

# Closed versus open system models and their impact on performance and scheduling

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## Abstract

Workload generators may be classified as based on a closed system model, where new job arrivals are only triggered by job completions (followed by think time), or an open system model, where new jobs arrive independently of job completions. In general, system designers pay little attention to whether a workload generator is closed or open.

Using a combination of implementation and simulation experiments, we illustrate that there is a vast difference in behavior between open and closed models in real-world settings. We synthesize these differences into eight simple guiding principles, which serve three purposes. First, the principles specify how scheduling policies are impacted by closed and open models, and explain the differences in user level performance. Second, the principles motivate the use of partly open system models, whose behavior we show to lie between that of closed and open models. Finally, the principles provide guidelines to system designers for determining which system model is most appropriate for a given workload.

## 1 Introduction

Every systems researcher is well aware of the importance of setting up one’s experiment so that the system being modeled is “accurately represented.” Representing a system accurately involves many things, including accurately representing the bottleneck resource behavior, the scheduling of requests at that bottleneck, and workload parameters such as the distribution of service request demands, popularity distributions, locality distributions, and correlations between requests. However, one factor that researchers typically pay little attention to is whether the job arrivals obey a closed or an open system model. In a *closed system model*, new job arrivals are only triggered by job completions (followed by think time), as in Figure 1(a). By contrast in an *open system model*, new jobs arrive independently of job completions, as in Figure 1(b).

Table 1 surveys the system models used in a variety of web related workload generators used by systems researchers today. The table is by no means complete; however it illustrates the wide range of workload generators and benchmarks available. Most of these generators/benchmarks assume a closed system model, although a reasonable fraction assume an open one. For many of these workload generators, it was quite difficult to figure out which system model was being assumed – the builders often do not seem to view this as an important factor worth mentioning in the documentation. Thus the “choice” of a system model (closed versus open) is often not really a researcher’s choice, but rather is dictated by the availability of the workload generator. Even when a user makes a conscious choice to use a closed model, it is not always clear how to parameterize the closed system (e.g. how to set the think time and the multiprogramming level – MPL) and what effect these parameters will have.

In this paper, we show that closed and open system models yield significantly different results, *even when both models are run with the same load and service demands*. Not only is the measured response time different under the two system models, but the two systems respond fundamentally differently to varying parameters and to resource allocation (scheduling) policies.

We obtain our results primarily via real-world implementations. Although the very simplest models of open and closed systems can be compared analytically, analysis alone is insufficient to capture the effect of many of the complexities of modern computer systems, especially size based scheduling and realistic job size distributions. Real-world implementations are also needed to capture the magnitude of the differences between closed and open systems in practice. The case studies we consider are described in Section 4. These include web servers receiving static HTTP requests; the back-end database in e-commerce applications; an auctioning web site; and a supercomputing center. In performing these case studies,

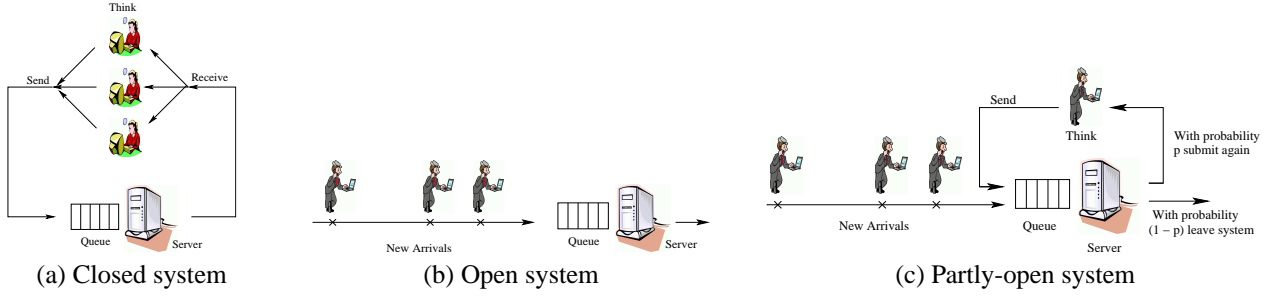


Figure 1: Illustrations of the closed, open, and partly-open system models.

we needed to develop a flexible suite of workload generators, simulators, and trace analysis tools that can be used under closed, open, and other system models. The details of this suite are provided in Section 4.

Our simulation and implementation experiments lead us to identify *eight principles*, summarizing the observed differences between open and closed system models, many of which are not obvious. These principles may be categorized by their area of impact.

The first set of principles (see Sections 4 and 5.1) describe the *difference in mean response time* under open and closed system models and how *various parameters affect these differences*. We find, for example, that for a fixed load, the mean response time for an open system model can exceed that for a closed system model by an order of magnitude or more. Even under a high MPL (100 users), the closed system model still behaves “closed” with respect to mean response time, and there is still a significant difference between mean response times in closed and open systems even for an MPL of 1000. With respect to service demands (job sizes), while their variability has a huge impact on response times in open systems, it has much less of an effect in closed models. The impact of these principles is that a system designer needs to beware of taking results that were discovered under one system model and applying them to a second system model. For example, if the workload generator being used creates a closed system model, whereas the real world application is closer to an open system model, then the results obtained using the workload generator will be far from those witnessed in practice.

The second set of principles (see Section 5.2) deal with the *impact of scheduling* on improving system performance. Scheduling is a common mechanism for improving mean response time without purchasing additional resources. While Processor-Sharing scheduling (PS) and First-Come-First-Served (FCFS) are most commonly used in computer systems, many system designs give preference to short jobs (requests with small service demands), applying policies like Non-Preemptive-Shortest-Job-First (SJF) or Preemptive-Shortest-Job-First (PSJF) to disk scheduling [50] and web scheduling [19, 33, 15].

When system designers seek to evaluate a new scheduling policy, they often try it out using a workload generator and simulation test-bed. Our work will show that, again, one must be very careful that one is correctly modeling the application as closed or open, since the impact of scheduling turns out to be very different under open and closed models. For example, our principles show that proper scheduling (favoring short jobs) is highly effective in improving mean response time in open systems, while this is far less true under a closed system model. We find that closed system models only benefit from scheduling under a narrow range of parameters, when load is moderate and the MPL is very high. The message for system designers is that scheduling is a powerful tool in open system models; however not always worth the effort for closed system models.

The third set of principles (see Section 6) deal with *partly-open systems*. We observe that while workload generators and benchmarks typically assume either an open system model or a closed system model, neither of these is entirely realistic. Many applications are best represented using an “in-between” system model, which we call the partly-open model. Our principles specify those parameter settings for which the partly-open model behaves more like a closed model or more like an open model with respect to response time. We also find that, counter to intuition, parameters like think time have almost no impact on the performance of a partly-open model. The principles describing the behavior of partly-open system models are important because real-world applications often fit best into partly-open models, and the performance of these models is not well understood. In particular, the effect of system parameters and scheduling on performance in the partly open system – points which our principles address – are not known. Our results motivate the importance of designing *versatile* workload generators that are able to support open, closed, and partly open system models. We create such versatile workload generators for several common systems, including web servers and database systems, and use these throughout our studies.

The third set of principles also provides system de-

Type of benchmark	Name	System model
Model-based web workload generator	Surge [9], WaspClient [31], Geist [22], WebStone [46], WebBench [48], MS Web Capacity Analysis Tool [27]	Closed
	SPECWeb96 [42], WAGON [23]	Open
Playback mechanisms for HTTP request streams	MS Web Application Stress Tool [28], Webjamma [1], Hammerhead [38], Deluge [37], Siege [17]	Closed
	httperf [30], Sclint [8]	Open
Proxy server benchmarks	Wisconsin Proxy Benchmark [5], Web Polygraph [34], Ink-tomi Climate Lab [18]	Closed
Database benchmark for e-commerce workloads	TPC-W [45]	Closed
Auction web site benchmark	RUBiS[12]	Closed
Online bulletin board benchmark	RUBBoS[12]	Closed
Database benchmark for online transaction processing (OLTP)	TPC-C [44]	Closed
Model-based packet level web traffic generators	IPB (Internet Protocol Benchmark) [24], GenSyn [20]	Closed
	WebTraf [16], trafgen [14]	
	NS traffic generator [51]	Open
Mail server benchmark	SPECmail2001 [41]	Open
Java Client/Server benchmark	SPECJ2EE [40]	Open
Web authentication and authorization	AuthMark [29]	Closed
Network file servers	NetBench [47]	Closed
	SFS97_R1 (3.0) [39]	Open
Streaming media service	MediSyn [43]	Open

Table 1: A summary table of the system models underlying standard web related workload generators.

signers with guidelines for *how to choose a system model* when they are forced to pick a workload generator that is either purely closed or purely open, as are almost all workload generators (see Section 7). We consider ten different workloads and use our principles to determine for each workload which system model is most appropriate for that workload: closed, open, or partly-open. To the best of our knowledge, no such guide exists for systems researchers. Yet given the tremendous impact of the system model on performance, as described above, it is critical that one take care to make this decision carefully.

## 2 Closed, open, and partly-open systems

In this section, we define how requests are generated under closed, open, and partly-open system models.

Figure 1(a) depicts a **closed system** configuration. In a closed system model, it is assumed that there is some fixed number of users, who use the system forever. This number of users is typically called the *multiprogramming level* (MPL) and denoted by  $N$ . Each of these  $N$  users repeats these 2 steps, indefinitely: (a) submit a job, (b) receive the response and then “think” for some amount of time. In a closed system, *a new request is only triggered by the completion of a previous request*. At all times there are some number of users,  $N_{think}$ , who are thinking, and some number of users  $N_{system}$ , who are either running or queued to run in the system, where

$N_{think} + N_{system} = N$ . The *response time*,  $T$ , in a closed system is defined to be the time from when a request is submitted until it is received. In the case where the system is a single server (e.g. a web server), the *server load*, denoted by  $\rho$ , is defined as the fraction of time that the server is busy, and is the product of the mean throughput  $X$  and the mean service demand (processing requirement)  $E[S]$ .

Figure 1(b) depicts an **open system** configuration. In an open system model there is a stream of arriving users with average arrival rate  $\lambda$ . Each user is assumed to submit one job to the system, wait to receive the response, and then leave. The number of users queued or running at the system at any time may range from zero to infinity. The differentiating feature of an open system is that *a request completion does not trigger a new request: a new request is only triggered by a new user arrival*. As before, *response time*,  $T$ , is defined as the time from when a request is submitted until it is completed. The *server load* is defined as the fraction of time that the server is busy. Here load,  $\rho$ , is the product of the mean arrival rate of requests,  $\lambda$ , and the mean service demand  $E[S]$ .

Neither the open system model nor the closed system model is entirely realistic. Consider for example a web site. On the one hand, a user is apt to make more than one request to a web site, and the user will typically wait for the output of the first request before making the next. In these ways a closed system model makes sense. On

the other hand, the number of users at the site varies over time; there is no sense of a fixed number of users  $N$ . The point is that users visit to the web site, behave as if they are in a closed system for a short while, and then leave the system.

Motivated by the example of a web site, we study a more realistic alternative to the open and closed system configurations: the **partly-open system** shown in Figure 1(c). Under the partly-open model, users arrive according to some outside arrival process as in an open system. However, every time a user completes a request at the system, with probability  $p$  the user stays and makes a followup request (possibly after some think time), and with probability  $1 - p$  the user simply leaves the system. Thus the expected number of requests that a user makes to the system in a visit is Geometrically distributed with mean  $1/(1 - p)$ . We refer to the collection of requests a user makes during a visit to the system as a *session* and we define the *length* of a session to be the number of requests in the session/visit. The *server load* is the fraction of time that the server is busy equalling the product of the average outside arrival rate  $\lambda$ , the mean number of requests per visit  $E[R]$ , and the mean service demand  $E[S]$ . For a given load, when  $p$  is small, the partly-open model is more similar to an open model. For large  $p$ , the partly-open model resembles a closed model.

### 3 Comparison methodology

In this section we discuss the relevant parameters and metrics for both the open and the closed system models and discuss how we set parameters in order to compare open and closed system models.

Throughout the paper we choose the service demand distribution to be the same for the open and the closed system. In the case studies (implementations and trace-based simulations) the service demand distribution is either taken from a trace or determined by the benchmark used in the experiments. In the model-based simulation experiments later in the paper, we use hyperexponential service demands, in order to capture the highly variable service distributions in web applications. Throughout, we measure the variability in the service demand distribution using the square coefficient of variation,  $C^2$ . The think time in the closed system,  $Z$ , follows an exponential distribution, and the arrival process in the open system is either a Poisson arrival process with average rate  $\lambda$ , or provided by traces. The results for all simulations and experiments are presented in terms of mean response times and the system load  $\rho$ . While we do not explicitly report numbers for another important metric, mean throughput, the interested reader can directly infer those numbers by interpreting load as a simple scaling of throughput. In an open system, the mean throughput is simply equal to  $\lambda = \rho/E[S]$ , which is the same as

throughput in a closed system.

*In order to fairly compare the open and closed systems, we will hold the system load  $\rho$  for the two systems equal, and study the effect of open versus closed system models on mean response time.* The load in the open system is specified by  $\lambda$ , since  $\rho = \lambda E[S]$ . Fixing the load of a closed system is more complex, since the load is affected by many parameters including the MPL, the think time, the service demand variability, and the scheduling policy. The fact that system load is influenced by many more system parameters in a closed system than in an open system is a surprising difference between the two systems. *Throughout, we will achieve a desired system load by adjusting the think time of the closed system (see Figure 5(a)).*

The scheduling policies we study in this work span the range of behaviors of policies that are used in computer systems today:

- FCFS** (First-Come-First-Served) Jobs are processed in the same order as they arrive.
- PS** (Processor-Sharing) The server is shared evenly among all jobs in the system.
- PESJF** (Preemptive-Expected-Shortest-Job-First) The job with the smallest expected duration (size) is given preemptive priority.
- SRPT** (Shortest-Remaining-Processing-Time-First): At every moment the request with the smallest remaining processing requirement is given priority.
- PELJF** (Preemptive-Expected-Longest-Job-First) The job with the longest expected size is given preemptive priority. PELJF is an example of a policy that performs badly and is included to understand the full range of possible response times.

### 4 Real-world case studies

In this section, we compare the behavior of four different applications under closed, open, and partly open system models. The four applications include (a) a web server delivering static content, (b) the database back-end at an e-commerce web site, (c) the application server at an auctioning web site and (d) scheduling at a supercomputing center. These applications vary in many respects, including the bottleneck resource, the workload properties (e.g. job size variability), and the types of scheduling policies considered. We study applications (a) and (b) through full implementation in a real test-bed, while our study of applications (c) and (d) relies on trace-based simulation.

As part of the case studies, we develop a set of workload generators, simulators, and trace analysis tools that facilitate experimentation with all three system models: open, closed, and partly-open. For implementation-based case studies we extend the existing workload generator (which is based on only one system model) to enable all three system models. For the case studies

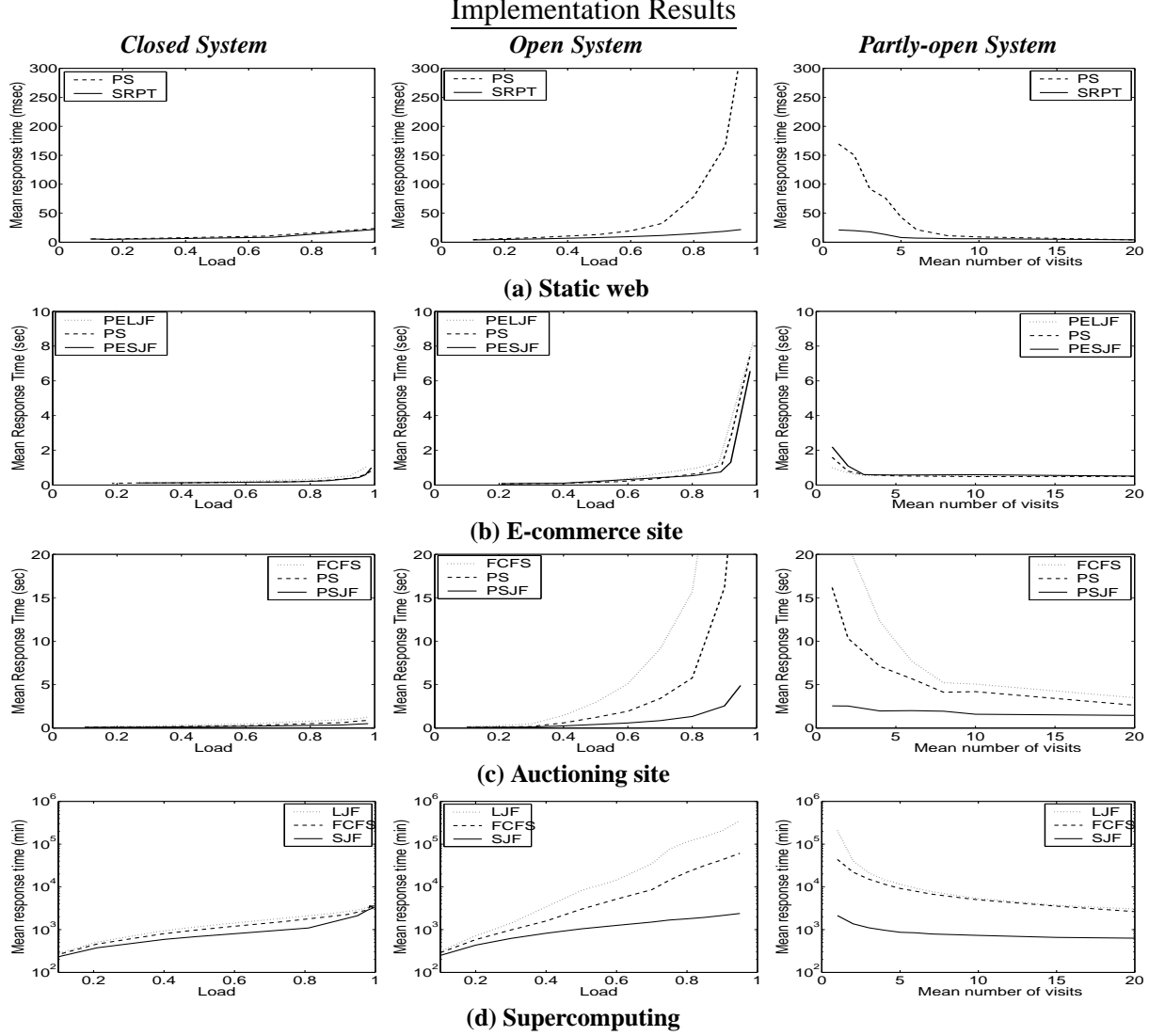


Figure 2: Results for real-world case studies. Each row shows the results for a real-world workload and each column shows the results for one of the system models. In all experiments with the closed system model the MPL is 50. The partly-open system is run at fixed load 0.9.

based on trace-driven simulation, we implement a versatile simulator that models open, closed, and partly-open systems and takes traces as input. We also develop tools for analyzing web traces (in Common Logfile Format or Squid log format) to extract the data needed to parameterize workload generators and simulators. All tools will be made publicly available for use by other researchers.

Sections 4.1 – 4.4 provide the details of the four case studies. The main results are shown in Figure 2. For each case study we first explain the tools developed for experimenting in open, closed, and partly-open models. We then describe the relevant scheduling policies and their implementation, and finally discuss the results. *The discussions at the end of the case studies are meant only to highlight the key points; we will discuss the dif-*

*ferences between open, closed, and partly-open systems and the impact of these differences in much more detail in Sections 5 and 6.*

#### 4.1 Static web content

Our first case study is an Apache web server running on Linux and serving static content, i.e. requests of the form “Get me a file.” Our experimental setup involves six machines connected by a 10/100 Ethernet switch. Each machine has an Intel Pentium III 700 MHz processor and 256 MB RAM, and runs Linux. One of the machines is designated as the server and runs Apache. The others generate web requests based on a web trace.

*Workload generation:* In this case study we generate static web workloads based on a trace. Below we first

describe our workload generator which generates web requests following an open, closed, or partly-open model. We then describe the tool for analyzing web traces that produces input files needed by the workload generator. Finally we briefly describe the actual trace that we are using in our work.

Our workload generator is built on top of the Sclient[8] workload generator. The Sclient workload generator uses a simple open system model, whereby a new request for file  $y$  is made exactly every  $x$  msec. Sclient is designed as a single process that manages all connections using the `select` system call. After each call to `select`, Sclient checks whether the current  $x$  msec interval has passed and if so initiates a new request. We generalize Sclient in several ways.

For the open system, we change Sclient to make requests based on arrival times and filenames specified in an input file. The entries in the input file are of the form  $\langle t_i, f_i \rangle$ , where  $t_i$  is a time and  $f_i$  is a file name.

For the closed system, the input file only specifies the names of the files to be requested. To implement closed system arrivals in Sclient, we have Sclient maintain a list with the times when the next requests are to be made. Entries to the list are generated during runtime as follows: Whenever a request completes, an exponentially distributed think time  $Z$  is added to the current time  $t_{curr}$  and the result  $Z + t_{curr}$  is inserted into the list of arrival times.

In the case of the partly-open system, each entry in the input file now defines a *session*, rather than an individual request. An entry in the input file takes the form  $\langle t_i, f_{i_1}, \dots, f_{i_n} \rangle$  where  $t_i$  specifies the arrival time of the session and  $\langle f_{i_1}, \dots, f_{i_n} \rangle$  is the list of files to be requested during the session. As before, a list with arrival times is maintained according to which requests are made. The list is initialized with the session arrival times  $t_i$  from the input file. To generate the arrivals within a session, we use the same method as described for the closed system above: after request  $f_{i_{j-1}}$  completes we arrange the arrival of request  $f_{i_j}$  by adding an entry containing the arrival time  $Z + t_{curr}$  to the list, where  $t_{curr}$  is the current time and  $Z$  is an exponentially distributed think time.

All the input files for the workload generator are created based on a web trace. We modify the Webalizer tool [11] to parse a web trace and then extract the information needed to create the input files for the open, closed, and partly-open system experiments. In the case of the open system, we simply output the arrival times together with the names of the requested files. In the case of the closed system, we only extract the sequence of file names. Creating the input file for the partly-open system is slightly more involved since it requires identifying the sessions in a trace. A common approach for identifying sessions

(and the one taken by Webalizer) is to group all successive requests by the same client (i.e. same IP address) into one session, unless the time between two requests exceeds some timeout threshold in which case a new session is started. In our experiments, we use the timeout parameter to specify the desired average session length.

The trace we use consists of one day from the 1998 World Soccer Cup, obtained from the Internet Traffic Archive [21]. Virtually all requests in this trace are *static*.

Number of Req.	Mean size	Variability ( $C^2$ )	Min size	Max size
$4.5 \cdot 10^6$	5KB	96	41 bytes	2MB

*Scheduling:* Standard scheduling of static requests in a web server is best modeled by processor sharing (PS). However, recent research suggests favoring requests for small files can improve mean response times at web servers [19]. In this section we therefore consider both PS and SRPT policies.

We have modified the Linux kernel and the Apache Web server to implement SRPT scheduling at the server. For static HTTP requests, the network (access link out of the server) is typically the bottleneck resource. Thus, our solution schedules the bandwidth on this access link by controlling the order in which the server's socket buffers are drained. Traditionally, the socket buffers are drained in Round-Robin fashion (similar to PS); we instead give priority to sockets corresponding to connections where the remaining data to be transferred is small. Figure 3 shows the flow of data in Linux after our modifications. There are multiple priority queues and queue  $i$  may only

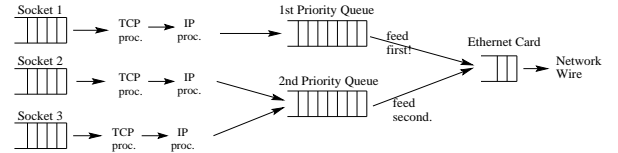


Figure 3: Flow of data in Linux with SRPT-like scheduling (only 2 priority levels shown).

drain if queues 0 to  $i - 1$  are empty. The implementation is enabled by building the Linux kernel with support for the user/kernel Netlink Socket, QOS and Fair Queuing, and the Prio Pseudoscheduler and by using the `tc[6]` user space tool. We also modify Apache to use `setsockopt` calls to update the priority of the socket as the remaining size of the transfer decreases. For details on our implementation see [19].

*Synopsis of results:* Figure 2(a) shows results from the static web implementation under closed, open, and partly open workloads. Upon first glance, it is immediately clear that the closed system response times are vastly different from the open response times. In fact, the response times in the two systems are orders of magnitude different under PS given a common system load.

Furthermore, SRPT provides little improvement in the closed system, while providing dramatic improvement in the open system.

The third column of Figure 2(a) shows the results for the partly-open system. Notice that when the mean number of requests is small, the partly-open system behaves very much like the open system. However, as the mean number of requests grows, the partly-open system behaves more like a closed system. Thus, the impact of scheduling (e.g. SRPT over PS) is highly dependent on the number of requests in the partly-open system.

## 4.2 E-commerce site

Our second case study considers the database back-end server of an e-commerce site, such as an online bookstore. We use a PostgreSQL[32] database server running on a 2.4-GHz Pentium 4 with 3GB RAM, running Linux 2.4, with a buffer pool of 2GB. The machine is equipped with two 120GB IDE drives, one used for the database log and the other for the data. The workload is generated by four separate client machines having similar specifications to the database server and connected via a network switch.

*Workload generation:* The workload for the e-commerce case study is based on the TPC-W [45] benchmark, which aims to model an online bookstore such as Amazon.com. We build on the TPC-W kit provided by the Pharm project [13]. The kit models a closed system (in accordance with TPC-W guidelines) by creating one process for each client in the closed system.

We extend the kit to also support an open system with Poisson arrivals, and a partly-open system. We do so by creating a master process that signals a client whenever it is time to make a new request in the open system or to start a new session in the partly-open system. The master process repeats the following steps in a loop: it sleeps for an exponential interarrival time, signals a client, and draws the next inter-arrival time. The clients block waiting for a signal from the master process. In the case of the open system, after receiving the signal, the clients make one request before they go back to blocking for the next signal. In the case of the partly-open system, after receiving a signal, the clients generate a session by executing the following steps in a loop: (1) make one request; (2) flip a coin to decide whether to begin blocking for a signal from the master process or to generate an exponential think time and sleep for that time.

TPC-W consists of 16 different transaction types including the “ShoppingCart” transaction, the “Payment” transaction, and others. Statistics of our configuration are as shown:

Database size	Mean size	Variability ( $C^2$ )	Min size	Max size
3GB	101 ms	4	2 ms	5s

*Scheduling:* The bottleneck resource in our setup is the CPU, as observed in our earlier work [25]. The default scheduling policy is therefore best described as PS, in accordance with Linux CPU scheduling. In addition we experiment with the SEJF and LEJF policies. The expected service demand of a transaction is based on its type. The “Bestseller” transaction, which makes up 10% of all requests, has on average the greatest service demand. In the context of the SEJF and the LEJF policies the “Bestseller” transactions are therefore “expected to be long” and all other transactions are “expected to be short.”

To implement the priorities needed for achieving SEJF and LEJF, we modify our PostgreSQL server as follows. We use the `sched_setscheduler()` system call to set the scheduling class of a PostgreSQL process working on a high priority transaction to “`SCHED_RR`,” which marks a process as a Linux real-time process. We leave the scheduling class of a low priority process at the standard “`SCHED_OTHER`.” Real-time processing in Linux always has absolute, preemptive priority over standard processes.

*Synopsis of results:* Figure 2(b) shows results from the e-commerce implementation described above. Again, the difference in response times between the open and closed systems is immediately apparent – the response times of the two systems differ by orders of magnitude. Interestingly, because the variability of the service demands is much smaller in this workload than in the static web workload, the impact of scheduling in the open system is much smaller. This also can be observed in the plot for the partly open system: even when the number of requests is small, there is little difference between the response times of the different scheduling policies.

## 4.3 Auctioning web site

Our third case study investigates an auctioning web site. This case study uses simulation based on a trace we obtained from one of the top-ten online auction site in the U.S.

*Workload generation:* For simulation-based case studies we implement a simulator that supports open, closed, and partly-open arrival processes which are either created based on a trace or are generated from probability distributions. For a trace-based arrival process the simulator expects the same input files as the workload generator described in Section 4.1. If no trace for the arrival process is available the simulator alternatively offers (1) open system arrivals following a Poisson process; (2) closed system arrivals with exponential think times; (3) partly-open arrivals with session arrivals following a Poisson process and think times within the sessions being exponentially distributed. The service demands can either be specified through a trace or one of several probability distributions, including hyper-exponential distri-

butions and more general distributions.

For our case study involving an auctioning web site we use the simulator and a trace containing the service demands obtained from one of the top ten online auctioning sites in the US. No data on the request arrival process is available. The characteristics of the service demands recorded in the trace are summarized below:

Number of jobs	Mean size	Variability ( $C^2$ )	Min size	Max size
300000	0.09s	9.19	0.01s	50s

*Scheduling:* The policy used in a web site serving dynamic content, such as an auctioning web site, is best modeled by PS. To study the effect of scheduling in this environment we additionally simulate FCFS and PSJF.

*Synopsis of results:* Figure 2(c) shows results from the auctioning trace-based case study described above. The plots here illustrate the same properties that we observed in the case of the static web implementation. In fact, the difference between the open and closed response times is extreme, especially under FCFS. As a result, there is more than a factor of ten improvement of PSJF over FCFS (for  $\rho > 0.7$ ), whereas there is little difference in the closed system. This effect can also be observed in the partly-open system, where for a small number of requests per session the response times are comparable to those in the open system and for a large number of requests per session the response times are comparable to those in the closed system. This again illustrates the fact that the effectiveness of scheduling fundamentally depends on the system model.

#### 4.4 Supercomputing center

In this section we model the Cray J90 and Cray C90 machines at the Pittsburgh Supercomputing Center (PSC)[4]. These servers have between 4 and 16 processors and typically execute exactly one job at a time. The jobs are run-to-completion, i.e. no preemption or time-sharing.

*Workload generation:* To simulate the workload for the supercomputing case study we use our simulator described in Section 4.3 and two traces that we obtained from the PSC. The traces were collected from January through December 1997 and contain the service demands for a total of more than 50,000 jobs. Note the high variability in the workloads.

System	Number of jobs	Mean size	$C^2$	Min size	Max size
C90	54962	4562.6s	43.16	1s	2.22e6s
J90	3582	9448.6s	10.02	4s	0.61e6s

*Scheduling:* The Cray J90 and Cray C90 machines can only be scheduled in a non-preemptive fashion. In addition to FCFS, which is the standard non-preemptive policy, we consider two size-based policies that are of

interest in this setting. The Non-preemptive-Shortest-Job-First (SJF) policy gives preference to the job with the smallest service demand, while the Non-preemptive-Longest-Job-First policy (LJF) favors the longest one.

*Synopsis of results:* Figure 2(d) shows results from the super-computing trace-based case study for the PSC C90 workload. The same trends we have observed in the first three case studies are again prominent here. The closed system response times are orders of magnitude lower for the closed system than the open system. Furthermore, scheduling is far less effective for the closed systems than the open ones. Looking more closely at the closed systems, we see that scheduling is only significant in certain regions of moderate load, even under this highly variable workload. By contrast, for open systems the high variability of the workload results in orders of magnitude disparity between the scheduling policies.

In the partly open system, across all applications, when the mean number of requests per session is small, the system behaves very much like the open system; as the mean number of requests per session grows, the partly-open system behaves more like a closed system. The actual convergence rate depends on the variability of the service demands ( $C^2$ ). In particular, the e-commerce case study (low  $C^2$ ) converges quickly, while the super-computing case study (high  $C^2$ ) converges slowly.

## 5 Open versus closed systems

We have just seen the dramatic impact of the system model in four real-world case studies. We will now develop principles that help explain both the differences between the open and closed system and the impact of these differences with respect to scheduling. In addition to the case studies that we have already discussed, we will also use model-based simulations in order to provide more control over parameters, such as job size variability, that are fixed in the case studies. We start with the simple case of FCFS scheduling and then move to more complicated scheduling policies.

### 5.1 FCFS

Our study of the simple case of FCFS scheduling will illustrate three principles that we will exploit when studying more practical policies.

**Principle (i):** *For a given load, mean response times are significantly lower in closed systems than in open systems.*

Principle (i) is maybe the most noticeable performance issue differentiating open and closed systems in our case studies (Figure 2). We bring further attention to this principle in Figure 4 due to its importance for the vast literature on capacity planning, which typically relies on closed models, and hence may underestimate the resources needed when an open model is more appropriate.

## Open vs. Closed: FCFS

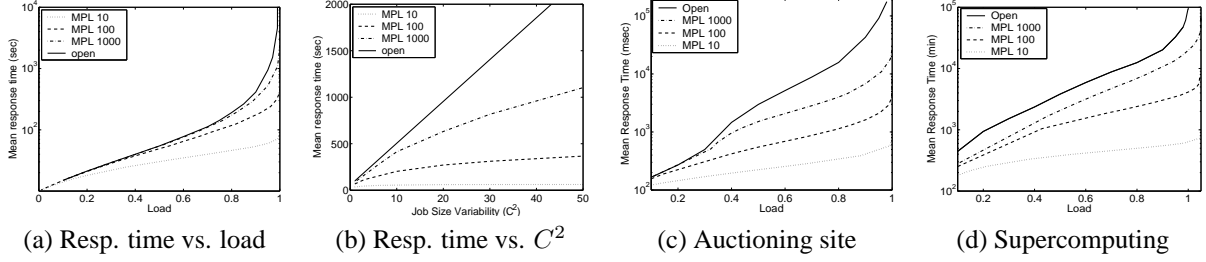


Figure 4: *Model and trace-based simulation results showing mean response time as a function of load and service demand variability under FCFS scheduling. (a) and (b) use model based simulation, while (c) and (d) use trace-based simulation. In all cases, the solid line represents an open system and the dashed lines represent closed systems with different MPLs. The load is adjusted via the think time in the closed system, and via the arrival rate in the open system. In the model-based simulations,  $E[S] = 10$ . In (a) we fix  $C^2 = 8$  and in (b) we fix  $\rho = 0.9$ .*

For fixed high loads, the response time under the closed system is *orders of magnitude* lower than those for the open system. While Schatte [35, 36] has proven that, under FCFS, the open system will always serve as an upper bound for the response time of the closed system, the magnitude of the difference in practical settings has not previously been studied. Intuitively, this difference in mean response time between open and closed systems is a consequence of the fixed MPL,  $N$ , in closed systems, which limits the queue length seen in closed systems to  $N$  even under very high load. By contrast, no such limit exists for an open system.

**Principle (ii):** *As the MPL grows, closed systems become open, but convergence is slow for practical purposes.*

Principle (ii) is illustrated by Figure 4. We see that as the MPL,  $N$ , increases from 10 to 100 to 1000, the curves for the closed system approach the curves for the open system. Schatte [35, 36] proves formally that as  $N$  grows to infinity, a closed FCFS queue converges to an open M/GI/1/FCFS queue. What is interesting however, is how slowly this convergence takes place. When the service demand has high variability ( $C^2$ ), a closed system with an MPL of 1000 still has much lower response times than the corresponding open system. Even when the job service demands are lightly variable, an MPL of 500 is required for the closed system to achieve response times comparable to the corresponding open system. Further, the differences are more dramatic in the case-study results than in the model-based simulations.

This principle impacts the choice of whether an open or closed system model is appropriate. One might think that for a closed system with a high MPL a reasonable approximation would be to use an open system model; however, it turns out that the closed and open system models may still behave significantly differently if the service demands are highly variable.

**Principle (iii):** *While variability has a large effect in*

*open systems, the effect is much smaller in closed systems.*

This principle is difficult to see in the case-study figures (Figure 2) since each trace has a fixed variability. However, it can be observed by comparing the magnitude of disparity between the e-commerce site results (low variability) and the others (high variability). This principle is most significant for supercomputing applications where  $C^2$  can be very high ( $C^2 = 43$ ) and jobs are scheduled non-preemptively.

Using simulations, we can study this effect directly. Figure 4(b) compares open and closed systems under a fixed load  $\rho = 0.9$ , as a function of the service demand variability  $C^2$ . For an open system, we see that  $C^2$  directly affects mean response time. This is to be expected since high  $C^2$ , under FCFS service, results in short jobs being stuck behind long jobs, increasing mean response time. In contrast, for the closed system with MPL 10,  $C^2$  has comparatively little effect on mean response time. This is counterintuitive, but can be explained by observing that for lower MPL there are *fewer* short jobs stuck behind long jobs in a closed system, since the number of jobs in the system ( $N_{system}$ ) is bounded. As MPL is increased,  $C^2$  can have more of an effect, since  $N_{system}$  can be higher.

It is important to point out that by holding the load constant in Figure 4(b), we are actually performing a conservative comparison of open and closed systems. If we didn't hold the load fixed as we changed  $C^2$ , increasing  $C^2$  would result in a slight drop in the load of the closed system as shown in Figure 5(b). This slight drop in load, would cause a drop in response times for closed systems, whereas there is no such effect in open systems.

## 5.2 The impact of scheduling

The value of scheduling in open systems is understood and cannot be overstated. In open systems, there are order of magnitude differences between the performance

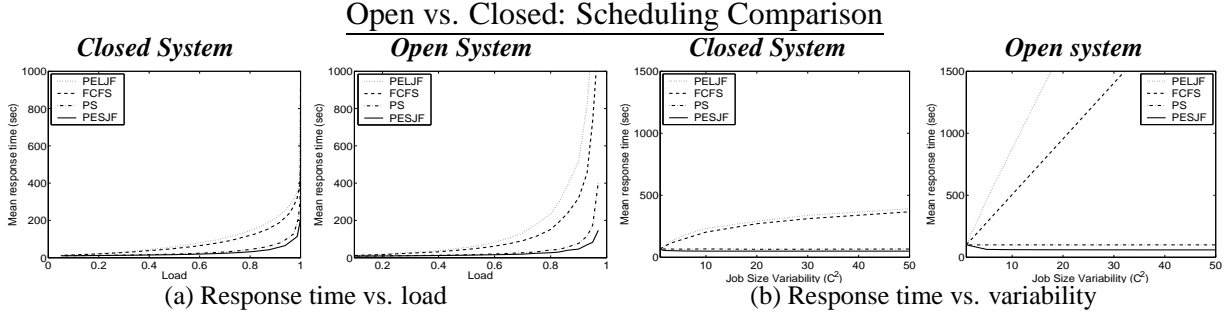


Figure 6: Model-based simulation results illustrating the different effects of scheduling in closed and open systems. In the closed system the MPL is 100, and in both systems the service demand distribution has mean 10. For the two figures in (a)  $C^2$  was fixed at 8 and in the two figures in (b) the load was fixed at 0.9.

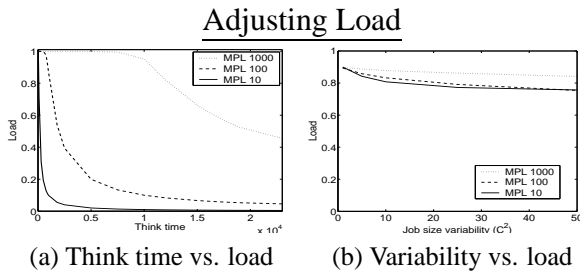


Figure 5: Model-based simulation results illustrating how the service demand variability, the MPL, and the think time can affect the system load in a closed system. These plots use FCFS scheduling, however results are parallel under other scheduling policies.

of scheduling policies because scheduling can prevent small jobs from queueing behind large jobs. In contrast, scheduling in closed systems is not well understood.

**Principle (iv):** While open systems benefit significantly from scheduling with respect to response time, closed systems improve much less.

**Principle (v):** Scheduling only significantly improves response time in closed systems under very specific parameter settings: moderate load (think times) and high MPL.

Figure 2 illustrates the fundamentally different behavior of mean response time in the open and closed systems in realistic settings. In Figure 6, we further study this difference as a function of (a) load and (b) variability using simulations. Under the open system, as load increases, the disparity between the response times of the scheduling policies grows, eventually differing by orders of magnitude. In contrast, at both high and low loads in the closed system, the scheduling policies all perform similarly; only at moderate loads is there a significant difference between the policies – and even here the differences are only a factor of 2.5. Another interesting point is that, whereas for FCFS the mean response time of an open system bounded that in the corresponding closed system from above, this does not hold for other policies such

as PESJF, where the open system can result in lower response times than the closed system.

We can build intuition for the limited effects of scheduling in closed systems by first considering a closed feedback loop with no think time. In such a system, surprisingly, the scheduling done at the queue is inconsequential – all work conserving scheduling policies perform equivalently. To see why, note that in a closed system Little’s Law states that  $N = XE[T]$ , where  $N$  is the constant MPL across policies. We will now explain why  $X$  is constant across all work conserving scheduling policies (when think time is 0), and hence it will follow that  $E[T]$  is also constant across scheduling policies.  $X$  is the long-run average rate of completions. Since a new job is only created when a job completes, over a long period of time, all work conserving scheduling policies will complete the same set of jobs plus or minus the initial set  $N$ . As time goes to infinity, the initial set  $N$  becomes unimportant; hence  $X$  is constant. This argument does not hold for open systems because for open systems Little’s Law states that  $E[N] = \lambda E[T]$ , and  $E[N]$  is not constant across scheduling policies.

Under closed systems with think time, we now allow a varying number of jobs in the queue, and thus there is some difference between scheduling policies. However, as think time grows, load becomes small and so scheduling has less effect.

A very subtle effect, not yet mentioned, is that in a closed system the scheduling policy actually affects the throughput, and hence the load. “Good” policies, like PESJF, increase throughput, and hence load, slightly (less than 10%). Had we captured this effect (rather than holding the load fixed), the scheduling policies in the closed system would have appeared even closer, resulting in even starker differences between the closed and open systems.

The impact of Principles (iv) and (v) is clear. For closed systems, scheduling provides small improvement across all loads, but can only result in substantial im-

## Partly-open System

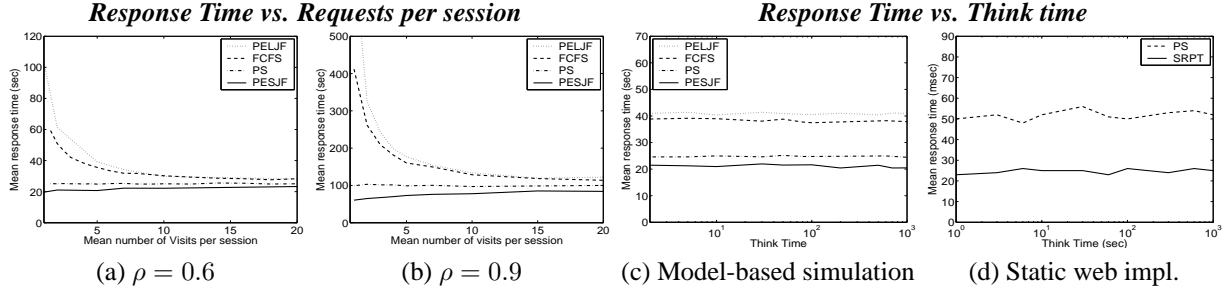


Figure 7: Model and implementation-based results for the partly-open system. (a) and (b) are model-based simulations showing mean response time as a function of the expected number of requests per session. (c) and (d) show the mean response time as a function of the think time, for a fixed load. In (a)-(c),  $E[S] = 10$  and  $C^2 = 8$ . In (c) and (d), we fix  $\rho = 0.6$  and  $p = 0.75$ , which yields an average of 4 requests per session.

provement when load (think time) is moderate. In contrast, scheduling always provides substantial improvements for open systems.

**Principle (vi):** *Scheduling can limit the effect of variability in both open and closed systems.*

For both the open and closed systems, better scheduling (PS and PESJF) helps combat the effect of increasing variability, as seen in Figure 6. The improvement, however, is less dramatic for closed systems due to Principle (iii) in Section 5.1, which tells us that variability has less of an effect on closed systems in general.

## 6 Partly-open systems

In this section, we discuss a partly-open model that (a) serves as a more realistic system model for many applications; and (b) helps illustrate when a “purely” open or closed system is a good approximation of user behavior. We focus on the effects of the mean number of requests per session and the think time because the other parameters, e.g. load and job size variability, have similar effects to those observed in Sections 5.1 and 5.2. Throughout the section, we fix the load of the partly-open system by adjusting the arrival rate,  $\lambda$ . Note that, in contrast to the closed model, adjusting the think time of the partly-open model has no impact on the load.

**Principle (vii):** *A partly-open system behaves similarly to an open system when the expected number of requests per session is small ( $\leq 5$  as a rule-of-thumb) and similarly to a closed system when the expected number of requests per session is large ( $\geq 10$  as a rule-of-thumb).*

Principle (vii) is illustrated clearly in the case study results shown in Figure 2 and in the simulation results shown in Figure 7(a). When the mean number of requests per session is 1 we have a significant separation between the response time under the scheduling policies, as in open systems. However, when the mean number of requests per session is large, we have comparatively lit-

tle separation between the response times of the scheduling policies; as in closed systems. Figures 2 and 7(a) are just a few examples of the range of configurations we studied, and across a wide range of parameters, the point where the separation between the performance of scheduling policies becomes small is, as a rule-of-thumb, around 10 requests per session. Note however that this point can range anywhere between 5 and 20 requests per session as  $C^2$  ranges from 4 to 49 respectively. We will demonstrate in Section 7 how to use this rule-of-thumb as a guideline for determining whether a purely open or purely closed workload generator is most suitable, or whether a partly-open generator is necessary.

**Principle (viii):** *In a partly-open system, think time has little effect on mean response time.*

Figure 7 illustrates Principle (viii). We find that the think time in the partly-open system does not affect the mean response time or load of the system under any of these policies. This observation holds across all partly-open systems we have investigated (regardless of the number of requests per session), including the case-studies described in Section 4.

Principle (viii) may seem surprising at first, but for PS and FCFS scheduling it can be shown formally under product-form workload assumptions. Intuitively, we can observe that changing the think time in the partly-open system has no effect on the load because the same amount of work must be processed. To change the load, we must adjust either the number of requests per session or the arrival rate. The only effect of think time is to add small correlations into the arrival stream.

## 7 Choosing a system model

The previous sections brought to light vast differences in system performance depending on whether the workload generator (or simulator) follows an open or closed system model. A direct consequence is that the accuracy of

	Type of site	Date	Total #Req.
1	Large corporate web site	Feb'01	1609799
2	CMU web server [3]	Nov'01	90570
3	Online department store	June'00	891366
4	Science institute (USGS[2])	Nov'02	107078
5	Online gaming site [49]	May'04	45778
6	Financial service provider	Aug'00	275786
7	Supercomputing web site [4]	May'04	82566
8	Kasparov-DeepBlue match	May'97	580068
9	Site seeing 'slashdot effect'	Feb'99	194968
10	Soccer world cup [21]	Jul'98	4606052

Table 2: A summary table of the studied web traces.

performance evaluation depends on accurately modeling the underlying system as either open, closed, or partly-open.

A safe way out would be to choose a partly-open system model, since it both matches the typical user behavior in many applications and generalizes the open and closed system models – depending on the parameters it can behave more like an open or more like a closed system. However, as Table 1 illustrates, available workload generators often support only either closed or open system models. This motivates a fundamental questions for workload modeling: “Given a particular workload, is a purely open or purely closed system model more accurate for the workload? When is a partly-open system model necessary?”

In the remainder of this section we illustrate how our eight principles might be used to answer this question for various web workloads. Our basic method is as follows. For a given system we follow these steps:

1. Collect traces from the system.
2. Construct a partly-open model for the system, since the partly-open model is the most general and accurate. In particular, obtain the relevant parameters for the partly-open model.
3. For the partly-open model, decide whether an open or a closed model is appropriate, or if the partly-open model is necessary.

Table 2 summarizes the traces we collected as part of Step 1. Our trace collection spans many different types of sites, including busy commercial sites, sites of major sporting events, sites of research institutes, and an online gaming site.

We next model each site as a partly-open system. According to Principles (vii) and (viii) the most relevant parameter of a partly-open system model is the number of requests issued in a user session. Other parameters such as the think time between successive requests in a session are of lesser importance. Determining the average number of requests per user session for a web site requires identifying user sessions in the corresponding web trace. While there is no 100% accurate way to do this, we employ some common estimation techniques [7, 26].

## Choosing a System Model

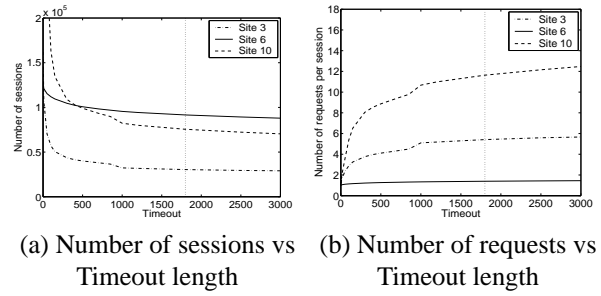


Figure 8: Statistics for 3 representative web traces (sites 3, 6, and 10) illustrating (a) the number of user sessions as a function of the timeout threshold and (b) the expected number of requests per session as a function of the timeout threshold. The vertical line on each plot corresponds to a timeout of 1800s. From these plots we can conclude that an open model is appropriate for site 6, a closed model is appropriate for site 10, and neither an open or a closed is appropriate for site 3.

First, each source IP address in a trace is taken to represent a different user. Second, session boundaries are determined by a period of inactivity by the user, i.e. a period of time during which no requests from the corresponding IP address are received. Typically, this is accomplished by ending a session whenever there is a period of inactivity larger than timeout threshold  $\tau$ . In some cases, web sites themselves enforce such a threshold; however, more typically  $\tau$  must be estimated.

We consider two different ways of estimating  $\tau$ . The first one is to use a defacto standard value for  $\tau$ , which is 1800s (30 min) [26]. The second method is to estimate  $\tau$  from the traces themselves by studying the derivative of how  $\tau$  affects the total number of sessions in the trace. We illustrate this latter method for a few representative traces in Figure 8(a). Notice that as the threshold increases from 1-100s the number of sessions decreases quickly; whereas from 1000s on, the decrease is much smaller. Furthermore, Figure 8(b) shows that with respect to the number of requests, stabilization is also reached at  $\tau > 1000$ s. Hence we adopt  $\tau = 1800$ s in what follows.

The mean number of requests per session when  $\tau = 1800$ s is summarized below for all traces:

Site	1	2	3	4	5
Requests per session	2.4	1.8	5.4	3.6	12.9
Site	6	7	8	9	10
Requests per session	1.4	6.0	2.4	1.2	11.6

The table indicates that the average number of requests for web sessions varies largely depending on the site, ranging from less than 2 requests per session to almost 13. Interestingly, even for similar types of web sites the number of requests can vary considerably. For example sites 8 and 10 are both web sites of sporting events

(a chess tournament and a soccer tournament), but the number of requests per session is quite low (2.4) in one case, while quite high (11.6) in the other. Similarly, sites 2, 4, and 7 are all web sites of scientific institutes but the number of requests per sessions varies from 1.8 to 6.

Using the rule of thumb in principle (vii), we can conclude that neither the open nor the closed system model accurately represents all the sites. For sites 1, 2, 4, 6, 8, and 9 an open system model is accurate; whereas a closed system model is accurate for the sites 5 and 10. Further, it is not clear whether an open or closed model is appropriate for sites 3 and 7.

## 8 Prior Work

Work explicitly comparing open and closed system models is primarily limited to FCFS queues. Bondi and Whitt [10] study a general network of FCFS queues and conclude that the effect of service variability, though dominant in open systems, is almost inconsequential in closed systems (provided the MPL is not too large). We corroborate this principle and illustrate the magnitude of its impact in real-world systems. Schatte [35, 36] studies a single FCFS queue in a closed loop with think time. In this model, Schatte proves that, as the MPL grows to infinity, the closed system converges monotonically to an open system. This result provides a fundamental understanding of the effect of the MPL parameter; however the rate of this convergence, which is important when choosing between open and closed system models, is not understood. We evaluate the rate of convergence in real-world systems.

Though these theoretical results provide useful intuition about the differences between open and closed systems, *theoretical results alone cannot evaluate the effects of factors such as trace driven job service demand distributions, correlations, implementation overheads, and size-based scheduling policies*. Hence, simulation and implementation-based studies such as the current paper are needed.

## 9 Conclusion

This paper provides eight simple principles that function to explain the differences in behavior of closed, open, and partly-open systems and validates these principles via trace-based simulation and real-world implementation. The more intuitive of these principles point out that response times under closed systems are typically lower than in the corresponding open system with equal load, and that as MPL increases, closed systems approach open ones. Less obviously, our principles point out that: (a) the magnitude of the difference in response times between closed and open systems can be very large, even under moderate load; (b) the convergence of closed to open as MPL grows is very slow, especially when ser-

vice demand variability ( $C^2$ ) is high; and (c) scheduling is far more beneficial in open systems than in closed ones. We also compare the partly-open model with the open and closed models. We illustrate the strong effect of the number of requests per session and  $C^2$  on the behavior of the partly-open model, and the surprisingly weak effect of think time.

These principles underscore the importance of choosing the appropriate system model. For example, in capacity planning for an open system, choosing a workload generator based on a closed model can greatly underestimate response times and underestimate the benefits of scheduling.

All of this is particularly relevant in the context of web applications, where the arrival process at a web site is best modeled by a partly-open system. Yet, most web workload generators are either strictly open or strictly closed. *Our findings provide guidelines for choosing whether an open or closed model is the better approximation* based on characteristics of the workload. A high number of simultaneous users (more than 1000) suggests an open model, but a high number of requests per session (more than 10) suggests a closed model. Both these cutoffs are affected by service demand variability: highly variable demands requires larger cutoffs. Contrary to popular belief, it turns out that think times are irrelevant to the choice of an open or closed model since they only affect the load.

Once it has been determined whether a closed or open model is a better approximation, that in turn provides a guideline for the effectiveness of scheduling. *Understanding the appropriate system model is essential to understanding the impact of scheduling*. Scheduling is most effective in open systems, but can have moderate impact in closed systems when both the load is moderate (roughly 0.7-0.85) and  $C^2$  is high.

In conclusion, while much emphasis has been placed in research on accurately representing workload parameters such as service demand distribution, think time, locality, etc, we have illustrated that similar attention needs to be placed on accurately representing the system itself as either closed, open, or partly-open. We have taken a first step toward this end by providing guidelines for choosing a system model and by creating tools and workload generators versatile enough to support all three system models. We hope that this work will encourage others to design workload generators that allow flexibility in the underlying system model.

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