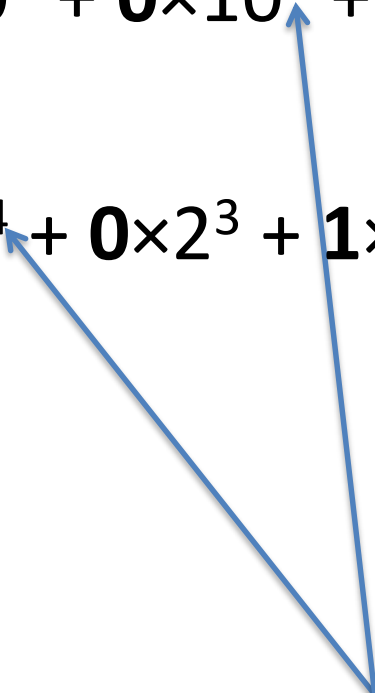


Binary!

$$\mathbf{1209}_{[10]} = \mathbf{1} \times 10^3 + \mathbf{2} \times 10^2 + \mathbf{0} \times 10^1 + \mathbf{9} \times 10^0$$

$$\mathbf{100101}_{[2]} = \mathbf{1} \times 2^5 + \mathbf{0} \times 2^4 + \mathbf{0} \times 2^3 + \mathbf{1} \times 2^2 + \mathbf{0} \times 2^1 + \mathbf{1} \times 2^0$$



Position of digit

Hexadecimal!

• 0 _[16]	0000 _[2]	0 _[10]	• 8 _[16]	1000 _[2]	8 _[10]
• 1 _[16]	0001 _[2]	1 _[10]	• 9 _[16]	1001 _[2]	9 _[10]
• 2 _[16]	0010 _[2]	2 _[10]	• A _[16]	1010 _[2]	10 _[10]
• 3 _[16]	0011 _[2]	3 _[10]	• B _[16]	1011 _[2]	11 _[10]
• 4 _[16]	0100 _[2]	4 _[10]	• C _[16]	1100 _[2]	12 _[10]
• 5 _[16]	0101 _[2]	5 _[10]	• D _[16]	1101 _[2]	13 _[10]
• 6 _[16]	0110 _[2]	6 _[10]	• E _[16]	1110 _[2]	14 _[10]
• 7 _[16]	0111 _[2]	7 _[10]	• F _[16]	1111 _[2]	15 _[10]

Hexadecimal!

--> 12648430

12648430 (int)

--> 0xC0FFEE

12648430 (int)

--> int2hex(12648430);

"00C0FFEE" (string)

--> int2hex(0xC0FFEE);

"00C0FFEE" (string)

--> 0xC0FFEE == 12648430;

true (bool)

Binary arithmetic

$$\begin{array}{r} 1 \\ 1010 \quad (10) \\ + 1010 \quad (10) \\ \hline 10100 \quad (20) \end{array}$$

$$\begin{array}{r} 0110 \quad (6) \\ \times 1010 \quad (10) \\ \hline 0000 \\ 0110 \\ 0000 \\ + 0110 \\ \hline 111100 \quad (60) \end{array}$$

0000 0001 0010 0011 0100 0101 0110 0111 0000 0001 0010 0011 0100 0101 0110 0111

4 bits

??

Modular arithmetic

$$\begin{array}{r}
 1 \\
 1010 \quad (10) \\
 + 1010 \quad (10) \\
 \hline
 10100 \quad (20)
 \end{array}$$

$$0100 \quad (4)$$

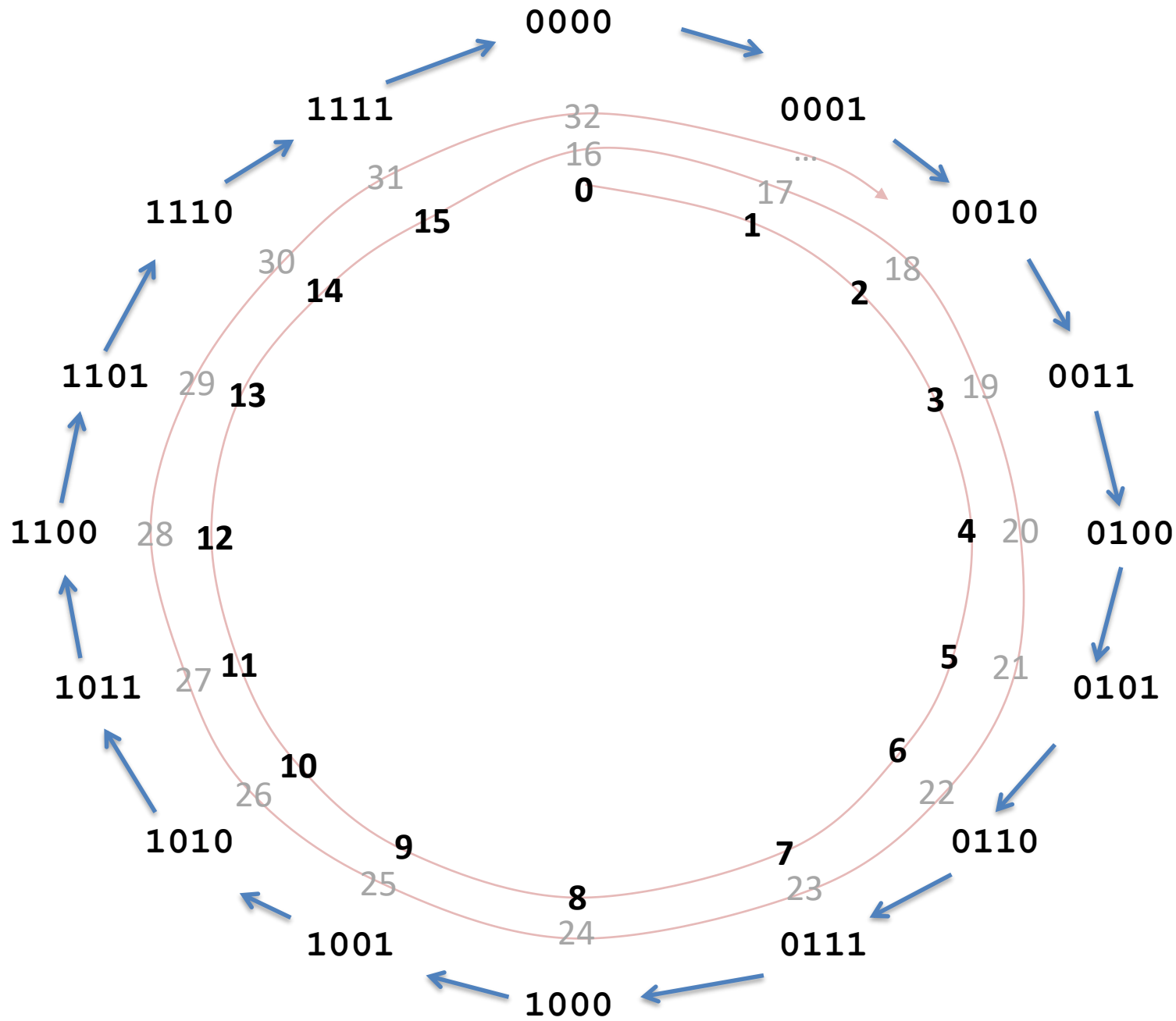
$$\begin{array}{r}
 0110 \quad (6) \\
 \times 1010 \quad (10) \\
 \hline
 0000 \\
 0110 \\
 0000 \\
 + 0110 \\
 \hline
 111100 \quad (60)
 \end{array}$$

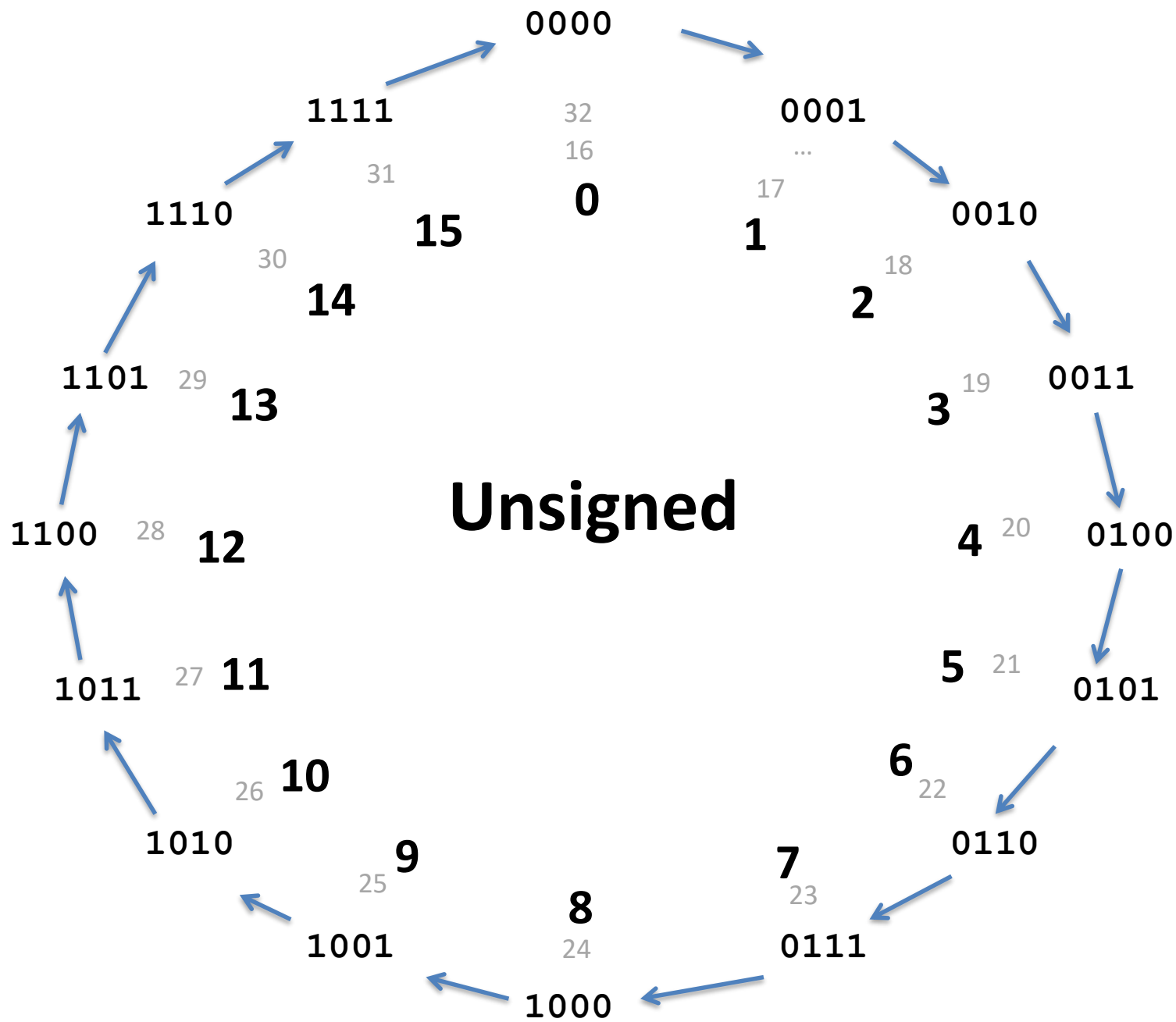
$$1100 \quad (12)$$

0000 0001 0010 0011 0100 0101 0110 0111 0000 0001 0010 0011 0100 0101 0110 0111

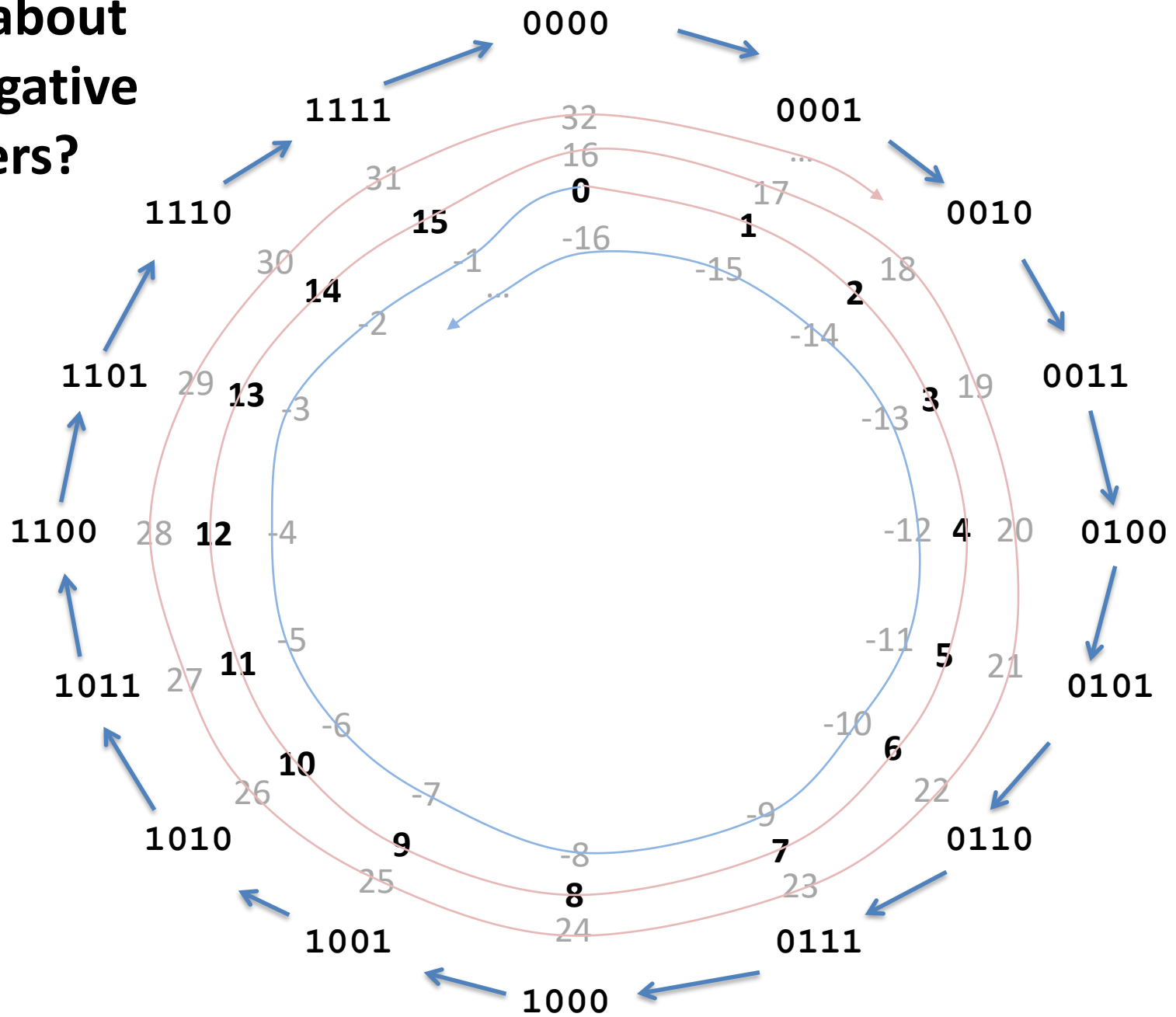
4 bits

??

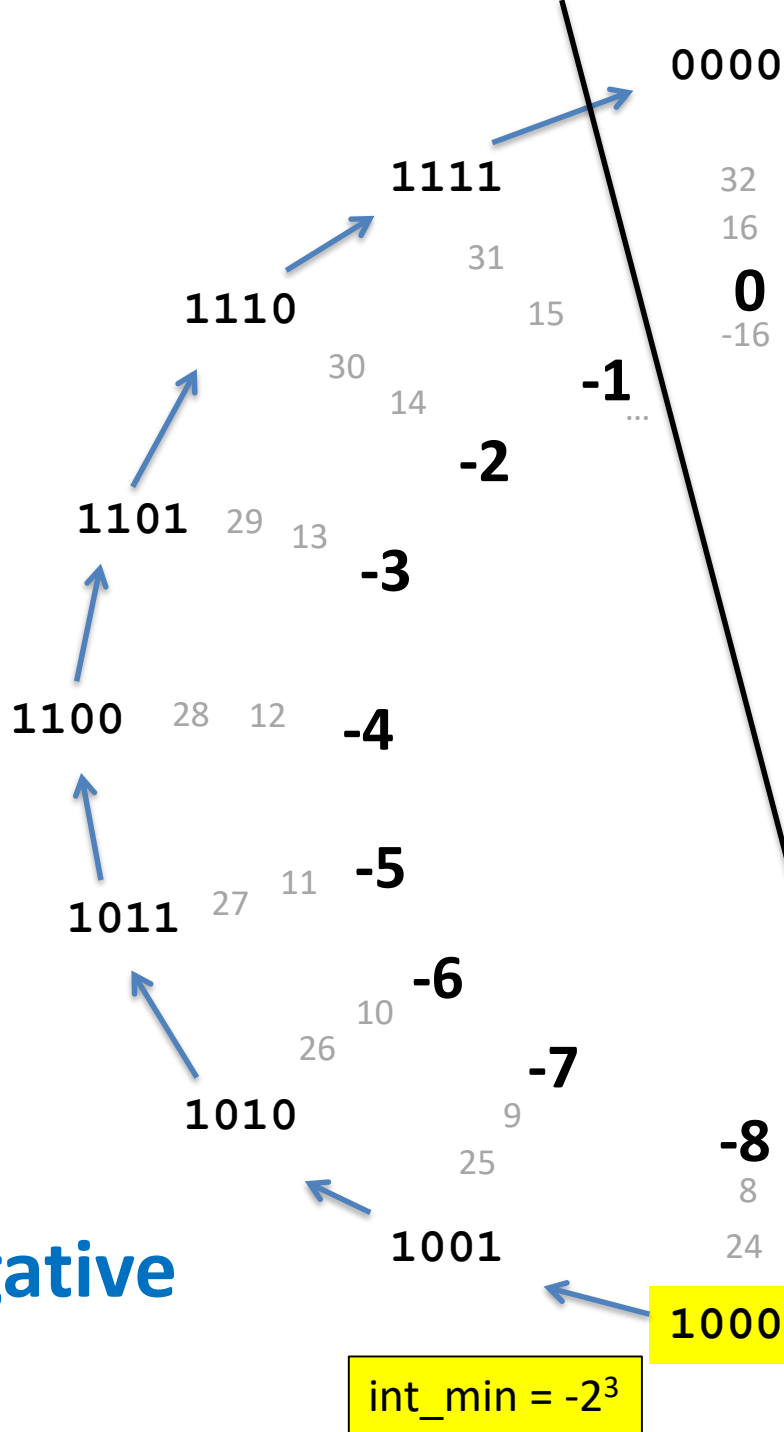




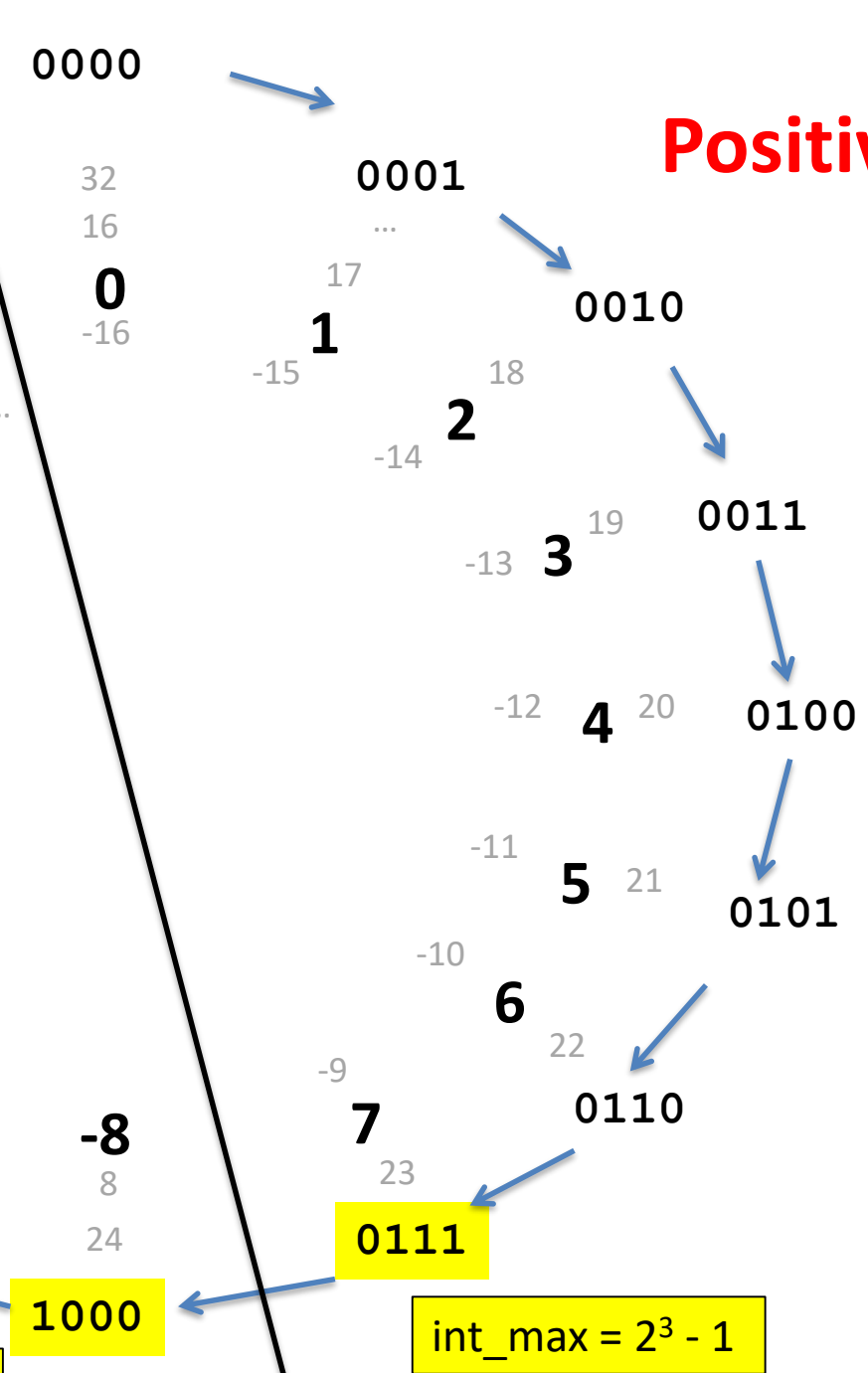
What about
the negative
numbers?

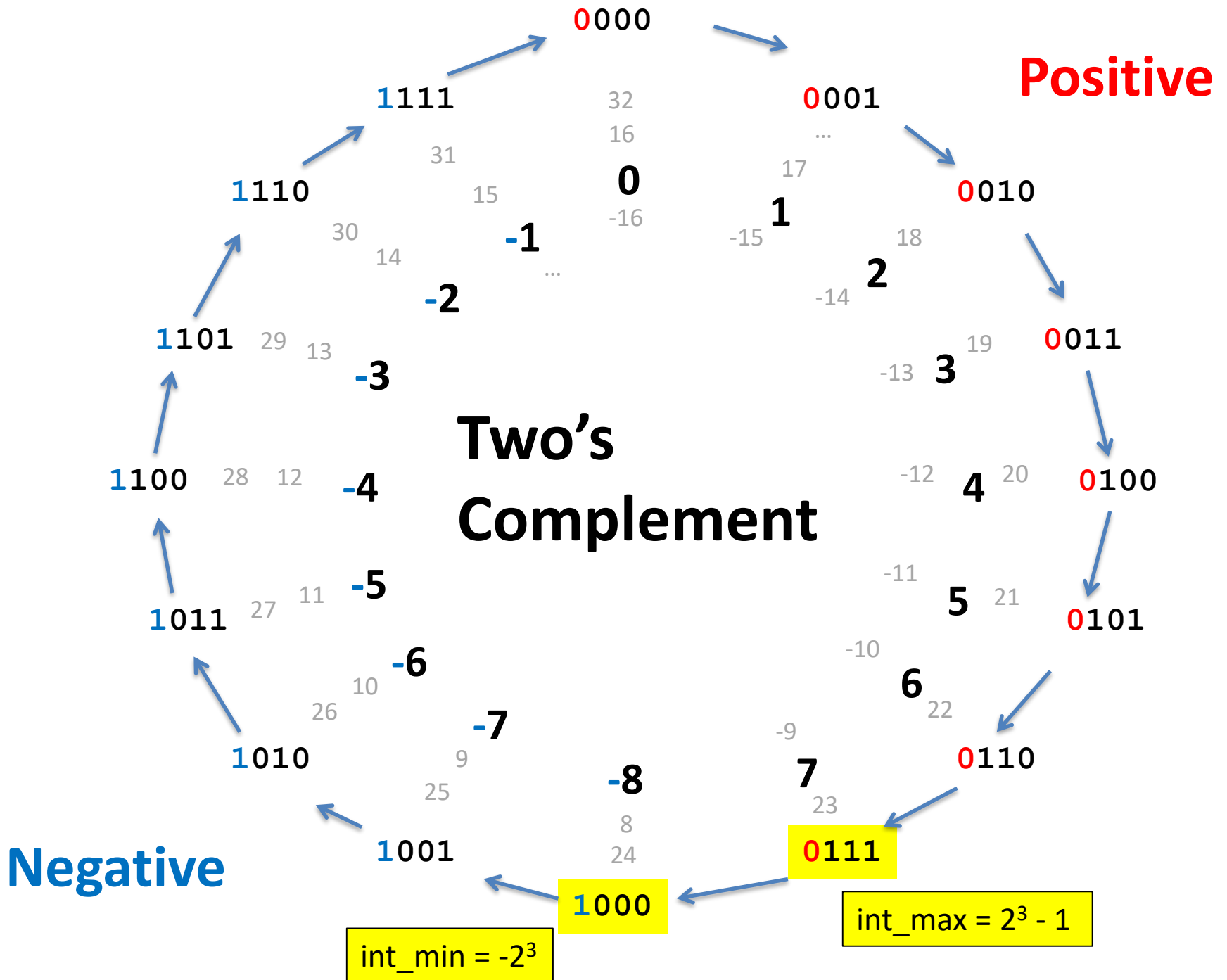


Negative



Positive





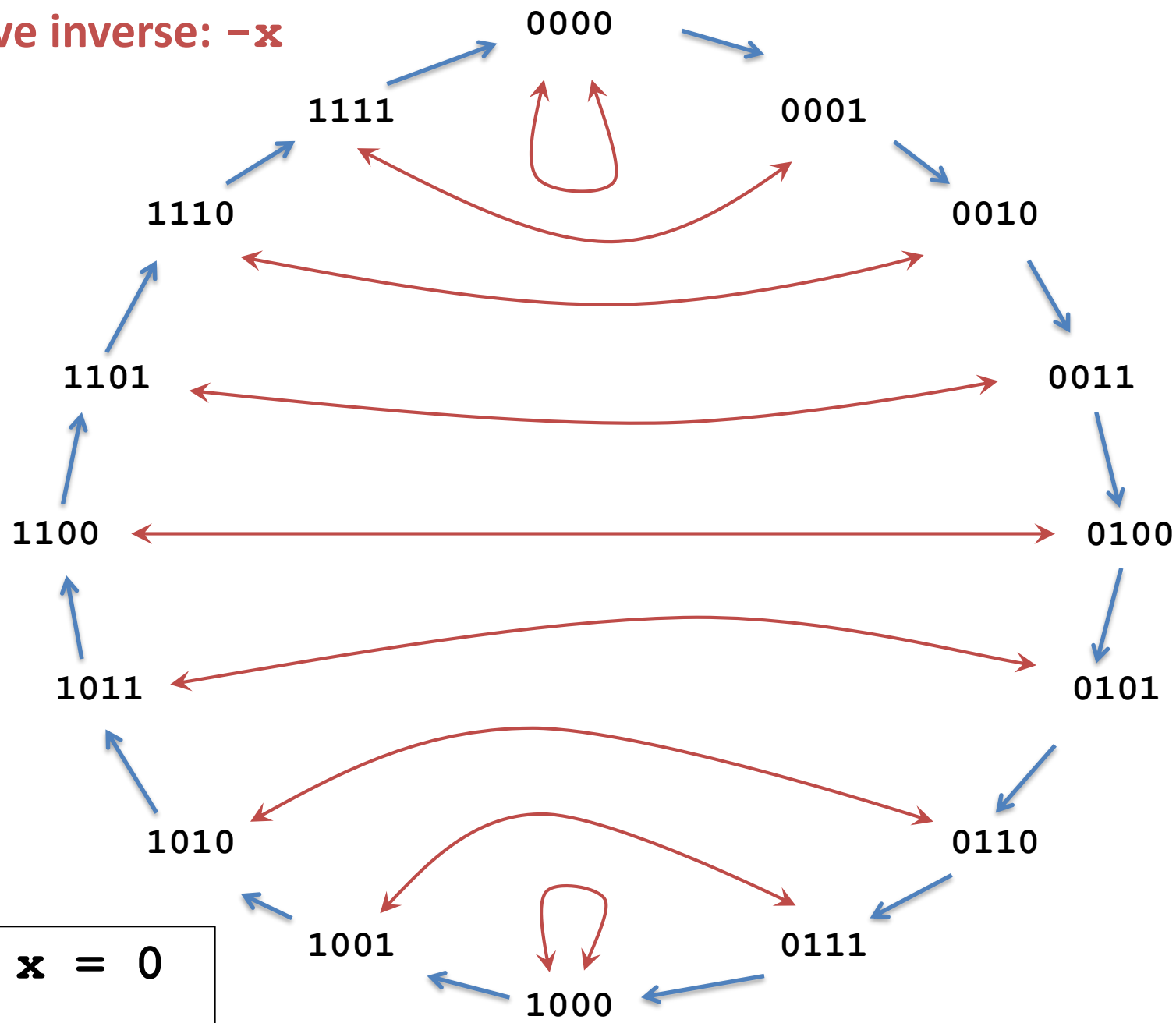
Overflow

```
L_M_BV_32 := TBD.T_ENTIER_32S ((1.0/C_M_LSB_I  
if L_M_BV_32 > 32767 then  
    P_M_DERIVE(T_ALG.E_BV) := 16#7FFF#;  
elsif L_M_BV_32 < -32768 then  
    P_M_DERIVE(T_ALG.E_BV) := 16#8000#;  
else  
    P_M_DERIVE(T_ALG.E_BV) := UC_16S_EN_16NS(  
end if;  
P_M_DERIVE(T_ALG.E_BH) :=  
    UC_16S_EN_16NS (TDB.T_ENTIER_16S ((1.0/C_M
```

Ariane 5

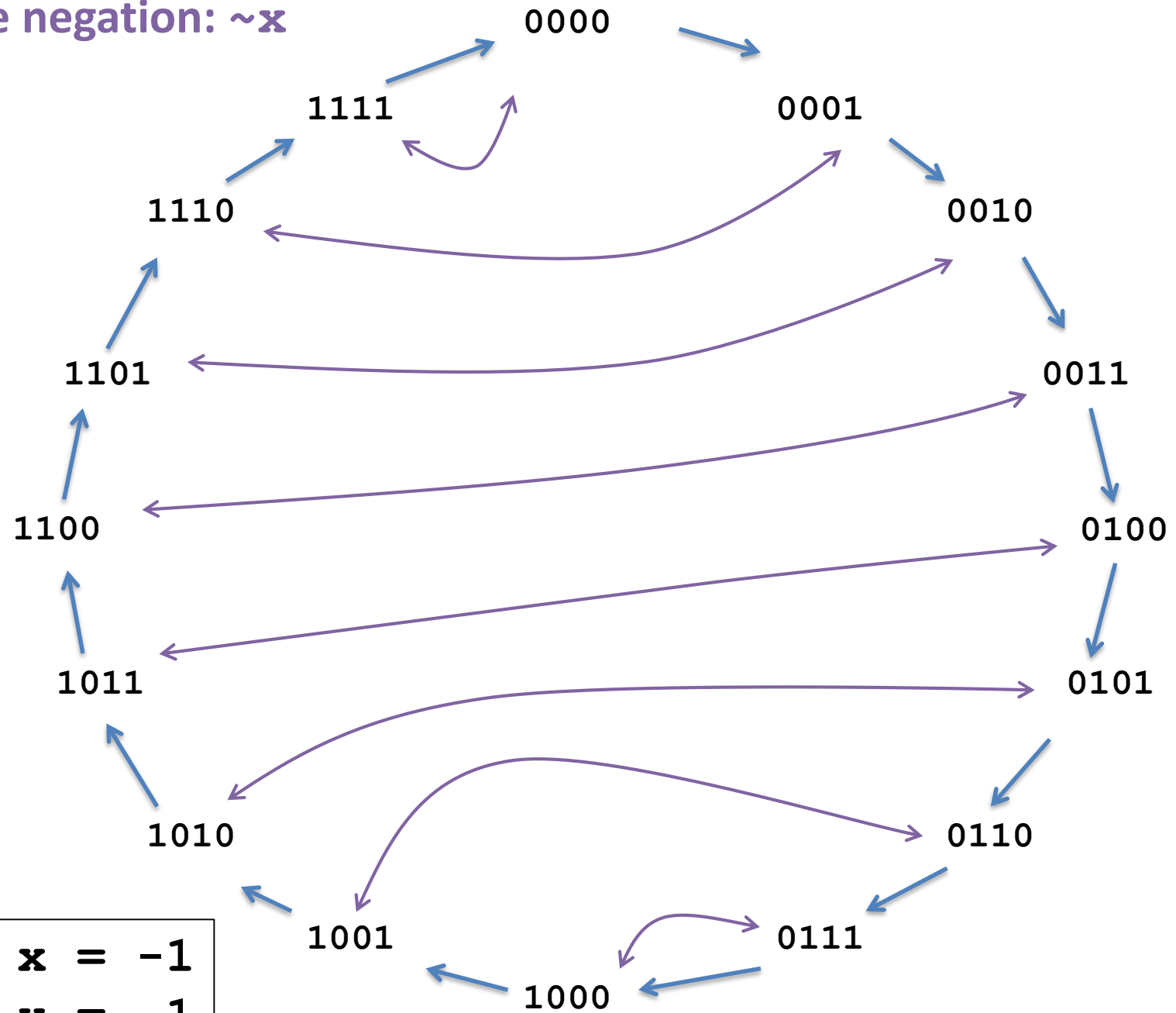


Additive inverse: $-x$



$$-x + x = 0$$

Bitwise negation: $\sim x$



Additive inverse: $-x$
Bitwise negation: $\sim x$

