

15-745 Introduction

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CMU

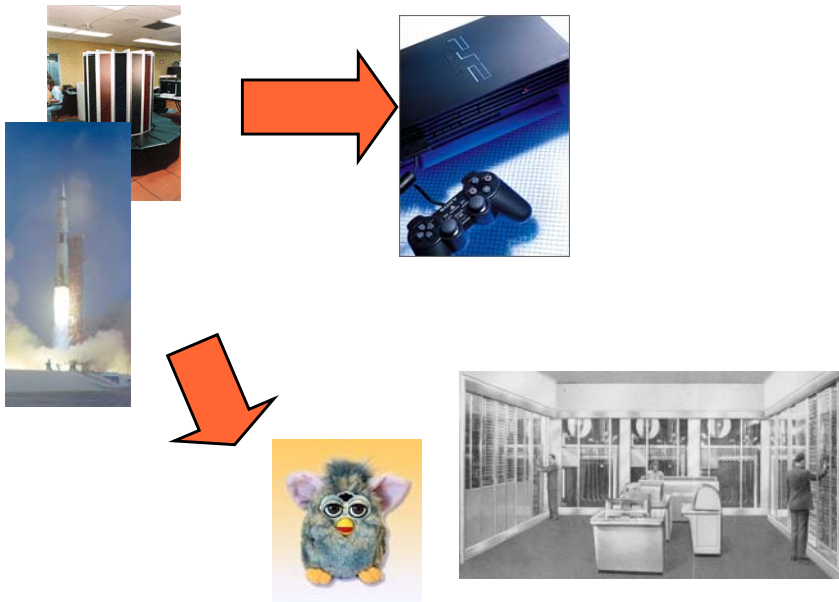
Based in part on slides by
Todd Mowry and Michael Voss

Introduction

- Why study compilers?
- Administrative
- Structure of a Compiler
- Optimization Example

Reference: Muchnick 1.3-1.5

Moore's Law



Moore's Law

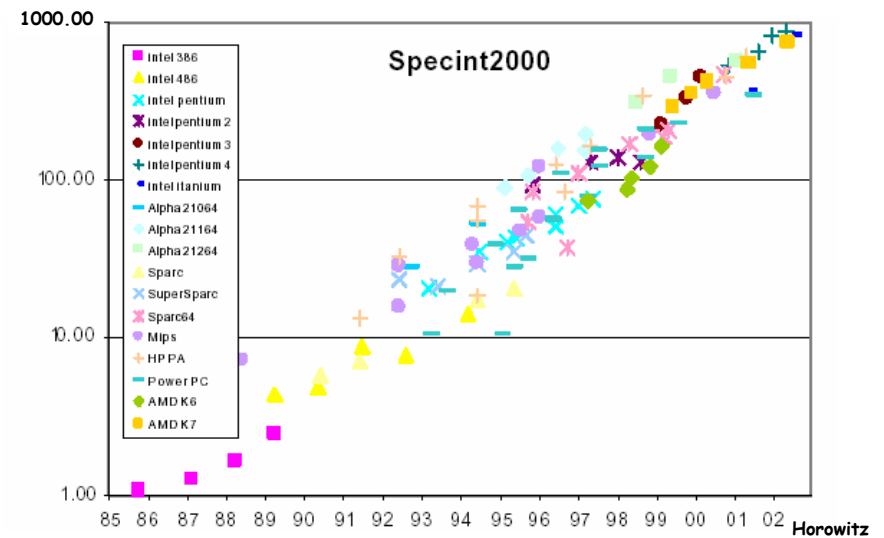
Imagine: Computers that

- -
 -
 -
- Imagining it is hard enough,
achieving it requires a rethink of
the entire tool chain.

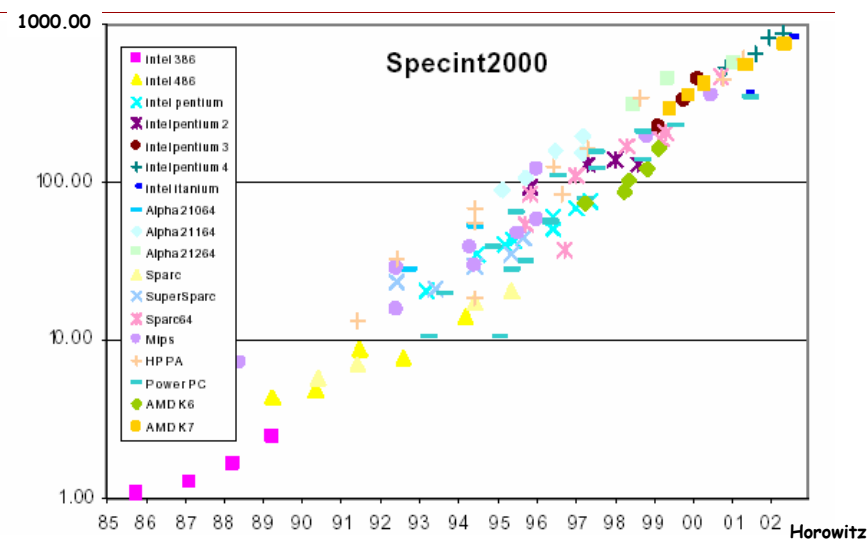
What is Behind Moore's Law?

- A lot of hard work!
- Two most important tools:
 - Parallelism
 - Bit-level
 - Pipeline
 - Function unit
 - Multi-core
 - Locality

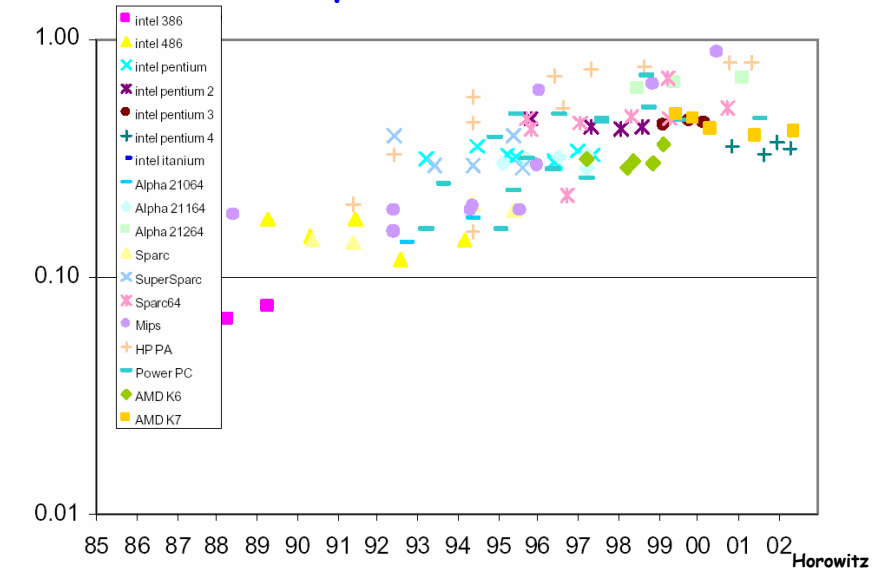
Performance: Ops/Sec



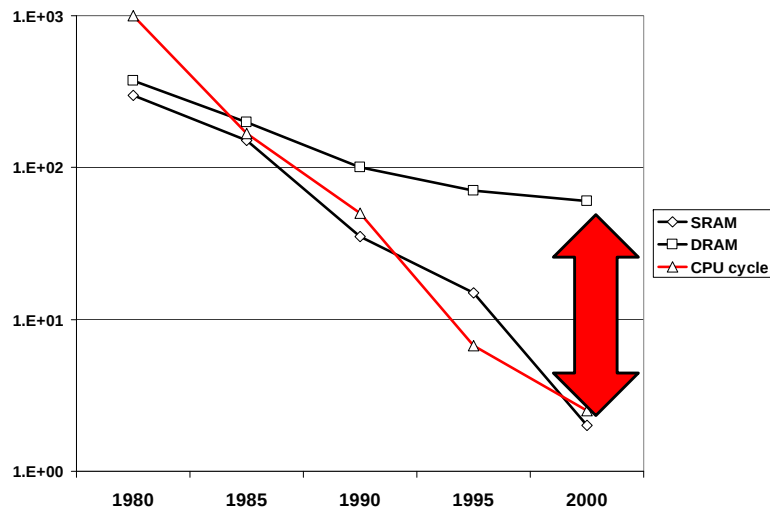
Performance: Ops/Clk * Clks/Sec



SpecInt/Mhz



Another View of Moore's Law

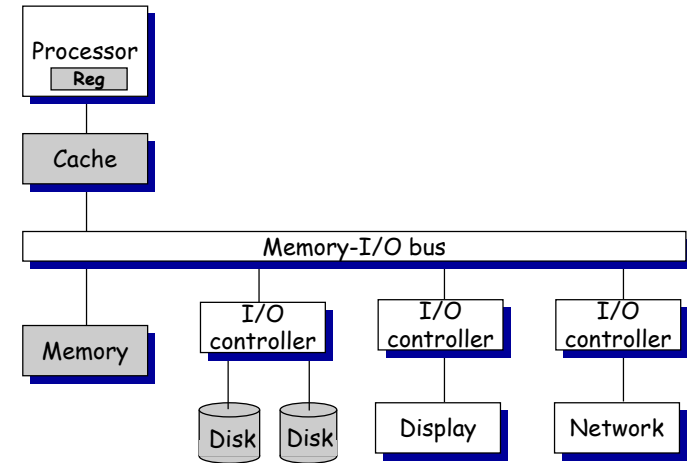


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The Computer System

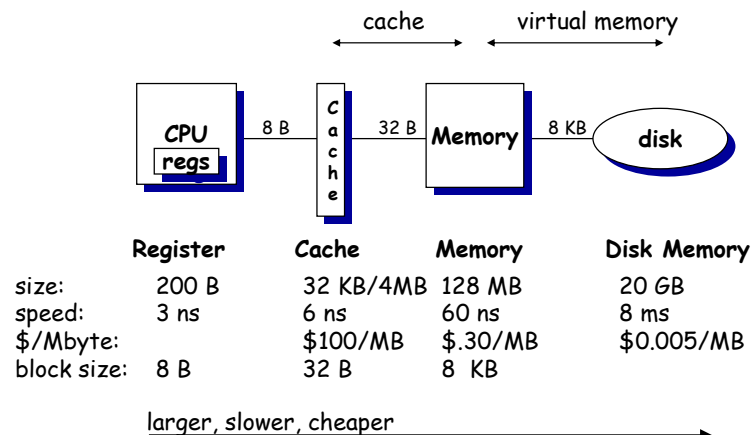


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The Memory Hierarchy



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Compiler Writer's Job

- Improve locality
- Increase parallelism
- Tolerate latency
- Reduce power

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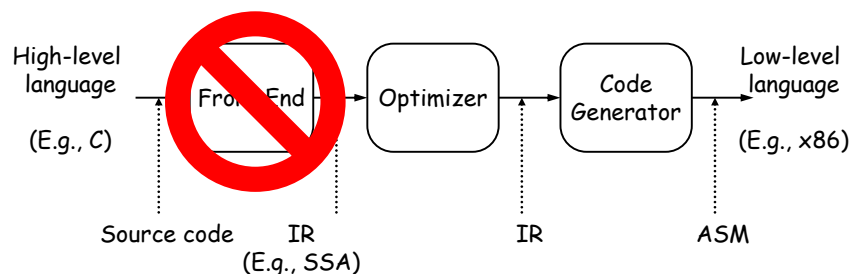
Why study compilers

- They are really amazing
- Combines theory & practice
 - CS is about abstraction
 - Primary abstraction: programming language
 - Compiler lowers PL to ISA (or further!)
 - Compiler is a big system
- Crucial for performance
 - especially for modern processors
 - practically part of the architecture
- I bet: Everyone will write a compiler

Why study compilers

- They are really amazing
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- Crucial for performance
 - especially for modern processors
 - practically part of the architecture
- I bet: **Everyone** will write a compiler

What this course is about



- Theory and practice of modern optimizing compilers
 - No lexing or parsing
 - Focus on IR, back-end, optimizations
- Internals of today's (and tomorrow's) compilers
- Working with a real compiler

Prerequisites

- 211 & 213 or the equivalent
- Parts of 411 or the equivalent
 - Basic compiler data structures
 - Frames, calling conventions, def-use chains, etc.
 - Don't really care about front-end
- Proficient in C/C++ programming
- Basic understanding of architecture

My Expectations

- You have the prerequisites
 - If not come see me asap
- 3 assignments + a project
- Class participation
 - THIS IS A MUST!
 - Read text/papers before class
 - Attendance is essentially mandatory

Grading

- Class participation ~20%
 - Throughout the semester
 - During paper presentations
 - Project presentations
- assignments ~20%
- Project ~40%
- Midterm ~20%

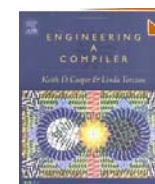
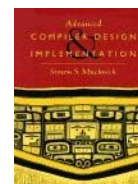
Assignments

- Intro to LLVM/Liveness
- Dependence analysis
- Locality/Parallel transformations
- All labs and the final project will be done in a state-of-the-art research compiler: LLVM



The Text

- No assigned text. There are some on reserve. Its really up to you.
- Muchnick, Advanced Compiler Design & Impl., 1997
- Allen, et.al., Optimizing Compilers for Modern Archs, 2001
- Copper, et.al., Engineering a compiler, 2003
- Aho, et.al., Compilers: ..., 2006



- Papers will be assigned

Before we get too bored

- More admin at the end, but first ...
- What exactly is an optimizing compiler?
 - An optimizing compiler transforms a program into an equivalent, but "better" form.
 - What is equivalent?
 - What is better?

Full Employment Theorem

- No such thing as "The optimizing compiler"
 - Why not?
- There is **always a better** optimizing compiler, but ...
 - Compiler must preserve correctness
 - On average improve X, where X is:
 - Performance
 - Power
 - ...
 - Finish in your lifetime

How might performance be improved?

$$\text{execution time} = \sum_{\text{instructions}} \text{cycles per instruction}$$

- Reduce the number of instructions
- Replace "expensive" instructions with "cheap" ones
- Reduce memory cost
 - Improve locality
 - Reduce # of memory operations
- Increase parallelism

Ingredients to a compiler opt

- Identify opportunity
 - Avail in many programs
 - Occurs in key areas (what are these?)
 - Amenable to "efficient" algorithm
- Formulate Problem
- Pick a Representation
- Develop an Analysis
 - Detect when legal
 - And desirable
- Implement Code Transformation
- Evaluate (and repeat!)

Examples of Optimizations

- Machine Independent
 - Algebraic simplification
 - Constant propagation
 - Constant folding
 - Common Sub-expression elimination
 - Dead Code elimination
 - Loop Invariant code motion
 - Induction variable elimination
- Machine Dependent
 - Jump optimization
 - Reg allocation
 - Scheduling
 - Strength reduction
 - Loop permutations

Really Powerful Opts we won't do

- How to optimize:

```
Sumfrom1toN(int max) {  
    sum = 0;  
    for (i=1; i<=max; i++) sum+=i;  
    return sum;  
}
```

Really Powerful Opts we won't do

- How to optimize:

```
Sumfrom1toN(int max) {  
    sum = 0;  
    for (i=1; i<=max; i++) sum+=i;  
    return sum;  
}
```
- What we should, but won't do:

```
inline sumfrom1toN(int max) {  
    return max > 0 ?  
        ((max+max*max)>>1) : 0;  
}
```

Algebraic Simplifications

$$a * 1; \Rightarrow a$$

$$a / 1; \Rightarrow a$$

$$a * 0; \Rightarrow 0$$

$$a + 0; \Rightarrow a$$

$$a - 0; \Rightarrow a$$

$$\begin{array}{l} a = b + 1 \\ c = a - 1 \end{array} \Rightarrow c = b$$

Use algebraic identities to simplify computations

Jump Optimizations

```

    cmp d0, d1
    beq L1
    bra L2
L1:      :
    :    :
L2:      :
    :    :

```

⇒

```

    cmp d0, d1
    bne L2
L1:      :
    :    :
L2:      :
    :    :

```

Simplify jump and branch instructions.

Constant Propagation

```

a = 5;
b = 3;
:
:
n = a + b;
for (i = 0; i < n; ++i)
{
    :
}

```

⇒

```

a = 5;
b = 3;
:
:
n = 5 + 3;
for (i = 0; i < n; ++i)
{
    :
}

```

If the compiler can determine that the values of *a* and *b* are constants, then it can replace the variable uses with constant values.

Constant Folding

```

:
:
:
n = 8;
for (i = 0; i < 8; ++i) {
    :
}

```

- The compiler evaluates an expression (at compile time) and inserts the result in the code.
- Can lead to further optimization opportunities; esp. constant propagation.

Common Subexpression Elimination (CSE)

```

a = c*d;
:
:
d = (c*d + t) * u

```

⇒

```

a = c*d;
:
:
d = (a + t) * u

```

If the compiler can determine that:

- an expression was previously computed
 - and that the values of its variables have not changed since the previous computation,
- Then, the compiler can use the previously computed value.

Strength Reduction

- On some processors, the cost of an addition is less than the cost of multiplication.
- The compiler can replace expensive multiplication instructions by less expensive ones.

```

c = b * 2;           c = b + b;           c = lsh(b);

move $2000, d0      move $2000, d0      move $2000, d0
muls #2, d0         add  d0, d0         lsl  #1, d0
move d0, $3000      move d0, $3000      move d0, $3000
    
```

```

c = -1*b;           c = negative(b);

move $2000, d0      move $2000, d0
muls #-1, d0        neg  d0
move d0, $3000      move d0, $3000
    
```

Dead Code Elimination

```

debug = False;
:
:
if (debug) {
:
:
}
a = f(b);
    
```

If the compiler can determine that code will never be executed or that the result of a computation will never be used, then it can eliminate the code or the computation.

Loop Invariant Code Motion

```

for (i=0; i<100 ; ++i) {
  for (j=0; j<100 ; ++j) {
    for (k=0 ; k<100 ; ++k)
    {
      a[i][j][k] = i*j*k;
    }
  }
}
    
```

```

for (i=0; i<100 ; ++i) {
  for (j=0; j<100 ; ++j) {
    t1 = a[i][j];
    t2 = i*j;
    for (k=0 ; k<100 ; ++k)
    {
      t1[k] = t2*k;
    }
  }
}
    
```

- Loop invariant: expression evaluates to the same value each iteration of the loop.
- Code motion: move loop invariant outside loop.
- Very important because inner-most loop executes most frequently.

Loop Invariant Code Motion

```

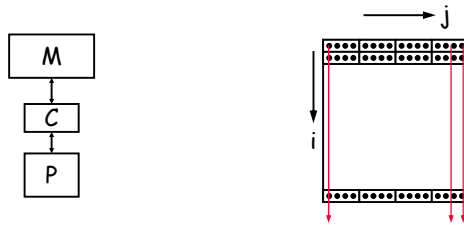
int *a;
int n;
:
:
scanf("%d", &n);
for (i=0; i<n ; ++i) {
  for (j=0; j<n ; ++j) {
    for (k=0 ; k<n ; ++k)
    {
      f = q/p;
      a[i][j][k] = f*i*j*k;
    }
  }
}
    
```

```

int *a;
int n;
:
:
scanf("%d", &n);
f = q/p;
for (i=0; i<n ; ++i) {
  for (j=0; j<n ; ++j) {
    t1 = a[i][j];
    t2 = i*j;
    for (k=0 ; k<n ; ++k)
    {
      t1[k] = f*t2*k;
    }
  }
}
Oooops!!!!
    
```

Cache Optimizations

```
for (j=0; j<n ; ++j) {
  for (i=0; i<n ; ++i) {
    x += a[i][j];
  }
}
```

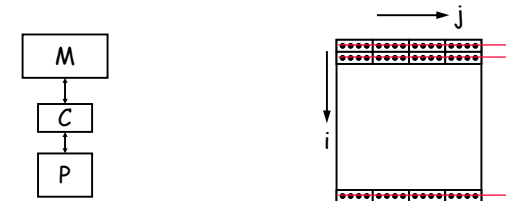


Loop permutation changes the order of the loops to improve the spatial locality of a program.

Cache Optimizations

```
for (j=0; j<n ; ++j) {
  for (i=0; i<n ; ++i) {
    x += a[i][j];
  }
}
```

```
for (i=0; i<n ; ++i) {
  for (j=0; j<n ; ++j) {
    x += a[i][j];
  }
}
```

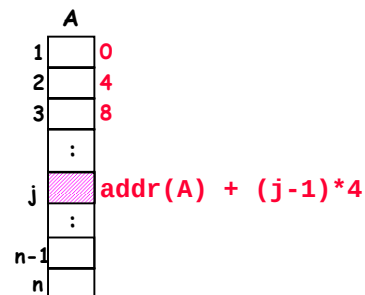


Loop permutation changes the order of the loops to improve the spatial locality of a program.

Example

A program that sorts 4-byte elements in an n-element array of integers $A[1..n]$ using **bubblesort**.

```
for (i=n-1; i >= 1 ; --i) {
  for (j = 1; j <= i ; ++j) {
    if (A[j] > A[j+1]) {
      temp = A[j];
      A[j] = A[j+1];
      A[j+1] = temp;
    }
  }
}
// i and j are not used later
```



A Generated IR

```
for i {
  i = n-1
  S5: if i < 1 goto Exit
  for j {
    j = 1
    S4: if j > i goto S2
    A[j] {
      t1 = j-1
      t2 = 4*t1
      t3 = [A+t2]
      t4 = j+1
      t5 = t4-1
      t6 = 4*t5
      if t7 = [A+t6]
      A[j+1] {
        t8 = j-1
        t9 = 4*t8
        temp = [A+t9]
        t10 = j+1
        t11 = t10-1
        t12 = 4*t11
        t13 = [A+t12]
        t14 = j-1
        t15 = 4*t14
        [A+t15] = t13
        t16 = j+1
        t17 = t16-1
        t18 = 4*t17
        [A+t18] = temp
      }
    }
    if t3 <= t7 goto S3
    S3: j = j+1
    goto S4
  }
  S2: i = i-1
  goto S5
}
Exit:
```

Optimizations I - Algebraic Simplifications

```

i = n-1
S5: if i < 1 goto Exit
j = 1
S4: if j > i goto S2
    t1 = j-1
    t2 = 4*t1
    t3 = [A+t2]
    t4 = j+1
    t5 = t4-1
    t6 = 4*t5
    t7 = [A+t6]
    if t3 <= t7 goto S3
    t8 = j-1
    t9 = 4*t8
    temp = [A+t9]

    t10 = j+1
    t11 = t10-1
    t12 = 4*t11
    t13 = [A+t12]

    t14 = j-1
    t15 = 4*t14
    [A+t15] = t13
    t18 = 4*j
    [A+t18] = temp

    t16 = j+1
    t17 = t16-1
    t18 = 4*t17
    [A+t18] = temp

S3: j = j+1
    goto S4
S2: i = i-1
    goto S5
Exit:

```

Diagram showing constant propagation and algebraic simplifications:

- $t_{12} = 4*j$ (from $t_{10} = j+1, t_{11} = t_{10}-1, t_{12} = 4*t_{11}$)
- $t_{18} = 4*j$ (from $t_{14} = j-1, t_{15} = 4*t_{14}, [A+t_{15}] = t_{13}$)
- $t_6 = 4*j$ (from $t_4 = j+1, t_5 = t_4-1, t_6 = 4*t_5$)

Optimizations II - CSE

```

i = n-1
S5: if i < 1 goto Exit
j = 1
S4: if j > i goto S2
    t1 = j-1
    t2 = 4*t1
    t3 = [A+t2]
    t6 = 4*j
    t7 = [A+t6]
    if t3 <= t7 goto S3
    t8 = j-1
    t9 = 4*t8
    temp = [A+t9]

    t12 = 4*j
    t13 = [A+t12]
    t14 = j-1
    t15 = 4*t14
    [A+t15] = t13
    t18 = 4*j
    [A+t18] = temp

S3: j = j+1
    goto S4
S2: i = i-1
    goto S5
Exit:

```

Diagram showing Common Subexpression Elimination (CSE):

- $t_{14} = t_1$ (from $t_1 = j-1, t_{14} = j-1$)
- $t_8 = t_1$ (from $t_1 = j-1, t_8 = j-1$)

Optimizations II - CSE

```

i = n-1
S5: if i < 1 goto Exit
j = 1
S4: if j > i goto S2
    t1 = j-1
    t2 = 4*t1
    t3 = [A+t2]
    t6 = 4*j
    t7 = [A+t6]
    if t3 <= t7 goto S3
    t8 = t1
    t9 = 4*t8
    temp = [A+t9]

    t12 = 4*j
    t13 = [A+t12]
    t14 = t1
    t15 = 4*t14
    [A+t15] = t13
    t18 = 4*j
    [A+t18] = temp

S3: j = j+1
    goto S4
S2: i = i-1
    goto S5
Exit:

```

Diagram showing Constant Propagation and CSE:

- $t_{12} = t_6$ (from $t_6 = 4*j, t_{12} = 4*j$)
- $t_{18} = t_6$ (from $t_6 = 4*j, t_{18} = 4*j$)

Optimizations III - Copy Propagation

```

i = n-1
S5: if i < 1 goto Exit
j = 1
S4: if j > i goto S2
    t1 = j-1
    t2 = 4*t1
    t3 = [A+t2]
    t6 = 4*j
    t7 = [A+t6]
    if t3 <= t7 goto S3
    t8 = t1
    t9 = 4*t8
    temp = [A+t9]

    t12 = t6
    t13 = [A+t12]
    t14 = t1
    t15 = 4*t14
    [A+t15] = t13
    t18 = t6
    [A+t18] = temp

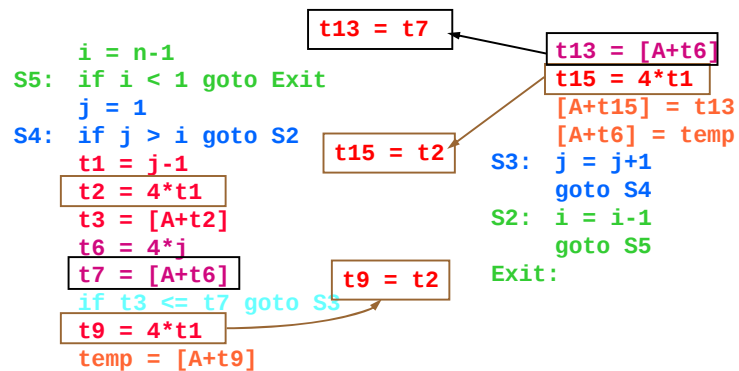
S3: j = j+1
    goto S4
S2: i = i-1
    goto S5
Exit:

```

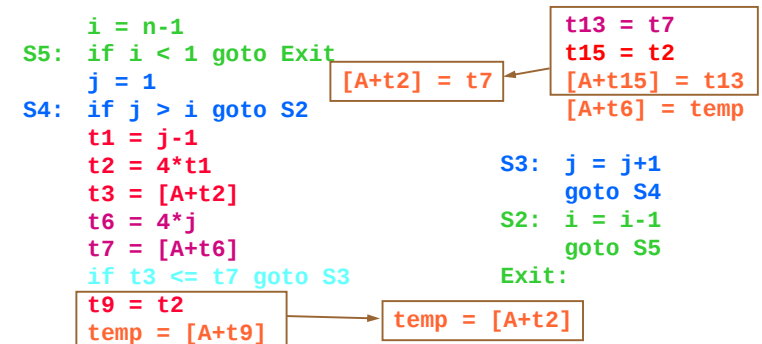
Diagram showing Copy Propagation:

- $t_{12} = t_6$ (from $t_6 = 4*j, t_{12} = 4*j$)
- $t_{18} = t_6$ (from $t_6 = 4*j, t_{18} = 4*j$)
- $t_{15} = 4*t_1$ (from $t_1 = j-1, t_{15} = 4*t_1$)
- $[A+t_6] = temp$ (from $t_6 = 4*j, [A+t_6] = temp$)
- $t_9 = 4*t_1$ (from $t_1 = j-1, t_9 = 4*t_1$)

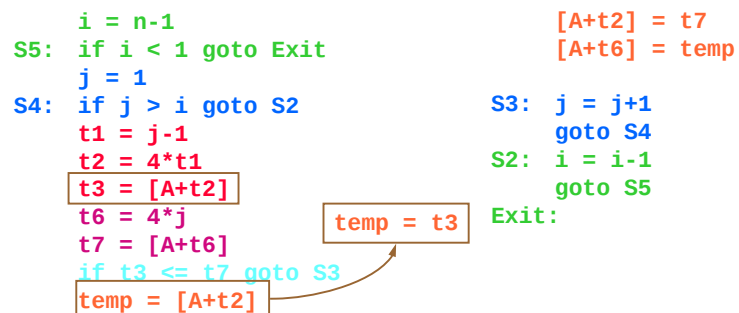
Optimizations IV - CSE (2)



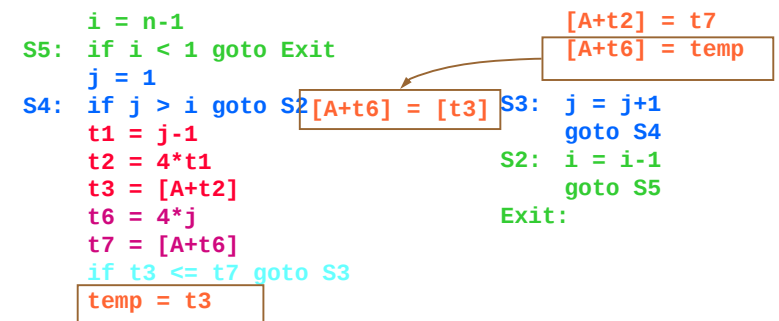
Optimizations V - Copy Propagation (2)



Optimization VI - CSE (3)



Optimization VII - Copy Propagation (3)



Optimizations VIII - IVE & Strength Reduction

```

i = n-1
S5: if i < 1 goto Exit
    j = 1
S4: if j > i goto S2
    t1 = j-1
    t2 = 4*t1
    t3 = [A+t2]
    t6 = 4*j
    t7 = [A+t6]
    if t3 <= t7 goto S3
    [A+t2] = t7
    [A+t6] = t3
S3: j = j+1
    goto S4
S2: i = i-1
    goto S5
Exit:
  
```

Optimizations VIII - IVE & Strength Reduction

```

i = n-1
S5: if i < 1 goto Exit
    j = 1
S4: if j > i goto S2
    t1 = j-1
    t2 = 4*t1
    t3 = [A+t2]
    t6 = 4*j
    t7 = [A+t6]
    if t3 <= t7 goto S3
    [A+t2] = t7
    [A+t6] = t3
S3: j = j+1
    goto S4
S2: i = i-1
    goto S5
Exit:
  
```

Loop Invariant Code Motion...

```

i = n-1
S5: if i < 1 goto Exit
    t2 = 0
    t6 = 4
S4: t19 = 4*i
    if t6 > t19 goto S2
    t3 = [A+t2]
    t7 = [A+t6]
    if t3 <= t7 goto S3
    [A+t2] = t7
    [A+t6] = t3
S3: t2 = t2+4
    t6 = t6+4
    goto S4
S2: i = i-1
    goto S5
Exit:
  
```

Done?

```

i = n-1
S5: if i < 1 goto Exit
    t2 = 0
    t6 = 4
S4: t19 = 4*i
    if t6 > t19 goto S2
    t3 = [A+t2]
    t7 = [A+t6]
    if t3 <= t7 goto S3
    [A+t2] = t7
    [A+t6] = t3
S3: t2 = t2+4
    t6 = t6+4
    goto S4
S2: i = i-1
    goto S5
Exit:
  
```

$t19 = i*4$

$t19 < 4$

$[A-4+t6]$

$t19 = t19-4$

Done?

```

i = n-1
t19 = i*4
S5: if t19 < 4 goto Exit
    t6 = 4
S4: if t6 > t19 goto S2
    t3 = [A+t6-4]
    t7 = [A+t6]
    if t3 <= t7 goto S3
    [A+t6-4] = t7
    [A+t6] = t3
S3: t6 = t6+4
    goto S4
S2: t19 = t19 - 4
    goto S5
Exit:
  
```

Eliminate mult,
Use double load (if aligned?)
Unroll?
Eliminate jmp

...

Done For Now.

```
i = n-1
t19 = i<<2
if t19 < 4 goto Exit
S5: t6 = 4
   if t6 > t19 goto S2
S4: t3 = [A+t6-4]
   t7 = [A+t6]
   if t3 <= t7 goto S3
   [A+t6-4] = t7
   [A+t6] = t3
S3: t6 = t6+4
   if t6 <= t19 goto S4
S2: t19 = t19 - 4
   if t19 >= 4 goto S5
Exit:
```

Inner loop: 7 instructions
4 mem ops
2 branches
1 addition

Original inner loop: 25 instructions
6 mem ops
3 branches
10 addition
6 multiplication

Course Schedule

- www.cs.cmu.edu/afs/cs/academic/class/15745-s09/www/
- The Web site is a vital resource
- (And, of course me too.)

Course Staff

- Seth Goldstein
seth@cmu.edu
- www..../~seth
- Heather Carney
hcarney@cs.cmu.edu

First Assignment

- Install llvm on your favorite machine
- Get familiar with llvm tools, IR, structure
- Lots of docs at www.llvm.org
- First part of assignment 1 will be posted Friday.