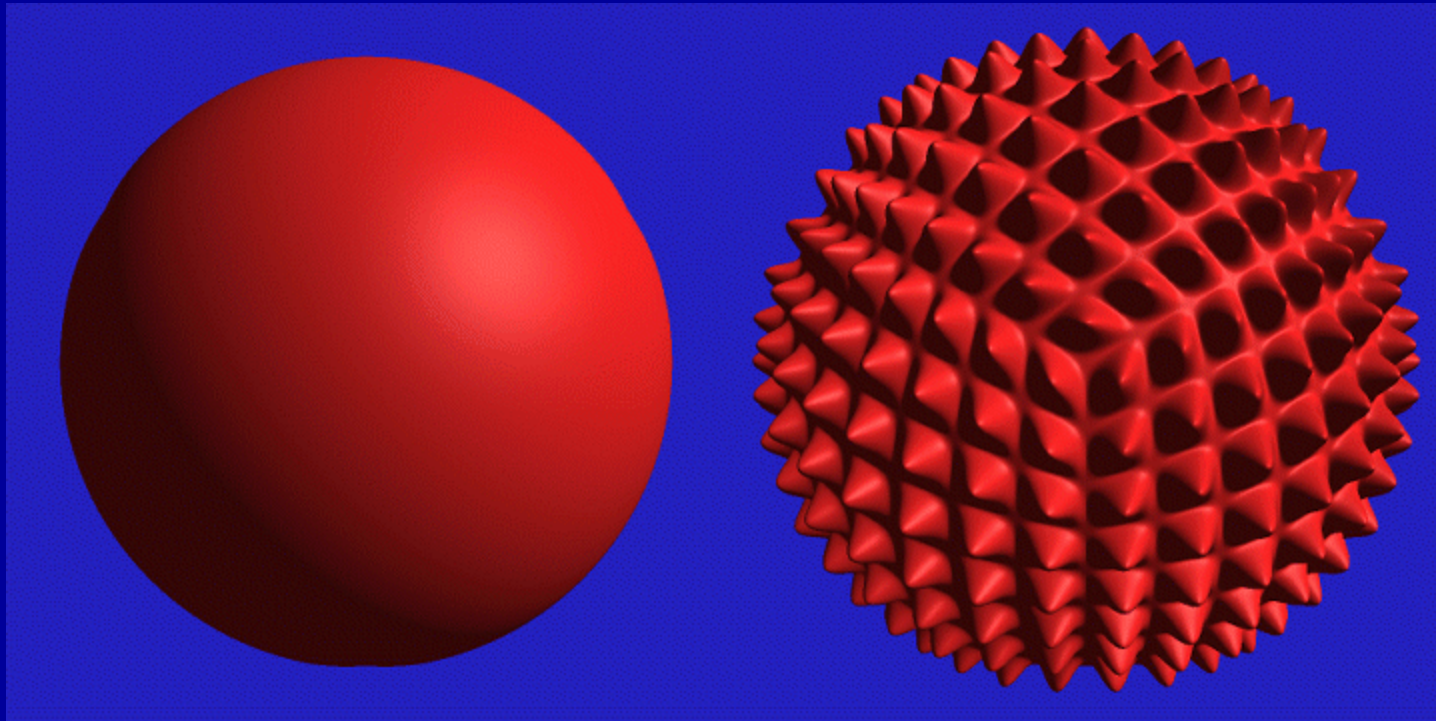
- What anomalies do you see in the image below?



Greg Turk

Displacement Mapping

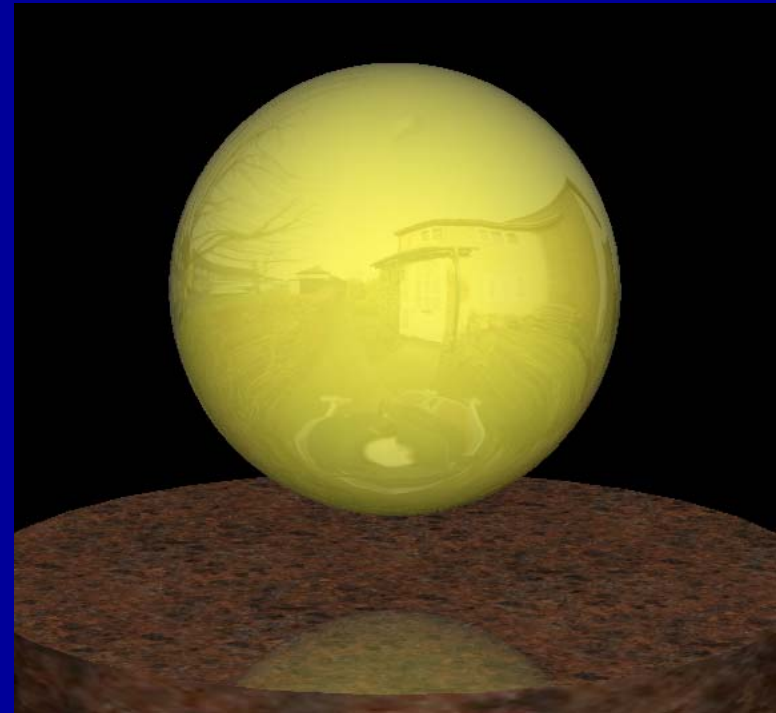
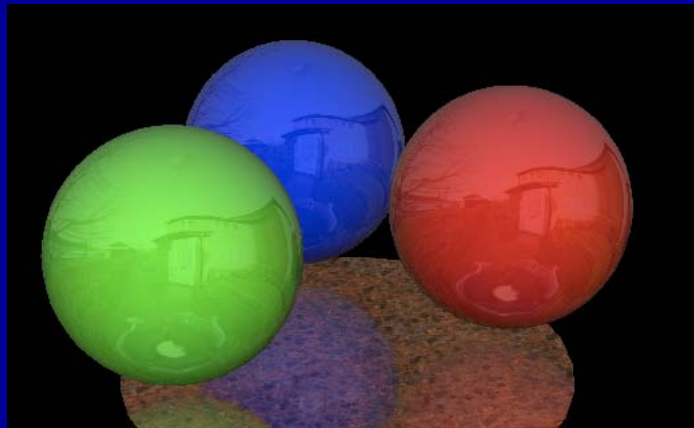
- Use texture map to displace each point on the surface
 - Texture value gives amount to move in direction normal to surface



- How is this better/worse than bump mapping?

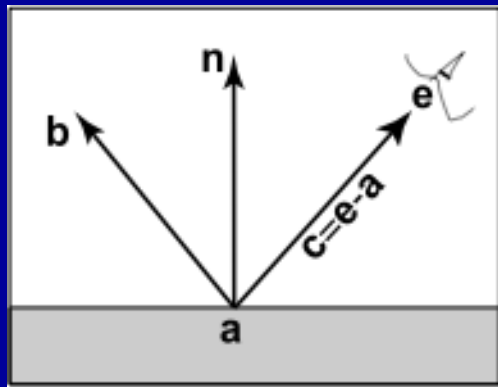
Environment Mapping

- Very shiny objects show reflections of their surroundings
 - To do this properly, we use ray tracing to calculate multiple bounces
 - That's a lot of computation: how can we fake it?
- Use a pre-rendered environment
- (Won't support inter-object reflections)



Environment Mapping (Spherical)

- Imagine that object is surrounded by an infinitely large sphere
 - Calculate reflection vector, project on to sphere
 - Need a seamless texture for the sphere



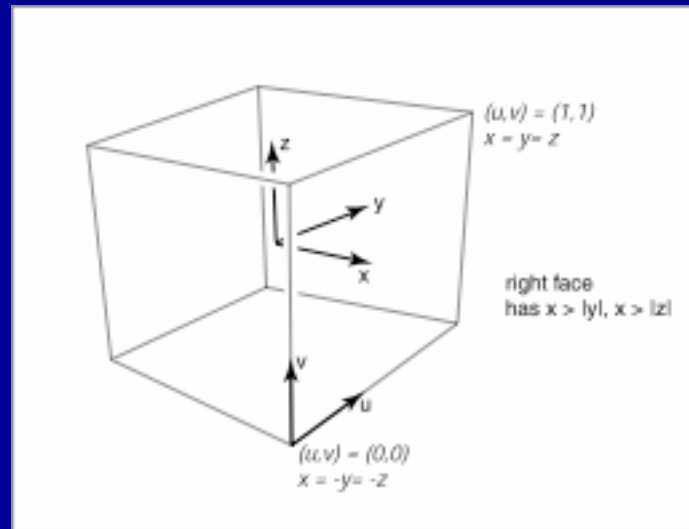
blackboard



Jerome Dewhurst

Environment Mapping (Cube Map)

- Same idea as spherical map, but with 6 textures forming a cube



- OpenGL supports both methods of environment mapping:
 - `glEnable(GL_TEXTURE_CUBE_MAP_EXT);`
 - `glEnable(GL_TEXTURE_GEN_S); glEnable(GL_TEXTURE_GEN_T);`
- What are the advantages/disadvantages of each method?

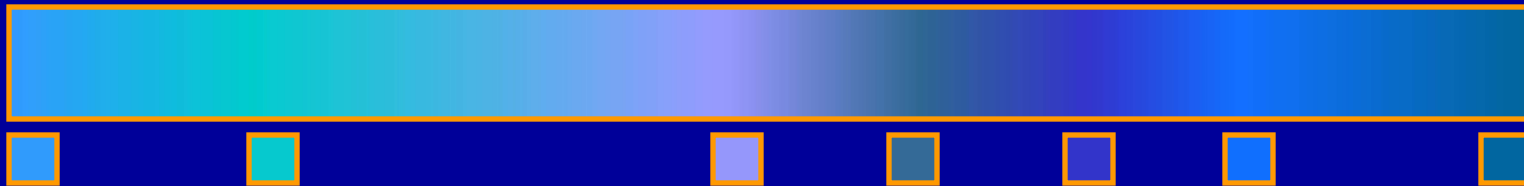
Color Mapping

- Mapping from $\mathbb{R} \rightarrow \mathbb{R}^3$, specifically from $(0,1) \rightarrow (0,1)^3$
- Allows us to convert scalar-valued functions to colors
- Option 1: Color table



– Abrupt transitions, but dead simple to implement

- Option 2: Color spline



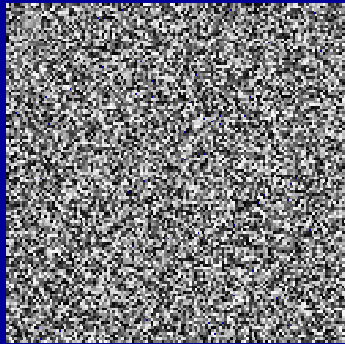
– Linear/cubic/C-R/Hermite interpolation between colors
– Can create both sharp transitions and smooth gradients

Procedural Textures

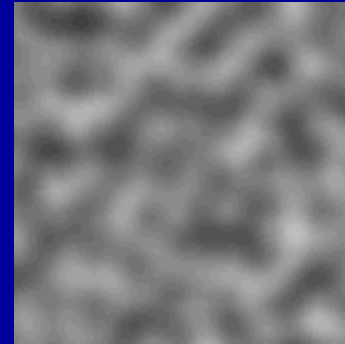
- What if we want to generate textures procedurally?
 - To save space
 - To get effects not possible with photographic textures (solid texture)
 - To animate textures
 - To get the correct texture scale
- Basic procedural textures are regular, boring
 - Built with periodic functions like $\sin()$, $\cos()$
- Need to add “interestingness” to textures
 - Disturb the regularity of basic textures

Perlin Noise

- Random perturbation function with the following characteristics:
 - Repeatable function of $\langle x,y,z \rangle$ input
 - Known range $[-1,1]$
 - Band-limited (coherent)
 - No obvious periodicity
 - Stationary
 - Isotropic



White Noise



Perlin Noise

Perlin Noise Algorithm

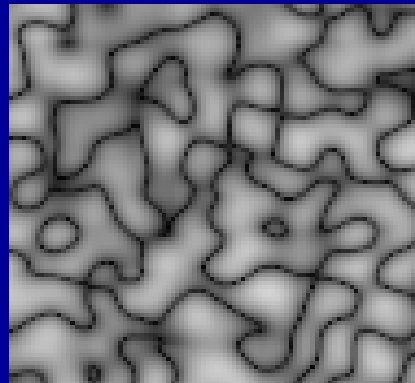
- Perlin Noise is also known as gradient noise
 - Gradient value at each integer point in the 3-space lattice
 - Gradient determined by repeatable hash of $\text{floor}(x), \text{floor}(y), \text{floor}(z)$
 - Take dot product of each gradient with distance to lattice point
 - Weighted average using ease function: $6t^5 - 15t^4 + 10t^3$

<http://mrl.nyu.edu/~perlin/noise/>

blackboard

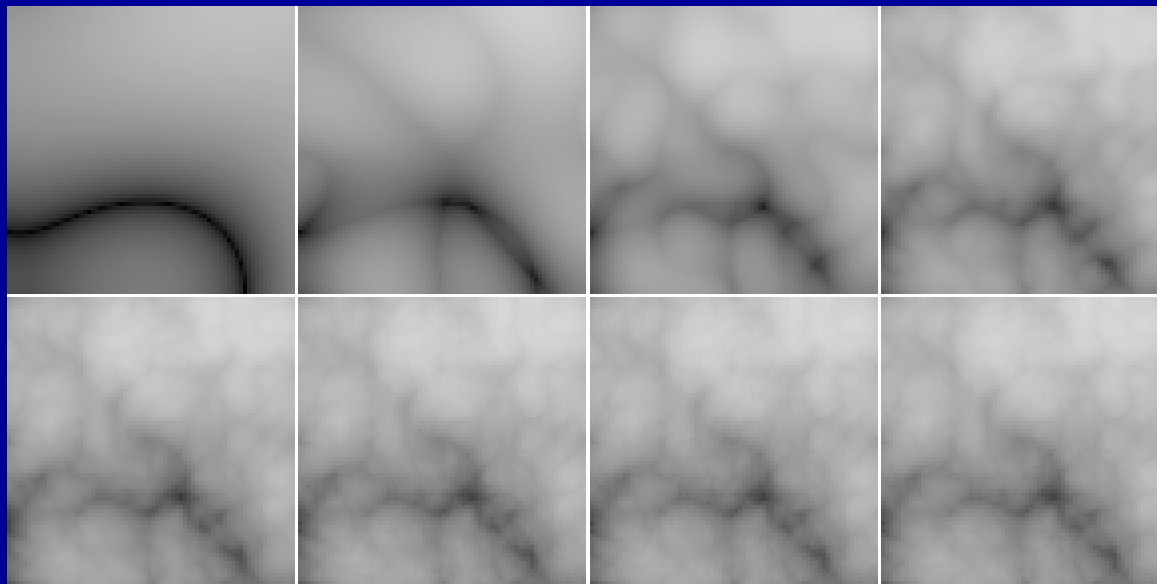
Turbulence

- Noise has a range of $[-1,1]$, must convert to $[0,1]$
- Can scale noise using $0.5(\text{noise}+1)$
- $\text{abs}(\text{noise})$ creates dark veins at zero crossings



Octaves of Noise

- Feature size of basic Perlin noise is relatively uniform
- Sum multiple calls to noise(), scaling input
- Typically, we scale the input by 2^i
- Number of iterations = number of octaves



1-8 Octaves of Turbulence

Using Noise

- Clouds: $\text{noise}(\text{point} + \text{offset}) * \text{intensity}$
- Fire: $\text{abs}(\text{noise3}(\text{point}) + \text{offset})$
- Marble: $\text{sin}(\text{offset} + \text{turbulence}(\text{point}))$
- Wood: $\text{noise}(\text{point}) * \text{scale} - \text{int}(\text{noise}(\text{point}) * \text{scale})$
- Animated texture: add time-varying offset vector to point

Reaction Diffusion (Witkin & Kass 91)

- Originally developed by Alan Turing as a way to model morphogenesis
- Two (or more) morphogens whose concentration varies over a 2D grid
- Concentration affected by:
 - Decay of morphogens
 - Movement of morphogen from areas of high concentration to low (diffusion)
 - Interactions between morphogens which create and destroy them (reaction)

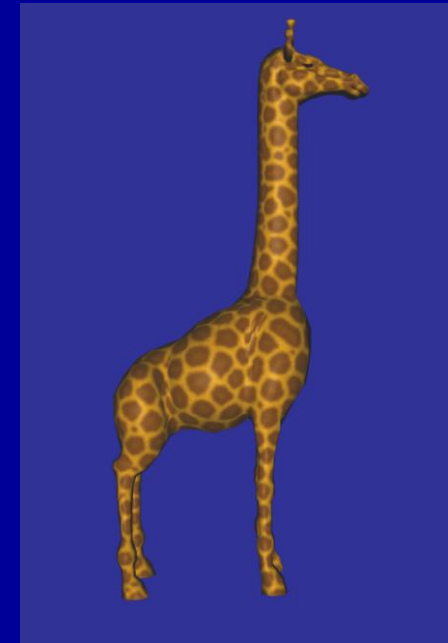
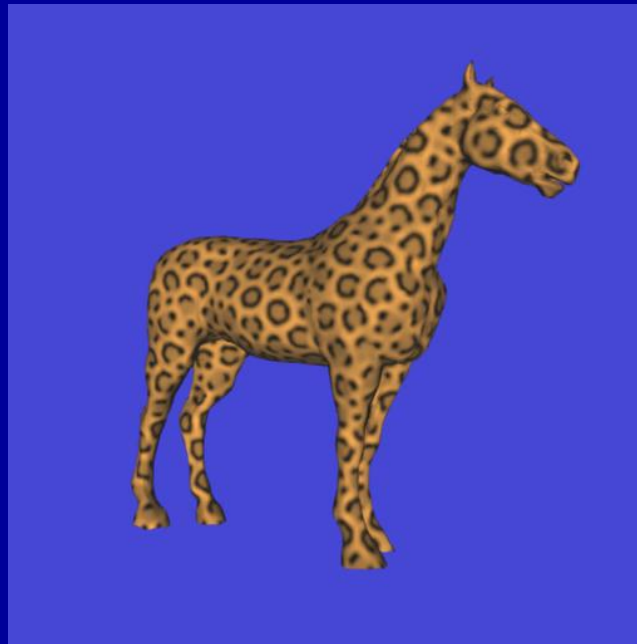
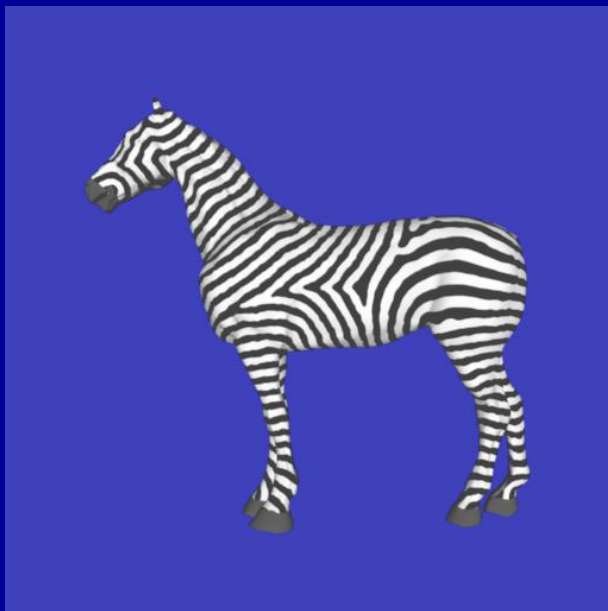
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Reaction Diffusion: R Functions

- Difference in concentrations: giraffe markings
- Max of differences (3+ morphogens): maze-like
- Difference of abs (3+ morphogens): woven twigs

Reaction Diffusion

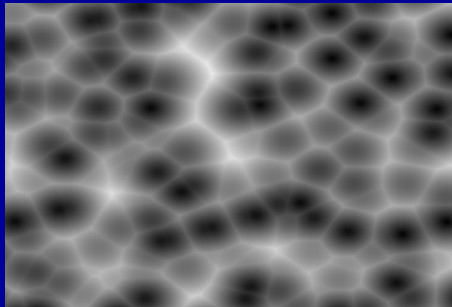
- Varying anisotropy by curvature or location allows for more complicated effects
 - Zebra's stripes wrap correctly
 - Girrafe's pattern is larger on smooth areas



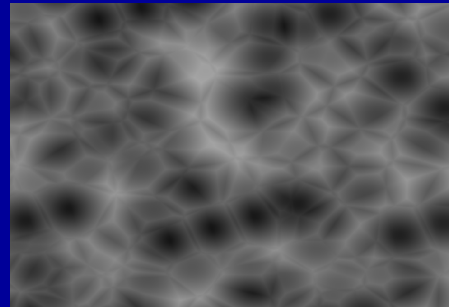
Turk

Cellular Textures (Worley)

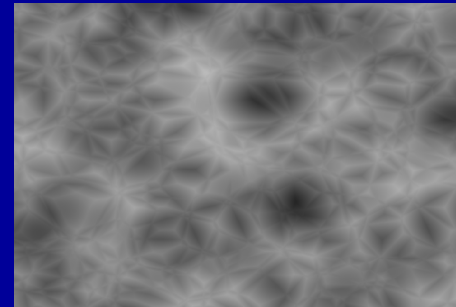
- Based on the idea that there are “feature points” in 3-space, and we care about the distance to the n^{th} closest feature
- $F_i(x,y)$ is the distance to the i^{th} closest randomly distributed feature



F_1



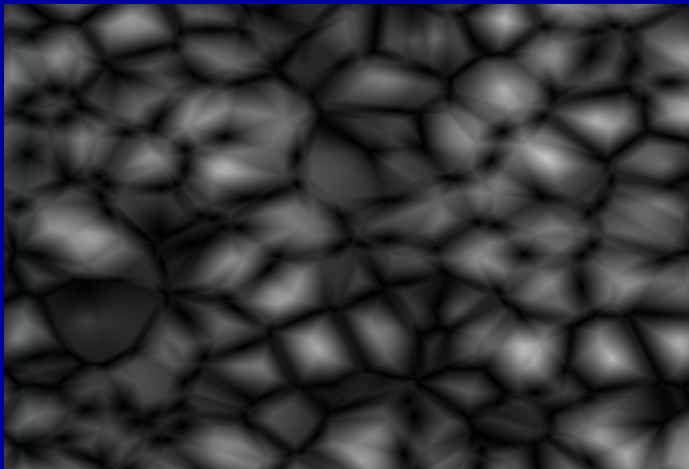
F_2



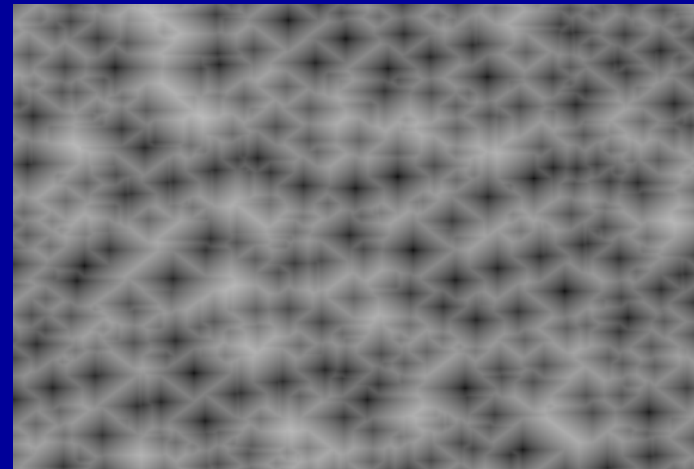
F_3

Cellular Texture Variations

- Cellular texture algorithm very “hackable”
- Change distribution of feature points
- Fractal sum of multiple octaves (water/tin foil)
- Linear/nonlinear combinations of F_i s
- Unique ID number per feature point (flagstones)
- Different distance metrics (Manhattan, super-quadratic)



$F_2 - F_1$



Manhattan Distance

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