ECOOP 2014

Rely-Guarantee Protocols

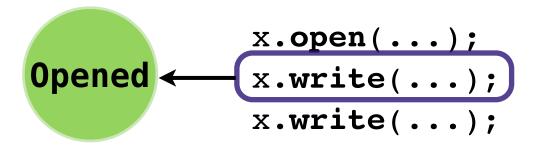
Filipe Militão^{1,2} Jonathan Aldrich¹ Luís Caires²

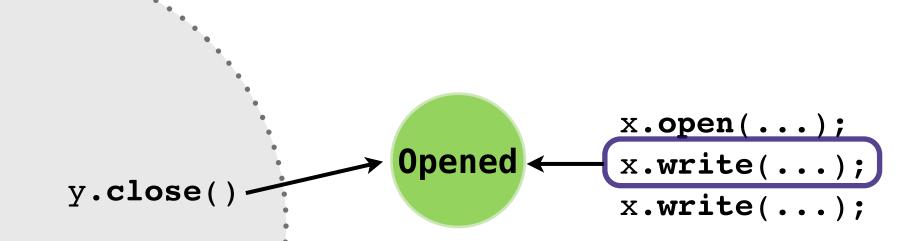
¹ Carnegie Mellon University, Pittsburgh, USA ² Universidade Nova de Lisboa, Lisboa, Portugal

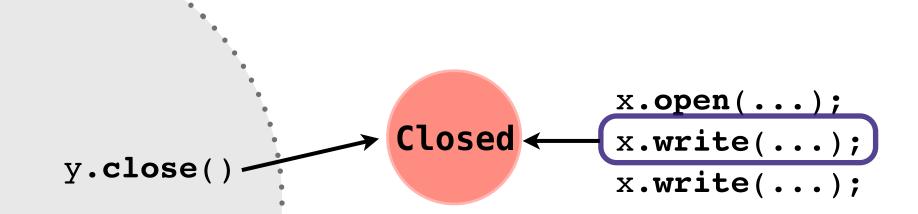
Motivation

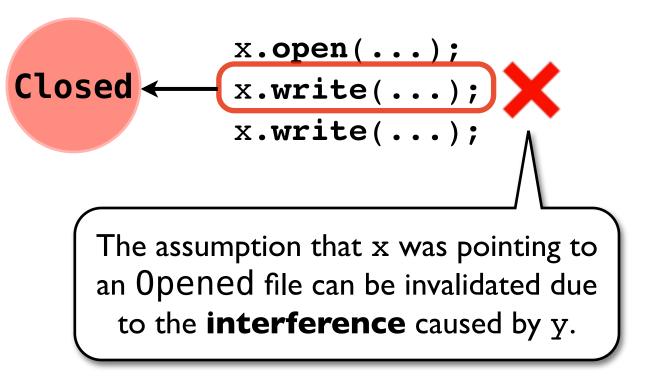
- Mutable state can be useful in certain cases.
- Precisely tracking the properties of mutable state avoids a class of state-related errors.
- However, aliasing makes tracking such properties challenging.

x.open(...); x.write(...); x.write(...);









Contribution

A novel *interference*-control mechanism, **Rely-Guarantee Protocols**, to statically handle interference in the use of mutable state that is shared by aliases through statically disconnected variables.

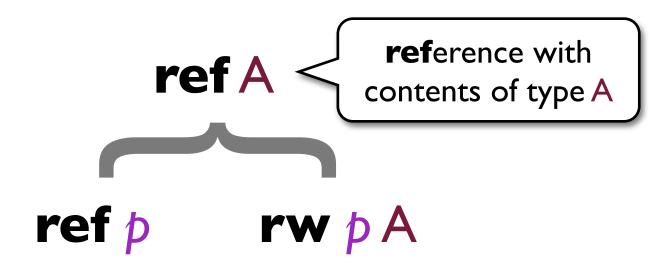
Language

- Polymorphic λ-calculus with mutable references (and immutable records, tagged sums, ...).
- Technically, we use a variant of L³ adapted for usability and extended with new constructs, and our sharing mechanism.

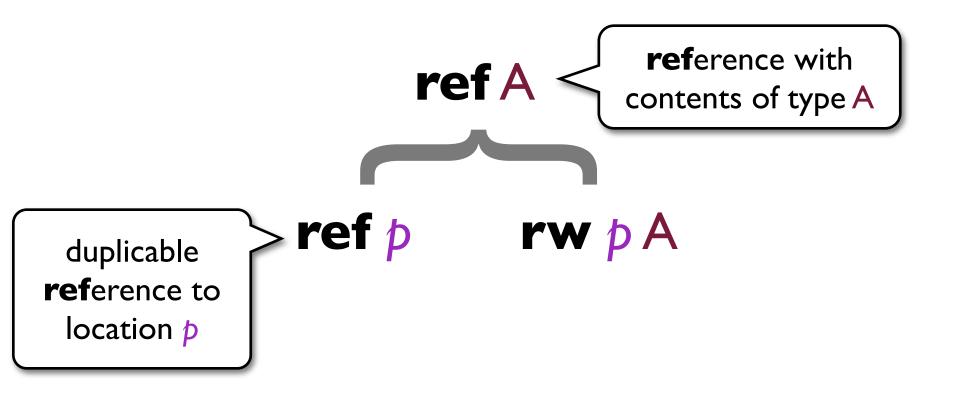
[Ahmed, Fluet, and Morrisett. L³: A linear language with locations. Fundam. Inform. 2007.]

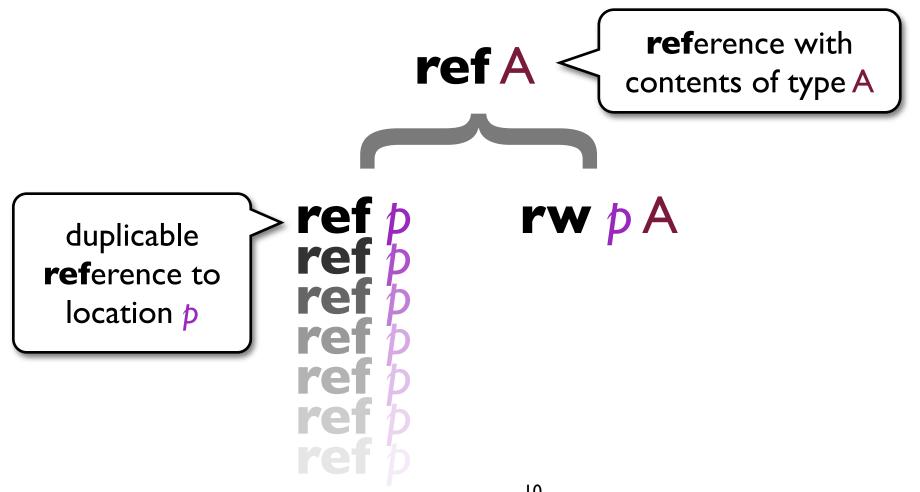
ref A

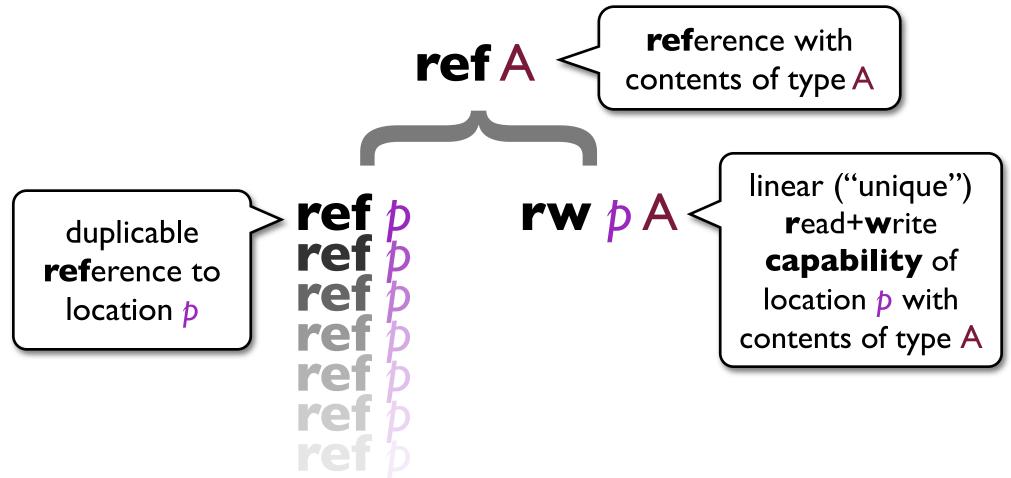


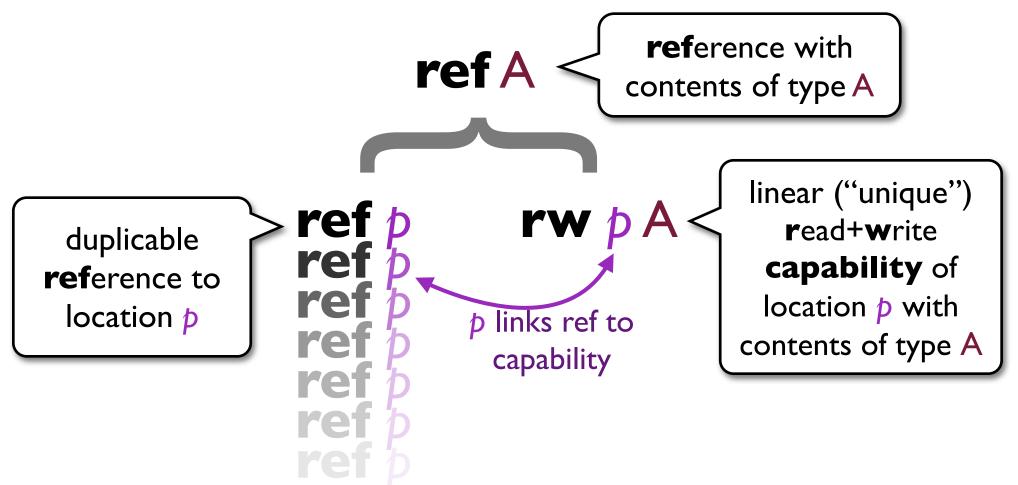




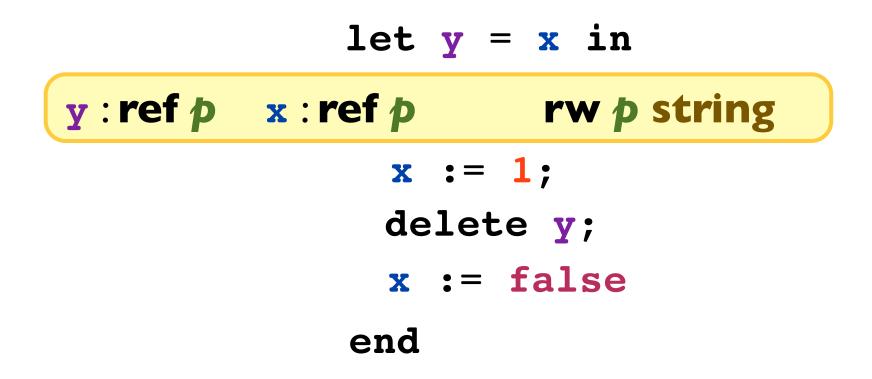




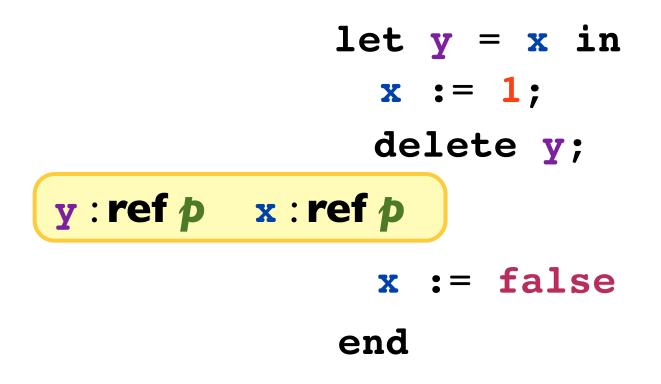


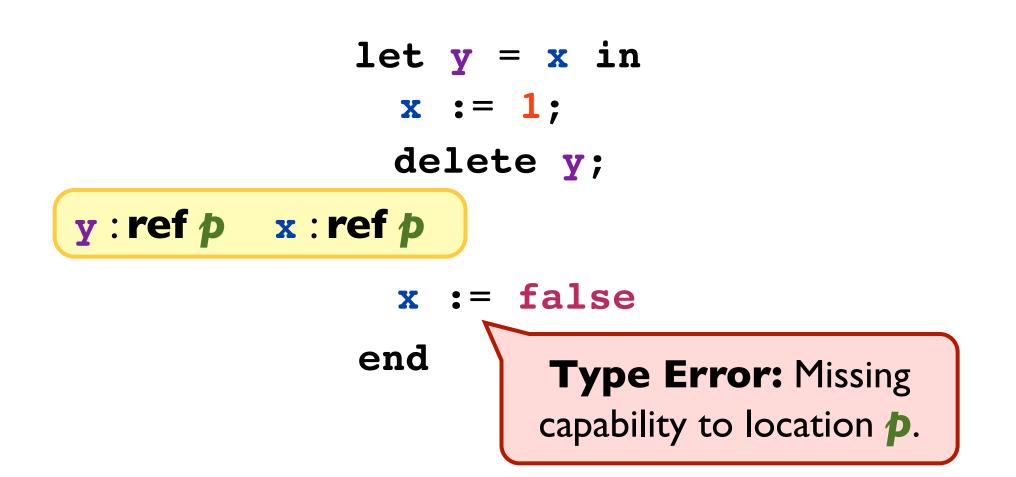


x : ref þ	rw þ string
let $\mathbf{y} = \mathbf{x}$ in	
x :=	1;
delet	te y;
x :=	false
end	



let y = x in $x := 1;$			
y : ref p	x : ref þ	rw þ int	
delete y;			
x := false			
end			



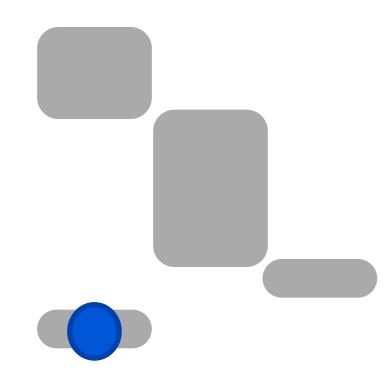


Why sharing?

Capabilities are *linear* (a.k.a. "unique")!

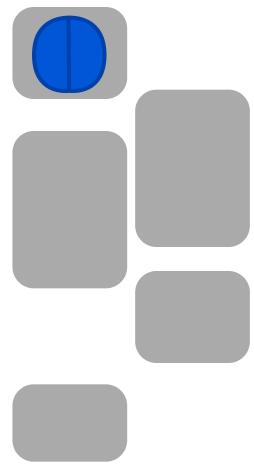
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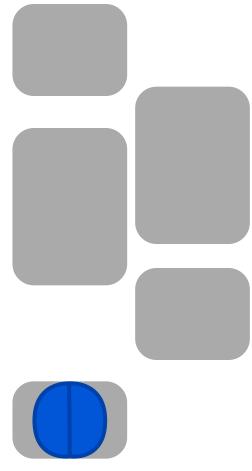
Sharing

A capability is split into **rely-guarantee protocols** to safely coordinate access to the shared state.



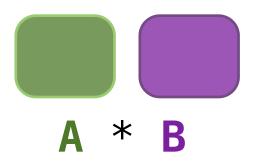
Sharing

A capability is split into **rely-guarantee protocols** to safely coordinate access to the shared state.



Disjoint

• Linearity ensured disjointness.

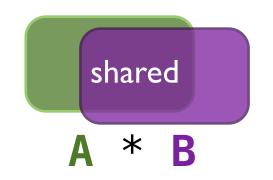


• Sharing causes *fictional* disjointness.

[Dinsdale-Young, et al. **Concurrent Abstract Predicates.** (ECOOP'10), and other works].

Fictionally Disjoint

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Problems of Sharing

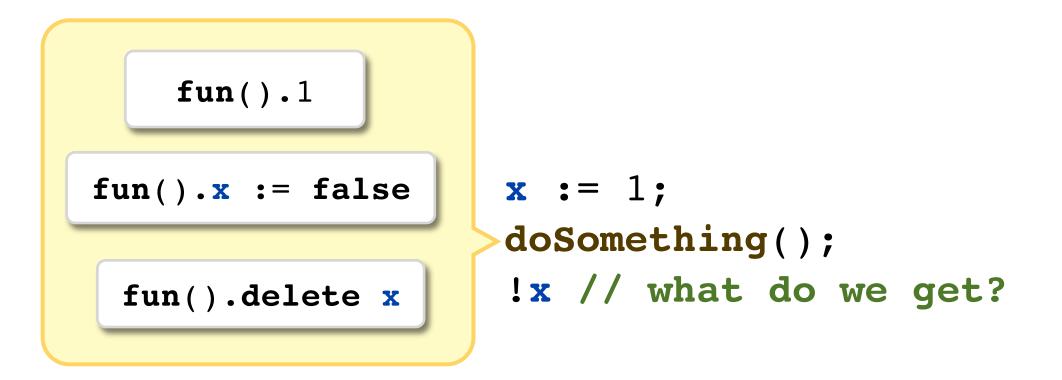
- Account for interference (public changes).
 Consider all possible interleaved uses of aliases and how they may change the shared state.
- 2. Handle **private** changes.

Making sure other aliases do not see any intermediate or inconsistent states of the shared state (which may appear due to type changing assignments like **int** to **string**, etc.).

Alias Interleaving

x := 1; doSomething(); !x // what do we get?

Alias Interleaving



doSomething interleave zero or more aliases to the same state as referenced by **x**.

Alias Interleaving

x := 1; doSomething(); !x // what do we get?

If **doSomething** did change the same state as aliased by **x** (i.e. interfered), what change occurred?

Handling Interference

• One solution is to ensure that each alias obeys an initially held invariant, *invariant-based sharing*.



 Instead, we adapt the spirit of rely-guarantee reasoning to a state-centric model by generalizing the specification of shared state interactions.

$$R \Rightarrow G$$

By individually constraining the actions of each alias, we can make stronger (as in more precise) assumptions how interference may change the shared state.

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Modeling Interference

A Rely-Guarantee Protocol models the shared state interaction from the alias' own view/perspective:

- The alias' actions are constrained to fit within what the protocol specifies/allows.
- Interference is observed through new state(s) that *may* appear when inspecting the shared state. Thus, the protocol may specify actions over states that can only be produced by other aliases.

Rely-Guarantee Protocols

- An *interference*-control mechanism.
- I will focus on presenting the following:
 - I. Protocol Specification ("public changes")
 - 2. Protocol Use ("private changes")
 - 3. Protocol Conformance ("alias interleaving")

(see the paper for more technical details)

- A ::= !A (pure/persistent)
 - $A \rightarrow A$ (linear function)
 - A:: A (stacking)
 - A * A (separation)
 - [f:A] (record)
 - (type variable) X
 - $\forall X.A$ (universal type quantification)
 - $\exists X.A$ (existential type quantification) $| A \Rightarrow A$ (rely)
 - $\forall t.A$ (universal location quantification) | A;A (guarantee)
 - (existential location quantification) $\exists t.A$

- | **ref** p (reference type)
- | **rec** X.A (recursive type)
- $\sum_{i} \mathbf{l}_{i} \# A_{i} \text{ (tagged sum)}$
- $| A \oplus A$ (alternative)
 - A & A (intersection)
 - **rw** *p A* (read-write capability to *p*)
- | **none** (empty capability)

A ::=	!A	(pure/persistent)
1	$A \multimap A$	(linear function)
1	A :: A	(stacking)
1	A * A	(separation)
1	$[\overline{\mathbf{f}:A}]$	(record)
1	X	(type variable)
1	$\forall X.A$	(universal type quantification)
1	$\exists X.A$	(existential type quantification)
1	$\forall t.A$	(universal location quantification)
1	$\exists t.A$	(existential location quantification)
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- **rw** pA (read-write capability to p)
- none (empty capability)

$$\begin{array}{ll} A \Rightarrow A & (\text{rely}) \\ A; A & (\text{guarantee}) \end{array}$$

$P ::= \operatorname{rec} X.P \mid X \mid P \oplus P \mid P \& P \\ \mid A \Rightarrow P \mid A; P \mid \mathsf{none}$

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The shared state satisfies **A**, and requires the alias to obey the guarantee **P**.

 $P ::= \operatorname{rec} X.P \mid X \mid P \oplus P \mid P \& P$ $\mid A \Rightarrow P \mid A; P \mid \text{none}$

Requires the client to establish (guarantee) that the shared state satisfies **A** before continuing the use of the protocol as **P**.

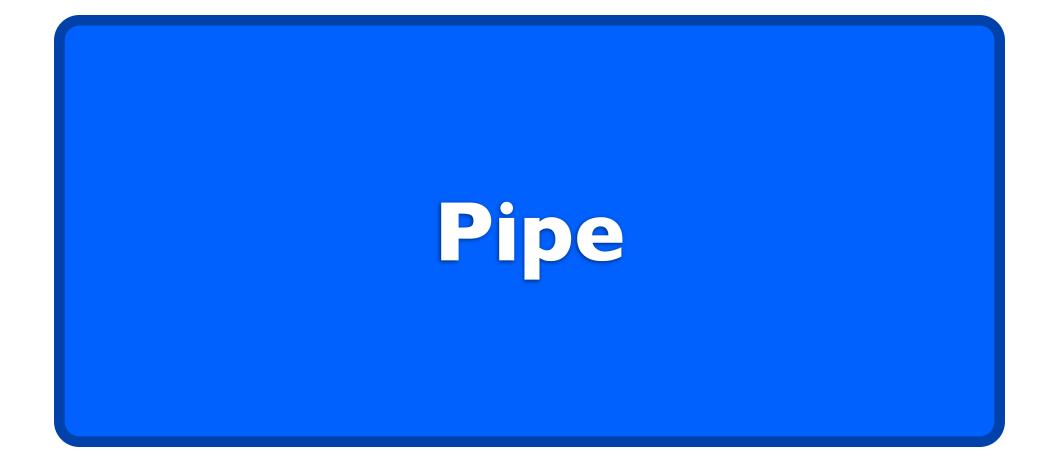
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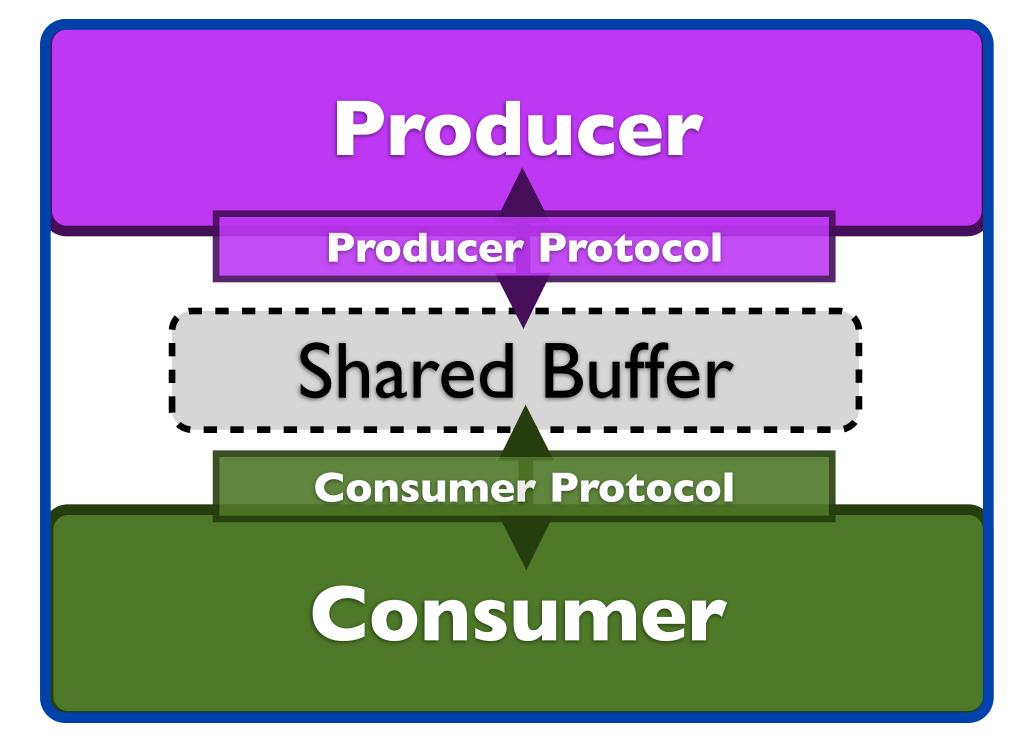
Shared Pipe

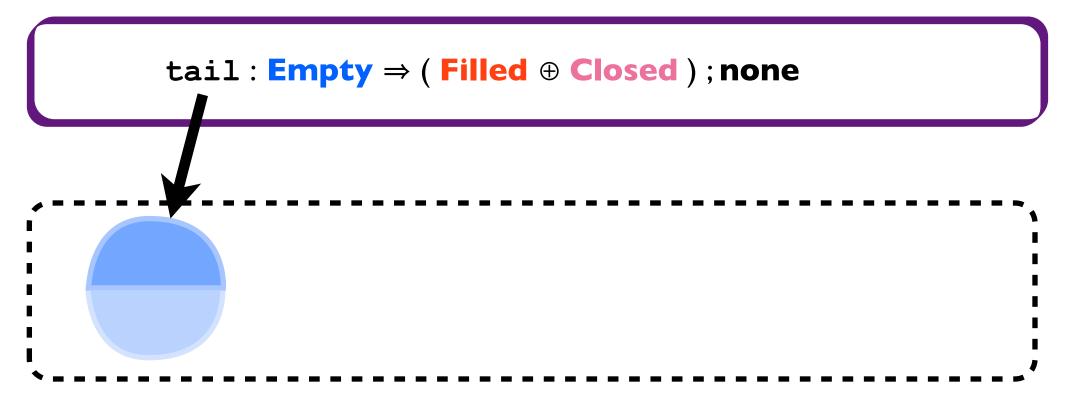
Shared by two aliases interacting via a common buffer, here modeled as a singly linked list.

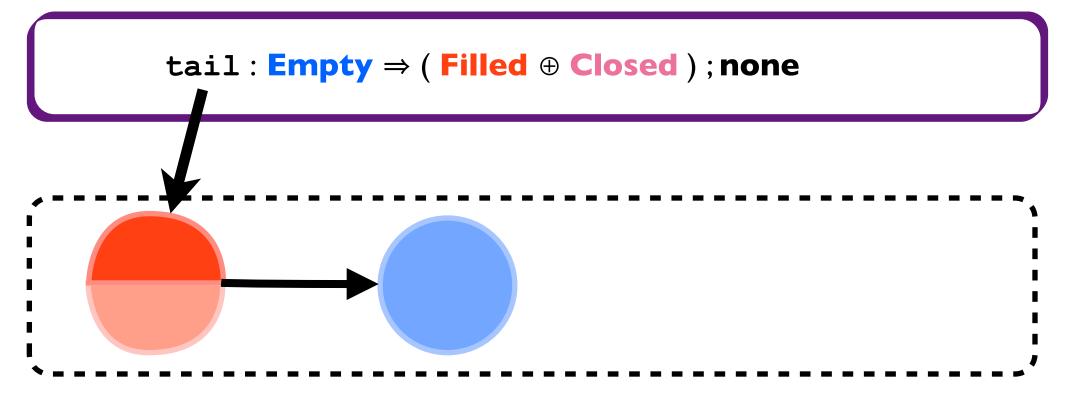
- The **Producer** alias may **put** new elements in or **close** the pipe.
- 2. The **Consumer** alias may only **tryTake** elements from the buffer.

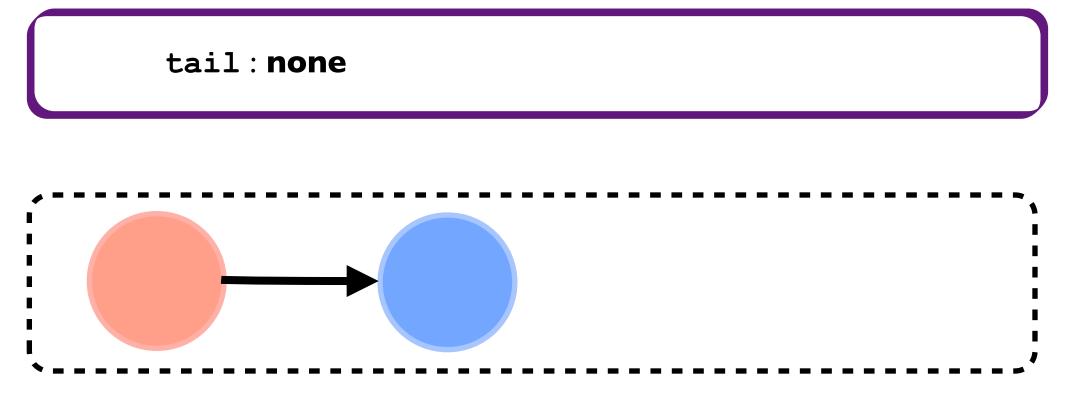
The result of **tryTake** is one of the following states: either there was some **Result**, or **NoResult**, or the pipe is fully **Depleted**.

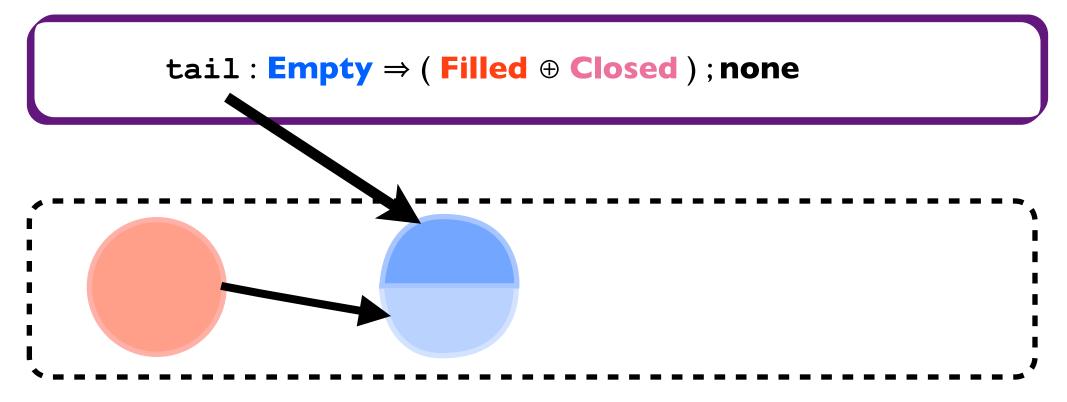




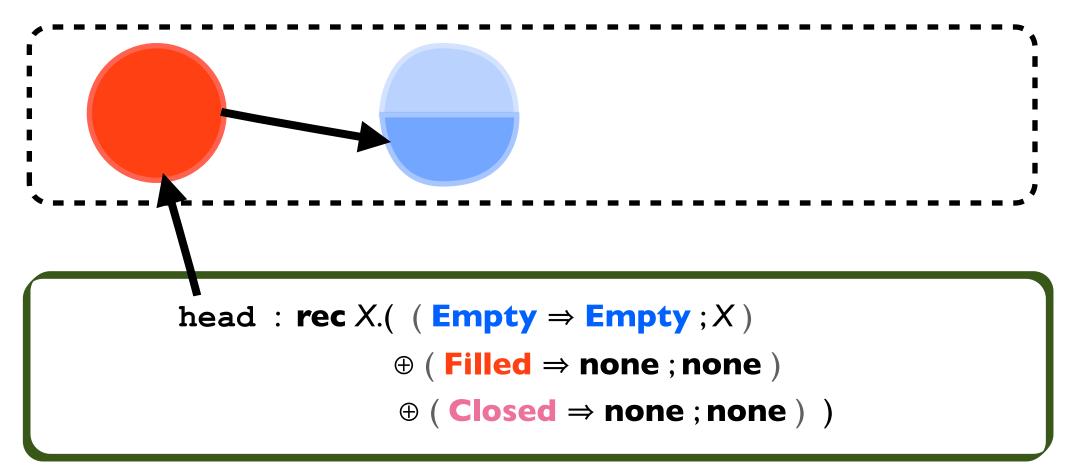




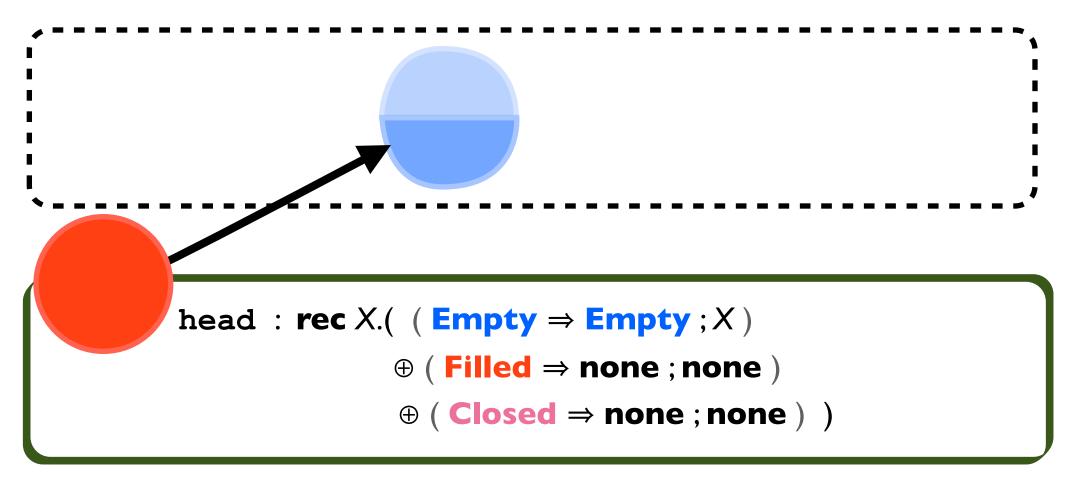




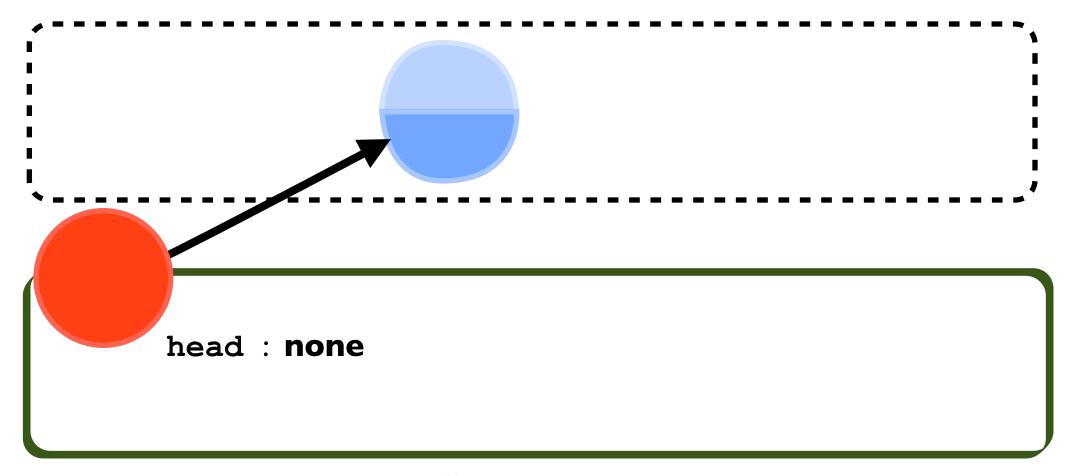
$\texttt{tail}: \textbf{Empty} \Rightarrow (\textbf{Filled} \oplus \textbf{Closed}); \textbf{none}$



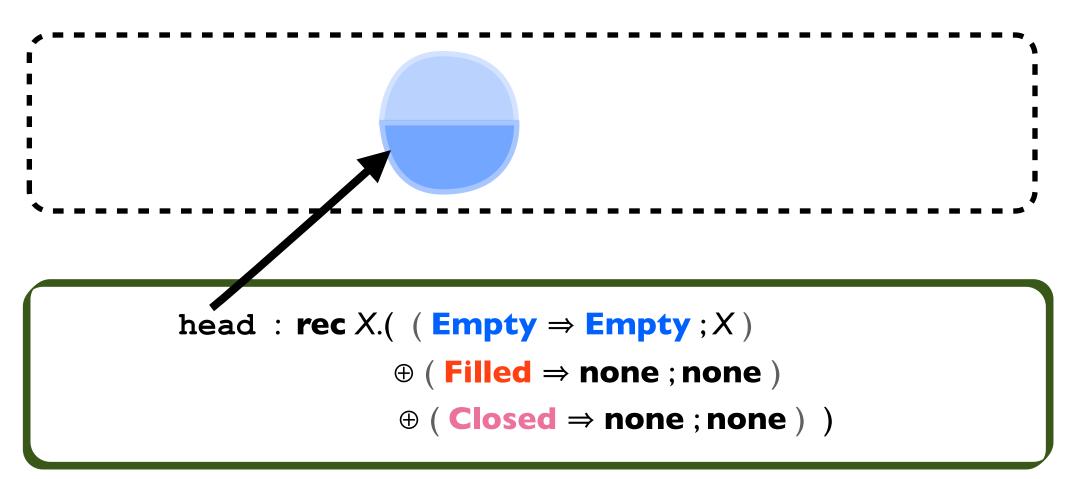
$\texttt{tail}: \textbf{Empty} \Rightarrow (\textbf{Filled} \oplus \textbf{Closed}); \textbf{none}$



tail: Empty ⇒ (Filled ⊕ Closed); none



$\texttt{tail}: \textbf{Empty} \Rightarrow (\textbf{Filled} \oplus \textbf{Closed}); \textbf{none}$



Producer Protocol:

 $\texttt{tail}: \textbf{Empty} \Rightarrow (\textbf{Filled} \oplus \textbf{Closed}); \textbf{none}$

Consumer Protocol:

head: **rec** X.((**Empty** \Rightarrow **Empty**; X)

 \oplus (**Filled** \Rightarrow **none** ; **none**)

 \oplus (**Closed** \Rightarrow **none**; **none**))

Producer Protocol:

 $T[t] = rw \ t \ Empty\#[] \Rightarrow$

Consumer Protocol:

- H[t] = rec X.($(rw \ t \ Empty \#[] \Rightarrow rw \ t \ Empty \#[] ; X)$
 - \oplus (**rw** t **Node**#[...] \Rightarrow **none** ; **none**)
 - \oplus (rw t Closed#[] \Rightarrow none ; none))

∃P.∃C.(![
 put : !((!int :: P) → (![] :: P)) ,
 close : !((![] :: P) → ![]) ,
 tryTake : !((![] :: C) → Depleted#![] +
 NoResult#(![] :: C) + Result#(!int :: C))
] :: (C * P))

∃**P.**∃**C.**(![

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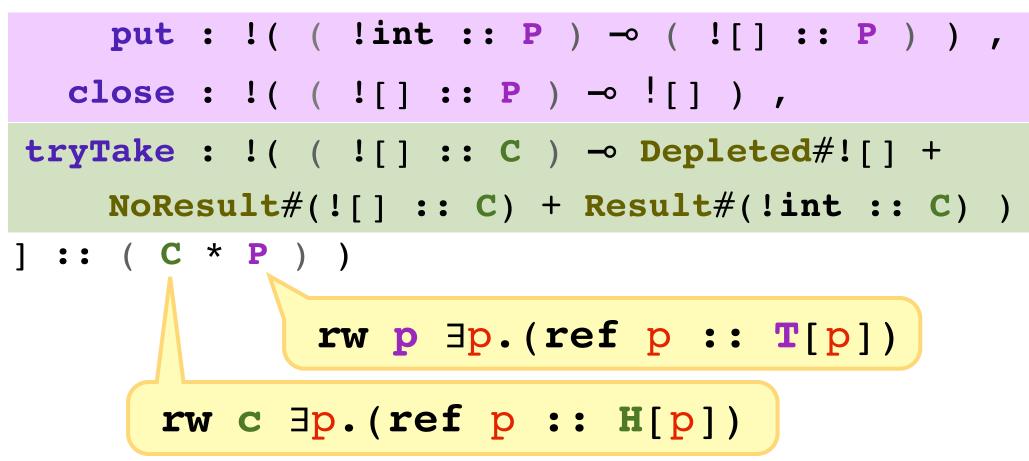
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] :: (C * P))

rw p ∃p.(ref p :: T[p])

∃**P.**∃**C.**(![



Problems of Sharing

 Account for interference (public changes).
 Consider all possible interleaved uses of aliases and how they may change the shared state.

2. Handle **private** changes.

Making sure other aliases do not see any intermediate or inconsistent states of the shared state (which may appear due to type changing assignments like **int** to **string**, etc.).

Syntax

v ::=	ρ	(address)	v.f	(field)
1	x	(variable)	V V	(application)
1	fun(x:A).e	(function)	let $x = e$ in e end	(let)
1	$\langle t \rangle e$	(location abstraction)	open $\langle t, x \rangle = v$ in e end	(open location)
1	$\langle X \rangle e$	(type abstraction)	open $\langle X, x \rangle = v$ in e end	(open type)
1	$\langle p, v \rangle$	(pack location)	new v	(cell creation)
1	$\langle A, v \rangle$	(pack type)	delete v	(cell deletion)
1	$\{\overline{\mathbf{f}} = \mathbf{v}\}\$	(record)	!v	(dereference)
i	1#v	(tagged value)	v := v	(assign)
			case v of $1 \# x \to e$ end	(case)
e ::=	V	(value)	share A_0 as $A_1 \parallel A_2$	(share)
1	v[p]	(location application)	focus A	(focus)
I	v[A]	(type application)	defocus	(defocus)

Syntax

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	$\langle A, \nu \rangle$	(pack type)
	$\{\overline{\mathbf{f}} = v\}$	(record)
Ì	1#v	(tagged value)
::=	ν	(value)
	v[p]	(location application)
Ì	v[A]	(type application)

V

e

```
(field)
v.f
                               (application)
 VV
let x = e in e end
                              (let)
 open \langle t, x \rangle = v in e end (open location)
 open \langle X, x \rangle = v in e end (open type)
                               (cell creation)
 new v
 delete v
                               (cell deletion)
                               (dereference)
 1v
                               (assign)
 v := v
 case v of 1#x \rightarrow e end
                               (case)
 share A_0 as A_1 \parallel A_2
                               (share)
 focus A
                               (focus)
 defocus
                               (defocus)
```

)
e)
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(IICIU) (application VV let x = e in e end (let) open $\langle t, x \rangle = v$ in e end (open locat open $\langle X, x \rangle = v$ in *e* end (open type) (cell creatio new v delete v (cell deletio (dereferenc !v (assign) v := vcase v of $1#x \rightarrow e$ end (case) share A_0 as $A_1 \parallel A_2$ (share) focus A (focus) (defocus) defocus

2. Protocol Use

- Protocols are used through focus and defocus constructs.
- They serve two purposes:
 - a) **Hide** *private* changes from the other aliases of that shared state.
 - b) **Advance the step** of the protocol, by obeying the constraints on *public* changes.

focus Empty

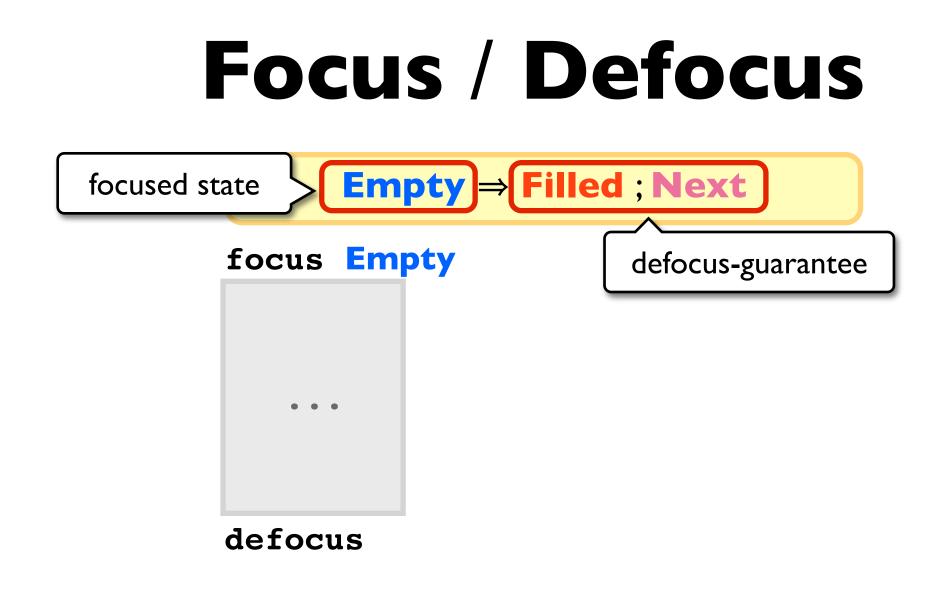
defocus

. . .

Empty ⇒ **Filled** ; **Next**

focus **Empty**

Fo	cus /	Defocus
	Empty ⇒	Filled ; Next
focus	Empty	
• •	•	



Empty \Rightarrow **Filled** ; **Next**

focus **Empty**

Empty \Rightarrow **Filled** ; **Next**

focus **Empty**

Empty, **Filled**; **Next**

Empty ⇒ **Filled** ; **Next**

focus **Empty**

Empty, **Filled**; Next

PartiallyFilled, **Filled**; **Next**

Empty \Rightarrow **Filled** ; **Next**

focus **Empty**

Empty,	Filled ; Next
• • •	
Filled ,	Filled ; Next

Empty \Rightarrow **Filled** ; **Next**

focus **Empty**





Empty \Rightarrow **Filled** ; **Next**

focus **Empty**





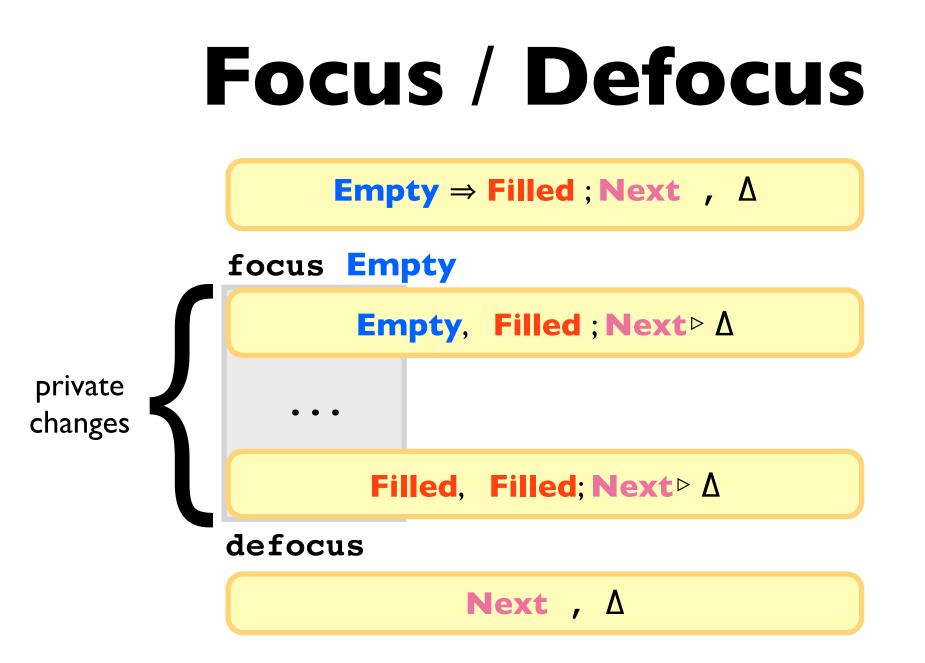
Empty \Rightarrow **Filled** ; **Next**

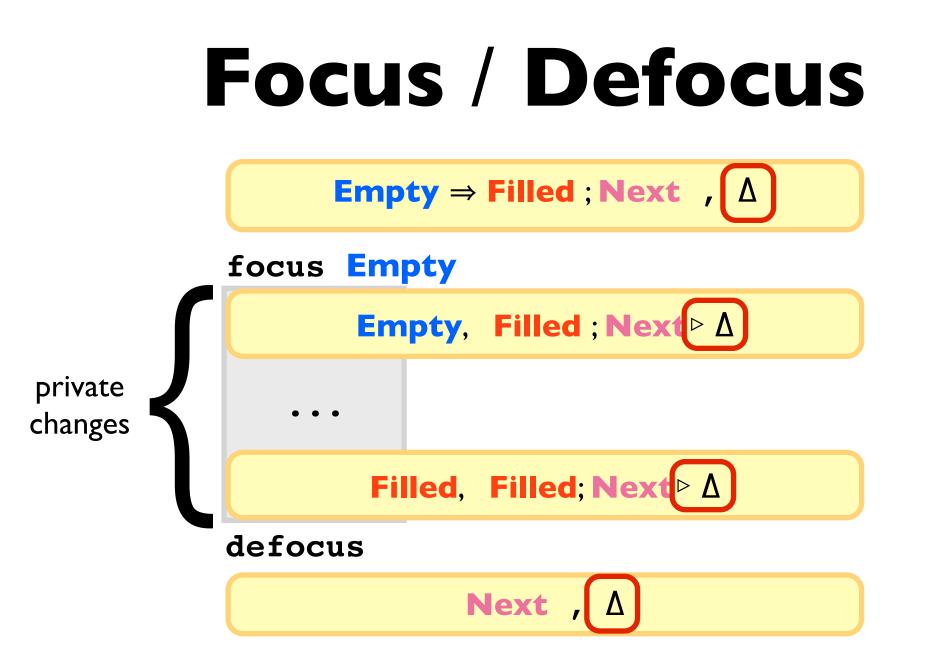
focus **Empty**

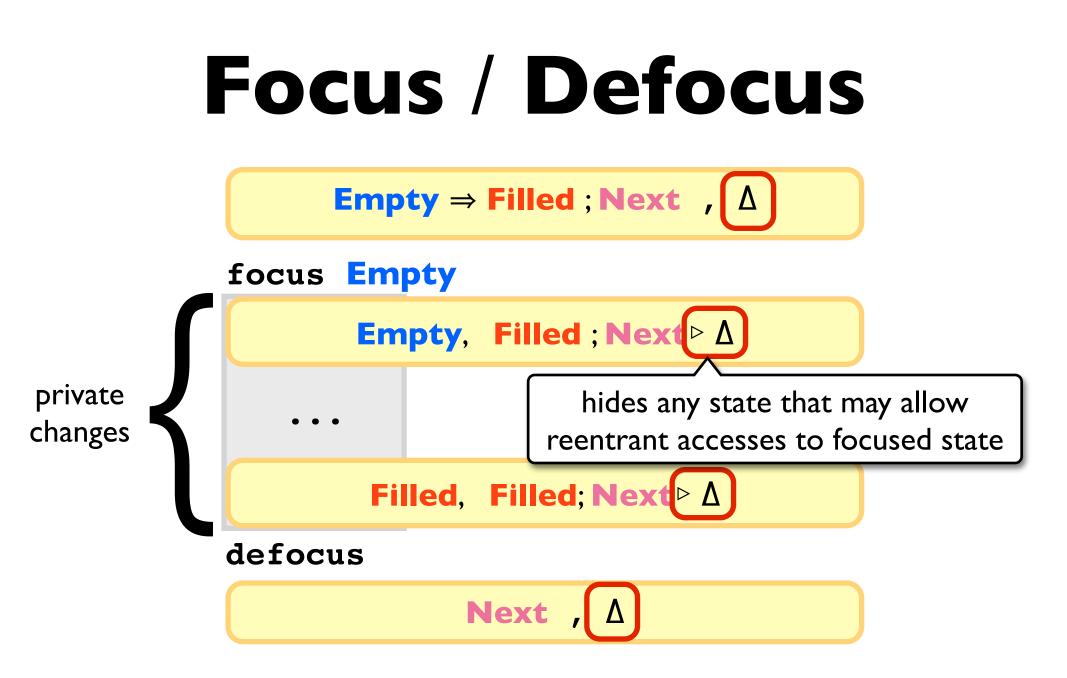
Empty,	Filled ; Next
Filled ,	Filled ; Next

defocus

Next







Problems of Sharing

- Account for interference (public changes).
 Consider all possible interleaved uses of aliases and how they may change the shared state.
- 2. Handle **private** changes.

Making sure other aliases do not see any intermediate or inconsistent states of the shared state (which may appear due to type changing assignments like **int** to **string**, etc.).

3. Protocol Conformance

• Protocols are introduced explicitly, in pairs, through the **share** construct:

share A as B | C

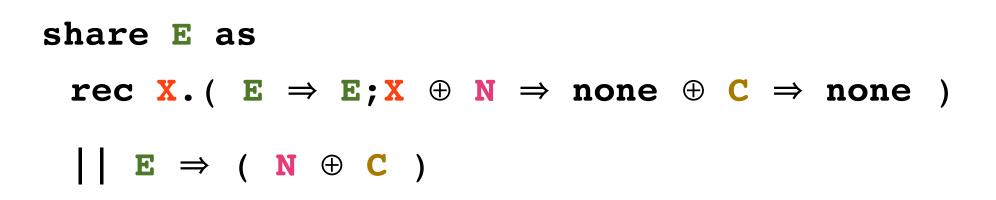
"type **A** (either a capability or an existing protocol) can be safely *split* in types **B** and **C** (two protocols)"

• Arbitrary aliasing is possible by continuing to split an existing protocol.

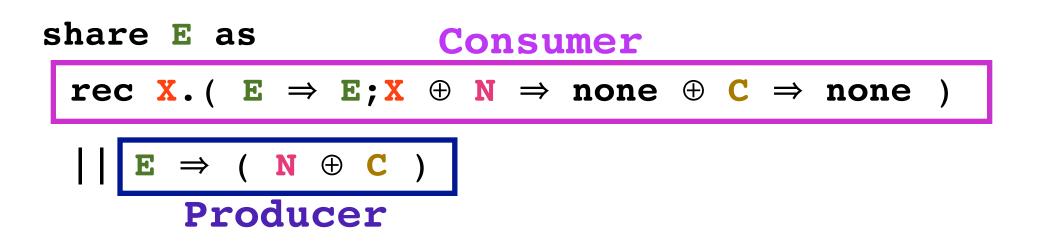
Checking share

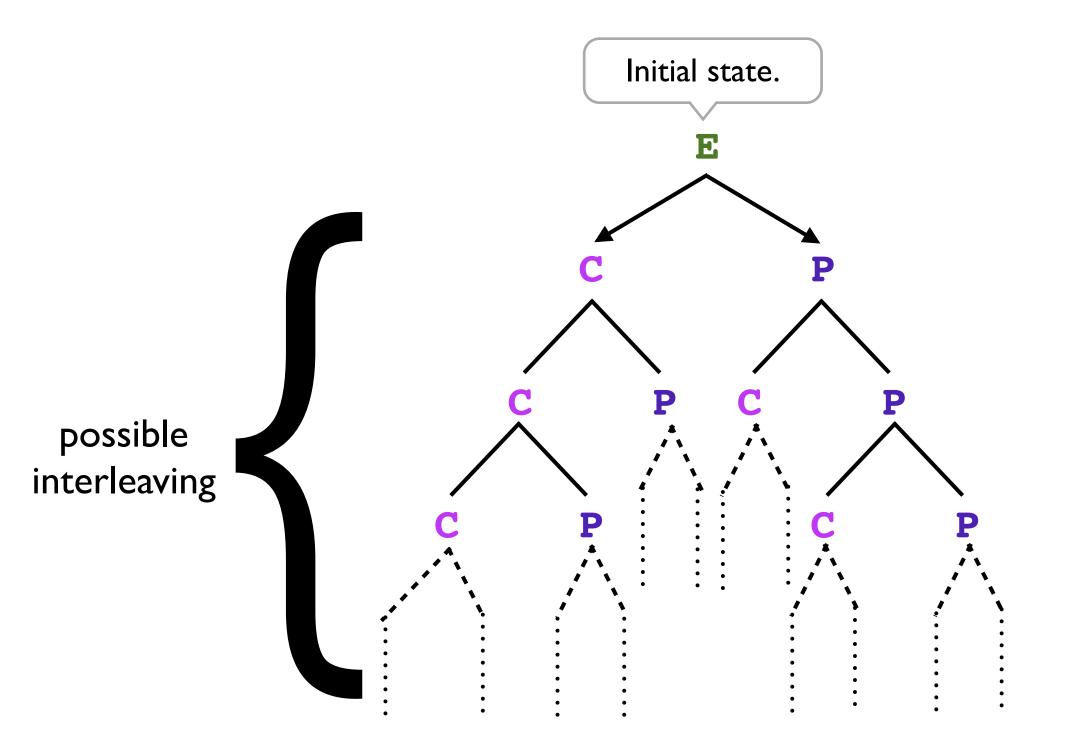
- We must check that a protocol is aware of all possible states that may appear due to the "interleaving" of other aliases of that shared state.
- Checking a split is built from two components:
 - a) a stepping relation, that "simulates" a single use of **focus-defocus** (i.e. a step of the protocol).
 - b) a protocol conformance definition that ensures the protocol considers all possible alias interleaving.

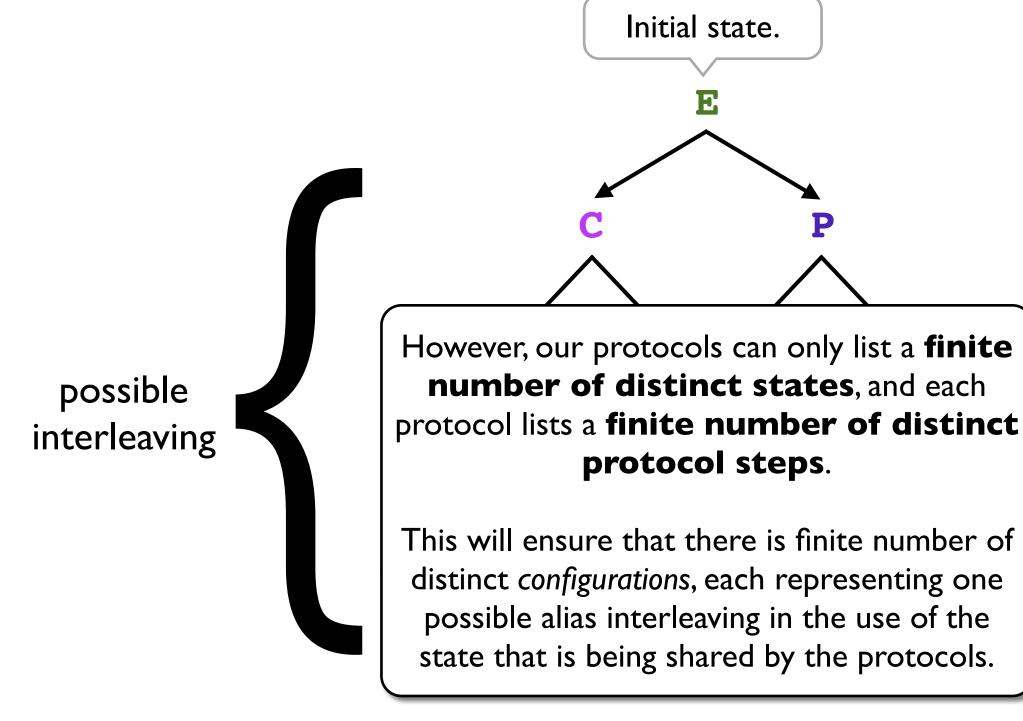
Protocol Conformance Example

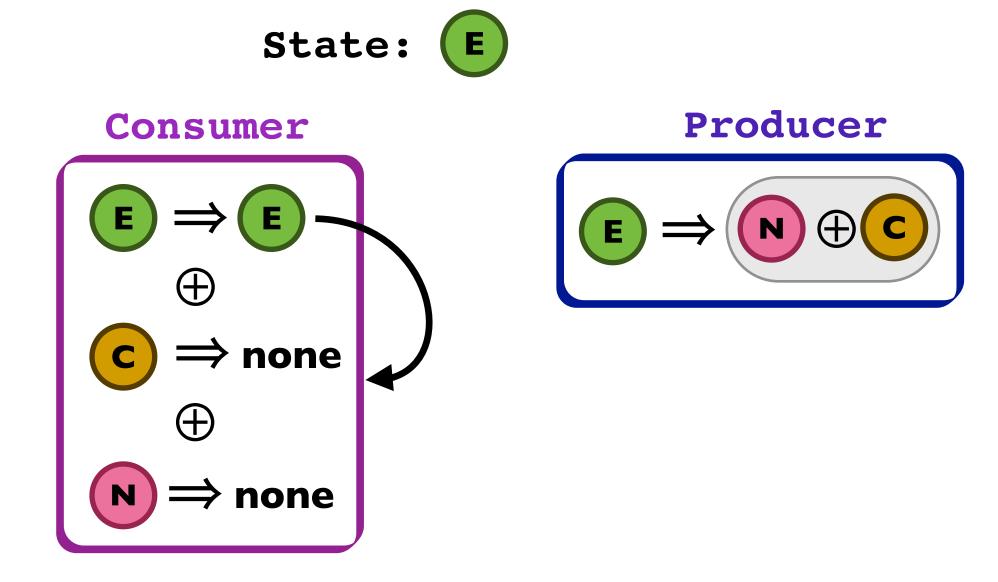


Protocol Conformance Example



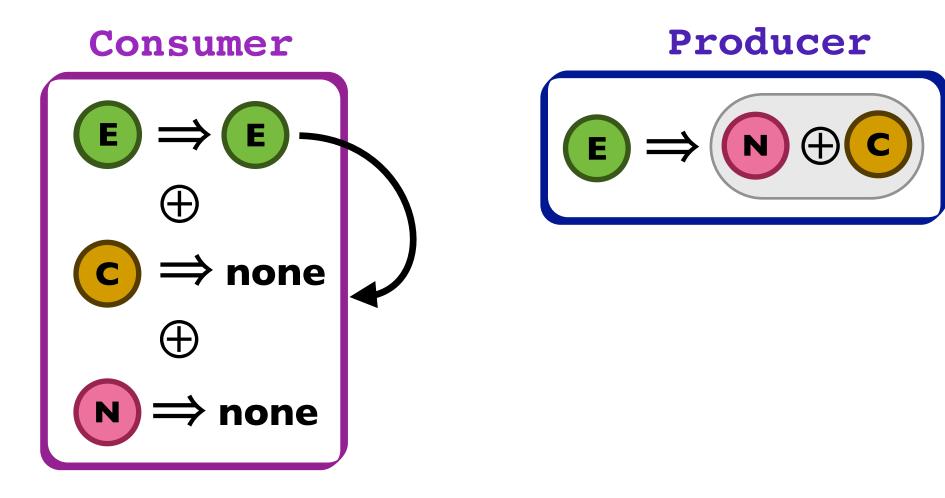




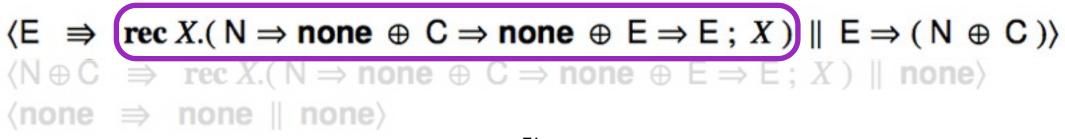


 $\langle E \Rightarrow rec X.(N \Rightarrow none \oplus C \Rightarrow none \oplus E \Rightarrow E; X) \parallel E \Rightarrow (N \oplus C) \rangle$ $\langle N \oplus C \Rightarrow rec X.(N \Rightarrow none \oplus C \Rightarrow none \oplus E \Rightarrow E; X) \parallel none \rangle$ $\langle none \Rightarrow none \parallel none \rangle$

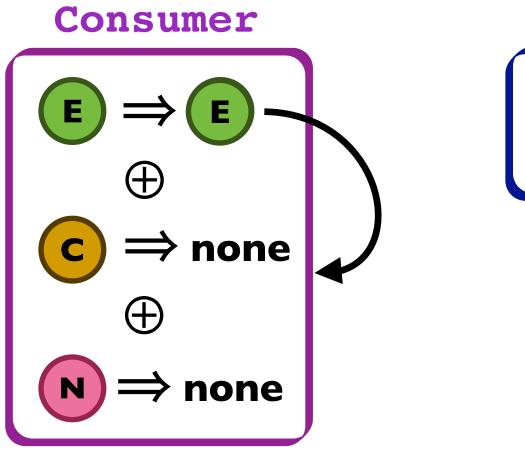
State:



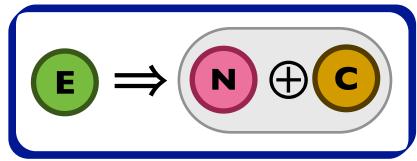
Configurations:



State:

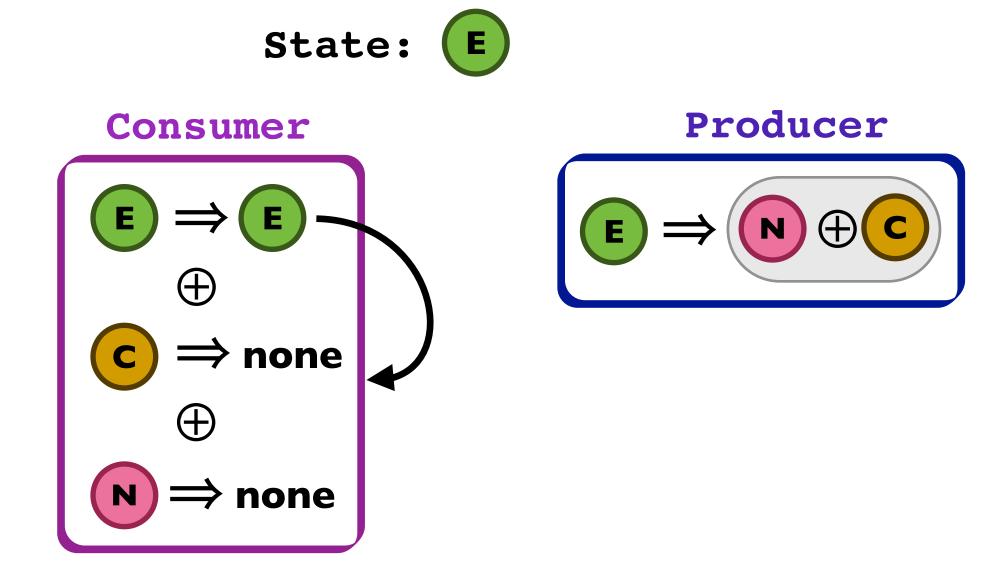


Producer

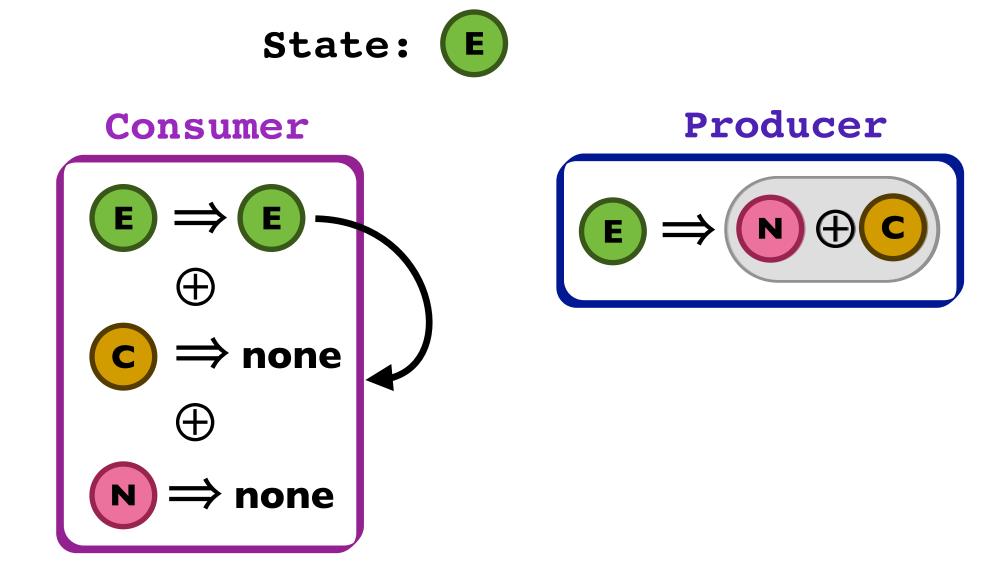


Configurations:

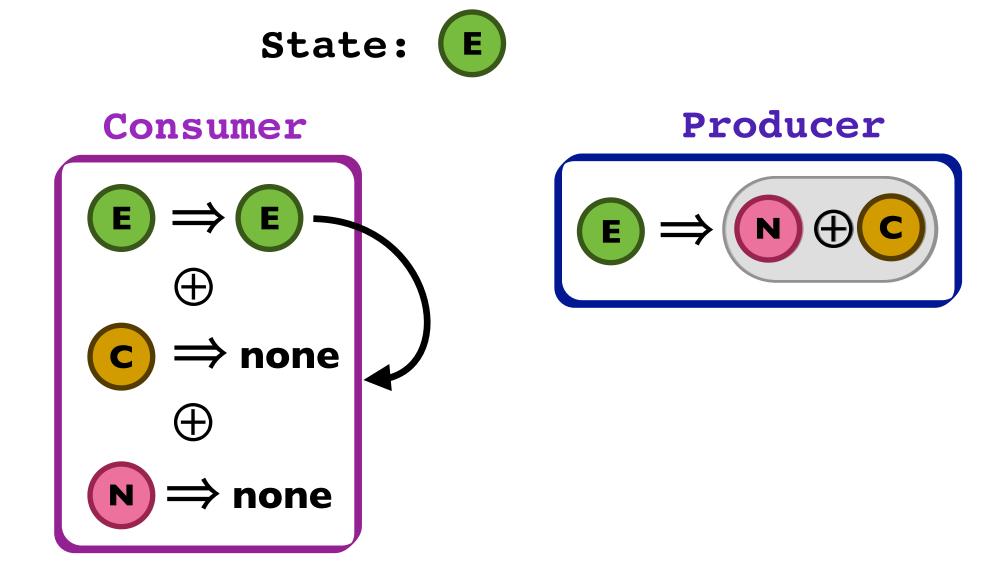
 $\begin{array}{l} \langle \mathsf{E} \Rightarrow \operatorname{rec} X.(\mathsf{N} \Rightarrow \mathsf{none} \oplus \mathsf{C} \Rightarrow \mathsf{none} \oplus \mathsf{E} \Rightarrow \mathsf{E}; X) \parallel \mathsf{E} \Rightarrow (\mathsf{N} \oplus \mathsf{C}) \rangle \\ \langle \mathsf{N} \oplus \mathsf{C} \Rightarrow \operatorname{rec} X.(\mathsf{N} \Rightarrow \mathsf{none} \oplus \mathsf{C} \Rightarrow \mathsf{none} \oplus \mathsf{E} \Rightarrow \mathsf{E}; X) \parallel \mathsf{none} \rangle \\ \langle \mathsf{none} \Rightarrow \mathsf{none} \parallel \mathsf{none} \rangle \end{array}$



 $\langle E \Rightarrow rec X.(N \Rightarrow none \oplus C \Rightarrow none \oplus E \Rightarrow E; X) \parallel E \Rightarrow (N \oplus C) \rangle$ $\langle N \oplus C \Rightarrow rec X.(N \Rightarrow none \oplus C \Rightarrow none \oplus E \Rightarrow E; X) \parallel none \rangle$ $\langle none \Rightarrow none \parallel none \rangle$

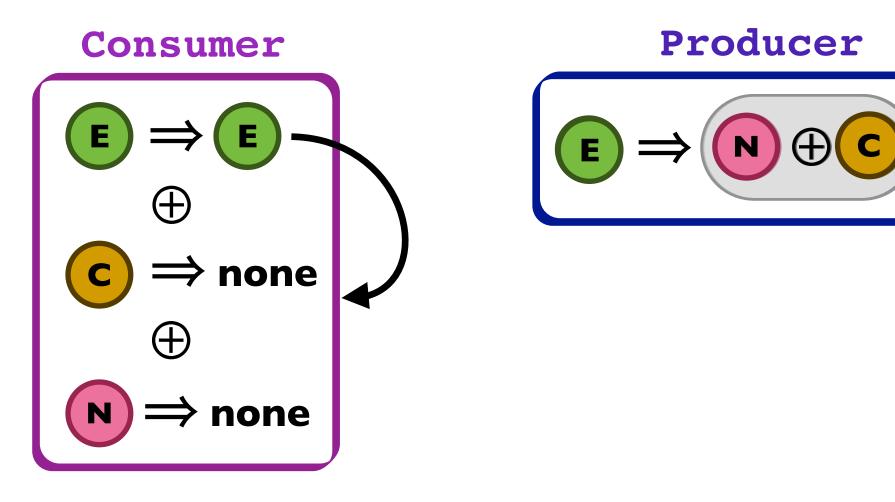


 $\langle E \Rightarrow rec X.(N \Rightarrow none \oplus C \Rightarrow none \oplus E \Rightarrow E; X) \parallel E \Rightarrow (N \oplus C) \rangle$ $\langle N \oplus C \Rightarrow rec X.(N \Rightarrow none \oplus C \Rightarrow none \oplus E \Rightarrow E; X) \parallel none \rangle$ $\langle none \Rightarrow none \parallel none \rangle$



 $\begin{array}{ll} \langle \mathsf{E} \Rightarrow \operatorname{rec} X.(\mathsf{N} \Rightarrow \mathsf{none} \oplus \mathsf{C} \Rightarrow \mathsf{none} \oplus \mathsf{E} \Rightarrow \mathsf{E} \,; \, X \,) \parallel \left(\mathsf{E} \Rightarrow (\mathsf{N} \oplus \mathsf{C}) \right) \\ \langle \mathsf{N} \oplus \mathsf{C} \Rightarrow \operatorname{rec} X.(\mathsf{N} \Rightarrow \mathsf{none} \oplus \mathsf{C} \Rightarrow \mathsf{none} \oplus \mathsf{E} \Rightarrow \mathsf{E} \,; \, X \,) \parallel \mathsf{none} \rangle \\ \langle \mathsf{none} \Rightarrow \mathsf{none} \parallel \mathsf{none} \rangle \end{array}$

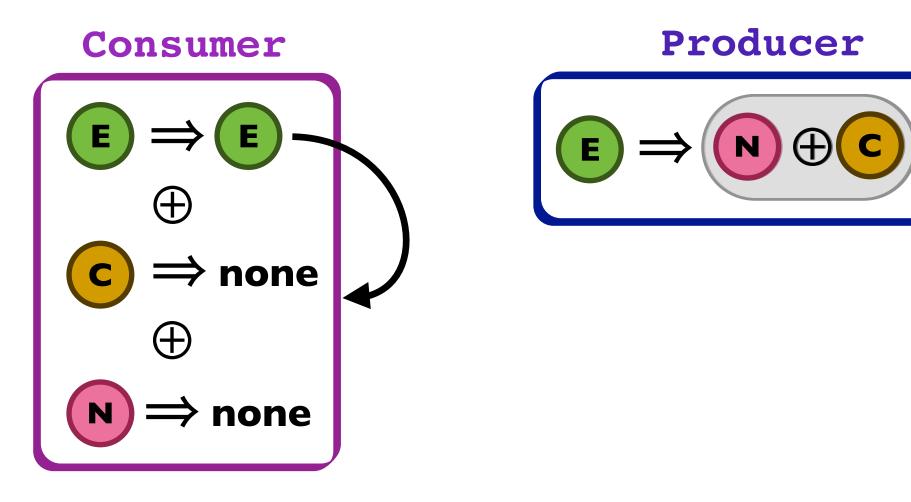
State:



Configurations:

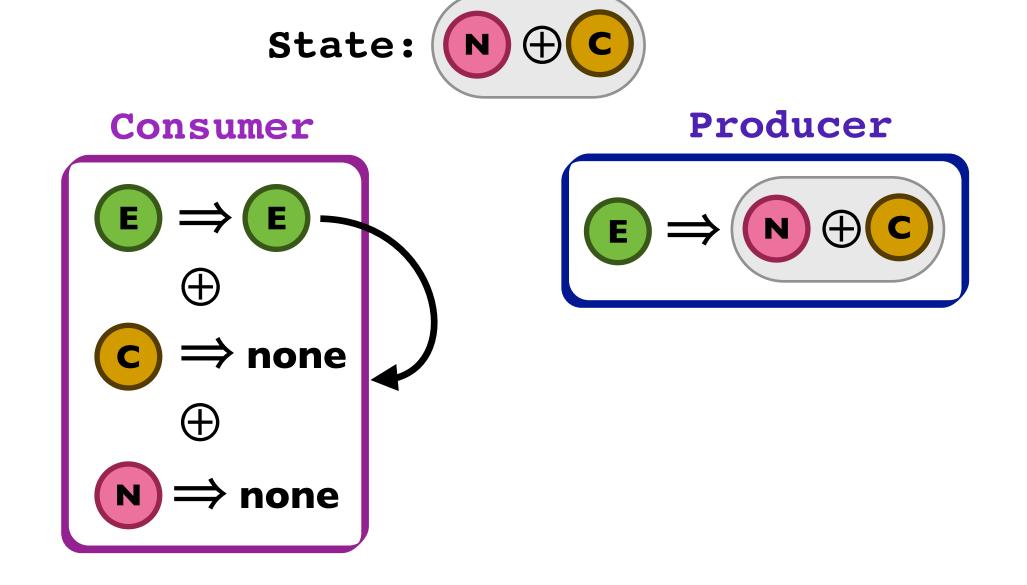
 $\begin{array}{l} \langle \mathsf{E} \Rightarrow \operatorname{rec} X.(\mathsf{N} \Rightarrow \mathsf{none} \oplus \mathsf{C} \Rightarrow \mathsf{none} \oplus \mathsf{E} \Rightarrow \mathsf{E} \,; \, X \,) \parallel \left(\mathsf{E} \Rightarrow (\mathsf{N} \oplus \mathsf{C}) \right) \\ \langle \mathsf{N} \oplus \mathsf{C} \Rightarrow \operatorname{rec} X.(\mathsf{N} \Rightarrow \mathsf{none} \oplus \mathsf{C} \Rightarrow \mathsf{none} \oplus \mathsf{E} \Rightarrow \mathsf{E} \,; \, X \,) \parallel \mathsf{none} \rangle \\ \langle \mathsf{none} \Rightarrow \mathsf{none} \parallel \mathsf{none} \rangle \end{array}$

State:

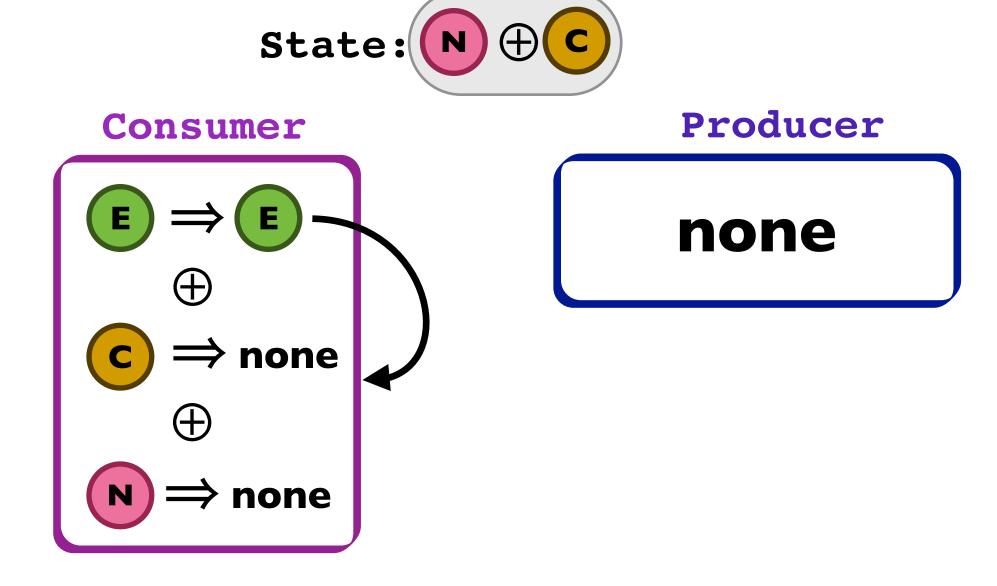


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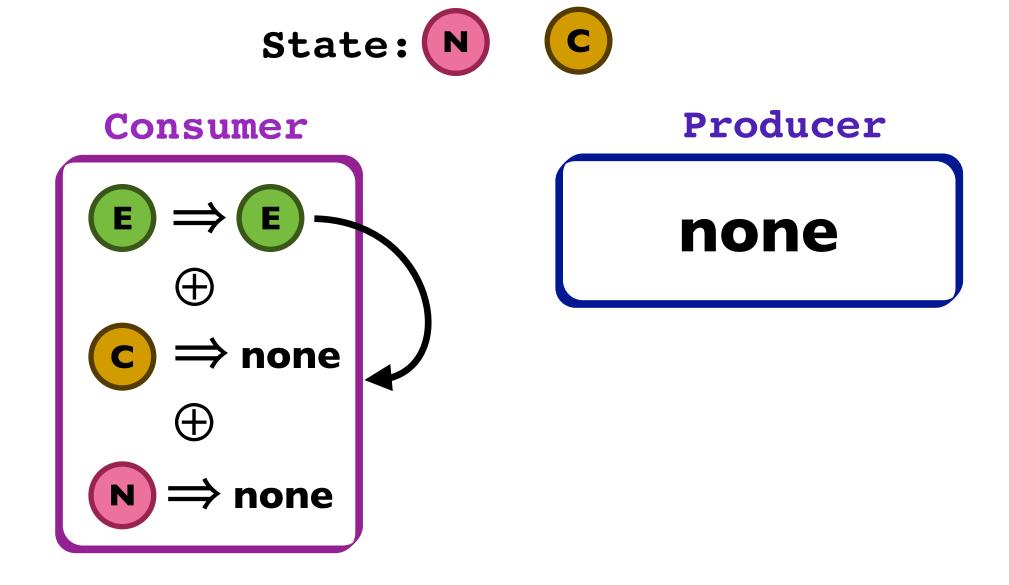
 $\begin{array}{ll} \langle \mathsf{E} \Rightarrow \operatorname{rec} X.(\mathsf{N} \Rightarrow \mathsf{none} \oplus \mathsf{C} \Rightarrow \mathsf{none} \oplus \mathsf{E} \Rightarrow \mathsf{E} \,; \, X \,) \parallel \left(\mathsf{E} \Rightarrow (\mathsf{N} \oplus \mathsf{C}) \right) \\ \langle \mathsf{N} \oplus \mathsf{C} \Rightarrow \operatorname{rec} X.(\mathsf{N} \Rightarrow \mathsf{none} \oplus \mathsf{C} \Rightarrow \mathsf{none} \oplus \mathsf{E} \Rightarrow \mathsf{E} \,; \, X \,) \parallel \mathsf{none} \rangle \\ \langle \mathsf{none} \Rightarrow \mathsf{none} \parallel \mathsf{none} \rangle \end{array}$



 $\langle E \Rightarrow rec X.(N \Rightarrow none \oplus C \Rightarrow none \oplus E \Rightarrow E; X) \parallel E \Rightarrow (N \oplus C) \rangle$ $\langle N \oplus C \Rightarrow rec X.(N \Rightarrow none \oplus C \Rightarrow none \oplus E \Rightarrow E; X) \parallel none \rangle$ $\langle none \Rightarrow none \parallel none \rangle$

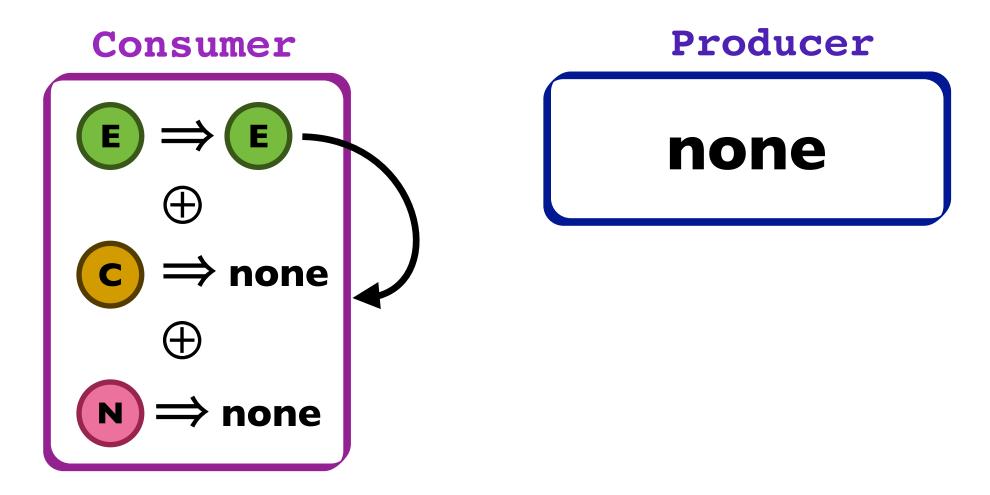


 $\langle \mathsf{E} \Rightarrow \mathsf{rec} X.(\mathsf{N} \Rightarrow \mathsf{none} \oplus \mathsf{C} \Rightarrow \mathsf{none} \oplus \mathsf{E} \Rightarrow \mathsf{E}; X) \parallel \mathsf{E} \Rightarrow (\mathsf{N} \oplus \mathsf{C}) \rangle$ $\langle \mathsf{N} \oplus \mathsf{C} \Rightarrow \mathsf{rec} X.(\mathsf{N} \Rightarrow \mathsf{none} \oplus \mathsf{C} \Rightarrow \mathsf{none} \oplus \mathsf{E} \Rightarrow \mathsf{E}; X) \parallel \mathsf{none} \rangle$ $\langle \mathsf{none} \Rightarrow \mathsf{none} \parallel \mathsf{none} \rangle$



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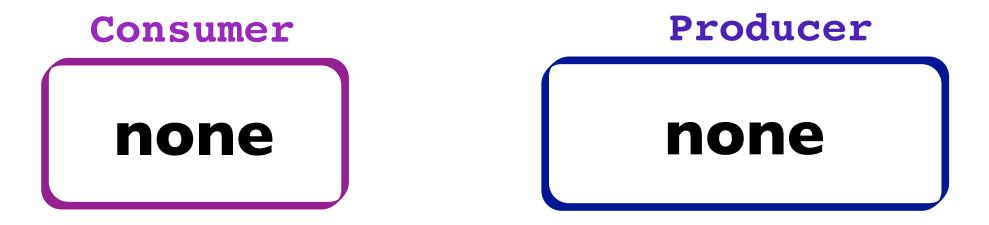
State: none



Configurations:

 $\langle \mathsf{E} \Rightarrow \mathsf{rec} X.(\mathsf{N} \Rightarrow \mathsf{none} \oplus \mathsf{C} \Rightarrow \mathsf{none} \oplus \mathsf{E} \Rightarrow \mathsf{E}; X) \parallel \mathsf{E} \Rightarrow (\mathsf{N} \oplus \mathsf{C}) \rangle$ $\langle \mathsf{N} \oplus \mathsf{C} \Rightarrow \mathsf{rec} X.(\mathsf{N} \Rightarrow \mathsf{none} \oplus \mathsf{C} \Rightarrow \mathsf{none} \oplus \mathsf{E} \Rightarrow \mathsf{E}; X) \parallel \mathsf{none} \rangle$ $\langle \mathsf{none} \Rightarrow \mathsf{none} \parallel \mathsf{none} \rangle$

State: none



Configurations:

 $\langle E \Rightarrow rec X.(N \Rightarrow none \oplus C \Rightarrow none \oplus E \Rightarrow E; X) \parallel E \Rightarrow (N \oplus C) \rangle$ $\langle N \oplus C \Rightarrow rec X.(N \Rightarrow none \oplus C \Rightarrow none \oplus E \Rightarrow E; X) \parallel none \rangle$ $\langle none \Rightarrow none \parallel none \rangle$

Related Work

Krishnaswami, Turon, Dreyer, Garg. **Superficially Substructural Types**. ICFP 2012.

Dinsdale-Young, Birkedal, Gardner, Parkinson, Yang. Views: compositional reasoning for concurrent programs. POPL 2013.

• Powerful generalization of *split* and *merge* operations (using commutative monoids) that enables expressive and precise descriptions of sharing.

Gordon, Ernst, Grossman. Rely-Guarantee References for Refinement Types over Aliased Mutable Data. PLDI 2013.

• References extended with predicate (for expressing local knowledge), rely and guarantee relations to handle sharing of state.

(Paper includes additional Related Work.)

Related Work

Krishnaswami, Turon, Dreyer, Garg. **Superficially Substructural Types**. ICFP 2012.

Dinsdale-Young, Birkedal, Gardner, Parkinson, Yang. Views: compositional reasoning for concurrent programs. POPL 2013.

^m - We are limited to finite state representations, i.e. *typestates*.

Gord + Protocols can express *changes over time* ("temporal sharing"), without requiring the use of auxiliary variables to distinguish steps.

Re + Sharing is a typing artifact and is not tied to a module.

• Po

+ Can be type checked without manual intervention.

Summary

- **Contribution:** novel interference-control mechanism, *Rely-Guarantee Protocols*, to control sharing of state mutable by statically disconnected variables.
- **Topics Covered:** (more details in the paper)
 - I. Protocol Specification ("public changes")
 - 2. Protocol Use ("private changes")
 - 3. Protocol Conformance ("alias interleaving")

Experimental Prototype Implementation:

