

Computer Performance:

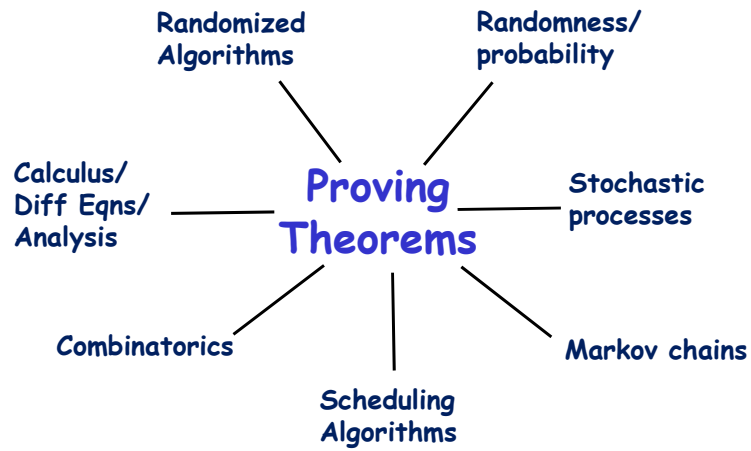


Queueing and Scheduling

Mor Harchol-Balter
Computer Science Dept, CMU

Accepting new student(s)

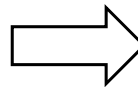
Work with me if you like ...



Work with me if you want to do theory that computer systems folks care about ...

Typical Systems Goals

- "Reducing tail latency"
- "Guaranteeing flow fairness"
- "Combatting transient overload"
- "Optimally assigning heterogeneous resources to heterogeneous jobs"
- "Minimizing energy usage while meeting QoS latency goals"
- "Dynamic capacity provisioning"
- "Caching policies to maximize hit rate"



Scheduling
Theory

Work with me if you want to end up in academia ...

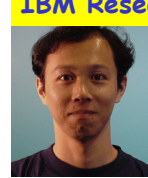
U. Toronto



Caltech



IBM Research



Stony Brook



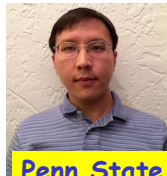
U. Chicago



U. Minnesota



Amherst

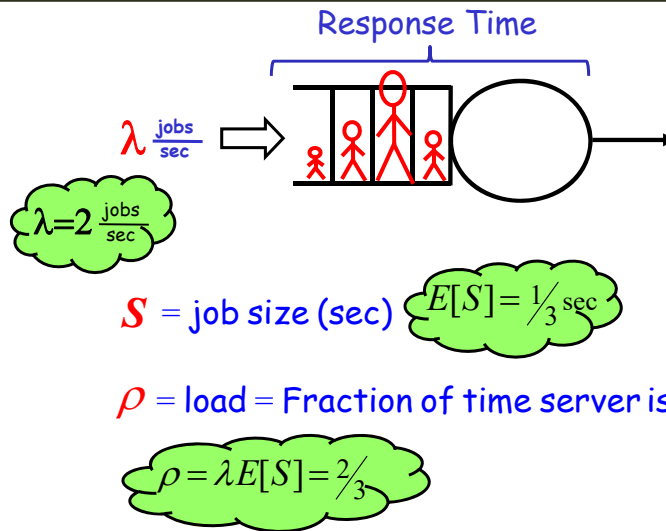


Penn State



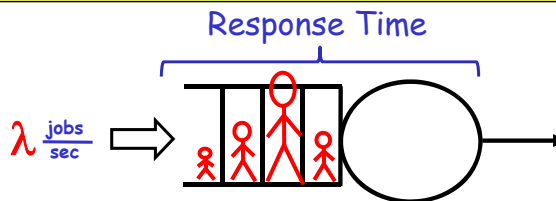
- > Analysis
- > Speaking
- > Teaching
- > Writing
- > Health

Scheduling 101



Q: What scheduling policy minimizes $E[\text{RespTime}]$?

Scheduling 101



Non-Preemptive

- FCFS: First Come First Served
- LCFS: Last Come First Served
- Random: Pick Random Job

SJF: Shortest Job First

Preemptive

PS: Processor Sharing

SRPT: Shortest Remaining Processing Time

Q: How do these compare wrt $E[\text{Resp Time}]$?

Q: Is SRPT optimal?

Optimality of SRPT



Defn: Arrival Sequence $A = \{(a_1, s_1), (a_2, s_2), (a_3, s_3), \dots\}$

Claim: $\forall A$, $SRPT(A)$ is optimal for $E[\text{RespTime}]$

Proof Sketch: ?

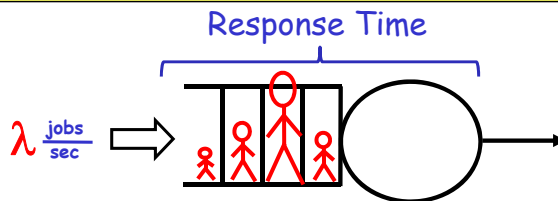
Consider a given A .

Define $OPT(A)$ as yielding optimal response time for A .

Assume that $SRPT(A) \neq OPT(A)$.

Prove there's a contradiction.

Scheduling Optimality



Non-Preemptive

FCFS: First Come First Served

LCFS: Last Come First Served

Random: Pick Random Job

SJF: Shortest
Job First

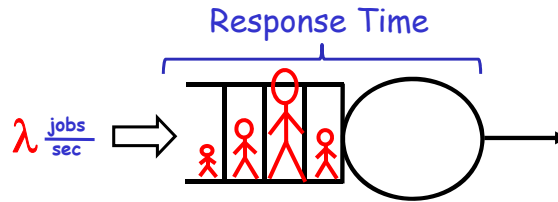
Preemptive

PS: Processor Sharing

SRPT: Shortest
Remaining
Processing
Time

Q: Is SRPT
optimal for
 $E[\text{Resp Time}]$?

Scheduling Optimality



Non-Preemptive

FCFS: First Come First Served

LCFS: Last Come First Served

Random: Pick Random Job

SJF: Shortest
Job First

Preemptive

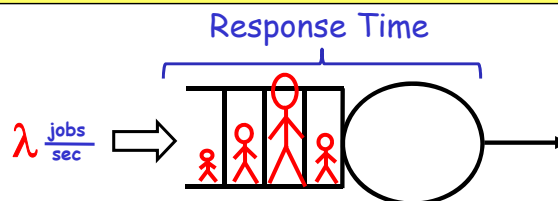
PS: Processor Sharing

SRPT: Shortest
Remaining
Processing
Time

Q: Is SRPT
optimal for
99th %-tile
Resp Time?

9

Scheduling Optimality



Non-Preemptive

FCFS: First Come First Served

LCFS: Last Come First Served

Random: Pick Random Job

SJF: Shortest
Job First

Preemptive

PS: Processor Sharing

SRPT: Shortest
Remaining
Processing
Time

Q: What is
optimal for
Max response
time?

10

Slowdown Metric

$$\text{Slowdown}(\text{job}) = \frac{\text{RespTime}(\text{job})}{\text{Size}(\text{job})}$$

Q: Does SRPT minimize $E[\text{Slowdown}]$?

Yes?

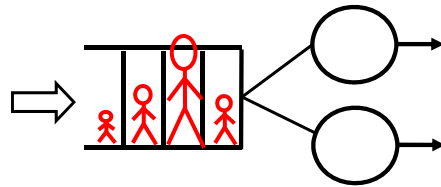
Q: Prove it!

No?

Q: What scheduling policy is optimal for $E[\text{Slowdown}]$?

11

Minimizing Response Time for 2 Servers

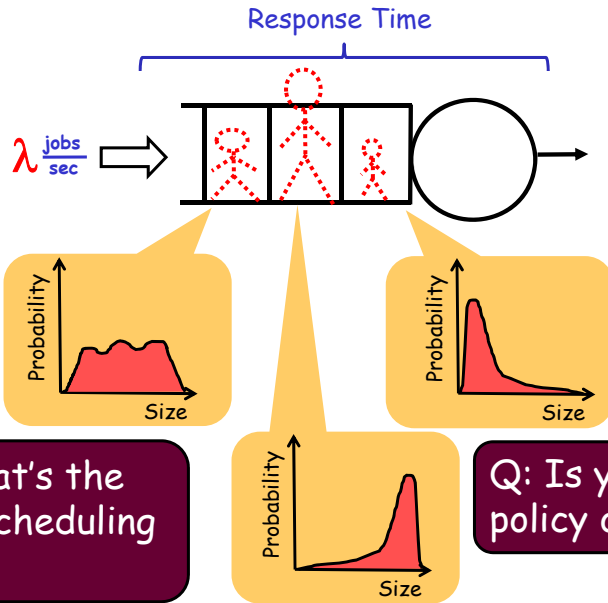


Q: How should we schedule to minimize $E[\text{Response Time}]$ given 2 servers? (assume you can preempt jobs)

Q: Is your policy optimal?

12

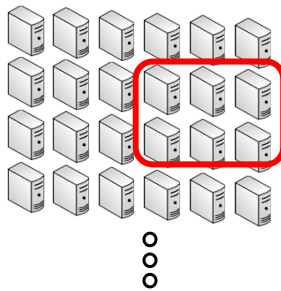
What if Don't Know Size?



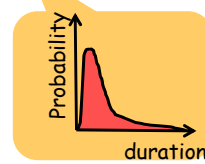
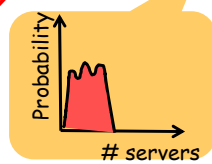
13

Real World

1 "cell" at Google
= 10,000 servers



"job" = (# servers, duration)

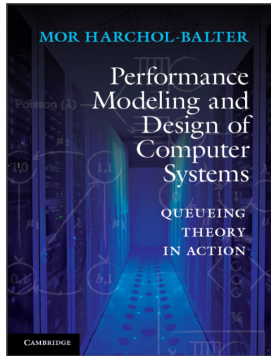


Many voodoo
parameters
... Huge waste!

- Q: How to schedule?
- Q: How to predict $E[\text{Response time}]$ and 99%-tile of Response time?
- Q: How to provision capacity?

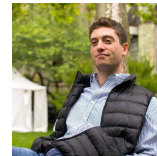
14

Want to learn more ... take my class!



**This Semester: 15-857
Analytical Performance Modeling
MWF 1:30 p.m.**

Awesome TAs:



www.cs.cmu.edu/~harchol/