

Checking Program Properties with ESC/Java

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Analysis of Software Artifacts

Jonathan Aldrich



Analysis of Software Artifacts -
Spring 2006

ESC/Java



- A checker for Java programs
 - Finds null pointers, array dereferences...
 - Checks Hoare logic specifications
 - Expressed in Java Modeling Language (JML)
- Goal:
 - Find errors
 - Increase confidence in correctness
 - Unlike a Hoare Logic proof, not a guarantee of correctness
- Developed at Compaq SRC in the 90s
 - Now open sourced as ESC/Java 2

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ESC/Java Uses JML Specifications



```
/*@ requires len >= 0 && array != null && array.length == len;
@
@ ensures \result == (\sum int j; 0 <= j && j < len; array[j]);
@*/
int sum(int array[], int len) {
    int sum = 0;
    int i = 0;
    /*@ loop_invariant sum == (\sum int j; 0 <= j && j < i; array[j]); */
    while (i < len) {
        sum = sum + array[i];
        i = i + 1;
    }
    return sum;
}
```

Modular Checking with Hoare Logic



$$\frac{p : \{P\} S \{Q\}}{\{P\} p(); \{Q\}}$$

- Simple procedure rule for Hoare Logic
 - Assumes all variables are global
- Can verify p independent of caller
 - No need to look at S when verifying caller of p
 - Just use post-condition and check precondition
 - No need to look at caller of p to check S
 - Just assume pre-condition

Modular Checking Example (1)



procedure multiply

```
{ n > 0 }
result := 0;
i := 0;
{ invariant: result = m*i
  && 0 ≤ i ≤ n && n > 0 }
while i < n do
  add();
  i := i + 1;
{ result = m*n }
```

procedure add

```
{ result = m*i }
result = result + m
{ result = m*i + m }
```

- Loop precondition
 $n > 0$
 $\Rightarrow 0 = m * 0 \ \&\& \ 0 \leq 0 \leq n \ \&\& \ n > 0$
- Precondition of add
 $result = m*i \ \&\& \ 0 \leq i \leq n \ \&\& \ n > 0$
 $\ \&\& \ i < n$
 $\Rightarrow result = m*i$
- Re-establish loop invariant
 $result = m*i + m$
 $\Rightarrow result = m*(i+1) \ \&\& \ 0 \leq i+1 \leq n$
 $\ \&\& \ n > 0$
- Does not hold!
 - Need to strengthen add specification

Modular Checking Example (2)



procedure multiply

```
{ n > 0 }
result := 0;
i := 0;
{ invariant: result = m*i
  && 0 ≤ i ≤ n && n > 0 }
while i < n do
  add();
  i := i + 1;
{ result = m*n }
```

procedure add

```
{ result = m*i && 0 ≤ i < n
  && n > 0 }
result = result + m
{ result = m*i+m && 0 ≤ i < n
  && n > 0 }
```

- Loop precondition
 $n > 0$
 $\Rightarrow 0 = m * 0 \ \&\& \ 0 \leq 0 \leq n \ \&\& \ n > 0$
- Precondition of add
 $result = m*i \ \&\& \ 0 \leq i \leq n \ \&\& \ n > 0 \ \&\& \ i < n$
 $\Rightarrow result = m*i \ \&\& \ 0 \leq i < n \ \&\& \ n > 0$
- Re-establish loop invariant
 $result = m*i+m \ \&\& \ 0 \leq i < n$
 $\ \&\& \ n > 0$
 $\Rightarrow result = m*(i+1) \ \&\& \ 0 \leq i+1 \leq n \ \&\& \ n > 0$
- Establish postcondition
 $result = m*i \ \&\& \ 0 \leq i \leq n \ \&\& \ n > 0 \ \&\& \ i \geq n$
 $\Rightarrow result = m*n$

A Better Rule



$$\frac{p : \{P\} S \{Q\} \quad p \text{ does not modify variables in } I}{\{P \text{ and } I\} p(); \{Q \text{ and } I\}}$$

- Increases independence of functions
 - No need to specify invariant of caller in specification of P

Modular Checking Example (3)



procedure multiply

```
{ n > 0 }
result := 0;
i := 0;
{ invariant: result = m*i
  && 0 ≤ i ≤ n && n > 0 }
while i < n do
  add();
  i := i + 1;
{ result = m*n }
```

// modifies result

procedure add

```
{ result = m*i }
result = result + m
{ result = m*i+m }
```

- Verification condition for loop:

```
{ invariant: result = m*i
  && 0 ≤ i ≤ n && n > 0 }
while i < n do
  {result = m*i && 0 ≤ i ≤ n
   && n > 0 && i < n}
  {result = m*i && 0 ≤ i+1 ≤ n && n>0}
  add();
  {result = m*(i+1) && 0 ≤ i+1 ≤ n && n>0}
  i := i + 1;
  {result = m*i && 0 ≤ i ≤ n && n>0 }
```

← Add specification still mentions i.

Modular Checking Example (4)



procedure multiply

```
{ n > 0 }
result := 0;
i := 0;
{ invariant: result = m*i
  && 0 ≤ i ≤ n && n > 0 }
while i < n do
  add();
  i := i + 1;
{ result = m*n }
```

```
// modifies result
int add(int n, int m)
{ true }
return n + m
{ result = n+m }
```

- Verification condition for loop:

```
{ invariant: result = m*i
  && 0 ≤ i ≤ n && n > 0 }
while i < n do
  {result = m*i && 0 ≤ i ≤ n
   && n > 0 && i < n}
  {result = m*i && 0 ≤ i+1 ≤ n && n>0}
  add();
  {result = m*(i+1) && 0 ≤ i+1 ≤ n && n>0}
  i := i + 1;
  {result = m*i && 0 ≤ i ≤ n && n>0 }
```

Add specification still mentions *i*.
A better spec works the same way
but uses variable renamings.
Used in ESC/Java; formal semantics
beyond scope of this course

Demo: multiply in ESC/Java



Demo: SimpleSet in ESC/Java



ESC/Java's Limitations



- Does not check for some errors
 - Infinite loops, arithmetic overflow
 - Functional properties not stated by user
 - Non-functional properties
- May miss some errors
 - Unsound: describes an analysis that can miss errors
 - Only checks one iteration of loops
 - @modifies is unchecked
 - Assumptions about invariants in referred-to objects
 - Several others as well!

Loops in ESC/Java



- The loop:

```
//@ loop_invariant E;
while (B) {
  S
}
```

- Is treated as:

```
//@ assert E;
if (B) {
  S
  //@ assert E;
  //@ assume !B;
}
```

- Can optionally increase # iterations with *-loop n*

ESC/Java's Limitations (con't)



- May report false positives
 - Often can be solved with an extra precondition or invariant
 - Spurious warnings can also be disabled

ESC/Java Tradeoffs



- Attempts to automate Hoare-logic style checking
- Benefits
 - Easier than manual proof
- Drawbacks
 - Unsound
 - Still quite labor-intensive
- Applicability
 - Checking of critical code
 - When it's worth the extra effort to get it right
 - When you can't do a complete Hoare-logic proof
 - Still must use other analysis techniques
 - ESC/Java is unsound
 - The spec must also be validated!