Machine Learning 10-701

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Today:

Léarning representations III

- · Deep Belief Networks
- ICA
- CCA
 - Neuroscience example
- Latent Dirichlet Allocation

Readings:

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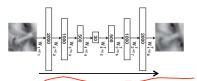
Deep Belief Networks

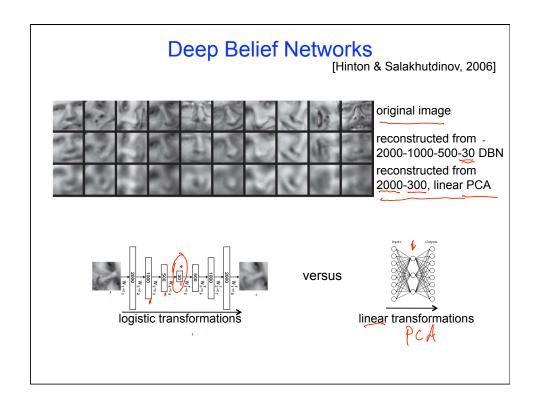
[Hinton & Salakhutdinov, Science, 2006]

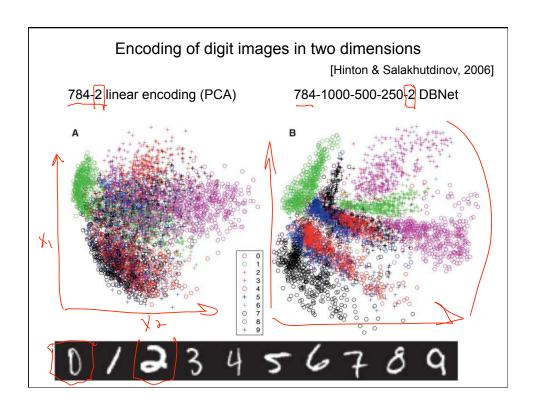
- Problem: training networks with many hidden layers doesn't work very well
 - local minima, very slow training if initialize with zero weights
- · Deep belief networks
 - autoencoder networks to learn low dimensional encodings



- but more layers, to learn better encodings

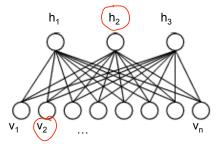






Restricted Boltzman Machine

- · Bipartite graph, logistic activation
- Inference: fill in any nodes, estimate other nodes
- consider v_i, h_i are boolean variables



$$P(\underline{h_j} = 1 | \mathbf{v}) = \frac{1}{1 + \exp(\sum_i w_{ij} v_i)}$$

$$P(v_i = 1|\mathbf{h}) = \frac{1}{1 + \exp(\sum_j w_{ij} h_j)}$$

Deep Belief Networks: Training [Hinton & Salakhutdinov, 2006] Deep Belief Networks: Training

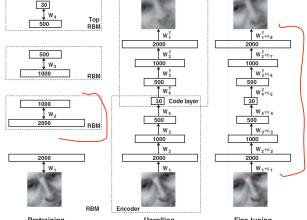
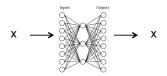


Fig. 1. Pretraining consists of learning a stack of restricted Boltzmann machines (RBMs), each having only one layer of feature detectors. The learned feature activations of one RBM are used as the "data" for training the next RBM in the stack. After the pretraining, the RBMs are "unrolled" to create a deep autoencoder, which is then fine-tuned using backpropagation of error derivatives.

Independent Components Analysis (ICA)

- PCA seeks orthogonal directions $\langle Y_1 \dots Y_M \rangle$ in feature space X that minimize reconstruction error
- ICA seeks directions < Y₁ ... Y_M> that are most statistically independent. I.e., that minimize I(Y), the mutual information between the Y_i:

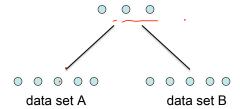
$$I(Y) = \left[\sum_{j=1}^{J} H(Y_j)\right] - H(Y)$$

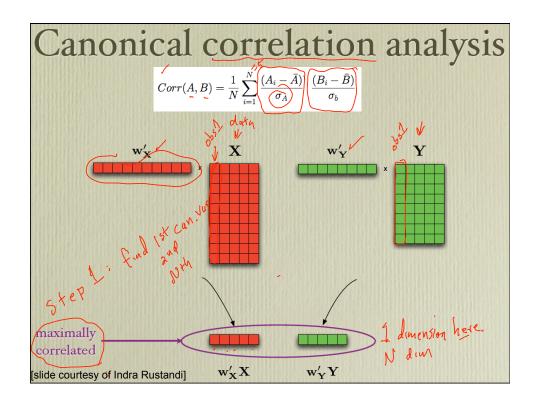


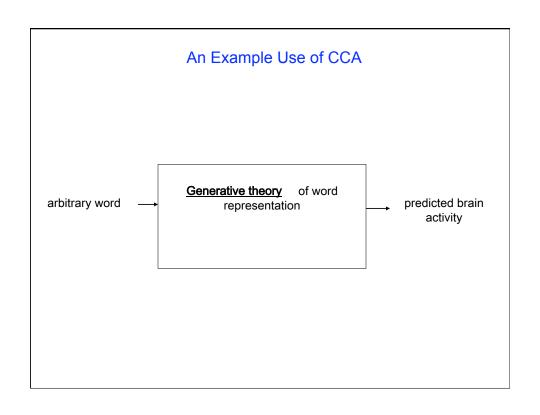
Dimensionality reduction across multiple datasets

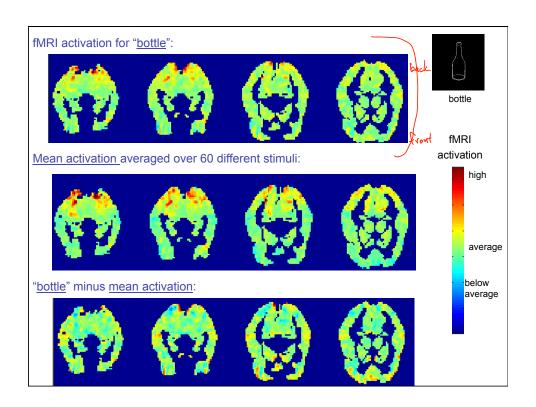
- Given data sets A and B, find linear projections of each into a common lower dimensional space!
 - Generalized SVD: minimize sq reconstruction errors of both
 - Canonical correlation analysis: maximize correlation of A and B in the projected space

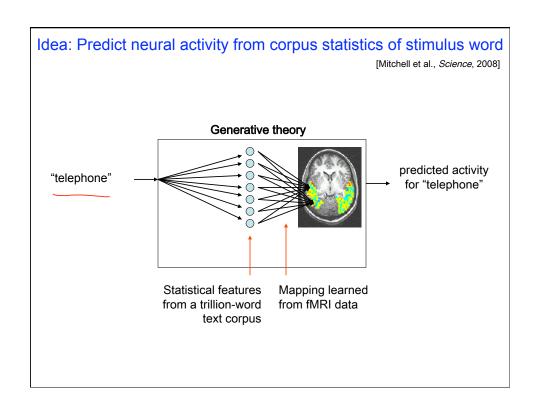
learned shared representation



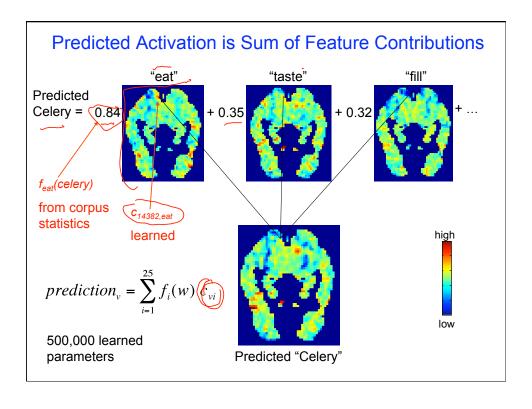


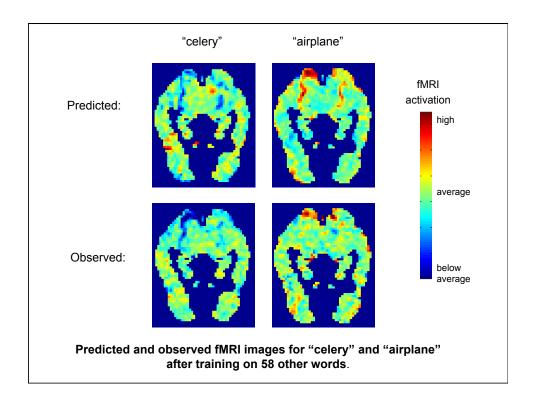






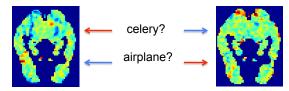
Semantic feature values: Semantic feature values: "celery" "airplane" 0.8368, eat 0.8673, ride 0.3461, taste 0.2891, see 0.3153, fill 0.2851, say 0.2430, see 0.1689, near 0.1145, clean 0.1228, open 0.0600, open 0.0883, hear 0.0586, smell 0.0771, run 0.0286, touch 0.0749, lift ... 0.0000, drive 0.0049, smell 0.0000, wear 0.0010, wear 0.0000, lift 0.0000, taste 0.0000, break 0.0000, rub 0.0000, ride 0.0000, manipulate





Evaluating the Computational Model

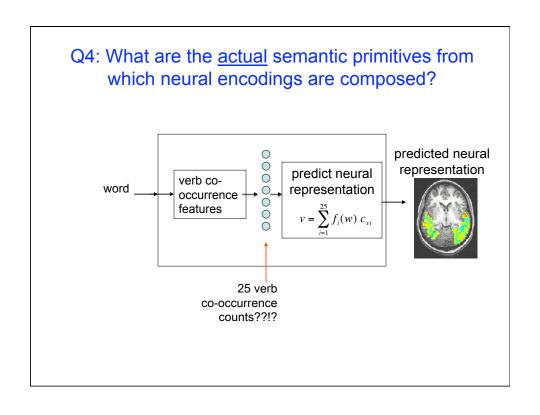
- Train it using 58 of the 60 word stimuli
- Apply it to predict fMRI images for other 2 words
- <u>Test</u>: show it the observed images for the 2 held-out, and make it predict which is which



1770 test pairs in leave-2-out:

- Random guessing → 0.50 accuracy
- Accuracy above 0.61 is significant (p<0.05)

Mean accuracy over 9 subjects: 0.79



Alternative semantic feature sets

PREDEFINED corpus features	Mean Acc.
25 verb co-occurrences	.79
486 verb co-occurrences	.79
50,000 word co-occurences	.76
300 Latent Semantic Analysis features	.73
50 corpus features from Collobert&Weston ICML08	.78
218 features collected using Mechanical Turk*	.83
20 features discovered from the data**	.87

- * developed by Dean Pommerleau** developed by Indra Rustandi

